

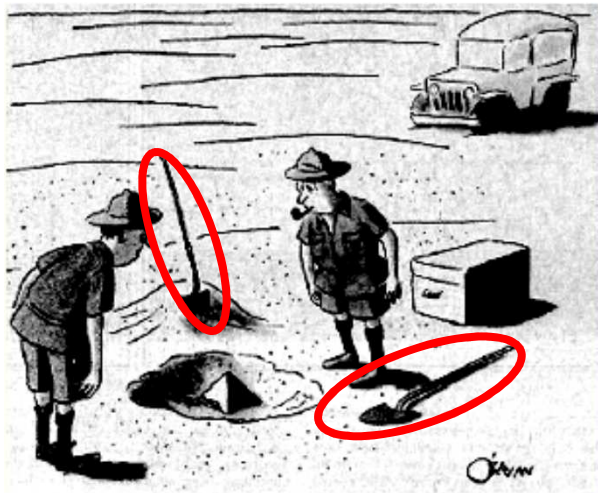
SUSY or not, what is the evidence? Status and perspectives of collider searches – Part IB



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Lectures at Niels Bohr Institute



*“This could be the discovery of the century.
Depending, of course, on how far down it goes”*

Part I (2 lectures)
The tools to dig

W 30-Oct	Th 31-Oct	Fr 01-Nov
--	Lecture IIA Exercise 1	Lecture IIC Exercise 2
Lecture IA Lecture IB	Exercise 1 Lecture IIB	Exercise 2 Lecture III

Lectures Part I

Part I : Ingredients needed for a SUSY search at LHC

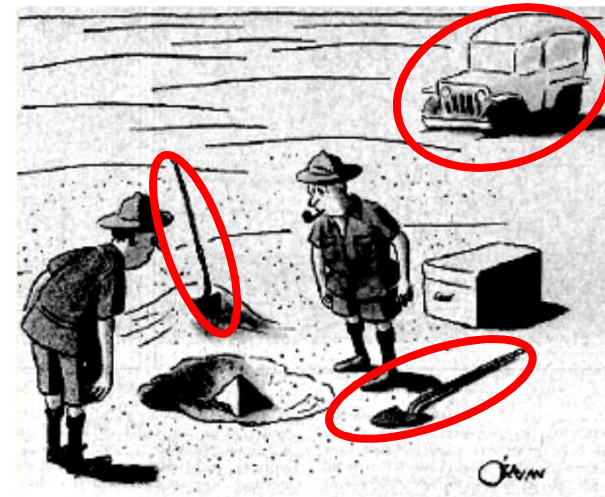
“What drives the sensitivity to SUSY at LHC ?”

400 m hurdles
→ 10 hurdles to clear

- | | | |
|---|------------------------------|---|
| A | 1. Scale and New Physics |  |
| | 2. Guide to find New physics |  |
| | 3. Detector description |  |
| | 4. Object Reconstruction |  |
| | 5. Monte Carlo Simulation |  |
| B | 6. Discriminant variables |  |
| | 7. Background Estimation |  |
| | 8. Fit Results |  |
| | 9. Result Interpretation |  |
| | 10. Signal Region Definition |  |

“Pure logical thinking cannot yield us any knowledge of the empirical world; all knowledge of reality starts from experience and ends in it.”

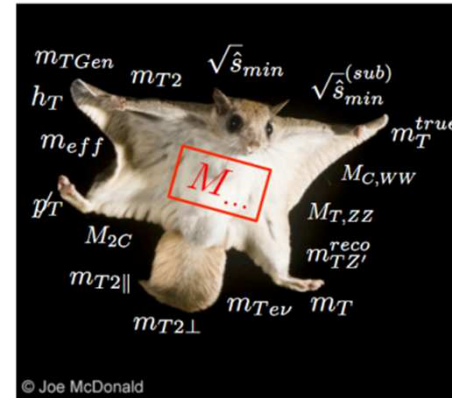
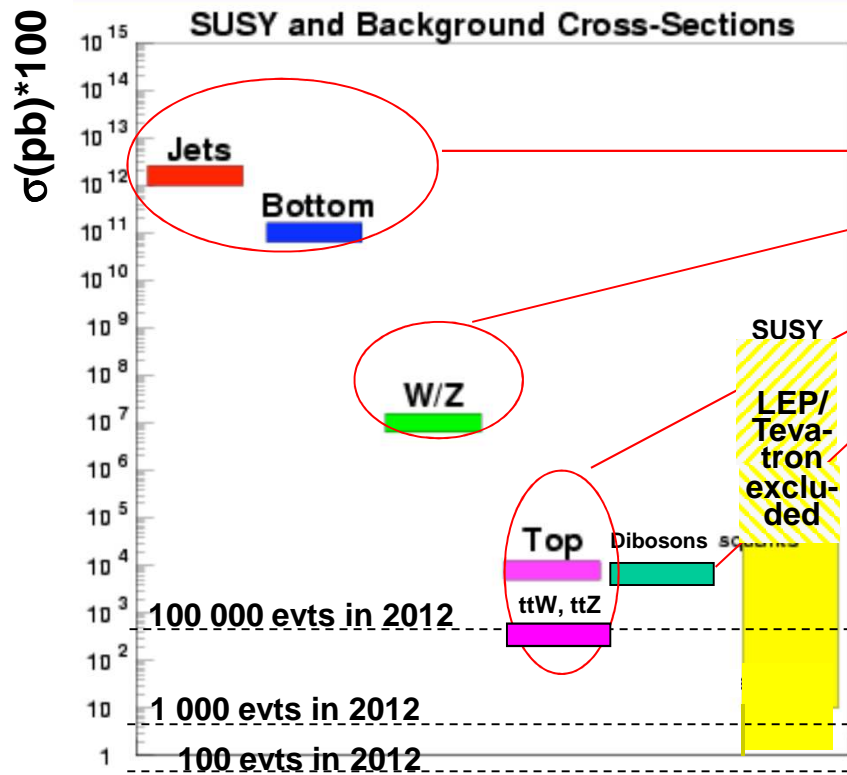
A. Einstein (1933)



Part I (2 lectures)
Motivation + the tools to dig

W 30-Oct	Th 31-Oct	Fr 01-Nov
--	Lecture IIA Exercise 1	Lecture IIC Exercise 2
Lecture IA Lecture IB	Exercise 1 Lecture IIB	Exercise 2 Lecture III

Discriminant variables



$m(g,q) \sim 500 \text{ GeV}$, $m(t_1) \sim 200 \text{ GeV}$, $m(\chi_{1,2}) \sim 100 \text{ GeV}$
Discoverable
 $m(g,q) \sim 1000 \text{ GeV}$, $m(t_1) \sim 600 \text{ GeV}$, $m(\chi_{1,2}) \sim 400 \text{ GeV}$
Hard
 $m(g,q) \sim 1200 \text{ GeV}$, $m(t_1) \sim 800 \text{ GeV}$, $m(\chi_{1,2}) \sim 600 \text{ GeV}$
Too Hard

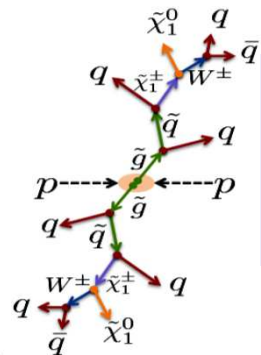
- 1) Need to suppress QCD / W,Z / top by $\sim 10^{10} / 10^5 / 10^2$
- 2) Estimate small remaining quantities
- 3) Fit results
- 4) Interpret the results if no excess
- 5) How to design a signal region?



Discriminant variables (1)

□ First need hard kinematic cuts

- To reduce “difficult” background (Fake MET/ lepton, pile-up)

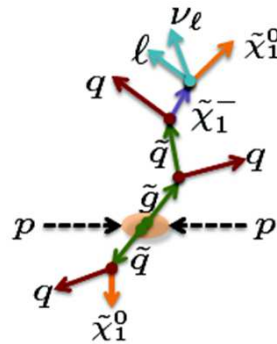


SM Background

1. $Z(\rightarrow \nu\nu)+\text{jets}$
2. $t\bar{t}+W+\text{jets}$
3. QCD

0lepton+jets+MET:

- ✓ Jet+MET trigger
- ✓ Ask several high p_T jets
- ✓ High MET cuts to kill QCD

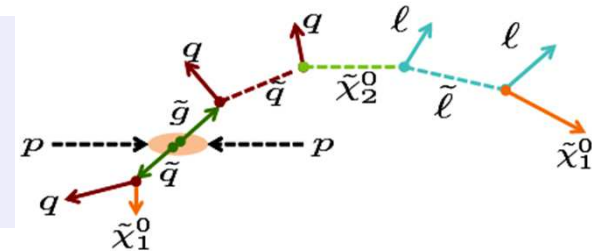


SM Background

1. $t\bar{t}$
2. $W+\text{jets}$
- (3. Fake lepton)

1lepton+jets+MET:

- ✓ Lepton trigger
- ✓ Ask several high p_T jets
- ✓ Lower MET cuts than 0lep
- ✓ $m_T(W) > m(W)$



≥2lepton+jets+MET:

- ✓ Dilepton trigger
- ✓ MET and/or high p_T jets
- ✓ 2l Opp. sign: Z or non Z
- ✓ 2l Same sign
- ✓ 3, 4leptons

□ Then add powerful discriminating variables

- Choose the best variables to discover a certain SUSY topology [best $Z = \mathbf{S} / \sqrt{(\mathbf{B} + \Delta \mathbf{B}^2)}$ from MC]
- Define ‘Signal’ populated regions (SR)

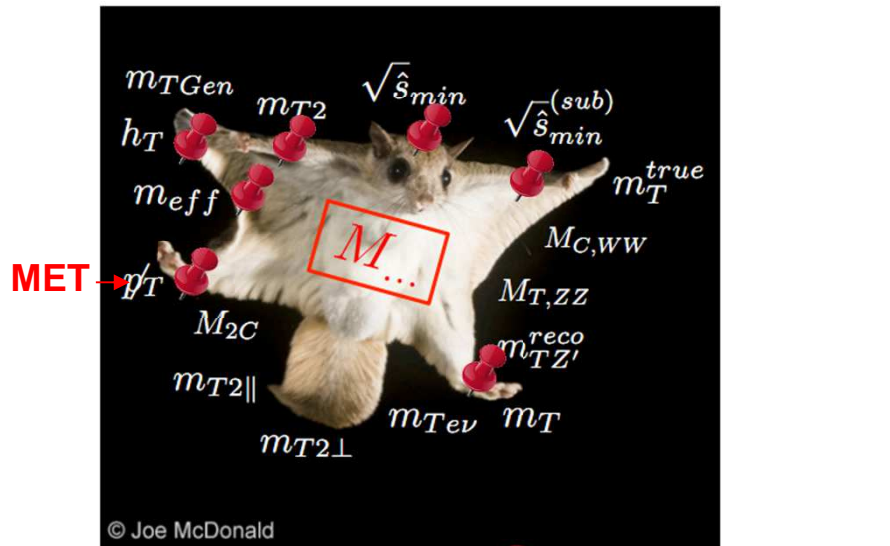
Discriminant variables (2)

□ Discriminating variables commonly used in SUSY analyses

- LHC: unknown momentum along the beams
- SUSY: Sparticles pair produced + Presence of invisible (massive) particles

Assume knowledge of SUSY decay chain

→ Transverse mass-like variables



PRD 84 (2011) 095031 =used in SUSY analyses

Other approaches w/o this assumption:

