

MHD simulation of cloud formation by the thermal instability and consequent massive star feedback



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Session III: Molecular cloud formation & properties

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Giant Molecular Clouds (GMCs)



Most stars are formed in GMCs, e.g. Rosette MC

Size	~ 35 pc	
Mass	$\sim 10^5 { m M}_{\odot}$	
Mean density	$\sim 10^{-22} \mathrm{g}\mathrm{cm}^{-3}$	
Temperature	~ 10 K	-> sound speed ~ 0.2 km s^{-1}
Alfvén speed	$\sim 2 \text{ km s}^{-1}$	magnetic pressure dominates
Velocity dispersion	~ 10 km s ⁻¹	supersonic and super-Alfvénic
Jeans Mass	$\sim 10^7 \ { m M}_{\odot}$	based on velocity dispersion



But the Rosette MC is not homogeneous: CO maps show it contains ~70 clumps with

Size	~ 3.5 – 8 pc
Mass	$\sim 10^2 - 2 x 10^3 \ {\rm M}_{\odot}$
Mean density	$\sim 10^{-21} \mathrm{g}\mathrm{cm}^{-3}$
Temperature	~ 10 K
Alfvén speed	~ 2 km s ⁻¹
Velocity dispersion	~ 1 km s ⁻¹
Jeans Mass	$\sim 3 \mathrm{x} 10^3 \mathrm{M}_{\odot}$



<= Supersonic, but now sub-Alfvénic

Our first aim is to develop a realistic initial condition following the formation of molecular clouds to allow for the introduction of stellar feedback.

We started by taking the simplest approach with self-consistent physics for the formation of a molecular cloud:-

- 3D HD/MHD
- Self-gravity
- Multi-phase ISM including thermal instability

In future, we can add complexity:-

- Shear and pressure waves, imitating galactic evolution
- Large-scale flows: SN shock, cloud collision (see Marcin Kupilas's poster)
- "Turbulent" initial conditions applying randomised velocities

but if one can produce results without recourse to extra complexity ...

lex parsimoniae / Occam's razor



3D hydro (HD) initial condition



Spherical cloud, radius 50pc, density $n_{\rm H}$ =1.1 - thermally unstable regime. External medium density $n_{\rm H}$ =0.1, over-pressure same as cloud. Self-gravity.



RHO

Impose random 10% density perturbations on finest initial AMR grid level (512³) 1.0

Quiescent cloud $\underline{v}=0$

Addition of mesh levels as density increases Up to 10 levels of AMR (4096³: 0.039pc)

Mass: $1.7 \ 10^4 \ M_{\odot}$ Sound crossing time: 6.5 Myrs Free fall time: 45.0 Myrs Cooling time: 1.6 Myrs

Y 0.0 -1.0 -1.0 0.0 1.0 Х 100pc-diameter

Code: Magnetohydrodynamic version of Falle's MG with self-gravity.

Enlarged 3D Hydro condition



Domain size doubled, **cloud radius increased to 100pc** ($r_{init} = 2.0$), initial maximum AMR resolution 1024³ (finest level 0.29pc), Mass 1.35 10⁵ M_{\odot}



High density regions occur after 16.2 Myrs of diffuse cloud evolution

Extract central section at t=16.2 Myrs



Increase resolution and simulate on...

- a further 28.5 Myrs (total ~44.5 Myrs)
- resolution up to 0.039pc

Result: evolution of clumps and filaments



(e) t = 30.2 Myrs;

y=0.1, z=0.0;

FWHM=0.26pc

0401

Cut along

01

(f) t = 36.2 Myrs;

y=0.1, z=0.0;

FWHM=0.56pc

Cut along



- Creates a network of **cold**, **dense clumps**, multiply-connected by **filaments**!
- Filaments grow as material falls in, from widths around ~0.1pc to 0.6pc
- Flow along the filaments toward the clumps

Final evolved simulation





.3

Further properties of the clumps



Fellwalker algorithm (Berry 2015) identified 21 distinct clumps with masses >20 M_o

