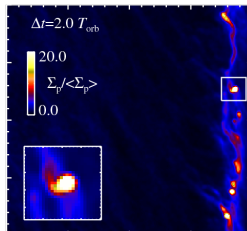
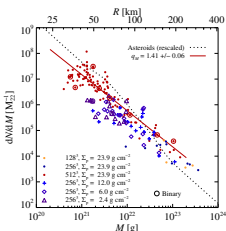
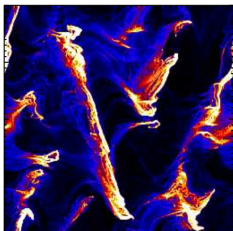


How gas turbulence influences planet formation



Anders Johansen (Lund University)

“Non-ideal MHD, Stability, and Dissipation in Protoplanetary Disks”

Copenhagen, August 2014



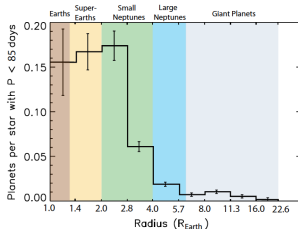
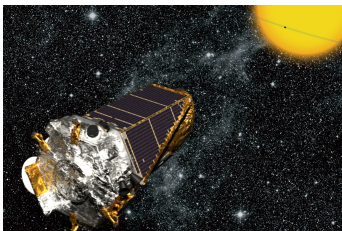
European
Research
Council



Knut och Alice
Wallenbergs
Stiftelse



Exoplanets

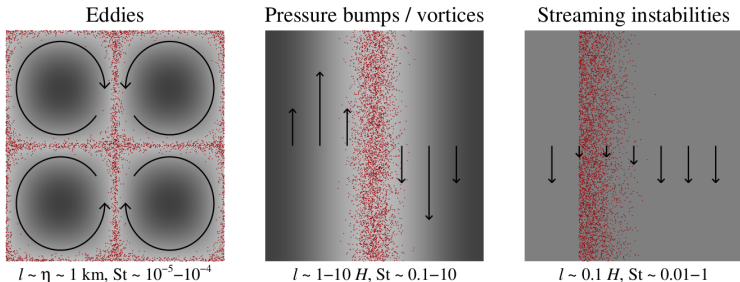


In the first 16 months the *Kepler* satellite detected 2321 planet candidates:

- ▶ 253 Earth-sized ($R \leq 1.25R_{\oplus}$)
- ▶ 712 Super-Earth-sized ($1.25R_{\oplus} < R \leq 2R_{\oplus}$)
- ▶ 1078 Neptune-sized ($2R_{\oplus} < R \leq 6R_{\oplus}$)
- ▶ 207 Jupiter-sized ($6R_{\oplus} < R \leq 15R_{\oplus}$)
- ▶ 71 Super-Jupiter-sized ($15R_{\oplus} < R$)

⇒ Nature is *very* efficient at converting dust to planets...
... despite radial drift barrier, bouncing barrier, fragmentation barrier, etc

Particle concentration

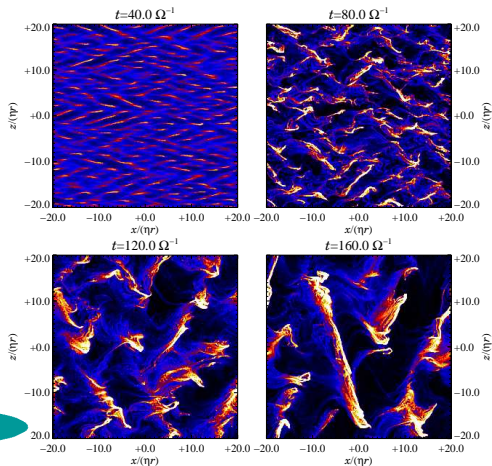


Three ways to concentrate particles: (Johansen et al., 2014, arXiv:1402.1344)

- ▶ Between small-scale low-pressure eddies
(Squires & Eaton, 1991; Fessler et al., 1994; Cuzzi et al., 2001, 2008; Pan et al., 2011)
- ▶ In pressure bumps and vortices
(Whipple, 1972; Barge & Sommeria, 1995; Klahr & Bodenheimer, 2003; Johansen et al., 2009a)
- ▶ By streaming instabilities
(Youdin & Goodman, 2005; Johansen & Youdin, 2007; Johansen et al., 2009b; Bai & Stone, 2010a,b,c)

Streaming instability

Linear and non-linear evolution of radial drift flow:

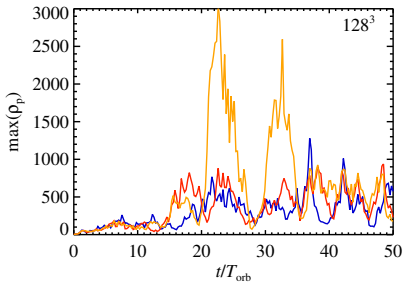
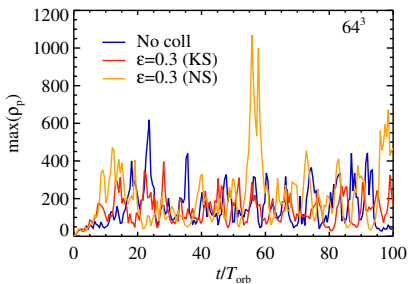
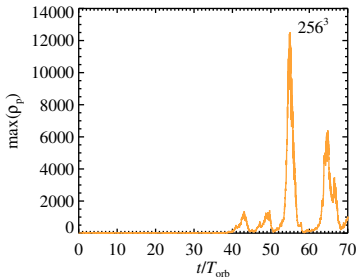


Strong clumping in non-linear state of the streaming instability

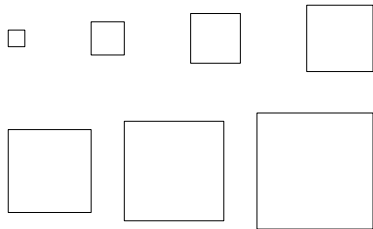
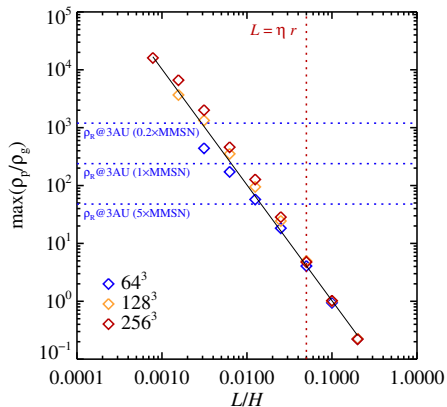
(Johansen & Youdin 2007; Bai & Stone 2010a)

Particle density

- ▶ Maximum density increases with increasing resolution
(Johansen, Lithwick, & Youdin 2012)
 - ▶ Particle density up to 10,000 times local gas density
 - ▶ Criterion for gravitational collapse: $\rho_p \gtrsim 100\rho_g$
- ⇒ Gravitational contraction to form planetesimals

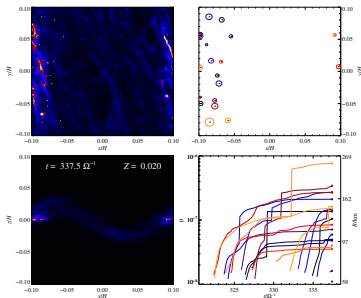
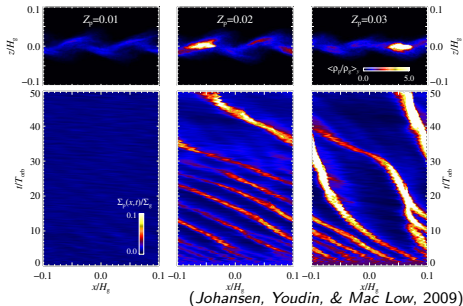


Scale-by-scale convergence

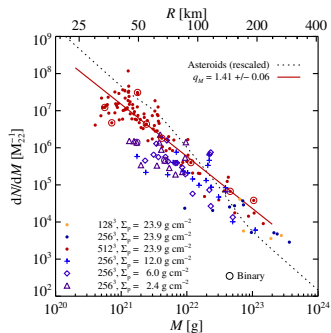


- ▶ Plot shows maximum density over a given scale (averaged over time)
- ▶ Points for 64^3 , 128^3 and 256^3 almost on top of each other
- ⇒ Streaming instability clumping converges scale-by-scale
- ▶ Increasing the resolution increases the maximum density because we resolve filamentary structures better

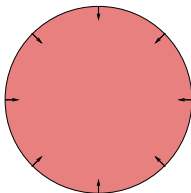
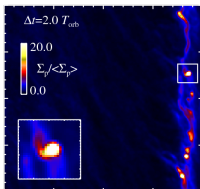
Gravitational collapse