- Reconstruction of 2 megajets: Razor, α_T
- QCD killers: $\Delta\phi(\text{jets}, \text{MET})$
- QCD+EWK killers: b-jets
- $t\bar{t}$ killers : 2lepton Same sign, 3 bjets, 3leptons, >6 jets
- Z veto

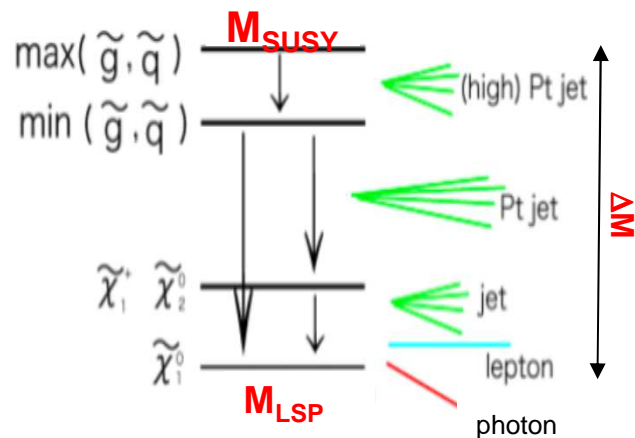
→ Optimal choice of variable(s)/method(s) is analysis dependent

Discriminant variables (3)

1. Effective mass (M_{Eff})

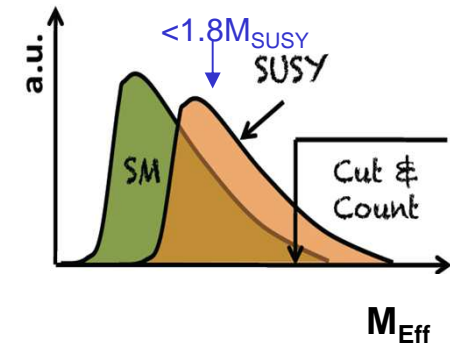
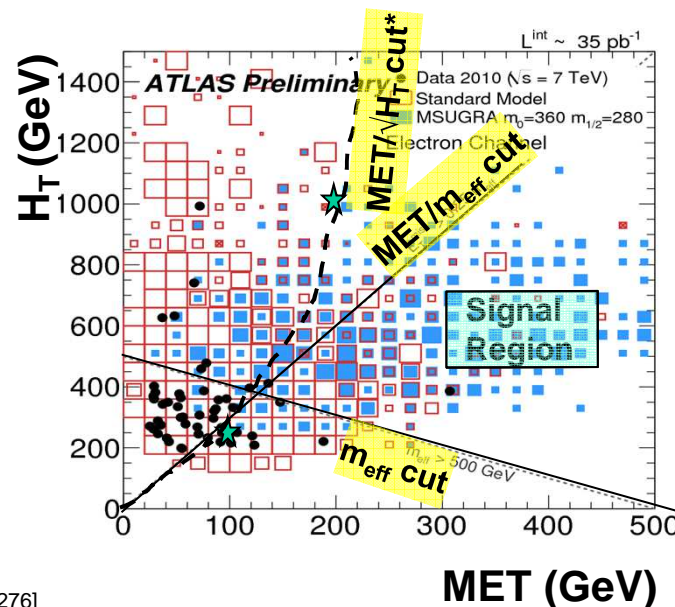
used w or w/o leptons in final states

- Profit from the correlation between H_T and MET in SUSY (absent in SM)



- **Module of Vectorial Sum:** $MET \sim \Delta M$
- **Scalar Sum:** $H_T = \sum p_T(\text{jet}) [+ p_T(l, \gamma)] \sim \Delta M$

• $M_{\text{Eff}} = MET + H_T \sim 1.8(M_{\text{SUSY}}^2 - M_{\text{LSP}}^2) / M_{\text{SUSY}}$ [hep-ph/0006276]



arXiv:hep-ph/9610554

→ Hard M_{Eff} and MET cuts: signal efficiency $\sim 0.1-10\%$, high purity for signal

* Useful for lower MET SUSY signal (here cut $\sim 6 \text{ GeV}^{1/2}$)

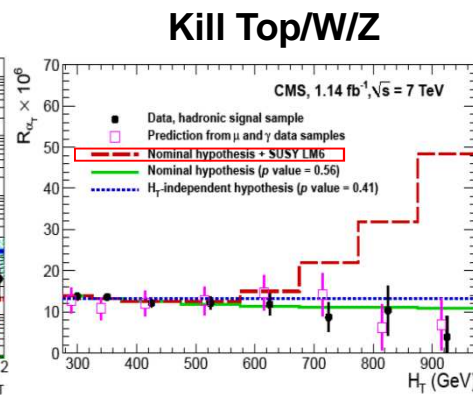
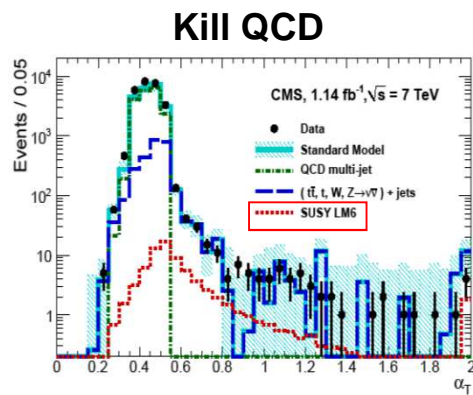
Discriminant variables (4)

2. α_T used w/o lepton in final states

$$M_T = \sqrt{\left(\sum_{i=1}^2 E_T^{j_i}\right)^2 - \left(\sum_{i=1}^2 p_x^{j_i}\right)^2 - \left(\sum_{i=1}^2 p_y^{j_i}\right)^2} \quad \alpha_T = \frac{E_T^{j_2}}{M_T}$$

(j_2 less energetic jet)

- Group part. in 2 hemispheres (2 megajets)
 - $\rightarrow \alpha_T = 0.5$ if perfect megajet balance
 - $\rightarrow \alpha_T < 0.5$ if 2 megajets imbalanced
 - $\rightarrow \alpha_T > 0.5$ if 2 megajets not back-to-back + real MET
- More discrimin. w $R_{\alpha_T} = N(\alpha_T > 0.5) / N(\alpha_T < 0.5)$



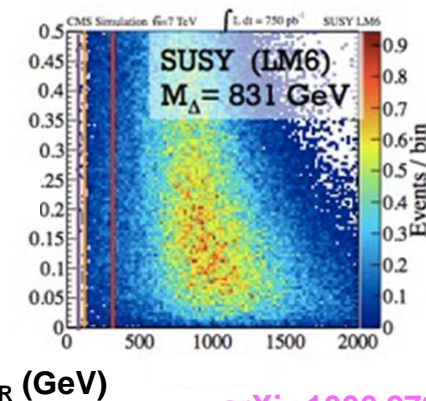
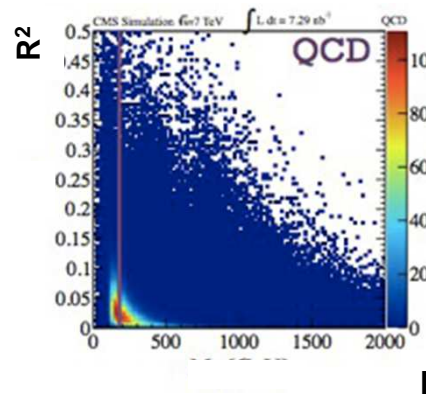
PRL 101 (2008) 221803

3. Razor used w or w/o leptons in final states

$$M_R = 2 |\vec{p}_{j_1}^R| = 2 |\vec{p}_{j_2}^R| \sqrt{\frac{(E^{j_1} p_z^{j_2} - E^{j_2} p_z^{j_1})^2}{(p_z^{j_1} - p_z^{j_2})^2 - (E^{j_1} - E^{j_2})^2}} \quad M_R \text{ peaks at mass scale } M_D$$

$$R \equiv \frac{M_T^R}{M_R} \quad \text{Razor (R) has a kinematic edge of } 1 \text{ (} M_T^R \text{ kinematic edge at } M_D \text{)}$$

- Similar + use longitudinal information
- Boost in "R Frame" where $p(J_1) = p(J_2)$
 - \rightarrow If no ISR: R Frame = Center of Mass Frame
 - \rightarrow If M_D high: signal peaks at $M_R \sim M_D$
- Increase discrimination with R^2

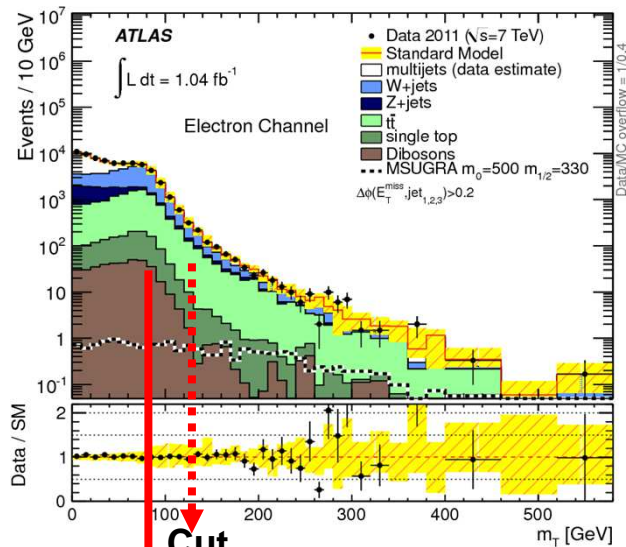


arXiv.1006.2727

Discriminant variables (5)

4. $m_T(W)$: 1 lepton

$$M_T^2(e, \nu) = 2 p_T^e MET (1 - \cos \Delta\phi_{e\nu}), m_e \sim m_\nu \sim 0$$



W Mass end-point (smeared by resolution)

→ Remove W+jets but cut also signal !

5. $\sqrt{s_{min}}$: direct stop 1, 2 lepton + bjets

$$\sqrt{s_{min}^{(sub)}} = \left\{ \left(\sqrt{m_{(sub)}^2 + p_{T(sub)}^2} + \sqrt{(m^{miss})^2 + (E_T^{miss})^2} \right)^2 - \left(\mathbf{p}_{T(sub)} + \mathbf{p}_T^{miss} \right)^2 \right\}^{\frac{1}{2}}$$

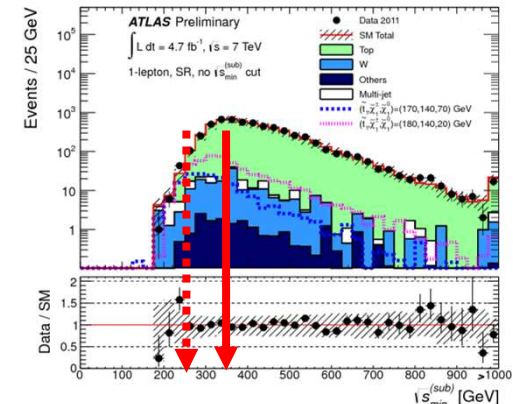
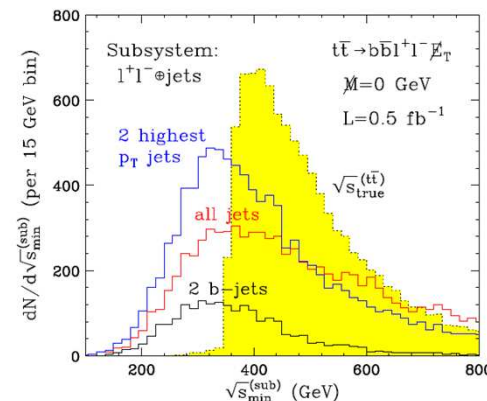
Visible hard process