Properties in agreement with Bergin & Tafalla (2007) review:-50-500 M_{\odot} , 0.3-3 pc, 10³-10⁴ cm⁻³, 0.3-3.0 km/s, 10-20 K

An individual 250 M_{\odot} clump:

- Complex non-spherical nature
- Central density distribution fits a Plummer-like n=4 curve
- Clearly defined sharp boundary, noticeable in temperature distribution
- Increased internal pressure indicates gravitational collapse



Short inertial range (1 decade) -> by no means fully developed turbulence. Should extend to larger scales Akin to Larson-like turbulence:"hierarchy of small-scale irregularities

- superimposed on larger-scale more systematic motions"
- Spectral break at ~1 pc, on the size-scale of the clumps – could be considered a "dissipative limit"
- Steeper spectral index of -3 implied inside the clumps

Compares well with recent observations: Kalberla & Haud, A&A accepted; arxiv: 1905.08583

 $Cloud \ complex-40 pc \ box. \ Clump \ R-10 pc \ box.$

Power spectra of the cloud and a clump Turbulence-like (-5/3) power spectra in the warm stable medium





MHD simulations



Exactly the same as hydro, but with uniform field in the x-direction - Regular (1.7 10^4 M_o) and enlarged (1.35 10^5 M_o) clouds under consideration

- Plasma β : 0.1 (strong field), 1.0 (plasma/magnetic pressure parity), 10.0 (weak field)



Magnetic seismology of Musca 'filament' indicates this structure! (Tritsis & Tassis 2018, Science, vol 360, Issue 6389, pp.635-638)

Striations, hour-glasses and integrals



Diffuse material moves along field lines and naturally forms low-density structure parallel to the magnetic field. This is the natural pre-cursor to the high-density filamentary structure that forms in the cloud, perpendicular to the magnetic field.



- Previous work (Tritsis and Tassis 2016) concluded sub-Alfvénic flows would not produce the observed density contrasts (0.03% contrast versus >25% observed)

- However, here we produce a range of density contrast up to factor 3 (400%)

- A further criticism of sub-Alfvénic flows has been the difficulty in which magnetically parallel and perpendicular structure can be produced in the same simulation – no problem!

The difference is in the initial condition. T&T initialised realistic B and ρ, but isothermal throughout at 15K with no gravity.

Striations, hour-glasses and integrals





Striations, hour-glasses and integrals



- Recent work **submitted** to MNRAS concludes that an "*integral*"-shaped filament in Orion is a standing wave
- We obtain apparently similar structure, with disconnects in the velocity caused by the TI-driven flow
- Not a standing
 wave –
 an effect of
 the initial
 condition and
 flow
- Further work required

See also very recent: Liu, Stutz & Yuan, 2019, MNRAS, **487**, 1259; arxiv: 1905.08292



Mechanical stellar wind feedback



- 40 M_{\odot} star embedded in the sheet
- Realistic Geneva (2012) evolution imposed via density and energy sources
- Significant impact on a $1.7 \times 10^4 M_{\odot}$ cloud
- Large bipolar cavity evolves into a cylindrical cavity (diameter~40pc) through the centre of the cloud
- Cavity filled with hot, tenuous wind material moving at up to 1000 km/s
- Magnetic field intensified by factors of 3-4 during this wind phase
- Much of the wind material flows out of the domain along the cavity – this missing wind is simply focussed away!



Simulating the Rosette Nebula



Magnetic field alignment, proper motion and location of possible triggered star formation all support this model.





Evacuated hole

- Simulation: **10x7.5 pc**
- Observations: Celnik: d~13pc IPHAS: d~10pc



Conclusions



The thermal instability in diffuse interstellar medium, together with self-gravity and magnetic fields, **can create realistic molecular clouds**.

Without magnetic field, the cloud complex contains realistic cold, dense clumps.