- ▶ Particle concentration by streaming instabilities reach at least 10,000 times the gas density
 - ▶ Filaments fragment to bound *pebble clumps*, with contracted radii 25-200 km (Johansen, Mac Low, Lacerda, & Bizzarro, submitted)
- ⇒ Initial Mass Function of planetesimals

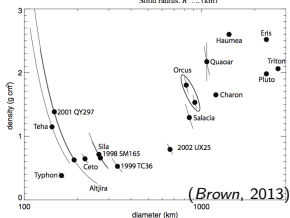
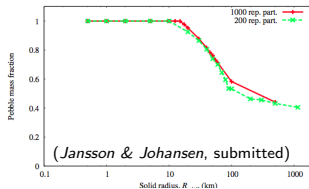


Cloud collapse to pebble piles

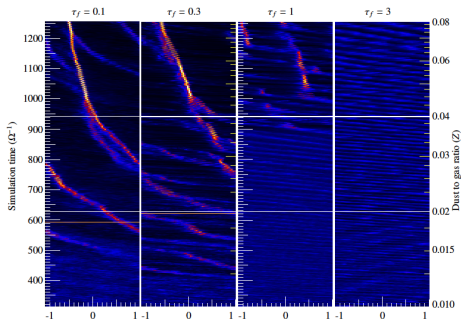
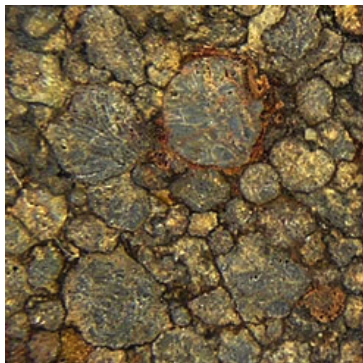


- ▶ Simulate cloud collapse in 0-D collision code (*Jansson & Johansen, submitted*)
- ▶ High collision rates \Rightarrow Rapid energy dissipation \Rightarrow Contraction to solid density
- \Rightarrow High pebble fraction after collapse
- \Rightarrow Predict that comets like 67P/Churyumov-Gerasimenko are pebble piles
- ▶ Large Kuiper belt objects likely lost their porosity by gravitational compression

Fraction of total mass in pebbles as a function of solid radius of the planetesimal.
For simulations with, initially, cm-sized pebbles.

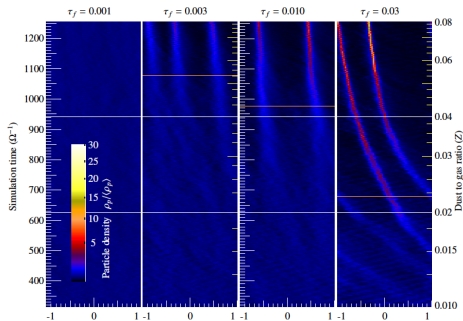
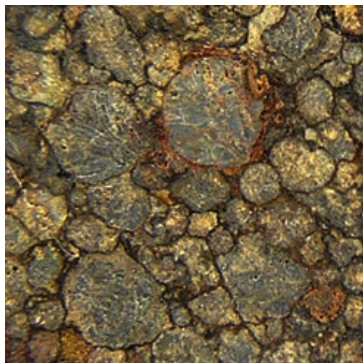


Concentrating chondrules



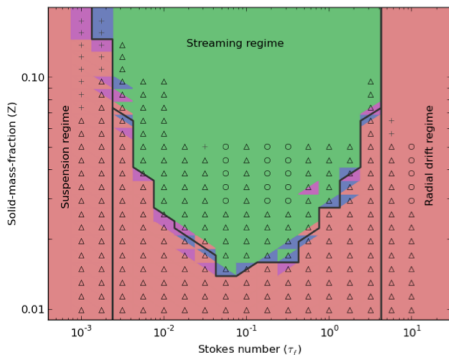
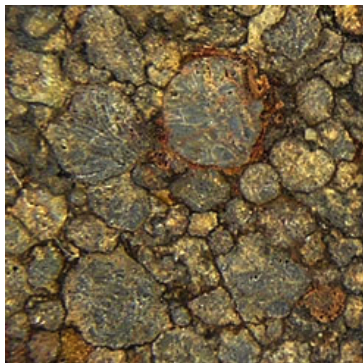
- ▶ Typical particle sizes considered for the streaming instability are of size 10 cm (when scaled to the asteroid belt)
- ▶ Meteorites contain up to 80% mass in *chondrules* of sizes 0.1–1 mm (e.g. *Krot et al.*, 2009)
- ⇒ Smaller particles can be concentrated at higher metallicity (*Carrera, Johansen, & Davies*, in preparation)
- ▶ Metallicity increase by photoevaporation or drifting particles? (*Alexander et al.*, 2006; *Alexander & Armitage*, 2007)