Invisible from hard process

Boost correction caused by ISR

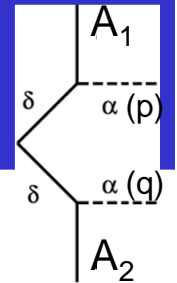
For $t\bar{t}$, starting point $\sim 2m(t)$, no ISR + $m(\nu) \sim 0$

For $\tilde{t}\bar{\tilde{t}}$, $\tilde{t} \rightarrow t\tilde{\chi}$, $m(\tilde{t}) - m(\tilde{\chi}) < m(t)$ starting point $< 2m(t)$



JHEP 1106 (2011) 041

Discriminant variables (6)



6. M_{T2} , m_{CT}

- Generate end-point at different position than SM because of massive LSP*

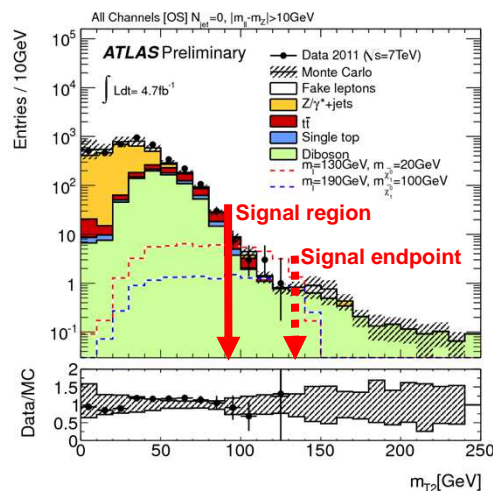
$$M_{T2}^2 = \min_{\vec{p}_T + \vec{q}_T = \text{MET}} [\max\{M_T^2(A_1, p), M_T^2(A_2, q)\}]$$

- Min.: most 'consistent' missing momentum sharing between invisibles
- Max.: Better of the 2 lower bounds

$$M_{CT}^2 = [E_T(A_1) + E_T(A_2)]^2 - [\vec{p}_T(A_1) - \vec{p}_T(A_2)]^2$$

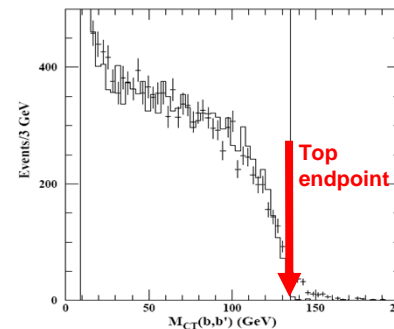
For $t\bar{t}$, endpoint
 $[M(t)^2 - M(W)^2] / M(t)$
 $\sim 135 \text{ GeV}$, $m(b, \nu) \sim 0$

For $\tilde{b} \rightarrow b\tilde{\chi}$ endpoint
 $[M(\tilde{b})^2 - M(\tilde{\chi})^2] / M(\tilde{b})$
 $\sim 260 \text{ GeV}$, $m(b) \sim 0$

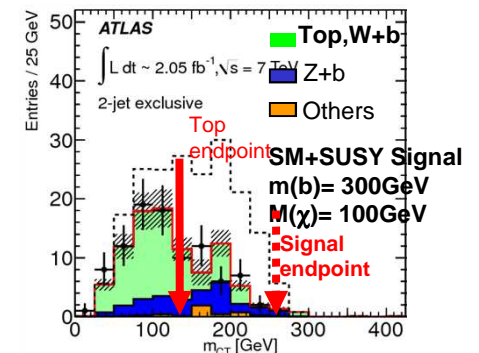


For $\tilde{l} \rightarrow l\tilde{\chi}$ endpoint
 $[M(\tilde{l})^2 - M(\tilde{\chi})^2] / M(\tilde{l})$
 $\sim 130 \text{ GeV}$ for $m(l) \sim 0$

JP G29 (2003) 2343



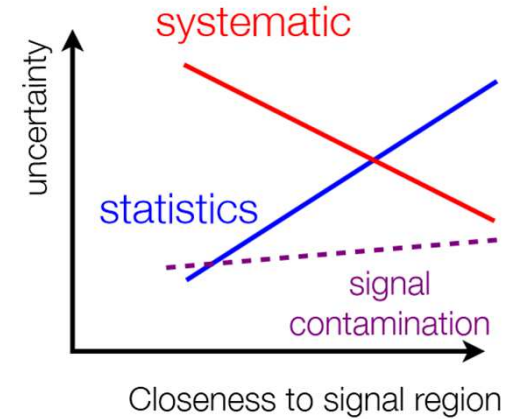
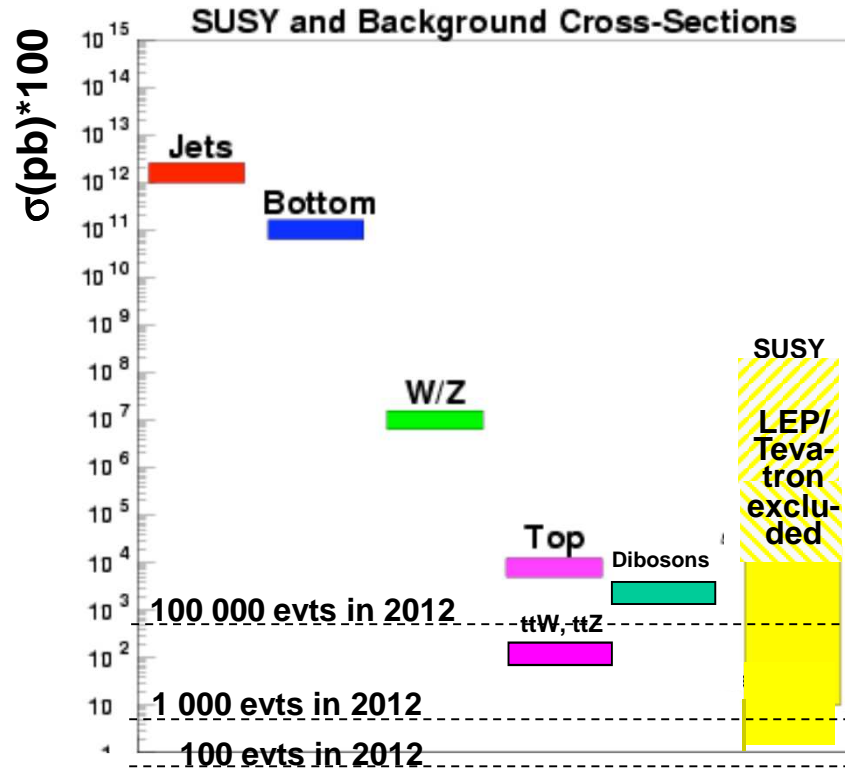
JHEP 0804 (2008) 034, JHEP 1003 (2010) 030



→ Powerful to reject SM background but need to assume value of endpoint to cut !

*Originally designed to measure SUSY masses

Background estimation



Discoverable
 $m(g,q) \sim 500 \text{ GeV}, m(t_1) \sim 200 \text{ GeV}, m(\chi_{1,2}) \sim 100 \text{ GeV}$
 $m(g,q) \sim 1000 \text{ GeV}, m(t_1) \sim 600 \text{ GeV}, m(\chi_{1,2}) \sim 400 \text{ GeV}$
 Hard
 $m(g,q) \sim 1200 \text{ GeV}, m(t_1) \sim 800 \text{ GeV}, m(\chi_{1,2}) \sim 600 \text{ GeV}$

1) Need to suppress QCD / W,Z / top by $\sim 10^{10} / 10^5 / 10^2$ Too Hard

2) Estimate small remaining quantities

3) Fit results

4) Interpret the results if no excess

5) How to design a signal region?



Background estimation (1)

□ Different strategies for different background

- Note: out of the box Data-Monte Carlo agreement is generally very good at LHC

Pure MC

Methods : none !

Pros: Easy, helpful to start and design Signal Regions

Cons: Suffer from large syst and/or statistical errors

Targets: Well suited for small backgrounds

Semi data-driven

Methods : i) isolate a pure background sample, ii) normalise MC iii) assume MC shape to transfer it to Signal Region

Pros: Main systematics cancel in the transfer factor

Cons: full study of possible theory systematics

Targets: Main irreducible background (top, W/Z+jets)

Fully data-driven

Methods : a lot !

Pros: i) Don't rely on potential failures in simulation, ii) Suited for large σ

Cons: Rely strongly on simplifying assumptions → systematics

Targets: Fake MET (QCD, Z+jets), fake leptons, long-lived particle (high pT muons with mis-measured β)

→ Precision in background determination drives the SUSY sensitivity

Background estimation (2)

ATLAS-CONF-2012-033

Take the example of 0lepton + ≥ 4 jets + MET channel

- Production : $\tilde{g}\tilde{g}$
- Decay : $\tilde{g} \rightarrow \tilde{q}q$ with $\tilde{q} \rightarrow q\tilde{\chi}$ dominates \rightarrow 0lepton + ≥ 4 jets + MET
- Discriminant variable : $M_{\text{Eff}} > 1200 \text{ GeV}$

Signal Region (SR) Definition: Lepton veto $p_T(e/\mu) > 20/10 \text{ GeV}$

Requirement	Channel		
	C 4j		
$E_T^{\text{miss}} [\text{GeV}] >$	160		Trigger-driven
$p_T(j_1) [\text{GeV}] >$	130		
$p_T(j_2) [\text{GeV}] >$	60		
$p_T(j_3) [\text{GeV}] >$	60		Pile-up driven
$p_T(j_4) [\text{GeV}] >$	60		
$p_T(j_5) [\text{GeV}] >$	-		
$p_T(j_6) [\text{GeV}] >$	-		QCD rejection -driven
$\Delta\phi(\text{jet}, E_T^{\text{miss}})_{\text{min}} >$	0.4 ($i = \{1, 2, 3\}$)		
$E_T^{\text{miss}} / m_{\text{eff}}(Nj) >$	0.25 (4j)		
$m_{\text{eff}}(\text{incl.}) [\text{GeV}] >$	1200		Discriminating variable

\rightarrow 3 main backgrounds: QCD, $Z \rightarrow \nu\nu + \text{jets}$, $[t\bar{t} \rightarrow bWbW \rightarrow bl\nu bj\bar{j} \& W \rightarrow l\nu]$

Background estimation (3)

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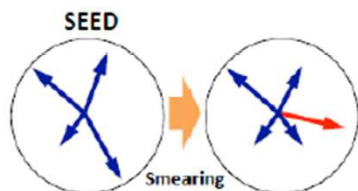
QCD/Multijets background (Data driven)

- Enter Signal Region because of fake MET or ν inside jet
- Can not trust MC + limited by MC stat
 - ✓ Compute jet response $R = p_T(\text{jet reco})/p_T(\text{jet true})$ and generate pseudo data to populate SR

1. Determine the jet response function R from dijet balance and 3-jets mercedes events (1 jet aligned with MET)

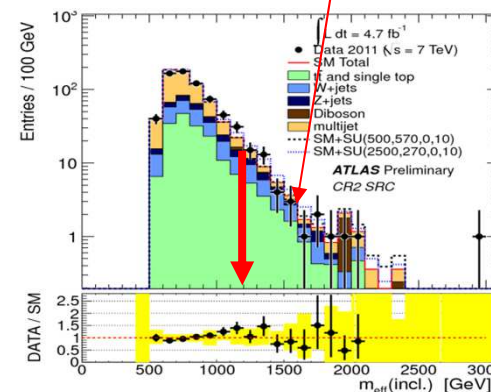
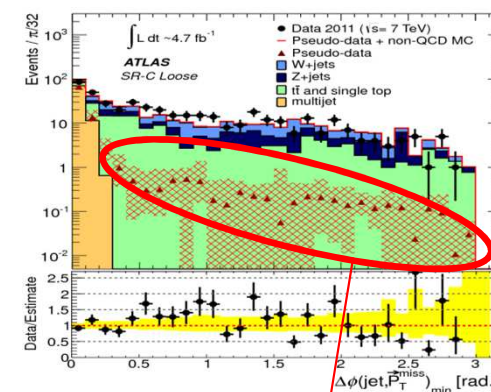
2. Take a control sample of multijets events with small MET.

