



# Jet Contribution to the $\gamma$ -ray Flux in NGC 1068

Silvia Salvatore

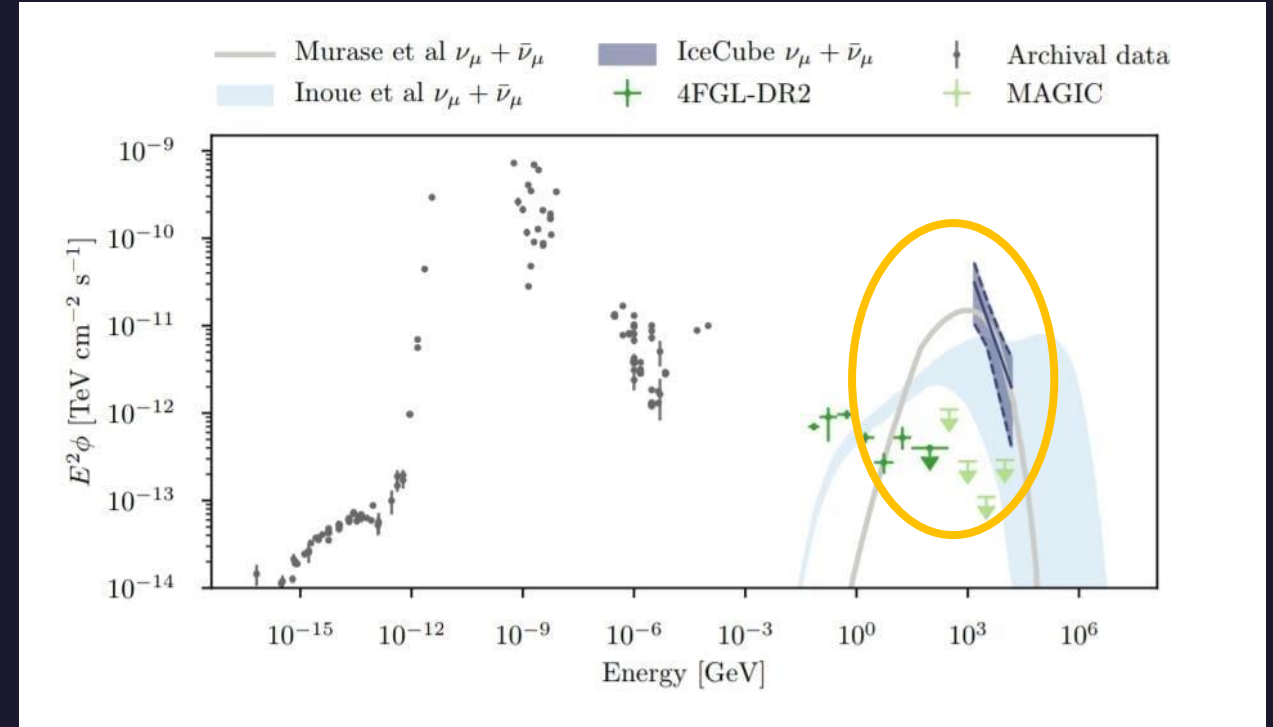
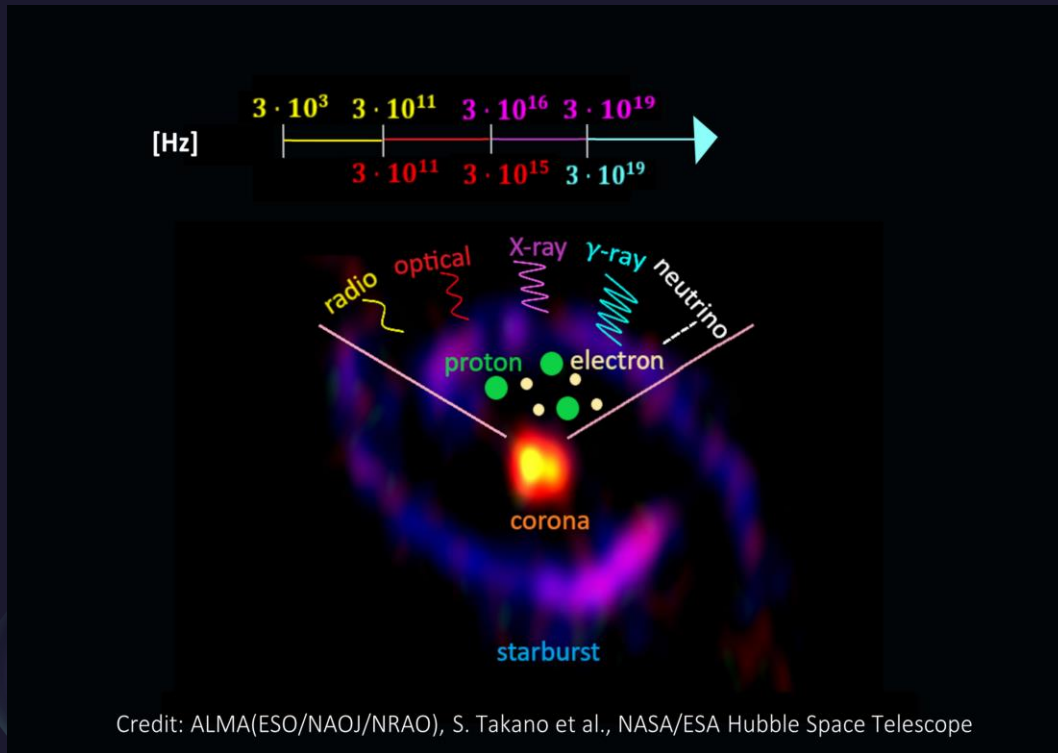
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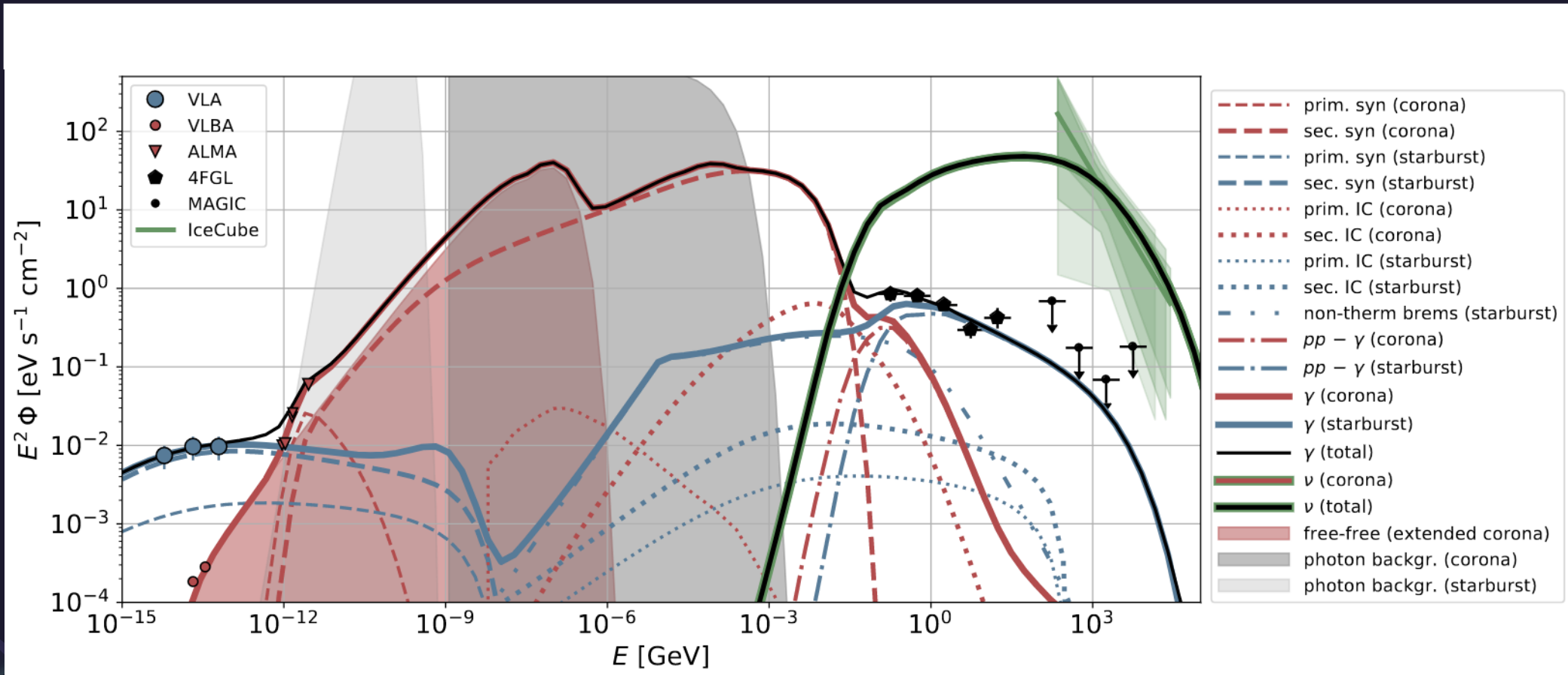


