#### Basic jet clustering at the LHC

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#### Introduction:

elementary concepts everyone knows

- Challenge #1: LHC v. pQCD
  - inclusive-jet and dijet cross-sections
  - cross-section ratios
- Challenge #2: pile-up (and UE in PbPb collisions)
  - Background effects on jet reconstruction
  - Latest prescription for pile-up subtraction

# What are the jets at the LHC?

All LHC experiments use the anti- $k_t$  algorithm [M.Cacciari,G.Salam,GS, 0802.1189]

 Works by successively recombining the particles that minimise the distance

 $d_{ij} = \min(k_{ti}^{-2}, k_{tj}^{-2}) \left[\Delta y_{ij}^2 + \Delta \varphi_{ij}^2\right] \qquad d_{iB} = k_{ti}^{-2} R^2$ 

Min is  $d_{ij}$ : cluster  $i, j \rightarrow k$ ; min is  $d_{iB}$ : call i a jet

- Fully defined only when *R* is specified!
- ATLAS and CMS do not use the same jets: ATLAS R = 0.4, 0.6, CMS R = 0.5, 0.7
- Main characteristic: resilient to soft radiation
  - Easier experimental calibration
  - Some easier pQCD computations (e.g. resum)

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# Challenge #1: LHC v. pQCD

Things to focus on: - stability of the NLO QCD prediction (scale, PDF, ...) - importance of non-perturbative effects Both experiments have similar y and  $p_t$  coverage They both measure inclusive and dijet cross-sections

Theory	ATLAS	CMS
Jets	R=0.4, 0.6	R=0.5 or 0.7
PDFs	CT10	CT10
	MSTW2008	MSTW2008
	NNPDF2.1	NNPDF2.0
	HERAPDF1.5	(PDH4LHC)
MCs	NLOJet++	NLOJet++
	POWHEG(NLO)	
	POWHEG+PS	
scale	$\mu = p_{t,\text{hardest}}$	$\mu = p_{t, \text{jet}}$
N-pert.	Py6(AUET2B)	Py6(D6T,Z2)

## **Dijets at CMS**



- forward: important scale uncertainty
- small scale  $(M_{JJ})$ : non-pert. corrections dominate Room for tune improvement
- large scale: PDF uncertainty dominate Room for PDF improvement
- Agreement but theory systematically above data

# Inclusive jets at CMS



$$\sqrt{s}$$
=7 TeV, anti- $k_t$ (R=0.5)

- again theory on the high side
- $\square$  NP dominates at low  $p_t$
- small PDF dependence

#### **Inclusive jets at ATLAS**



# **Inclusive jets at ATLAS**



- NLOJet++ agrees with POWHEG(NLO)
- tune dependence
  - rather large
  - $\square$  no  $p_t$  dep?
  - AUET2B (default) looks better

**Dijets at ATLAS** 



# 3-jet to 2-jet ratio (CMS)





Matching uncertainty? Proper tune for ME+PS?

Another potentially interesting ratio to look at is

$$\mathcal{R}(p_t; R_1, R_2) = \frac{d\sigma/dp_t(R = R_1)}{d\sigma/dp_t(R = R_2)}$$

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Naive perturbative computation:

$$\mathcal{R} = \frac{\alpha_s^2 \sigma_{\rm LO} + \alpha_s^3 \sigma_{\rm NLO}(R_1)}{\alpha_s^2 \sigma_{\rm LO} + \alpha_s^3 \sigma_{\rm NLO}(R_2)} = 1 + \frac{\Delta \sigma_{\rm NLO}(R_1, R_2)}{\sigma_{\rm NLO}(R_2)} \alpha_s$$

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Better perturbative computation:

$$\sigma(p_t; R) = \alpha_s^2 \sigma_{\text{tree}}^{2 \to 2} + \alpha_s^3 [\sigma_{\text{tree}}^{2 \to 3}(R) + \sigma_{1-\text{loop}}^{2 \to 2}] + \alpha_s^4 [\sigma_{\text{tree}}^{2 \to 4}(R) + \sigma_{1-\text{loop}}^{2 \to 3}(R) + \sigma_{2-\text{loop}}^{2 \to 2}] + \mathcal{O}\left(\alpha_s^5\right)$$

The unknown 2-loop contribution cancels in the ratio:

$$\mathcal{R} = 1 + \alpha_s \frac{\Delta \sigma_{\text{tree}}^{2 \to 3}}{\sigma_{\text{tree}}^{2 \to 2}} + \alpha_s \frac{\Delta \sigma_{\text{tree}}^{2 \to 2}}{\sigma_{\text{tree}}^{2 \to 4} + \Delta \sigma_{1-\text{loop}}^{2 \to 3}} - \alpha_s^2 \frac{\sigma_{\text{NLO}}(R_2) \Delta \sigma_{\text{tree}}^{2 \to 3}}{[\sigma_{\text{tree}}^{2 \to 2}]^2}$$

Another potentially interesting ratio to look at is

$$\mathcal{R}(p_t; R_1, R_2) = \frac{d\sigma/dp_t(R = R_1)}{d\sigma/dp_t(R = R_2)}$$

# Hadronisation effects can be estimated analytically [see Mrinal's talk]

Note: We use  $\langle \delta p_t \rangle_{hadr} = -\mu/R$ .