3. Smear each jet by its response $R \rightarrow$ Pseudo-data



4. Normalize the shape obtained in a QCD enhanced region with low $\Delta\phi(\text{jet}, E_T^{\text{miss}}) < 0.4$

5. Propagate to signal region



Background estimation (5)

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□ $Z \rightarrow \nu\nu + \text{jets}$ (Data Driven)

- Enter SR because it is exactly signal like: Irreducible background !

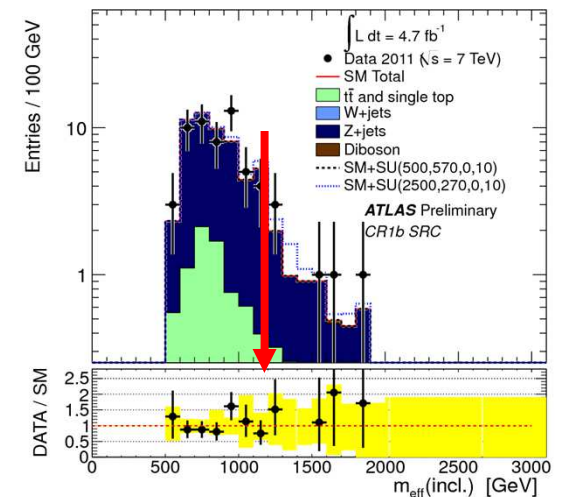
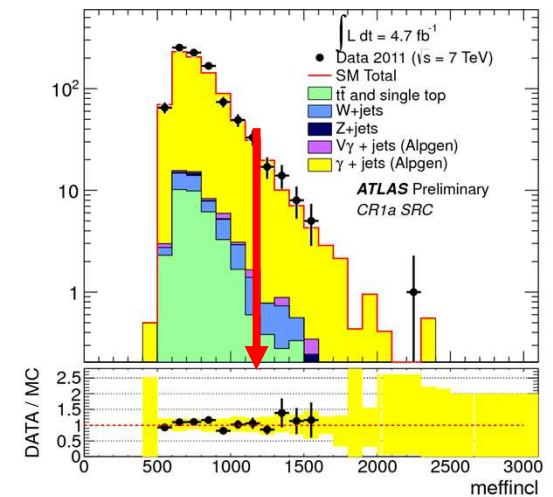
1. Use a close-by SM process: $\gamma + \text{jets}$

- ✓ Similar kinematic at $p_T \sim 400 \text{ GeV} \gg m_Z$
- Obtain a very pure sample
- ✓ Force the photon as MET
- ✓ Gain a factor ~ 3 in stat: $R = \sigma(Z + \text{jets}) / \sigma(\gamma + \text{jets}) \sim 0.3$

2. Use a close-by SM process: $Z \rightarrow \ell\ell + \text{jets}$

- ✓ More statistically limited (~ 10 times less than $\gamma + \text{jets}$)
- ✓ Will not consider it in the following

$\gamma + 4\text{jets}$ Control Region



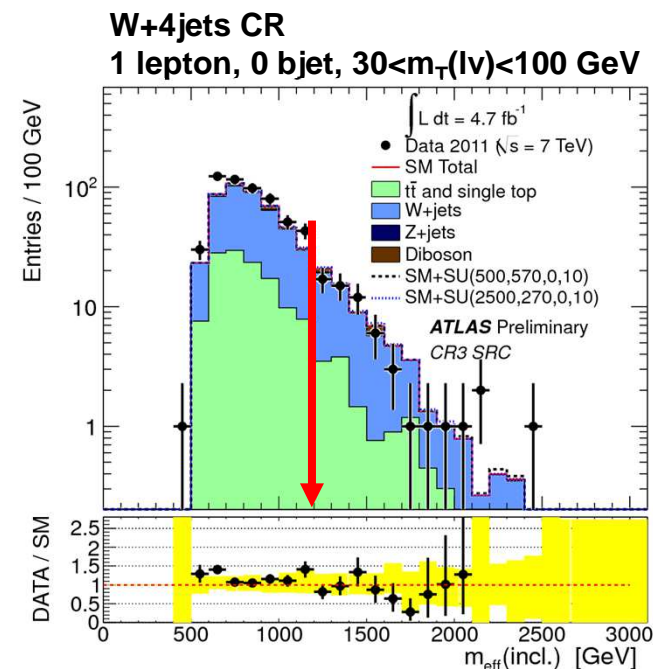
Background estimation (4)

ATLAS-CONF-2012-033

□ $W \rightarrow l\nu$ + jets and $t\bar{t} \rightarrow b\bar{t} \rightarrow bl\nu bqq$ (Semi Data-driven)

- Enter Signal Region because lepton is reconstructed as a jet, is τ , out of acceptance
- Have ν (real MET): can trust MC
 - ✓ Define enriched background “control” region (CR) by **reverting a cut** (Ex: ask 1lepton for 0lepton ch.)
 - ✓ Force the lepton as a jet (acceptable approximation)
- Look in the Control Region:
 - ✓ Monte Carlo should reproduce the data
 - ✓ High **Purity** ($N_{MC}^{oth} \sim \text{small}$), small Signal contamination
- Estimate N_{SR}^{bkg} **Transfer factor (c)** relying on MC shape:

$$N_{SR}^{Bkg} = \underbrace{\frac{N_{SR}^{MC}}{N_{CR}^{MC}}}_{c_{CR \rightarrow SR}} (N_{CR}^{data} - N_{CR}^{MC, others}) = N_{SR}^{MC} \underbrace{\left(\frac{N_{CR}^{data} - N_{CR}^{MC, others}}{N_{CR}^{MC}} \right)}_{\text{Scale factor (k} \sim 1)}$$



➔ Systematics partially cancel in the ratio, but need small extrapolation ($c \sim 0.1-1$)

Background estimation (6)

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□ Summary: SR=0lepton + ≥ 4 jets + MET + M_{eff} (incl.) > 1200 GeV

■ ttbar+jets

■ W+jets

■ γ +jets

■ QCD

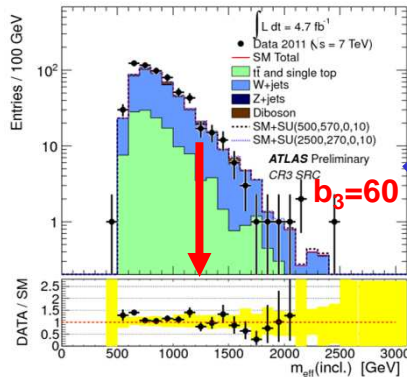
c= Transfer factor

p= purity

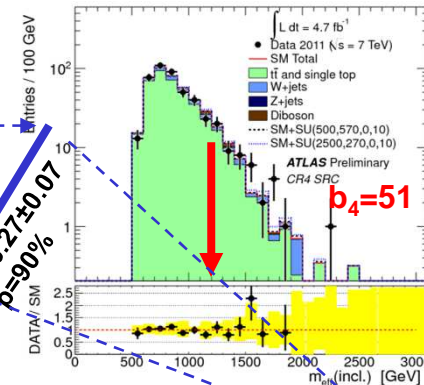
→ CR \rightarrow SR

- - - CRa \rightarrow CRb

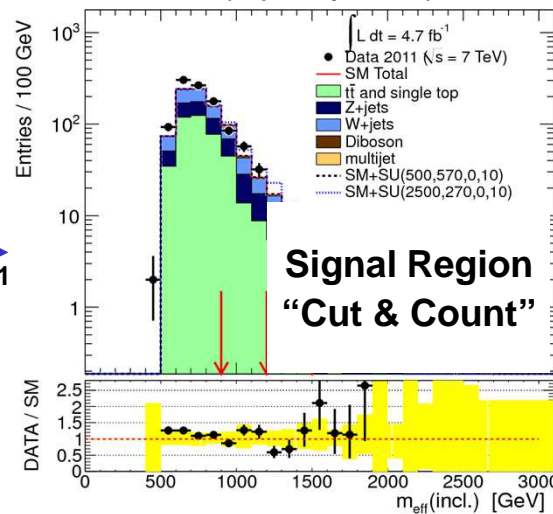
W+4jets CR3 (1 lepton, 0 bjet, mT)



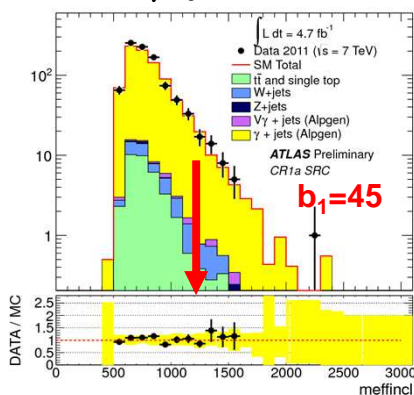
Top+4jets CR4 (1 lepton, 1 bjet, mT)



SR (0lepton+4jets+MET)

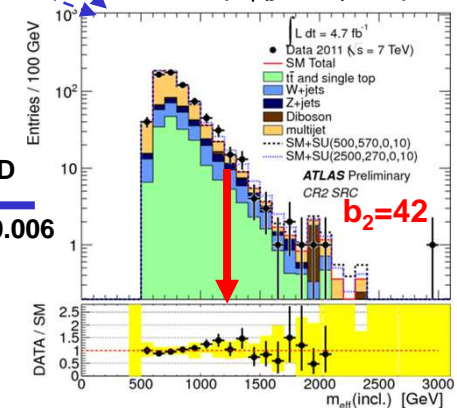


γ +4jets CR1a



$\gamma \rightarrow Z$
c=0.37 \pm 0.11
p~100%

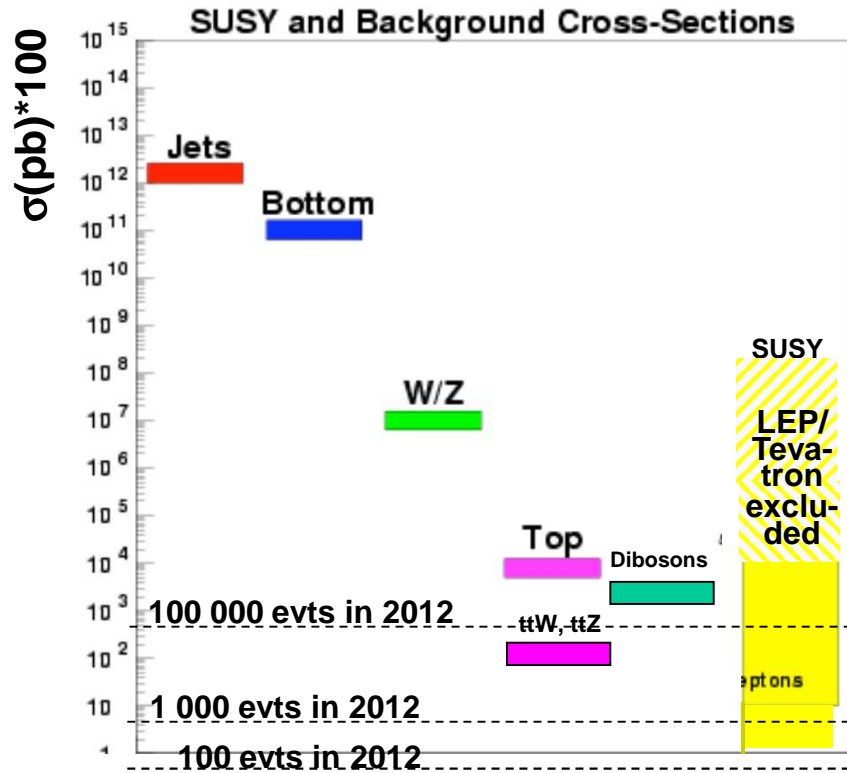
QCD CR2 ($\Delta\phi(j, \text{MET}) < 0.4$)