# Why are neutrinos important?

- ALMA observations → inner core and outer ring
- For energies between 100 GeV and 10 TeV → significant difference in gamma-ray and neutrino fluxes

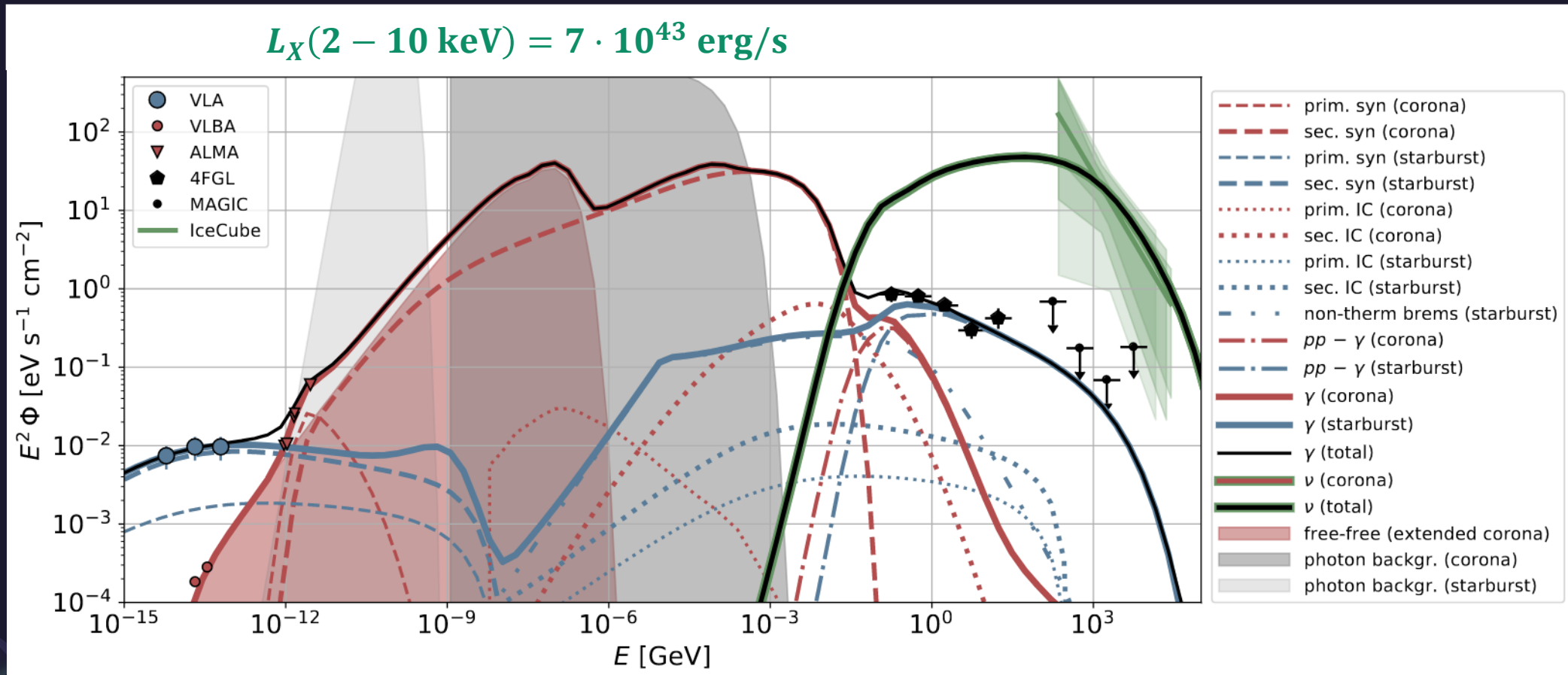


# AGN-corona + starburst ring model



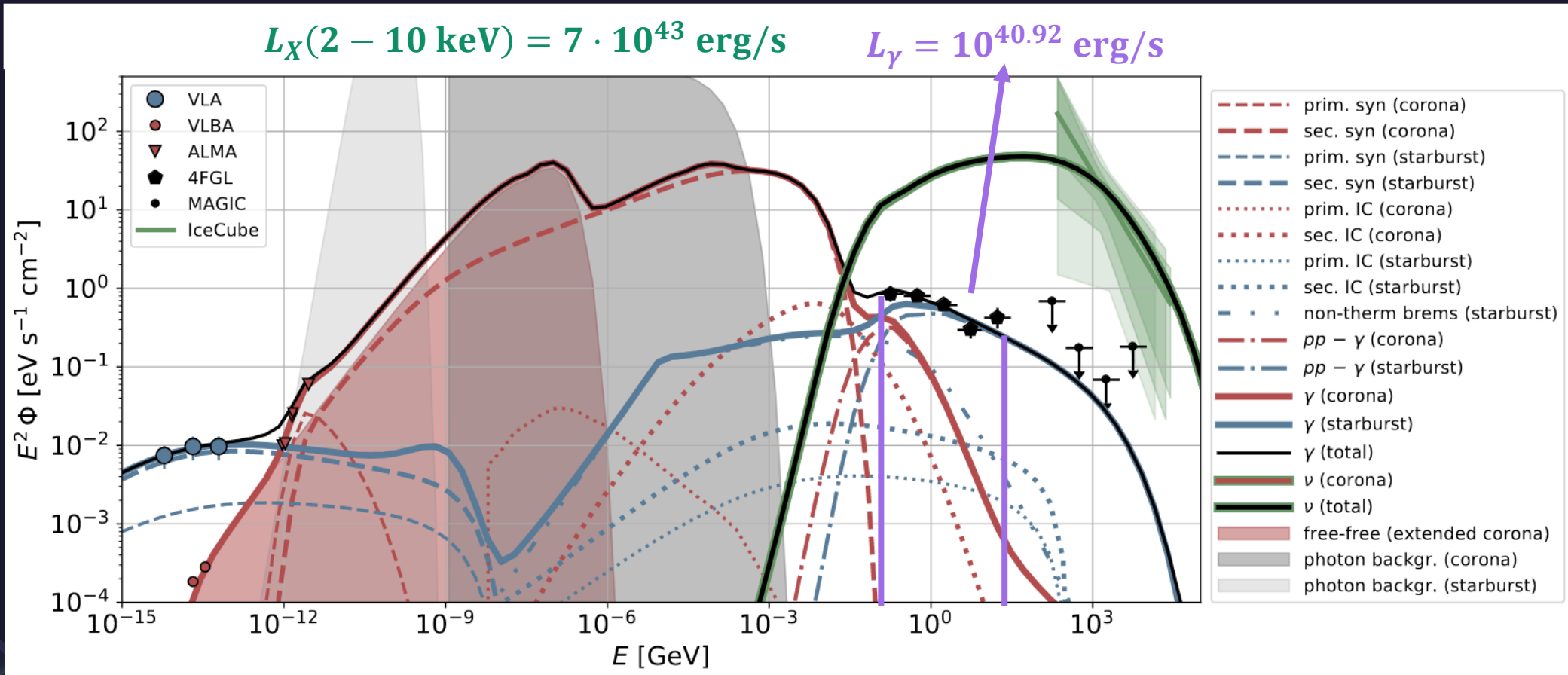
Eichmann, ..., Salvatore, ..., 2022

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Eichmann, ..., Salvatore, ..., 2022