This neglects the (unconstrained) smearing *i.e.* slightly overestimates the effect.

## **Predictions...**



- Reduced experimental uncertainty?
- Constraints on non-pert. corrections? on PDFs?

## Pileup and noisy backgrounds

 The LHC will operate routinely with ~ 30 PU events what are the implications?
 valid also for UE in PbPb collisions

## **Basic considerations**

Pileup mostly<sup>(\*)</sup> characterised by 3 numbers:

- $\rho$ : the average activity (per unit area)
- $\sigma$ : the intra-event fluctuations (per unit area)
- $\sigma_{\rho}$ : the event-to-event fluctuations of  $\rho$
- (\*) for qualitative discussions (e.g. full fluctuation spectrum needed for proper unfolding)

For a jet (of area *A*) that means:

$$p_t \to p_t + \rho A \pm \sigma_\rho A \pm \sigma \sqrt{A}$$

#### $\rho$ and $\sigma$ illustration



 $\rho = 12 \text{ GeV}, \sigma = 0.48 \text{ GeV}$ 

$$ho = 12 \text{ GeV}, \sigma = 3 \text{ GeV}$$

## Illustration of the consequences



- Shift due to the " $\rho A$ " term
- Smearing due to the " $\sigma_{\rho}A$ " and " $\sigma\sqrt{A}$ " terms

#### **Back reaction**



#### Negligible for anti- $k_t$ (a nice consequence of its soft resilience)

#### **Jet-area-based** subtraction

[M.Cacciari, G.P. Salam, GS]

$$p_{t,\text{jet}}^{(\text{sub})} = p_{t,\text{jet}} - \rho_{\text{est}}A_{\text{jet}}$$

- jet area: throw ghosts particles (area quanta) in the event
- ${}_{m 
  ho}$   $\rho_{
  m bkg}$ , the background  $p_t$  density per unit area
  - Cluster with  $k_t$  of C/A with "radius"  $R_{
    ho}$ OR split into grid cells ( $R_{
    m cell} \sim 0.55$ )
  - Estimate  $ho_{
    m bkg}$  using

$$\rho_{\rm bkg} = \mathop{\rm median}_{j\in {\rm patches}} \left\{ \frac{p_{t,j}}{A_j} \right\}$$



#### **Jet-area-based** subtraction

[M.Cacciari, G.P. Salam, GS]

$$p_{t,\text{jet}}^{(\text{sub})} = p_{t,\text{jet}} - \rho_{\text{est}}A_{\text{jet}}$$

- Jet area  $A_{jet}$ : per jet
- Bkg density  $\rho$ : (typically) per event

Consequences:

- corrects for the  $\rho A$  shift
- gets rid of the  $\sigma_{\rho}A$  smearing
- left with the fluctuations  $\sigma\sqrt{A}$

## **Rapidity dependence**

local range  ${\cal R}$ 

$$\rho(j) = \operatorname{median}_{j' \in \mathcal{R}(j)} \left\{ \frac{p_{t,j'}}{A_{j'}} \right\}$$



rapidity rescaling

$$\rho(j) = f(y_j) \operatorname{median}_{\operatorname{all} j'} \left\{ \frac{p_{t,j'}}{A_{j'} f(y_{j'})} \right\}$$



could use grid cells instead of jets

LHC, anti- $k_t(R = 0.5)$  jets embedded into  $\langle 20 \rangle$  PU events



- Iocal range & y-rescaling OK
- 100-200 MeV average precision
- y-resc. slightly better than
   local range for busy events

- resolution improved
- ${\scriptstyle \bullet}$  better than using  $\rho \propto n_{\rm PU}$ 
  - + handles out-of-time PU
- I residual  $\sqrt{p_t}$  from back-reaction

## **Conclusions**

- Jet data v. QCD predictions: good agreement but
  - theory systematically above the data
  - rather large tune dependence (small  $p_t$ )
  - NLOJet++ v. POWHEG(NLO) for dijets
  - Alpgen+PS v. Madgraph+PS: matching? tune?
     Better understanding these would certainly help!
     Other observables (*e.g.* ratios) for more constraints
- Pile-up subtraction: our recommended strategy
  - Jet-area based subtraction
  - ${\scriptstyle {\rm I}} \ \rho$  from  $y{\rm -rescaled}$  median over grid cells
  - using a local range is a nice alternative

Advantages: no shift, no event-to-event smearing

## Ad: FastJet v3

[M.Cacciari, G.Salam, GS, 1111.6097, www.tastjet.fr]

FastJet v3 (Oct 2011) meets modern requirements:

- Addition of FastJet tools:
  - Jet substructure/post-processing common framework

Transformer transformer;

PseudoJet transformed\_jet=transformer(jet);

**Ex**: Filter, Pruner, MassDropTagger, JHTopTagger

New background estimation and subtraction interface:

JetMedianBackgroundEstimator

GridMedianBackgroundEstimator

- New functionalities:
  - **PseudoJet aware of its structure** e.g. jet.constituents()
  - associate arbitrary user information with a PseudoJet
  - Selectors for applying cuts: e.g.

SelectorNHardest(2) \* SelectorAbsRapMax(5)