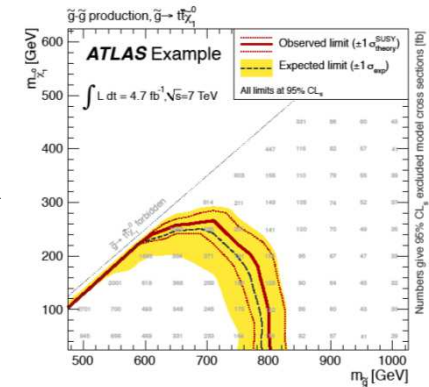
QCD \leftarrow QCD
c=0.0026 \pm 0.006
p=15%

→ Errors contains exp. (Jet Energy scale, btagging) and theo. (PDF, scale) syst.

Fit Results



OR



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Discoverable
 $m(g,q) \sim 1000 \text{ GeV}$, $m(t_1) \sim 600 \text{ GeV}$, $m(\chi_{1,2}) \sim 400 \text{ GeV}$
Hard
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Fit Results (1)

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□ Building the likelihood

- Likelihood function : products of Poisson pdf* for SR and CR (as mutually exclusive) & syst.

$$L(n | \mu, b, \theta) = P_{SR} \times P_Z \times P_W \times P_{Top} \times P_{QCD} \times C_{syst}$$

n = Number of observed events in data

μ = SUSY signal strength to be tested

b = background

θ = systematics treated as nuisance parameters with Gaussian

- Inputs: Transfer factors (**c**), data events in SR (**s**) and CR_j (**b_j**)

$$P_{SR} = P(n | \lambda_S(\mu, b, \theta)) = \mu \cdot c_{sR \rightarrow SR}(\theta) \cdot s + \sum_j c_{jR \rightarrow SR}(\theta) \cdot b_j$$

$$P_i = P(n | \lambda_i(\mu, b, \theta)) = \mu \cdot c_{sR \rightarrow iR}(\theta) \cdot s + \sum_j c_{jR \rightarrow iR}(\theta) \cdot b_j$$

$\lambda(\mu, b, \theta)$ = expected number of events

C_{CR,SR→SR}

Region	Main CR/Process			
	CR1a / Z/γ+jets	CR2 / QCD jets	CR4 / ττ+ Single Top	CR3 / W+jets
CR1a	1	0	0	0
CR2	0.1	1	0.39	0.2
CR4	0.0034	0	1	0.093
CR3	0.0078	0	0.32	1
SR	0.37	0.0026	0.27	0.2

→ Can correctly take the systematic correlation and cross-contamination into account by doing a simultaneous fit of all regions

*pdf=probability density function

Fit Results (2)

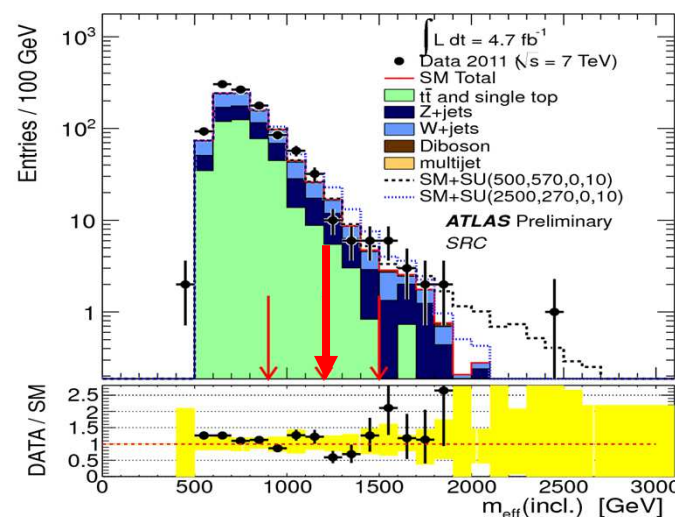
ATLAS-CONF-2012-033

□ Background-only fit ($\mu=0$)

- Predict the background in the Signal Region (SR) by maximizing the likelihood
 - ✓ Cross-checks of the extrapolation are done in "validation" region, close to SR
- SR not in the fit + no signal contamination in CR (can be reproduced by theorists)

	Background in SR $c_{jR \rightarrow SR}(\theta) \cdot b_j$				Others	Total Background in SR
	Zvv+jets	QCD	W+jets	Top	Dibosons	SR
MC	16	0.01	11	10	1.7	39
Fit Output	17 ± 6	0.02 ± 0.03	8 ± 3	12 ± 5	1.7 ± 0.9	39 ± 9 [$\pm 5(\text{stat}) \pm 7(\text{syst})$]

→ Observed **36** evts in Data. No Excess !



→ **25% error** (mainly from γ/Z acceptance, CR stat)

Fit Results (3)

ATLAS-CONF-2012-033

Quantify the agreement between data and SM prediction

- **Test:** compatibility of data with background only hypothesis in the signal region
- **Test statistic:** based on one-sided profile log likelihood ratio (a la Higgs)

$$\Lambda(\mu) = -2 \times [L(n | \mu, \hat{b}, \hat{\theta}) - L(n | \hat{\mu}, \hat{b}, \hat{\theta})] \sim \chi^2 \text{ dist with N dof} = 1^* (\mu \geq 0)$$

Maximise L for a choice of μ *Maximise L*

*In practice this approximation works well for sufficient stat ($n > 5$). If not the case, use toys

- Use CLs prescription (a la Higgs)
- In $0\nu e^+e^- \rightarrow 4\text{jets} + \text{MET} + M_{\text{eff}}(\text{incl.}) > 1200 \text{ GeV}$:

Predict 39 ± 9 and observe 36
CLs **p-value**=0.6 (-0.2 σ). Compatible !

Fit Results (4)

ATLAS-CONF-2012-033

□ Derive a model independent limit

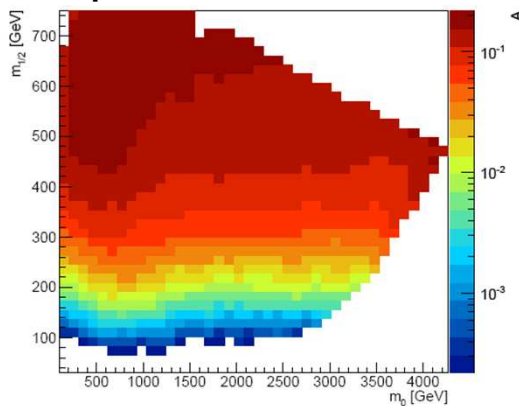
- Limit on visible cross-section of non-SM process: $\sigma_{\text{vis}} = \sigma \times A \times \epsilon$
- In $0\text{lepton} + \geq 4\text{jets} + \text{MET} + M_{\text{eff}}(\text{incl.}) > 1200 \text{ GeV}$:

Predict 39 ± 9 , observe 36 \rightarrow

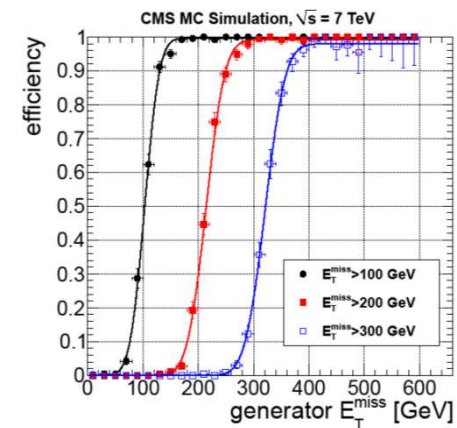
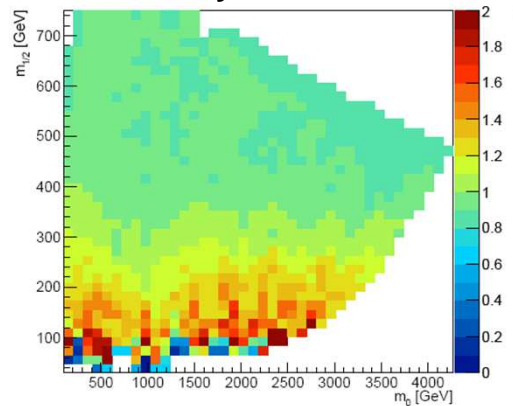
- \rightarrow Exclude at 95%CL $N(\text{BSM}) \geq 18$ and $N/L = \sigma_{\text{vis}} > 3.7 \text{ fb}$
- \rightarrow Expected to exclude $N(\text{BSM}) \geq 19$ and $N/L = \sigma_{\text{vis}} > 4.1 \text{ fb}$

- A and ϵ given for a well-defined SUSY model : Examples below

Acceptance of Truth cuts $\sim 0.1\text{-}10\%$



Efficiency wrt Truth ~ 1



\rightarrow Result can be recasted in other models than the one considered

Fit Results (5)

□ Side Note : A simpler estimation of the signal sensitivity

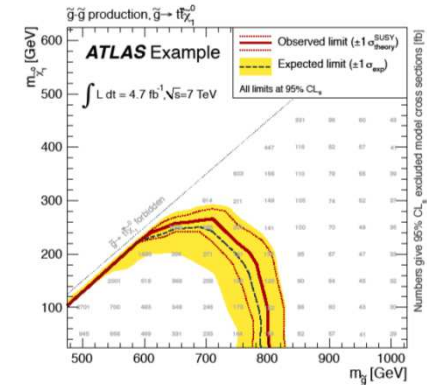
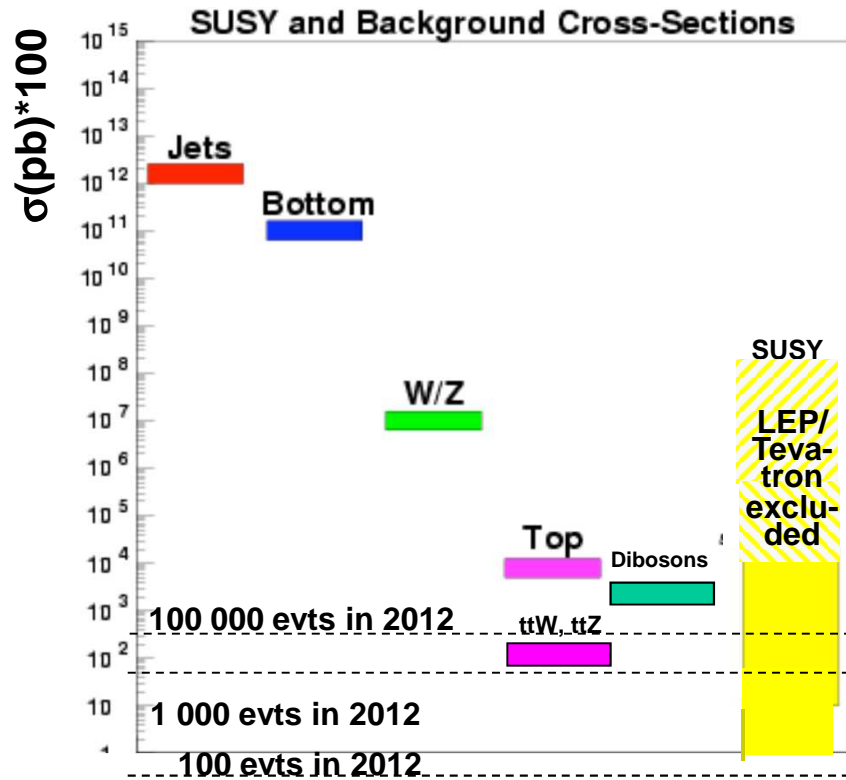
- Compute $Z_n \approx S/\sqrt{(B+(x.B)^2)}$, where x = error on background determination (stat +/- syst)
 - ✓ More correct formula `RooStats::NumberCountingUtils::BinomialExpZ(S,B,x)`
 - ✓ Rule of a thumb: $Z_n=2$ exclude the signal, $=5$ can discover it !
- Works well for low number of signal events <100 and 1-2 dominating background

Predict 39 ± 9  Expected to exclude $N(BSM) \geq 27$ (correct number is 19) ~ Right ballpark !