# AGN-corona + starburst ring model

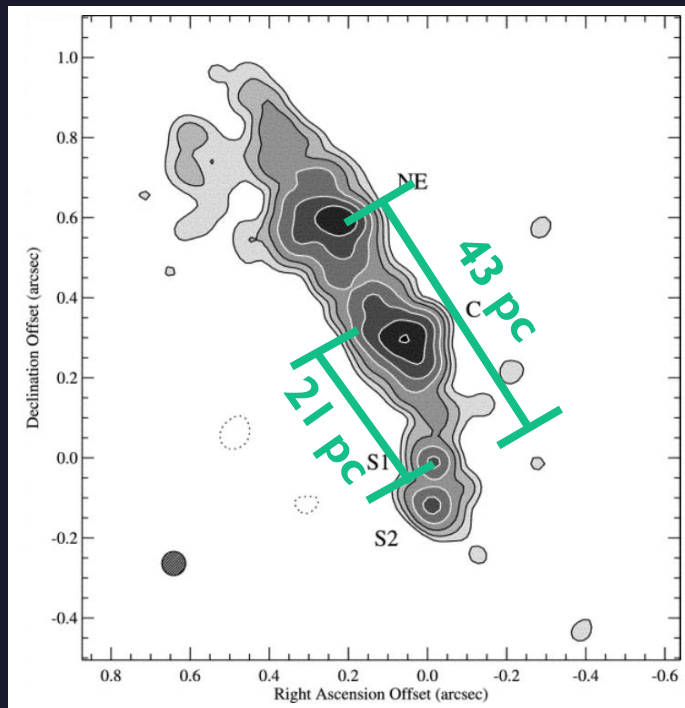


Eichmann, ..., Salvatore, ..., 2022

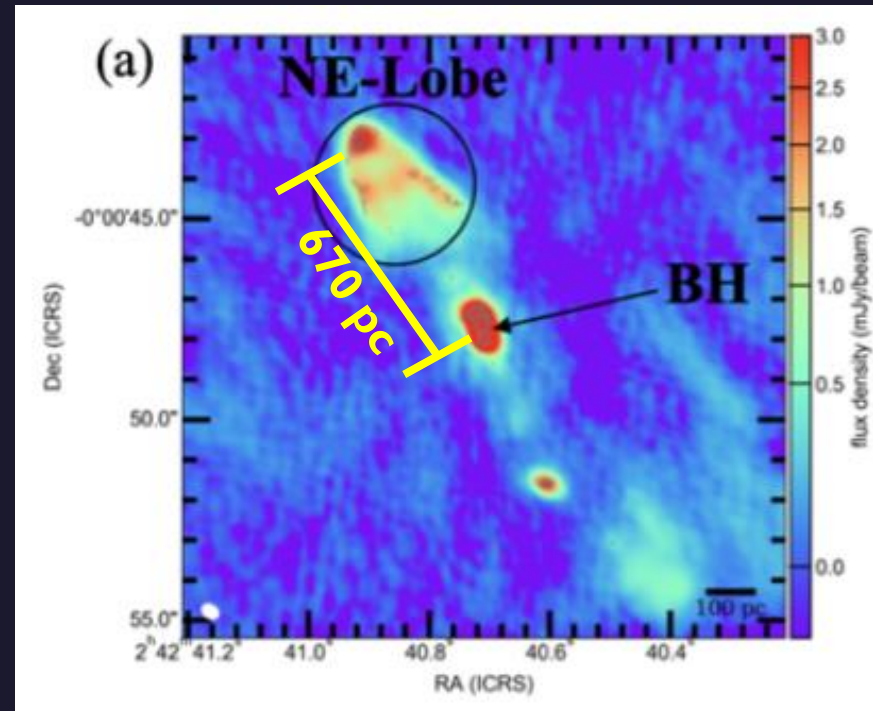
# Introducing the jet

## Radio data

Gallimore et al., 2004



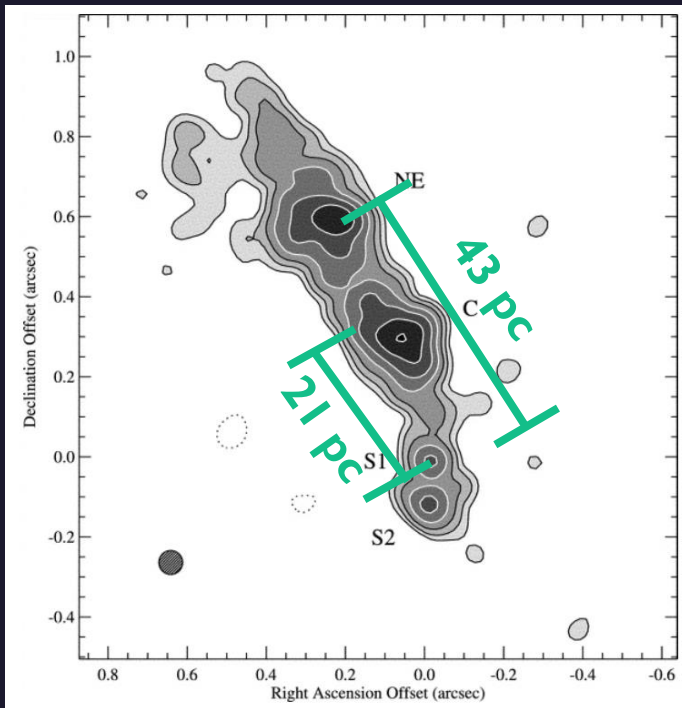