- The clumps are connected by a network of cooler, less dense filaments, with widths 0.2 to 0.6 pc.
- The quiescent clouds create their own "turbulence" with realistic spectral indices.
- With magnetic field, the cloud flattens into a corrugated sheet-like structure.
 - In projection, the clouds appear very filamentary **parallel striations and perpendicular filaments**.
 - Mechanical stellar wind feedback can be directed away from the structure and provide an elegant explanation for the nature of the Rosette Nebula.
 - Collapse of the sheet intensifies magnetic field (tens of μ G) and creates hour-glass-shaped fields.
 - Disconnects across the sheet, driven by the flow, create integrals and gaps in position-vel. maps.

Thank you for listening. Any comments or questions?

Thermal instability driven initial condition: Magnetic feedback general case: Hydrodynamic feedback general case: Rosette special case: Hydro case: sheets, filaments and clumps Thermal instability re-visited MHD case: striations, hour-glasses & integrals Wareing, Pittard, Falle & Van Loo, 2016, MNRAS, **459**, 1803 Wareing, Pittard & Falle, 2017, MNRAS, **465**, 2757 Wareing, Pittard & Falle, 2017, MNRAS, **470**, 2283 Wareing, Pittard, Falle & Wright, 2018, MNRAS, **475**, 3598 Wareing, Falle & Pittard, 2019, MNRAS, **485**, 4686 Falle, Wareing & Pittard, *in prep*. Wareing, Falle & Pittard, *in prep*.

Revisiting thermal instability



Two stable phases exist in which heating balances cooling (Parker '53, Field '65, Wolfire et al. '95)

4.0

-2.0

 $\label{eq:W-warm phase} \begin{array}{l} W - warm phase \ (T > 5000K, \ \rho < 1, \ P/k < 5000) \\ C - cold \ phase \ (T < 160K, \ \rho > 10, \ P/k > 1600) \\ U - unstable \ phase \end{array}$

In the unstable region, can form a length scale ^{3.0} from cooling time and sound speed ~ a few pc.

Molecular cloud formation (10K) and stellar feedback (10⁸K) requires multi-stage cooling:

 $<10^{4} \text{K} \qquad \Gamma : \text{Koyama & Inutsuka (2002), (2007 correction)} \\ 10^{4} \text{K} < \text{T} < 10^{8} \text{K} \qquad \Gamma : \text{CLOUDY 10.00 Gnat & Ferland (2012)} \\ >10^{8} \text{K} \qquad \Gamma : \text{MEKAL - free-free bremsstrahlung.} \\ \text{Constant heating rate } \Gamma = 2 \times 10^{-26} \text{erg s}^{-1} \text{ independent of } \rho, \text{T} \\ => \text{Establishes thermal equilibrium P and T by } \rho^{2} \Lambda = \rho \Gamma$



The (modified) engine

- UNIVERSITY OF LEEDS
- Magnetohydrodynamic version of MG (Morris Garages) with self-gravity.
- Parallelised, upwind, conservative shock-capturing scheme.
- Adaptive mesh refinement uses a coarse base grid (4x4x4) with 7 (or more) levels of AMR to achieve a resolution up to 512³ (*the Honda bit*?).
 - Why the wide range? Efficient computation of self-gravity.
- Realistic heating and cooling methods
 - Of key importance as it is the balance of these that establishes the initial condition and defines the consequent evolution.
- Three field strengths considered, with $\underline{B} = B_o \hat{I}_x$
 - The hydrodynamic case: $\beta = \infty$
 - Pressure equivalence: $\beta = 1$ inferred to be the commonest in reality.
 - Magnetically dominated regime: $\beta = 0.1$

Aside: EPSRC and Innovate UK research proposals to apply MG in industry: cryogenic machining.

K AG in



 $\beta = \frac{\rho k_B T}{B^2 / 2\mu_0} \qquad \frac{there}{magn}$

thermal pressure magnetic pressure

Simple 3D Hydro condition





A word of caution though - changing heating and cooling prescriptions changes the equilibrium – it can even suppress the instability!

Detail at t=33.5 Myrs





Diameter ~5pc, Mass $182M_{\odot}$, Max density 2214, Mean density 177, Max velocity 3.25 km s⁻¹ (in frame of dense region), 0.6 km s⁻¹ in dense gas. Gravitationally bound, but not unstable (Bonnor-Ebert critical mass ~471 M_{\odot})