- If several channels (like e and mu) can add Z_n in quadrature.
- Ideal for the optimisation of new signal regions
 - ✓ Lots of unknowns $\rightarrow x$, complicated background, ...
 - ✓ Can assess the relevance (or not) of this search

\rightarrow For this reason Z_n will be used in the exercise session

Interpretation



$m(g,q) \sim 500$ GeV, $m(t_1) \sim 200$ GeV, $m(\chi_{1,2}) \sim 100$ GeV
Discoverable
 $m(g,q) \sim 1000$ GeV, $m(t_1) \sim 600$ GeV, $m(\chi_{1,2}) \sim 400$ GeV
Hard
 $m(g,q) \sim 1200$ GeV, $m(t_1) \sim 800$ GeV, $m(\chi_{1,2}) \sim 600$ GeV
Too Hard

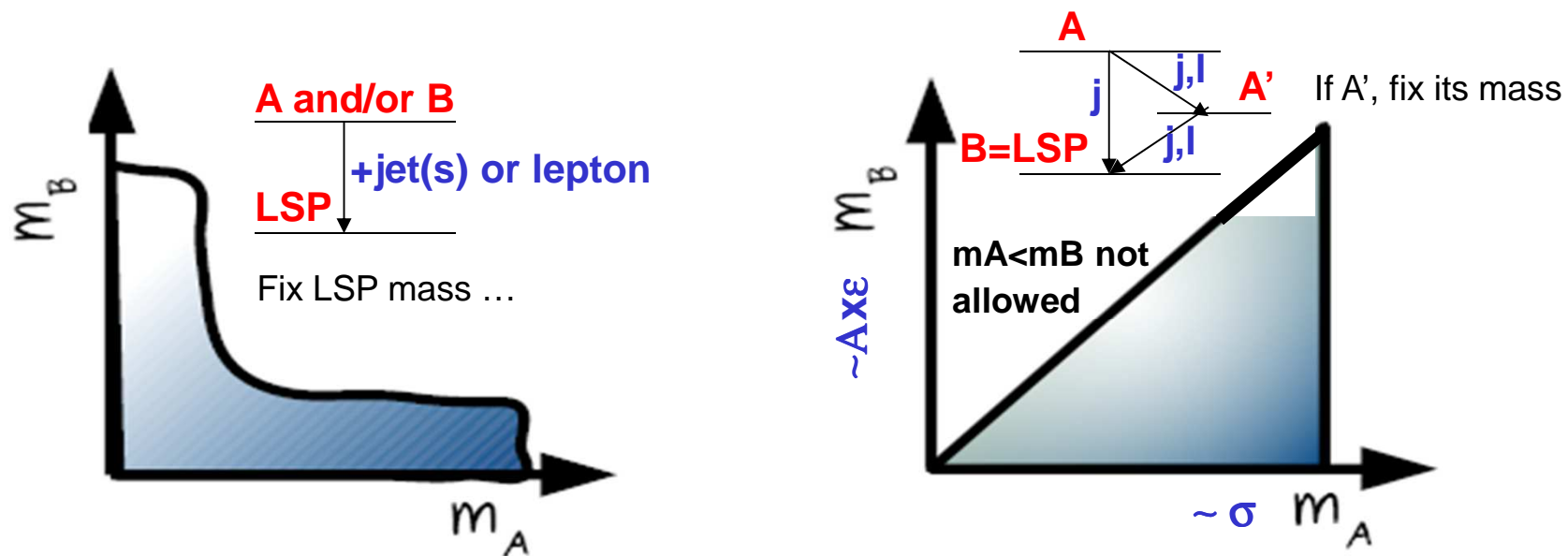
- 1) Estimate small remaining quantities
- 2) Need to suppress QCD / W,Z / top by $\sim 10^{10} / 10^5 / 10^2$
- 3) Fit results
- 4) Interpret the results if no excess
- 5) How to design a signal region?



Interpretation (1)

□ Derive a limit in a simplified decay chain Model (SMS)

- Well suited for **natural SUSY** and **direct production** (not a SUSY model !):
 - ✓ 29 sparticles \rightarrow 2 or 3, **decoupled** all other particles, force a specific decay mode
- Assumptions on the chirality and nature of particle “arbitrary”



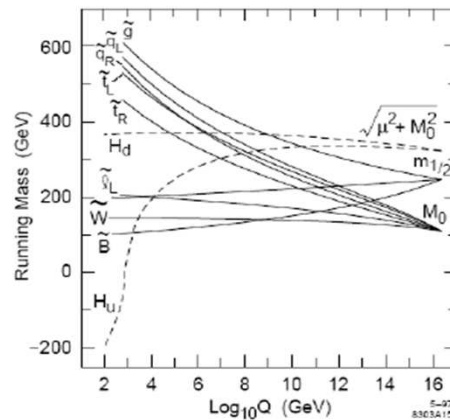
\rightarrow Very helpful also to design analyses. Possible to recast in mSUGRA (1202.2662)

Interpretation (2)

□ Derive a limit in a very constrained SUSY model (or parametrize or ignorance !)

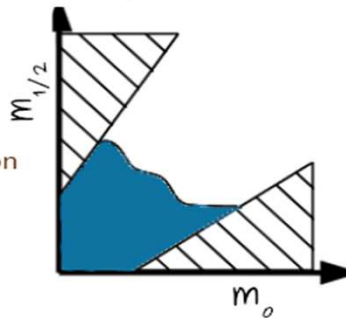
- Reduce number of SUSY parameters from 105 (MSSM) to 5 or 6

- Model of SUSY breaking: gravity mediated, gauge mediated...
- Assume GUT scale parameters (few)
- Predict phenomenology at the EWK scale



E.g. mSUGRA/CMSSM:

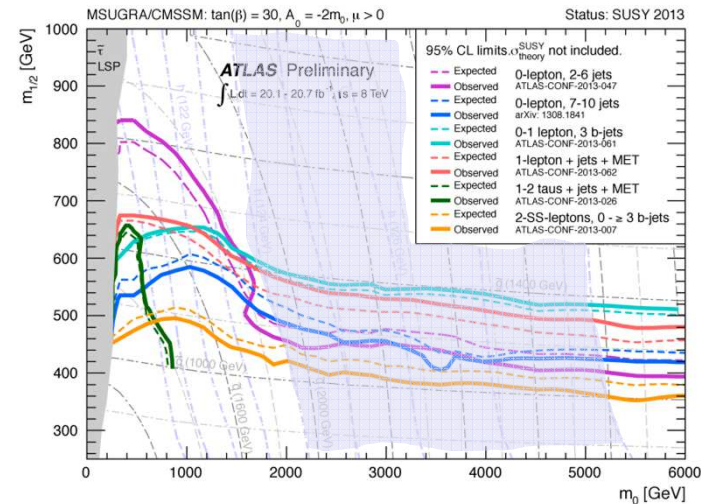
- m_0 : common scalar mass (GUT)
- $m_{1/2}$: common gaugino mass (GUT)
- $\tan\beta$: Ratio of Higgs vacuum expectation values
- A_0 : Trilinear coupling
- $\text{Sign}(\mu)$: Higgs mass term



Note: 5 fb-1 ATLAS/CMS papers use a common mSUGRA framework described in Matchev et al, [1202.6580](https://arxiv.org/abs/1202.6580) :

$m_0, m_{1/2}, \tan\beta = 10, A_0 = 0, \mu > 0$

$m_0, m_{1/2}, \tan\beta = 30, A_0 = 0, \mu > 0$ [Higgs aware]



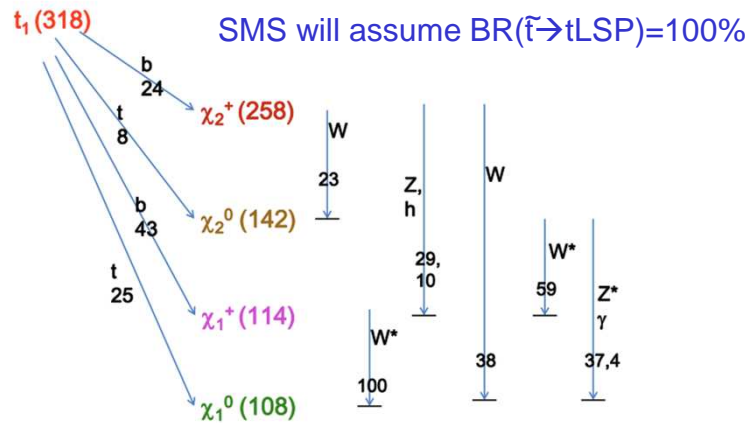
→ Useful to calibrate our exclusion and compare with other results

Interpretation (3)

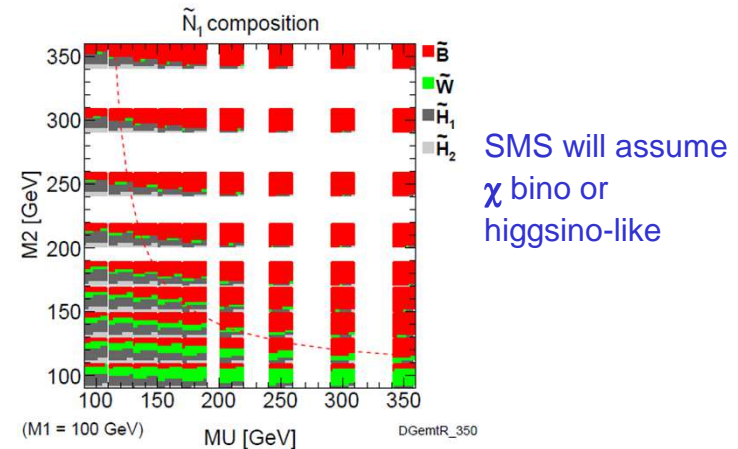
□ Derive a limit in a simplified MSSM

- Reduce number of SUSY parameters from 105 (MSSM) to 19, i.e. “manageable”:
 - ✓ Well justified assumptions
 - ✓ “Standard” exp. constraints
- Recover the SUSY complexity → can track missing features of SMS in “simple” cases