Michiyama et al., 2022



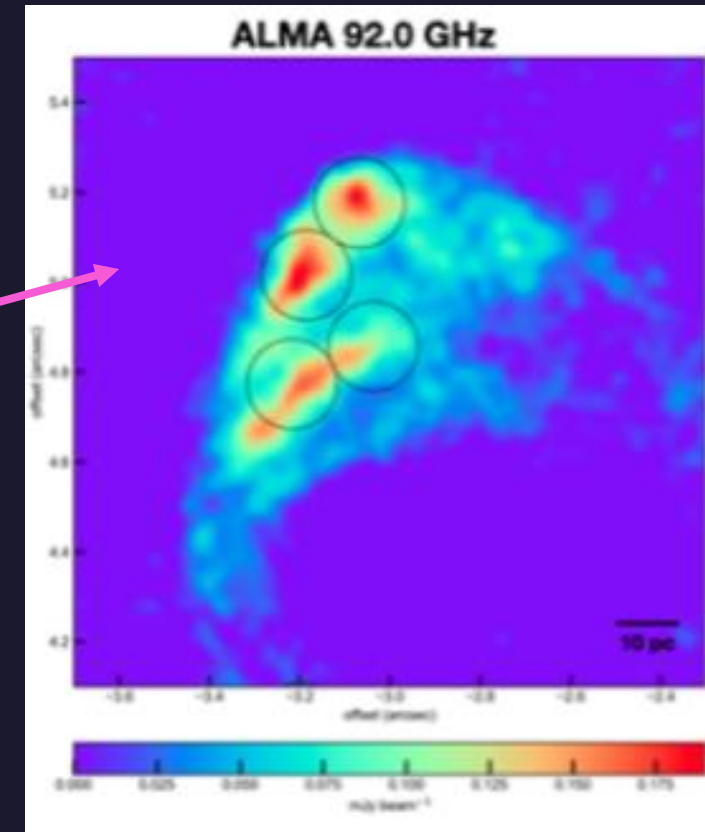
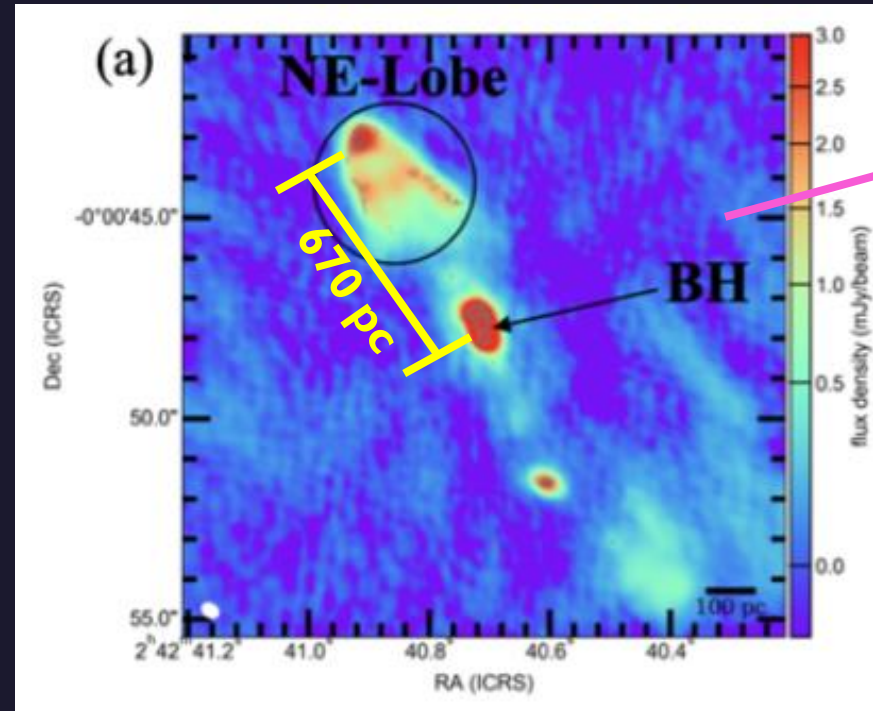
# Introducing the jet

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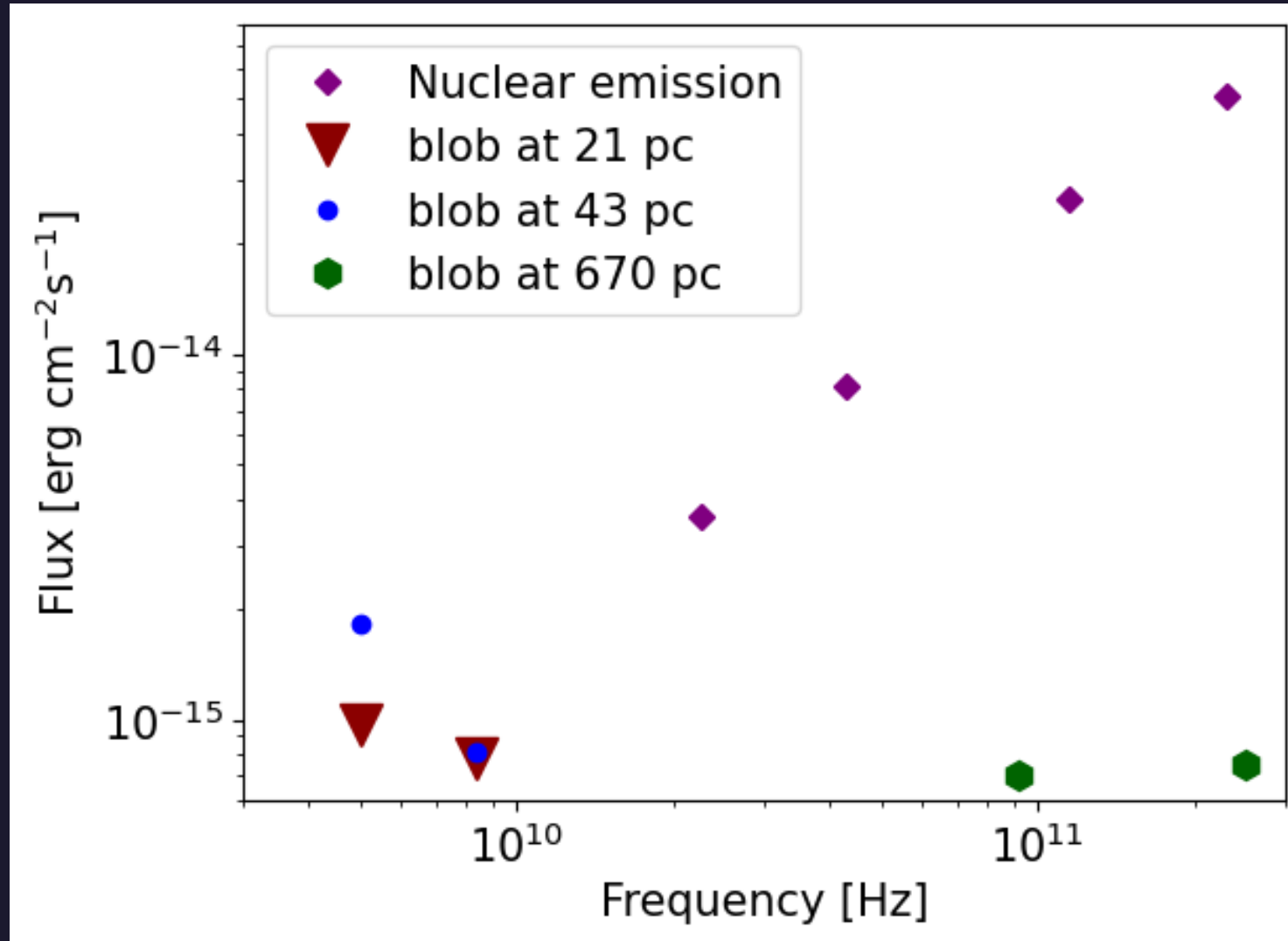
Gallimore et al., 2004