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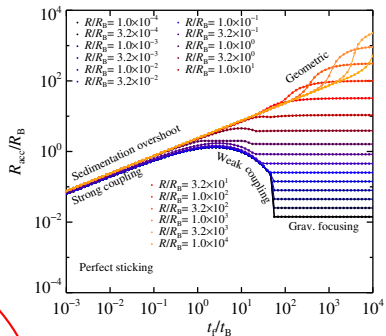
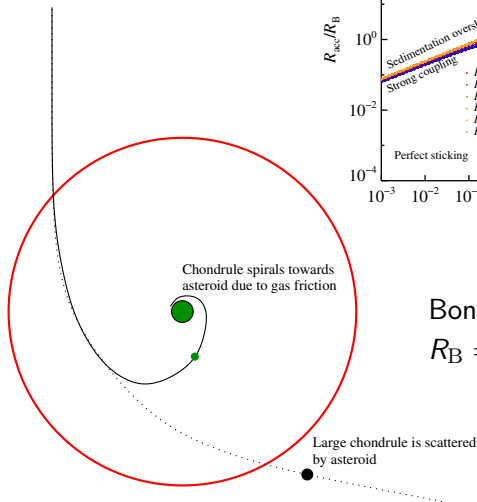
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Chondrule accretion

$$\Delta v \approx 50 \text{ m/s}$$



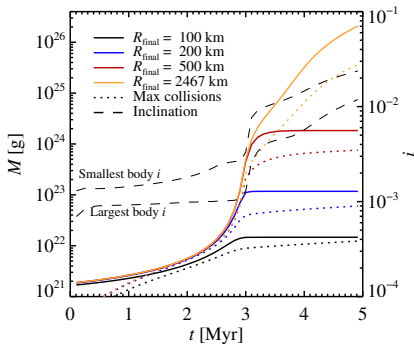
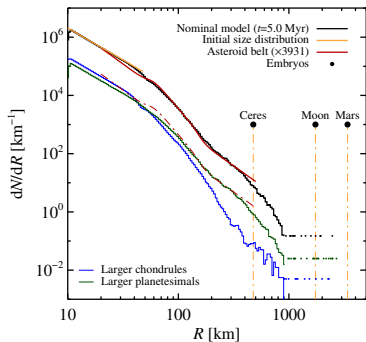
Bondi radius:

$$R_B = \frac{GM}{(\Delta v)^2}$$

$$\dot{M} \propto R_B^2 \propto R^6$$

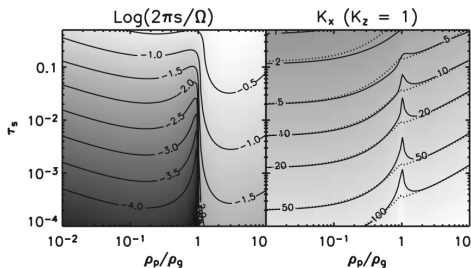
(Johansen & Lacerda, 2010; Ormel & Klahr, 2010; Lambrechts & Johansen, 2012)

Planetesimal growth by chondrule accretion



- ▶ The birth sizes of planetesimals forming by streaming instabilities have most mass in the largest bodies and most number in the smallest
- ▶ Formed during an epoch when the asteroid belt was icy?
- ▶ Chondrule accretion over 5 Myr gives same size distribution as asteroids plus Moon- to Mars-sized embryos (*Johansen, Mac Low, Lacerda, & Bizzarro, submitted*)
- ▶ Variation in the parameters gives different realisations of the asteroid belt

To stream or not to stream



(Youdin & Goodman, 2005)

- ▶ Sedimentation-diffusion equilibrium gives particle layer density

$$\rho_p = Z\rho_g \sqrt{\frac{\text{St} + \delta}{\delta}}$$

- ▶ Streaming instability requires sedimentation to $\rho_p \sim \rho_g$, hence $\delta \lesssim Z^2 \text{St}$
- ⇒ Ice particles of mm-cm sizes can sediment for $\delta \sim 10^{-4}$ at 10-100 AU
- ⇒ Chondrules in the asteroid belt require $\delta \lesssim 10^{-6}$
- ? Streaming instability may piggy back on pressure bumps and vortices if δ is too high for sedimentation