Direct Stop production

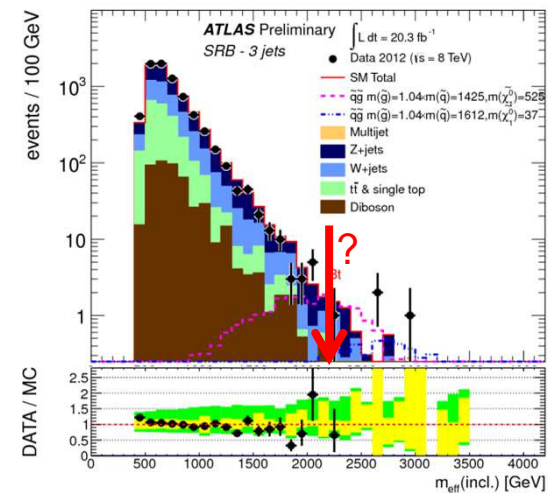
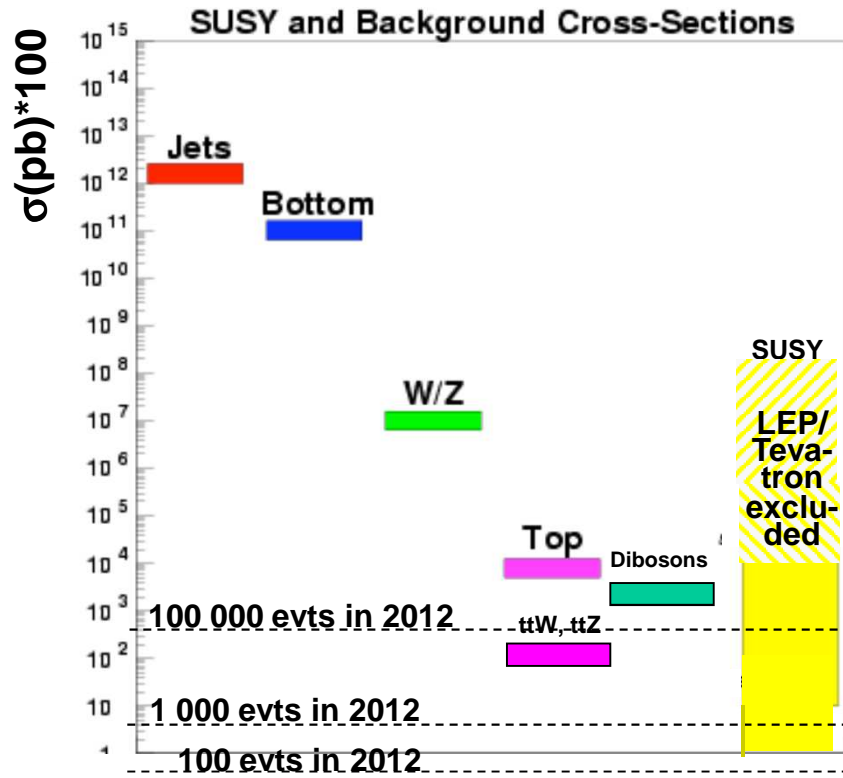


Direct Gaugino production



→ Could be a way to exclude natural SUSY

Signal Region Definition



$m(g,q) \sim 500$ GeV, $m(t_1) \sim 200$ GeV, $m(\chi_{1,2}) \sim 100$ GeV
Discoverable
 $m(g,q) \sim 1000$ GeV, $m(t_1) \sim 600$ GeV, $m(\chi_{1,2}) \sim 400$ GeV
Hard
 $m(g,q) \sim 1200$ GeV, $m(t_1) \sim 800$ GeV, $m(\chi_{1,2}) \sim 600$ GeV
Too Hard

- 1) Need to suppress QCD / W,Z / top by $\sim 10^{10} / 10^5 / 10^2$
- 2) Estimate small remaining quantities
- 3) Fit results
- 4) Interpret the results if no excess

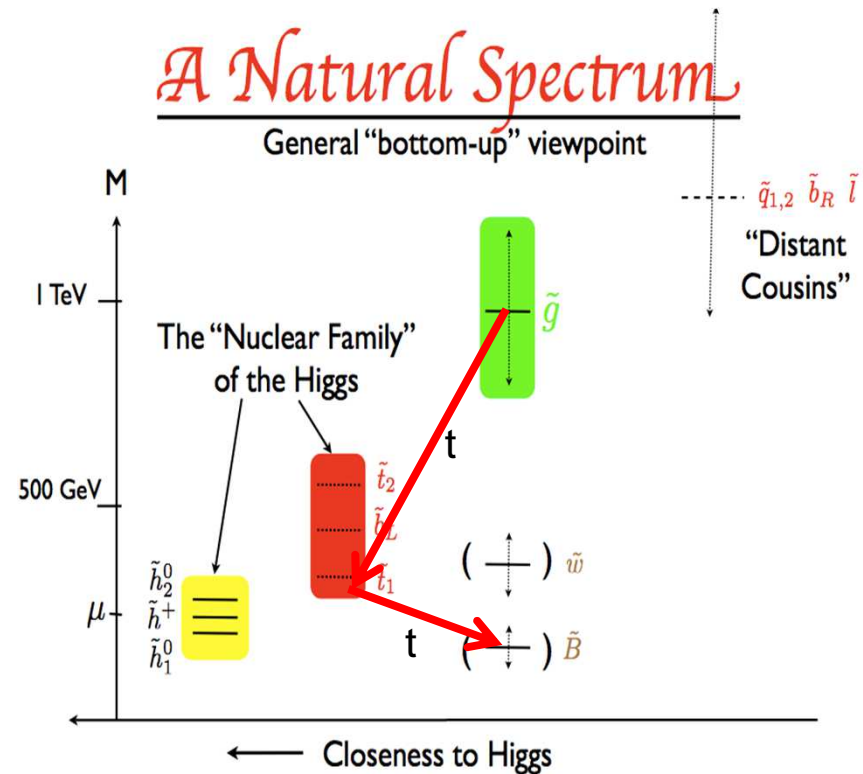
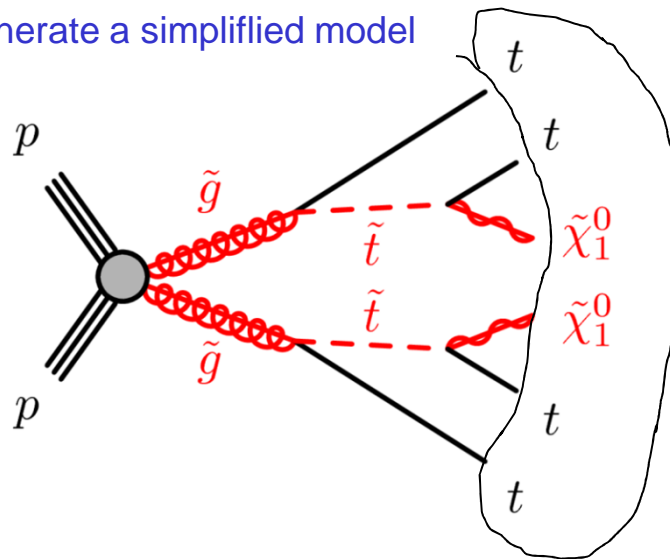
5) How to design a Signal Region?



Signal Region Definition (1)

□ The steps to follow

1. Choose a process to target
 - ✓ Current limits ?
 - ✓ Cross-section ?
 - ✓ Generate a simplified model



Final state : 4 tops + 2 χ_1^0 → 4 W(lv, jj) + 4 b + 2 χ_1^0 → 4 l + 0 j + 4 b + MET Let's consider this one
 (at tree level)

- 3 l + 2 j + 4 b + MET
- 2 l + 4 j + 4 b + MET
- 1 l + 6 j + 4 b + MET
- 0 l + 8 j + 4 b + MET

Signal Region Definition (2)

□ The steps to follow

1. Choose a process to target $4l + 0j + 4b + \text{MET}$
2. Choose a trigger (Jet+MET, leptonic, photonic, ...) or define a new one !
Dileptonic trigger seems best, MET or Jet+MET possible
3. Choose object functioning point
Lepton: medium, tight
Bjet: medium, loose
4. Use kinematic cuts to reduce “difficult” background (Fake MET/lepton, pile-up)
Lepton, Bjet: p_T ?
5. Select the dominant background (B) and generate/use MC samples
ttbar
6. Define signal region: select relevant discriminant variables (M_{Eff} , M_{CT} , ...) and optimise cuts to obtain higher discovery significance with $Z_n = S/\sqrt{(B+\Delta B^2)}$
 $\geq 3b$ or 2lepton Same sign or 3 leptons
7. Perform a detail background estimation + systematics
8. **Open the signal box !!**

→ This will be our guidelines for Exercise 1 tomorrow

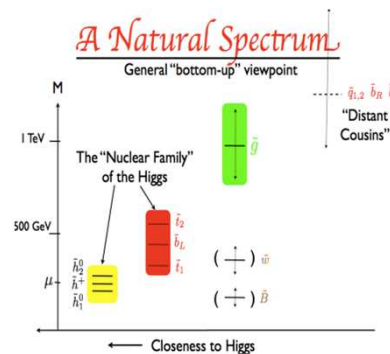
Summary of Part IA

□ Historical period for SUSY searches

- Naturalness predicts new EW-scale particles (Nx, Cx, stop, sbottom_L, gluino)
- 2012 @ LHC: N(SUSY) = 1000 for $m_{C1}=m_{N2} \sim 0.4$, $m(\text{stop}) \sim 0.6$, $m(\text{gluino}) \sim 1$ TeV
- General Decay (spart \rightarrow SM part + N1) and final states (Jets, MET, leptons/photon)
- \rightarrow LHC is an ideal place to discover Natural Weak scale SUSY !

□ Theory unknowns \rightarrow Drive experimental SUSY searches [Part II]

- R-Parity (RPC, RPV) ?
- SUSY Breaking (SUGRA, GMSB, AMSB) ?
- Open/compressed spectra ?