Michiyama et al., 2022



# Radio data

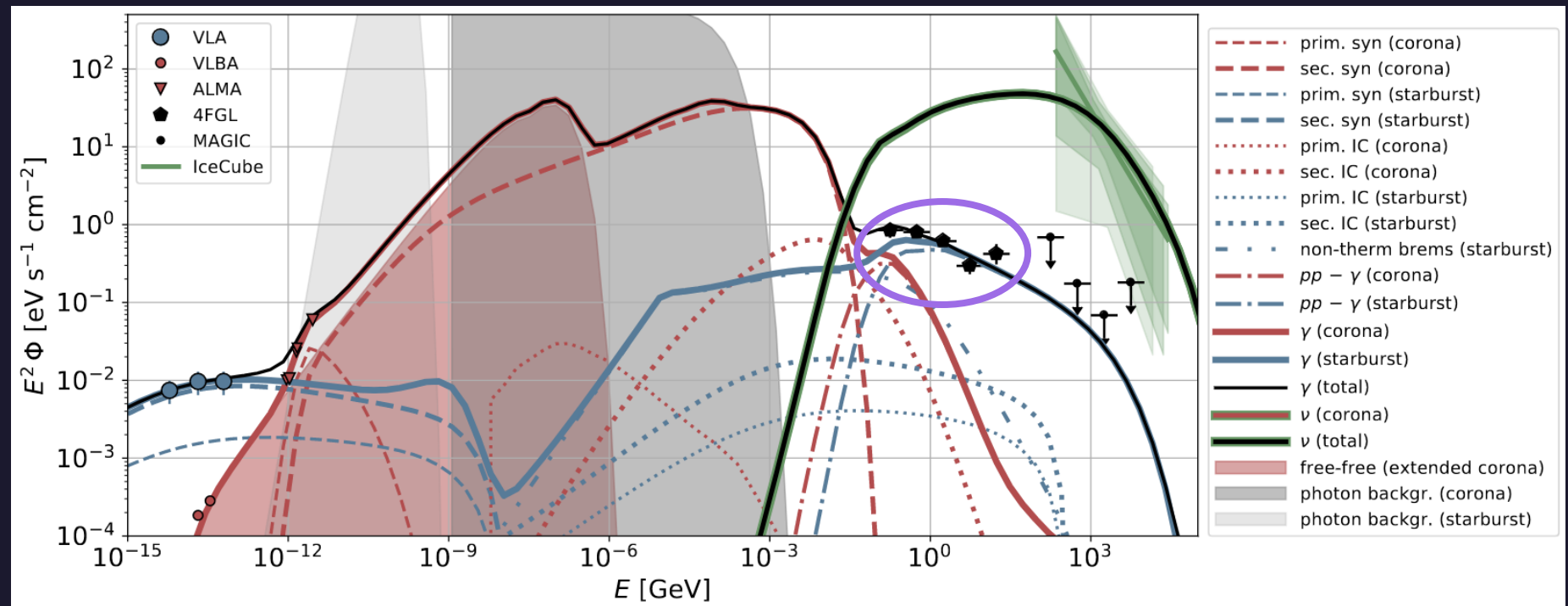




# How to produce high energy photons from these blobs?

## Possible $\gamma$ -ray production scenarios:

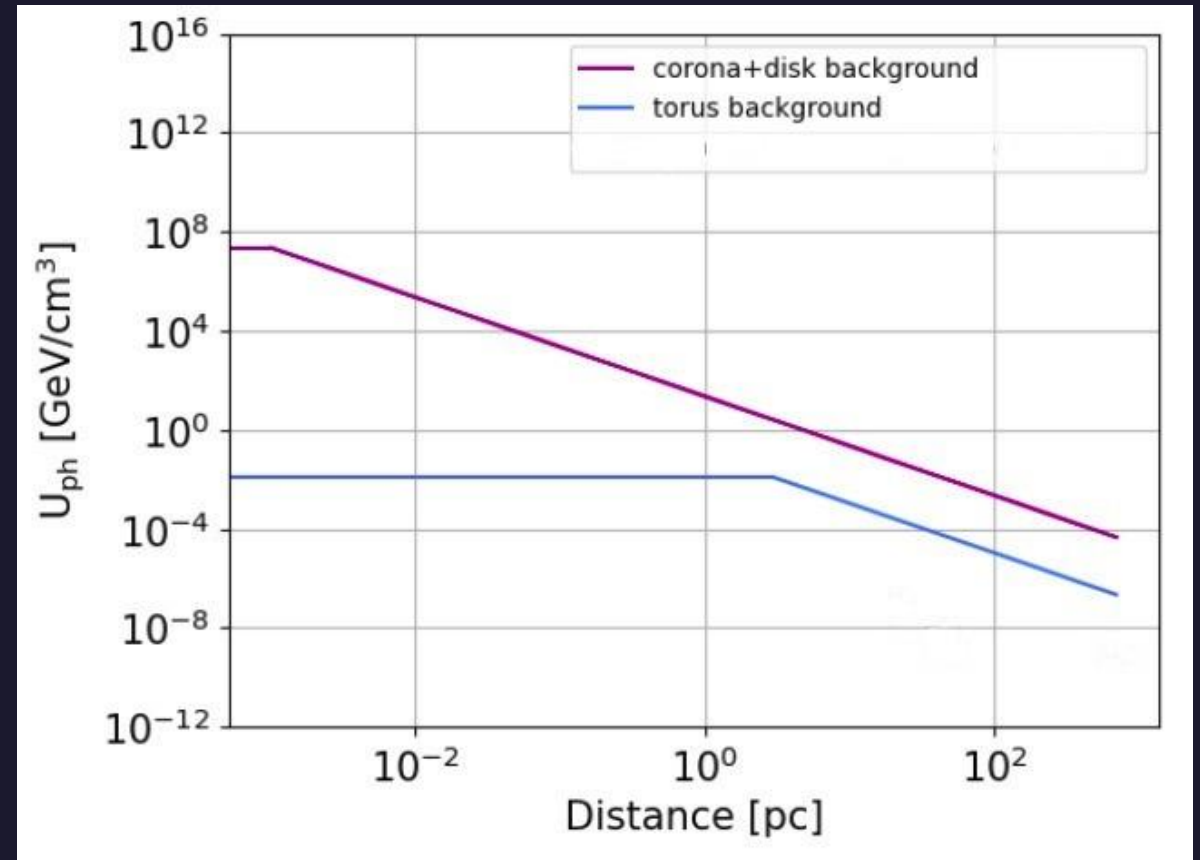
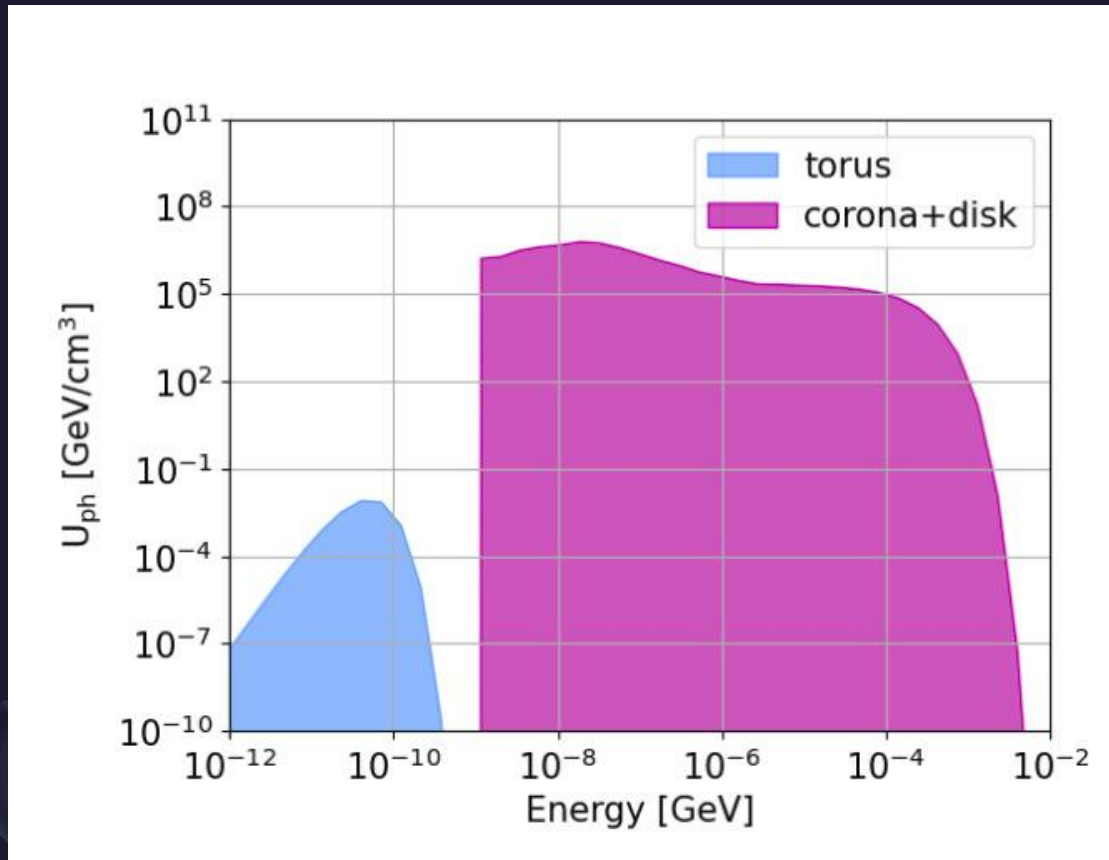
- Inverse Compton
- $p\gamma$  interactions



Eichmann, ..., Salvatore, ..., 2022

# What is the Target Field to Consider?

- X-ray field from the **AGN-corona+disk** or IR field from the **torus**?