MSSM: 29 sparticles + 4 Higgs undiscovered

Names	Spin	P_R	Gauge Eigenstates	Mass Eigenstates
Higgs bosons	0	+1	$H_u^0, H_d^0, H_u^+, H_d^-$	h^0, H^0, A^0, H^\pm
squarks	0	-1	$\tilde{u}_L, \tilde{u}_R, \tilde{d}_L, \tilde{d}_R$	(same)
			$\tilde{s}_L, \tilde{s}_R, \tilde{c}_L, \tilde{c}_R$	(same)
			$\tilde{t}_L, \tilde{t}_R, \tilde{b}_L, \tilde{b}_R$	$\tilde{t}_1, \tilde{t}_2, \tilde{b}_1, \tilde{b}_2$
sleptons	0	-1	$\tilde{e}_L, \tilde{e}_R, \tilde{\nu}_e$	(same)
			$\tilde{\mu}_L, \tilde{\mu}_R, \tilde{\nu}_\mu$	(same)
			$\tilde{\tau}_L, \tilde{\tau}_R, \tilde{\nu}_\tau$	$\tilde{\tau}_1, \tilde{\tau}_2, \tilde{\nu}_\tau$
neutralinos	1/2	-1	$\tilde{B}^0, \tilde{W}^0, \tilde{H}_u^0, \tilde{H}_d^0$	$\tilde{N}_1, \tilde{N}_2, \tilde{N}_3, \tilde{N}_4$
charginos	1/2	-1	$\tilde{W}^\pm, \tilde{H}_u^\pm, \tilde{H}_d^\pm$	$\tilde{C}_1^\pm, \tilde{C}_2^\pm$
gluino	1/2	-1	\tilde{g}	(same)
goldstino (gravitino)	1/2 (3/2)	-1	\tilde{G}	(same)

Summary of Part IB

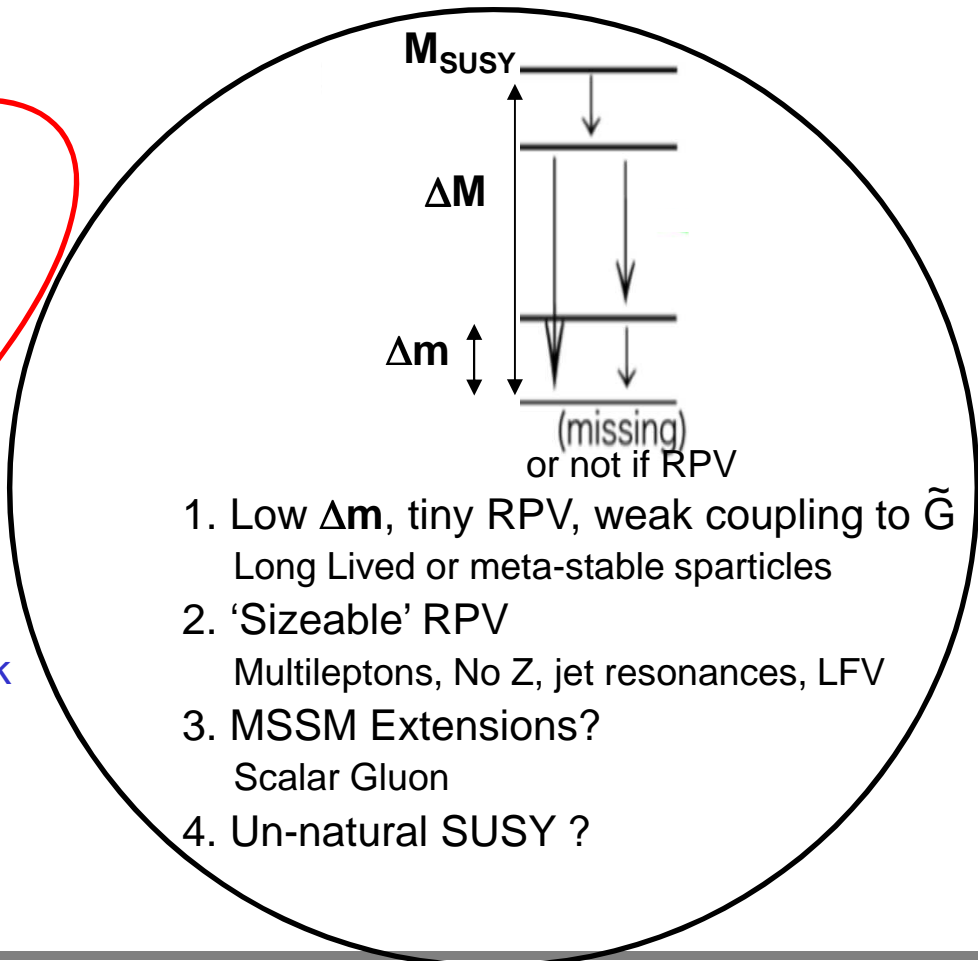
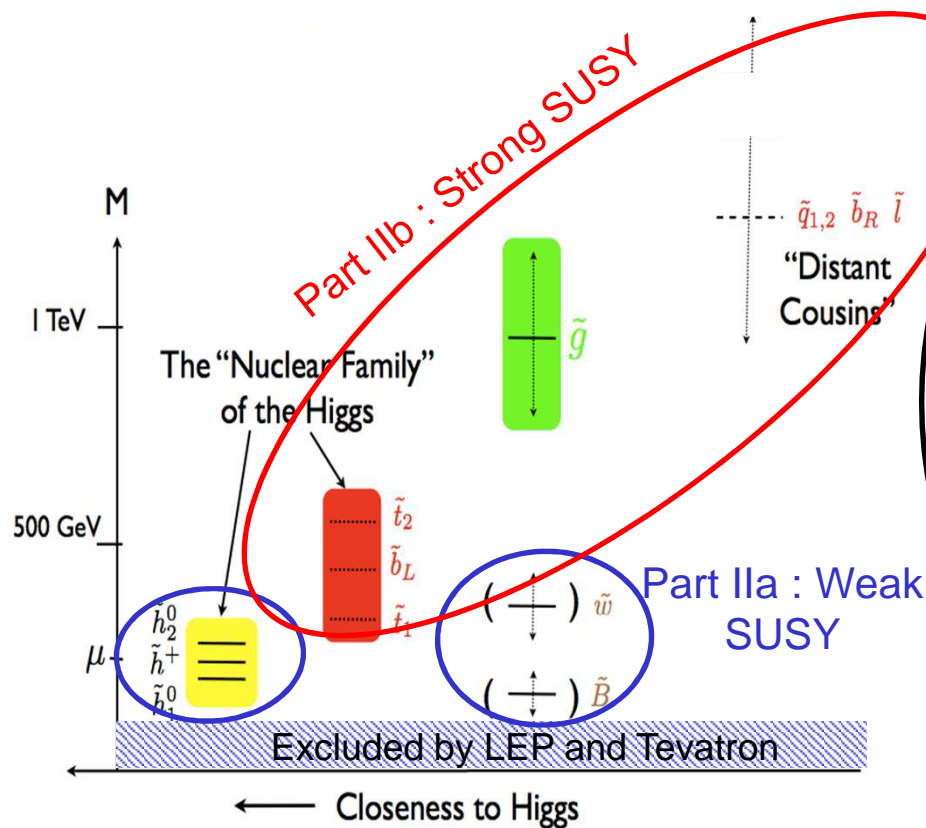
□ How to find SUSY at LHC and what drive the sensitivity ?

- Well understood reconstructed objects
- Well defined signal regions
 - ✓ Based on powerfull discriminant variables MET, HT and Transverse mass
- Background estimation technics adapted to each background type:
 - ✓ Background with fake MET → data-driven
 - ✓ Background $t\bar{t}$, W, Z → Semi data-driven (with Control Region)
- Handy stat tools
- If no discovery, interpret our results :
 - ✓ In Simplified Model (SMS), i.e. topological models.
 - ✓ In reduced MSSM (5 or 19 parameters)

Tomorrow we put in practice : go fishing in uncharted sea (see next two slides) !!

Lecture Part II (1)

Part IIc: R-Parity Violated, Long-Lived Particles, beyond MSSM



1. Low Δm , tiny RPV, weak coupling to \tilde{G}
Long Lived or meta-stable sparticles
2. 'Sizeable' RPV
Multileptons, No Z, jet resonances, LFV
3. MSSM Extensions?
Scalar Gluon
4. Un-natural SUSY ?

Lecture Part II (2)

SUSY Related papers in ATLAS/CMS*

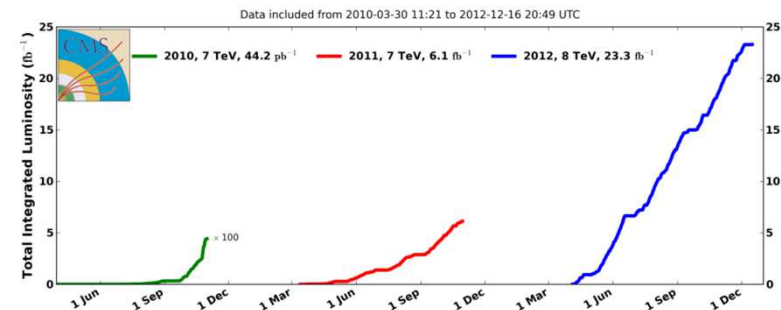
- 2010 data (7 TeV, 0.03 fb⁻¹) : 12 / 10+2
- 2011 data (7 TeV, 1-5 fb⁻¹) : 40 / 19+7
- 2012 data (8 TeV, 10-20 fb⁻¹) : 3 / 5+2

SUSY Related CONF notes in ATLAS/CMS*

- 2010 data (7 TeV, 0.03 fb⁻¹) : 3 / 1+0
- 2011 data (7 TeV, 5 fb⁻¹) : 6 / 7+0
- 2012 data (8 TeV, 20 fb⁻¹) : 21 / 10+1

~ 150 public analyses in 2 years !

”Theories are like fishing : only he who casts can catch”
Novalis (1772-1801)



→ 15-20% of the ATLAS/CMS results

- Show most powerful 8 TeV, 20fb⁻¹ searches
- Give general status of each topical search

All information on ATLAS/CMS Public pages:

<https://twiki.cern.ch/twiki/bin/view/AtlasPublic/SupersymmetryPublicResults>

<https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsEXO>

<https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsSUS>

* CMS= SUSY + RPV LongLived in EXOTIC

SPARE

Appetizers for tomorrow

□ Weak-scale SUSY searches **before** first LHC SUSY results

MSSM: 29 sparticles + 5 Higgs undiscovered

Names	Spin	P_R	Gauge Eigenstates	Mass Eigenstates
Higgs bosons	0	+1	$H_u^0 H_d^0 H_u^+ H_d^-$	$h^0 H^0 A^0 H^\pm$
squarks	0	-1	$\tilde{u}_L \tilde{u}_R \tilde{d}_L \tilde{d}_R$ $\tilde{s}_L \tilde{s}_R \tilde{c}_L \tilde{c}_R$ $\tilde{t}_L \tilde{t}_R \tilde{b}_L \tilde{b}_R$	(same) (same) $\tilde{t}_1 \tilde{t}_2 \tilde{b}_1 \tilde{b}_2$
sleptons	0	-1	$\tilde{e}_L \tilde{e}_R \tilde{\nu}_e$ $\tilde{\mu}_L \tilde{\mu}_R \tilde{\nu}_\mu$ $\tilde{\tau}_L \tilde{\tau}_R \tilde{\nu}_\tau$	(same) (same) $\tilde{\tau}_1 \tilde{\tau}_2 \tilde{\nu}_\tau$
neutralinos	1/2	-1	$\tilde{B}^0 \tilde{W}^0 \tilde{H}_u^0 \tilde{H}_d^0$	$\tilde{N}_1 \tilde{N}_2 \tilde{N}_3 \tilde{N}_4$
charginos	1/2	-1	$\tilde{W}^\pm \tilde{H}_u^\pm \tilde{H}_d^\mp$	$\tilde{C}_1^\pm \tilde{C}_2^\pm$
gluino	1/2	-1	\tilde{g}	(same)
goldstino (gravitino)	1/2 (3/2)	-1	\tilde{G}	(same)

Mass Limits from PDG2010 (95% CL)
 $\tilde{\chi}_{1,2}^0 = \text{LSP, RPC, degenerate squarks (except } \tilde{b}, \tilde{t}),$
 $|\tilde{m}_R| = |\tilde{m}_L|, \text{ Gaugino mass unification at GUT scale}$

114.4 , 92.8 , 93.4 , 79.3 GeV (m_h^{max} benchmark scenarios)

379 GeV

95.7 , 89 GeV

107 GeV

94 GeV

81.9 GeV

46 , 62.4, 99.9 , 116 GeV

94 GeV

308 GeV

Note: These limits are also model dependent

Covers most of SUSY production and decays ... But most in the 0-100 GeV range limited by \sqrt{s}

→ Come back tomorrow to explore the 0.1-1 TeV range !