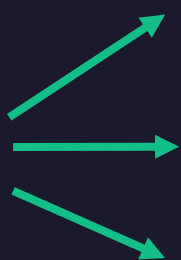


# What is the Target Field to Consider?

- X-ray photon field from the AGN-corona:  $U_{COR} = \overline{U_{COR}} \left( \frac{d}{r_{COR}} \right)^{-2}$

- Synchrotron photon field:  $U_{SYN} = \frac{L_{SYN}}{4\pi r_{blob}^2 c}$

- $L_{SYN} = 4\pi r_{blob}^2 c U_{COR} \left( \frac{d}{r_{COR}} \right)^{-2}$


$$L_{SYN}(d = 21 \text{ pc}) = 6.5 \cdot 10^{43} \text{ erg/s}$$

$$L_{SYN}(d = 43 \text{ pc}) = 5.4 \cdot 10^{43} \text{ erg/s}$$

$$L_{SYN}(d = 670 \text{ pc}) = 2.7 \cdot 10^{43} \text{ erg/s}$$

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←  $U_{RAD}$

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# Production of $\gamma$ -rays from Inverse Compton

- In the Thomson regime, assuming no absorption process is in action, this relation holds:


$$L_{IC} = L_{SYN} \frac{U_{RAD}}{U_B}$$

- From (AG Pacholczyk, JA Roberts, 1971):

minimum total energy stored in the source  $\rightarrow$  equipartition between particles and magnetic field energies:


$$E_B = \frac{3}{4}(1+k)E_e \longrightarrow B_{min} = (4.5)^{\frac{2}{7}} (1+k)^{\frac{2}{7}} c_{12}^{\frac{2}{7}} r_{blob}^{-\frac{6}{7}} L_{SYN}^{\frac{2}{7}}$$

# Production of $\gamma$ -rays from Inverse Compton


$$L_{IC} = L_{SYN} \overline{U}_{COR} \left( \frac{d}{r_{COR}} \right)^{-2} \left( \frac{8\pi}{B_{min}^2} \right) \sim L_{\gamma} \sim 10^{40.92} \text{ erg/s}$$

$3.9 \cdot 10^7 \text{ GeV/cm}^3$        $0.15 \text{ mpc}$

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- For the blob at  $d = 21 \text{ pc}$ :  $L_{SYN}(d = 21 \text{ pc}) = 2.0 \cdot 10^{43} \left( \frac{c_{12}}{1.3 \cdot 10^7} \right)^{\frac{4}{3}} \left( \frac{r_{blob}}{2.5 \text{ pc}} \right)^{-4} \left( \frac{1+k}{101} \right)^{\frac{4}{3}} \text{ erg/s}$
- For the blob at  $d = 43 \text{ pc}$ :  $L_{SYN}(d = 43 \text{ pc}) = 1.4 \cdot 10^{41} \left( \frac{c_{12}}{1.3 \cdot 10^7} \right)^{\frac{4}{3}} \left( \frac{r_{blob}}{4.6 \text{ pc}} \right)^{-4} \left( \frac{1+k}{101} \right)^{\frac{4}{3}} \text{ erg/s}$
- For the blob at  $d = 670 \text{ pc}$ :  $L_{SYN}(d = 670 \text{ pc}) = 7.5 \cdot 10^{43} \left( \frac{c_{12}}{3.9 \cdot 10^6} \right)^{\frac{4}{3}} \left( \frac{r_{blob}}{5 \text{ pc}} \right)^{-4} \left( \frac{1+k}{101} \right)^{\frac{4}{3}} \text{ erg/s}$   
 $\times 4$



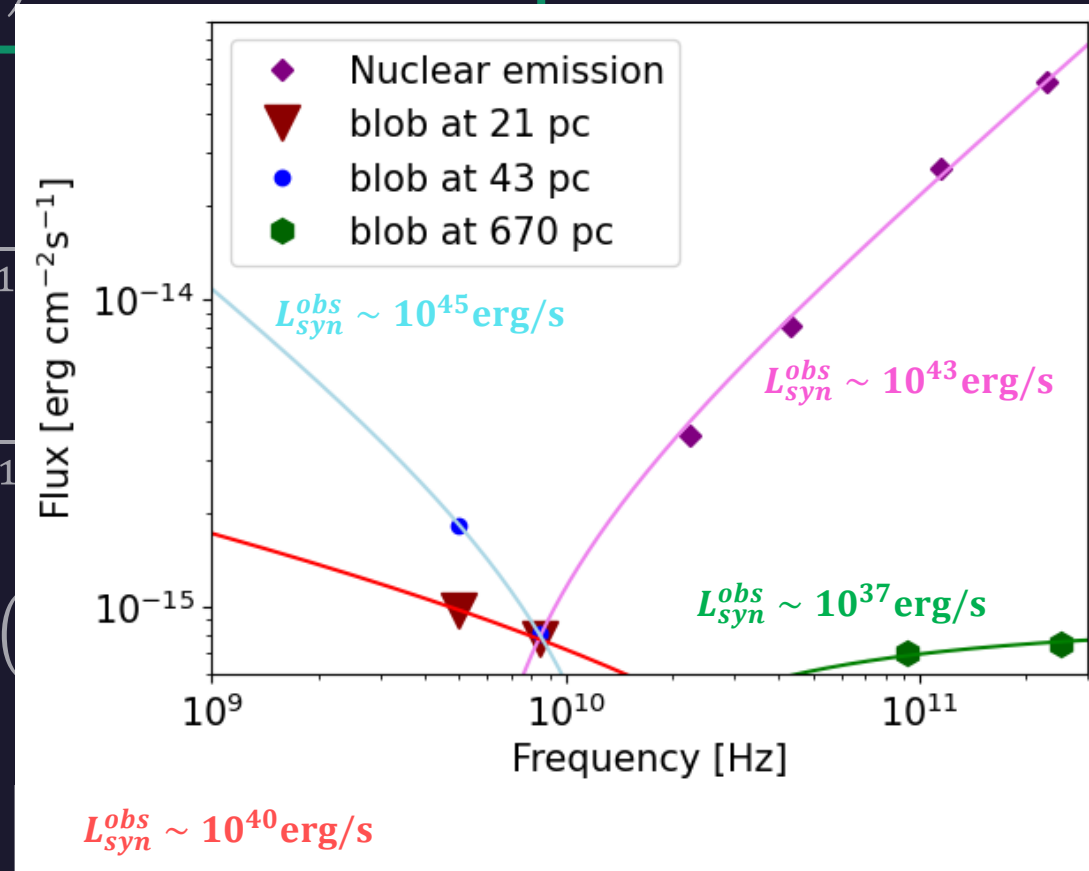
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- For the blob at  $d = 670 \text{ pc}$ :  $L_{SYN}(d = 670 \text{ pc}) = \cancel{7.5 \cdot 10^{43}}$  (1)  
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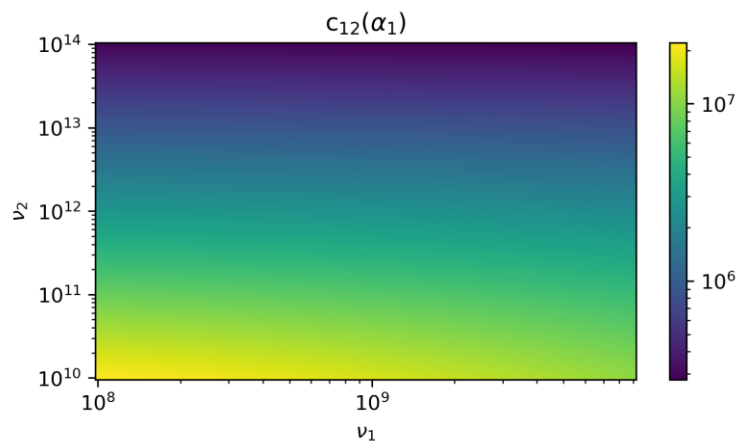


# Production of $\gamma$ -rays from Inverse Compton

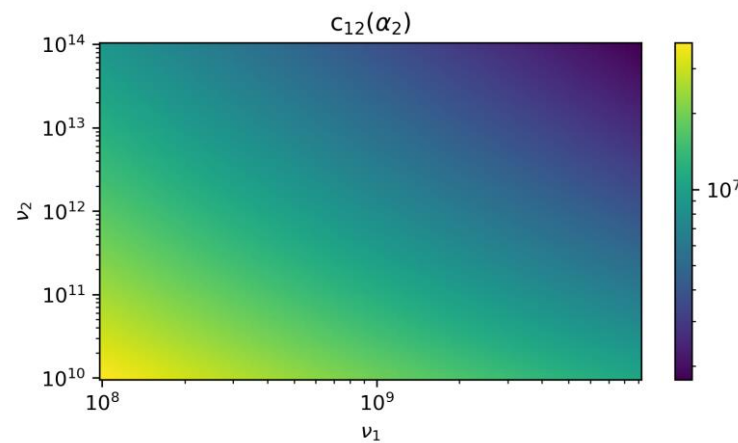
How robust is the dependence on  $c_{12}$  ?

$$c_{12} = c_2^{-1} c_1^{\frac{1}{2}} \frac{2\alpha-2}{2\alpha-1} \cdot \frac{\nu_1^{(1-2\alpha)/2} - \nu_2^{(1-2\alpha)/2}}{\nu_1^{1-\alpha} - \nu_2^{1-\alpha}} \quad \left( c_1 = \frac{3e}{4\pi m^3 c^5}, c_2 = \frac{2e^4}{3m^4 c^7} \right)$$

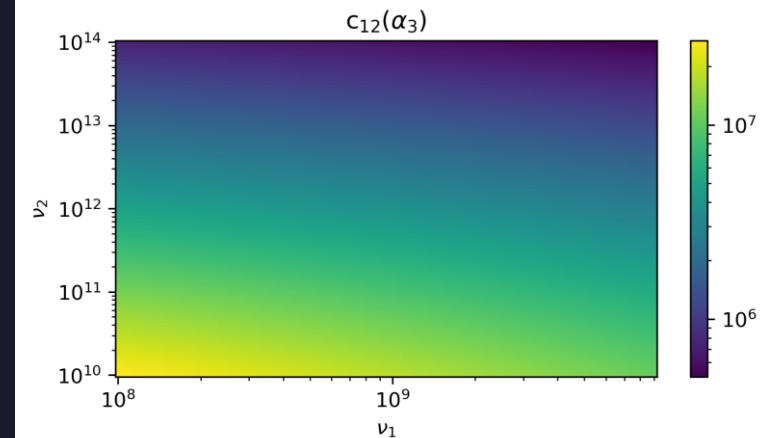
**blob at 21 pc**



**blob at 43 pc**



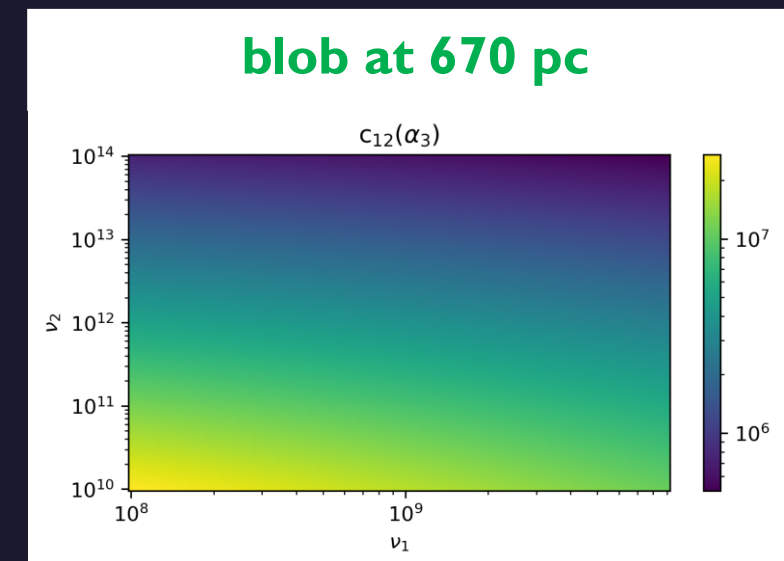
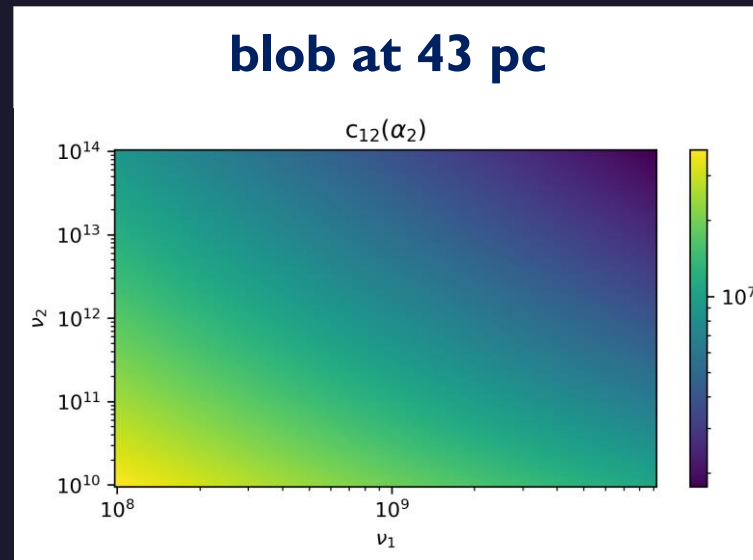
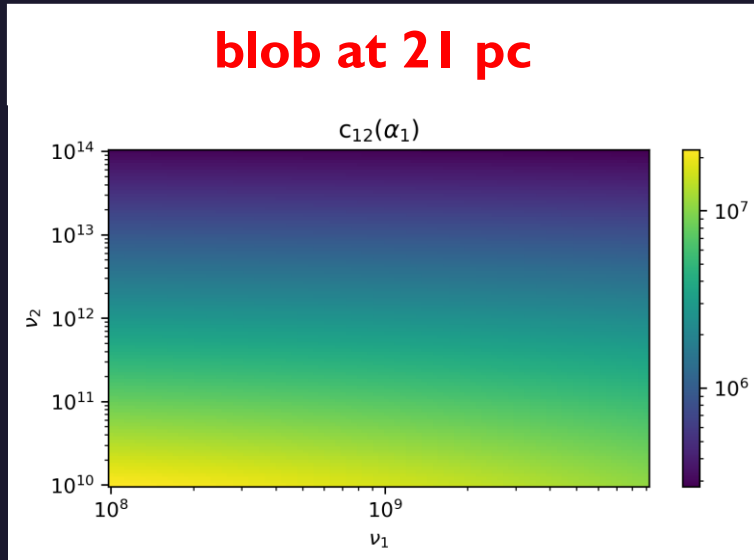
**blob at 670 pc**



# Production of $\gamma$ -rays from Inverse Compton

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$\rightarrow c_{12}^{\frac{4}{3}} \rightarrow \sim 10^8 - 10^9$

# Production of $\gamma$ -rays from Inverse Compton

How robust is  
the dependence  
on  $k$  ?

$$k \simeq \left(\frac{m_p}{m_e}\right)^{\frac{q-1}{2}}$$

- $q$ : spectral index of injected CRs
- If  $q$  ranges in  $[2, 2.5]$   $\rightarrow k$  ranges in  $\sim [40, 300]$



# Production of $\gamma$ -rays from Inverse Compton

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$$\rightarrow k^{\frac{4}{3}} \rightarrow \sim 10^{-1} - 1$$

# Production of $\gamma$ -rays from $p\gamma$ interaction

$$L_\gamma = \int dr^3 \int_{E_\gamma, \min}^{E_\gamma, \max} dE_\gamma E_\gamma \sum_i \epsilon_{\pi\gamma}^i(E_\gamma)$$

$$\epsilon_{\pi\gamma}^i(E_\gamma) = \frac{A_i n_p(\gamma_p)}{\gamma_p^2} \int_{\frac{\epsilon'_i}{2\gamma_p}}^{\infty} d\epsilon \frac{n_{\text{ph}}(\epsilon) \left(\frac{r_{\text{cor}}}{d}\right)^2}{\epsilon^2} f(\gamma_p, \epsilon)$$

$$n_p(\gamma_p) \equiv \frac{dN}{dV d\gamma_p} = n_0 \left(\frac{\gamma_p}{\gamma_{0,p}}\right)^{-q_p} \quad \text{for } \gamma_{p,\min} < \gamma_p < \gamma_{p,\max}$$

$$U_p^{\text{tot}} = n_0 \int_{\gamma_{p,\min}}^{\gamma_{p,\max}} d\gamma_p n_p(\gamma_p) \leq \frac{P_{\text{jet}}}{4\pi r_{\text{blob}}^2 c E_{0,p}}$$

$$L_\gamma = V \int_{10^{-1}\text{GeV}}^{10^2\text{GeV}} dE_\gamma E_\gamma \sum_i \frac{A_i n_0 \left(\frac{\gamma_p}{\gamma_{0,p}}\right)^{-q_p}}{\gamma_p^2} \int_{\frac{\epsilon'_i}{2\gamma_p}}^{\infty} d\epsilon \frac{n_{\text{ph}}(\epsilon) \left(\frac{r_{\text{cor}}}{d}\right)^2}{\epsilon^2} f(\gamma_p, \epsilon).$$

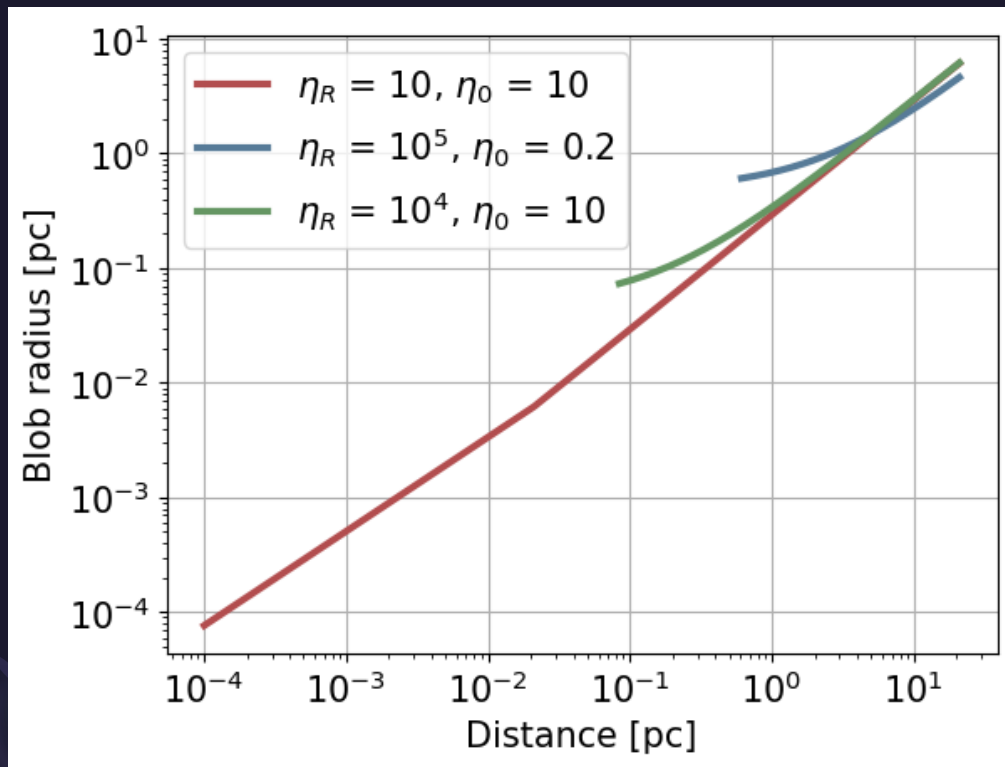
$$\gamma_{p,\max} \sim 1000$$

$$P_{\text{jet}} = 10^{43} \text{ erg/s.}$$

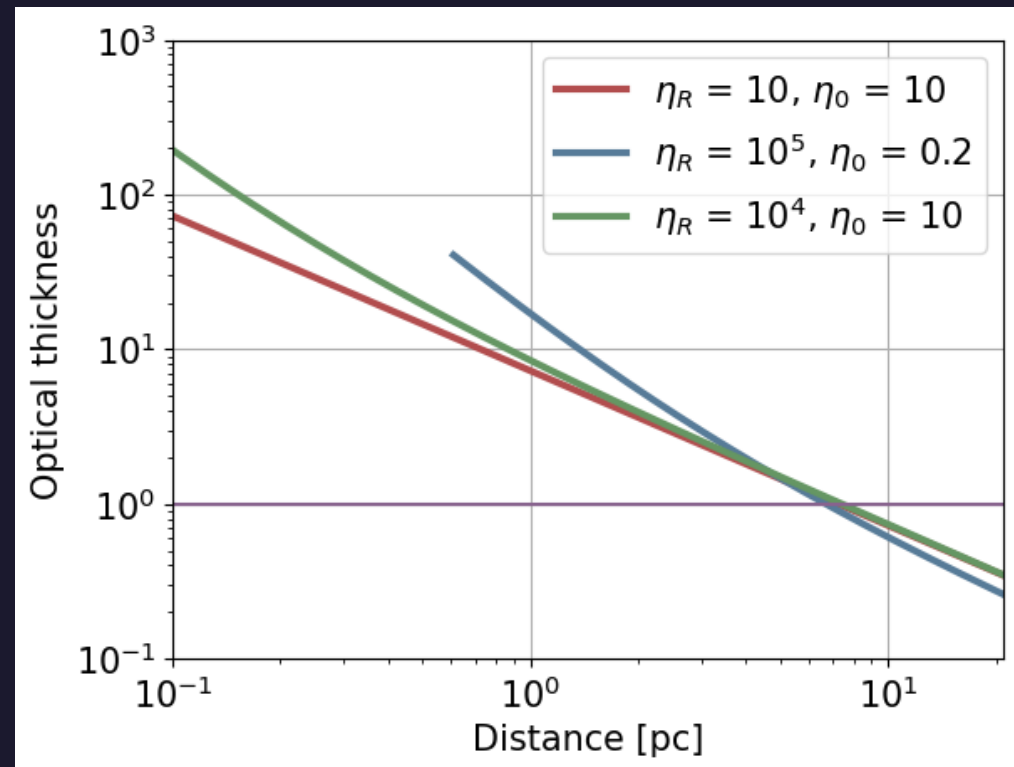
$$\ll 10^{40.92} \text{ erg/s}$$

# Optical thickness

$$r_{\text{blob}}(d) = \eta_R d_0 + (d - d_0) \tan(\eta_0/\Gamma) \text{ with } d_0 = 6GM_0/c^2$$



$$E_\gamma = 10^2 \text{ GeV}$$



# Conclusions

- The gamma-rays could be predicted by the jet component in the leptonic scenario
- Uncertainty on the radio data  $\longrightarrow$  uncertainty on the emitted luminosity

In particular: blob radius + spectral index

Lenain et al., 2008: Fermi-LAT gamma-rays predicted by the jet

blob radius of 6 pc

$\longleftrightarrow$  2.7 pc

background photon field: torus

$\longleftrightarrow$  corona + disk





