

Core-Collapse Supernovae

M. Liebendörfer
University of Basel

- Collapse phase: Dynamics & ν -interactions
- Postbounce phase: ν -transport & explosion mechanisms
- **Models: Approximations & prediction of observables**

Large cancellation effects in the total energy budget:

- Huge energy in!
- Huge energy out!
- The rest makes the supernova!

- Leading order contributions from many fields of physics possible...

Discussed Explosion Mechanisms

~~1) Prompt explosion mechanism, E(bounce)~~

(e.g. Baron et al. 1985)

2) Neutrino-driven explosion mechanism, E(therm.)

(Colgate 1966, Arnett, Bruenn, Burrows, Mezzacappa ... Marek & Janka 2009)

3) Magneto-rotational explosion mechanism, E(rot.)

(Bisnovatyi-Kogan 1976, Leblanc & Wilson 1979, ...)

4) Acoustic explosion mechanism, E(osc.)

(Burrows et al. 2006)

5) Magneto-sonic/viscous expl. mech., E(buoyancy)

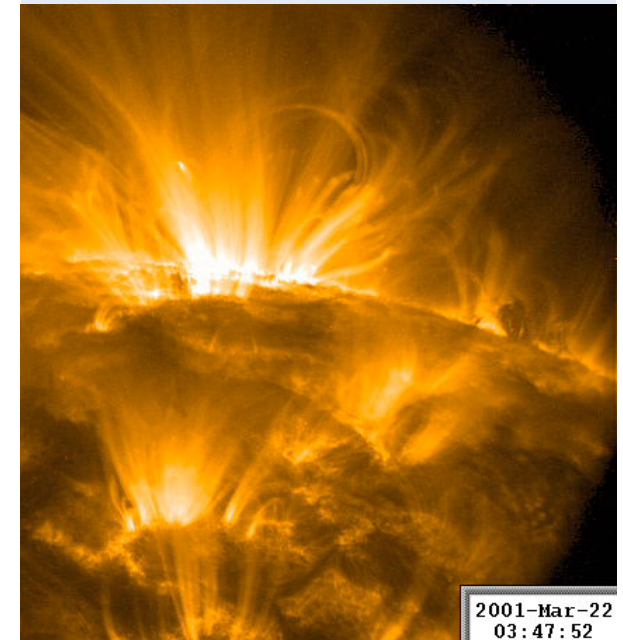
(Akiyama et al. 2003, Thompson et al. 2003, Socrates et al. 2005)

6) Phase transition induced expl. mech., E(compact)

(Migdal et al. 1971, ... Sagert et al. 2009)

Energy scales:

- Gravitational
~ $3E+53$ erg
- Explosion
~ $1E+51$ erg

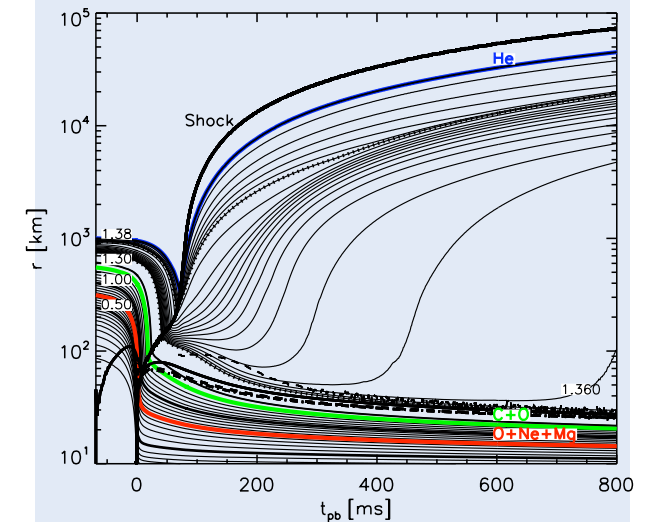


Exception 1: ONeMg core

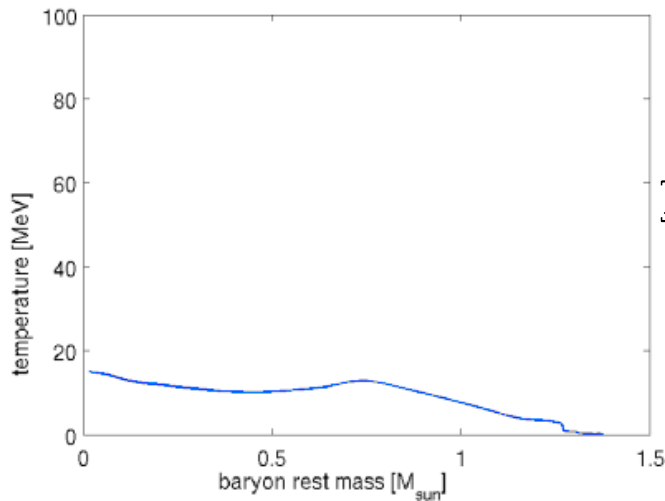
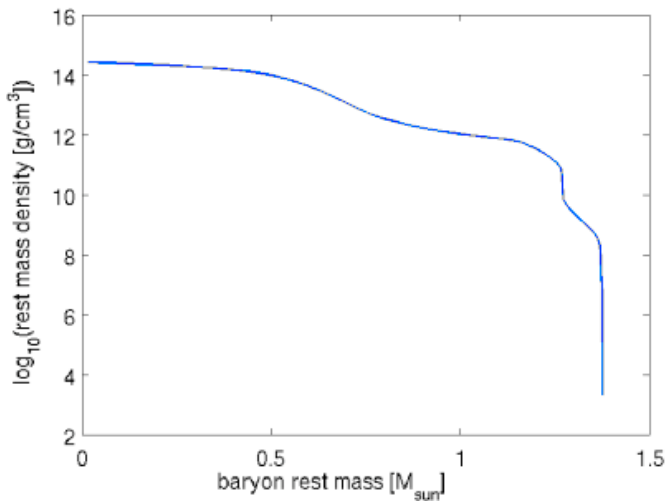
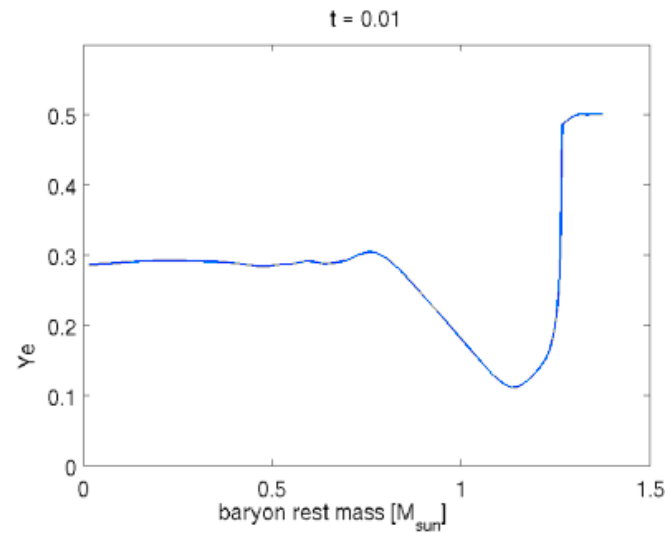
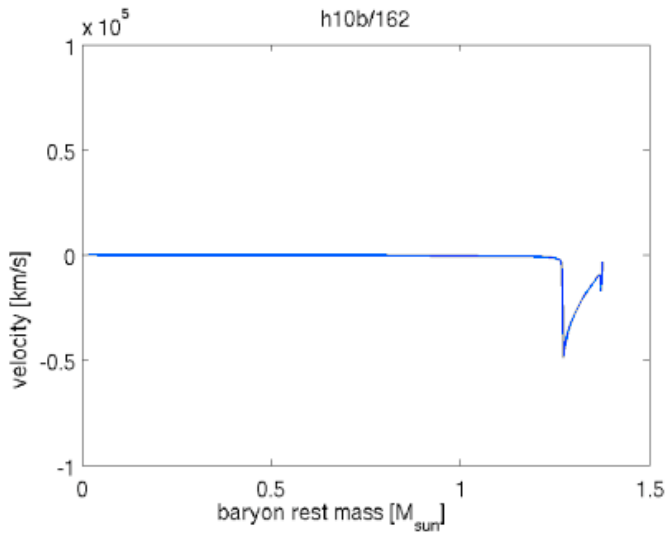


Recurrent detailed investigations:

Hillebrandt, Nomoto, Wolff 1984
Mayle, Wilson 1988
Kitaura, Janka, Hillebrandt 2006
Janka et al. 2008

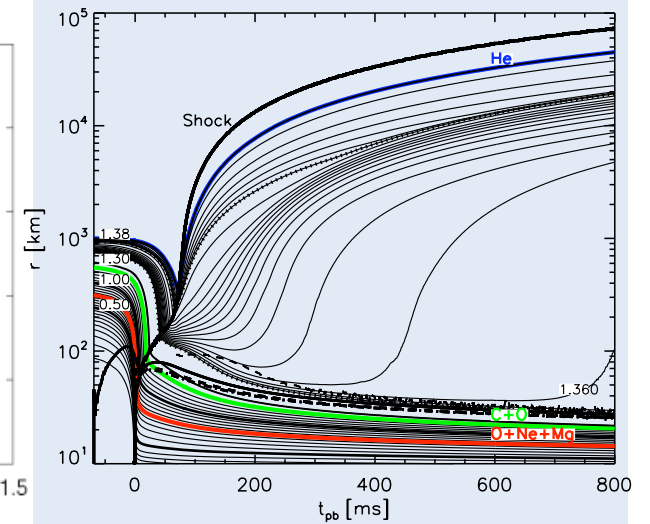


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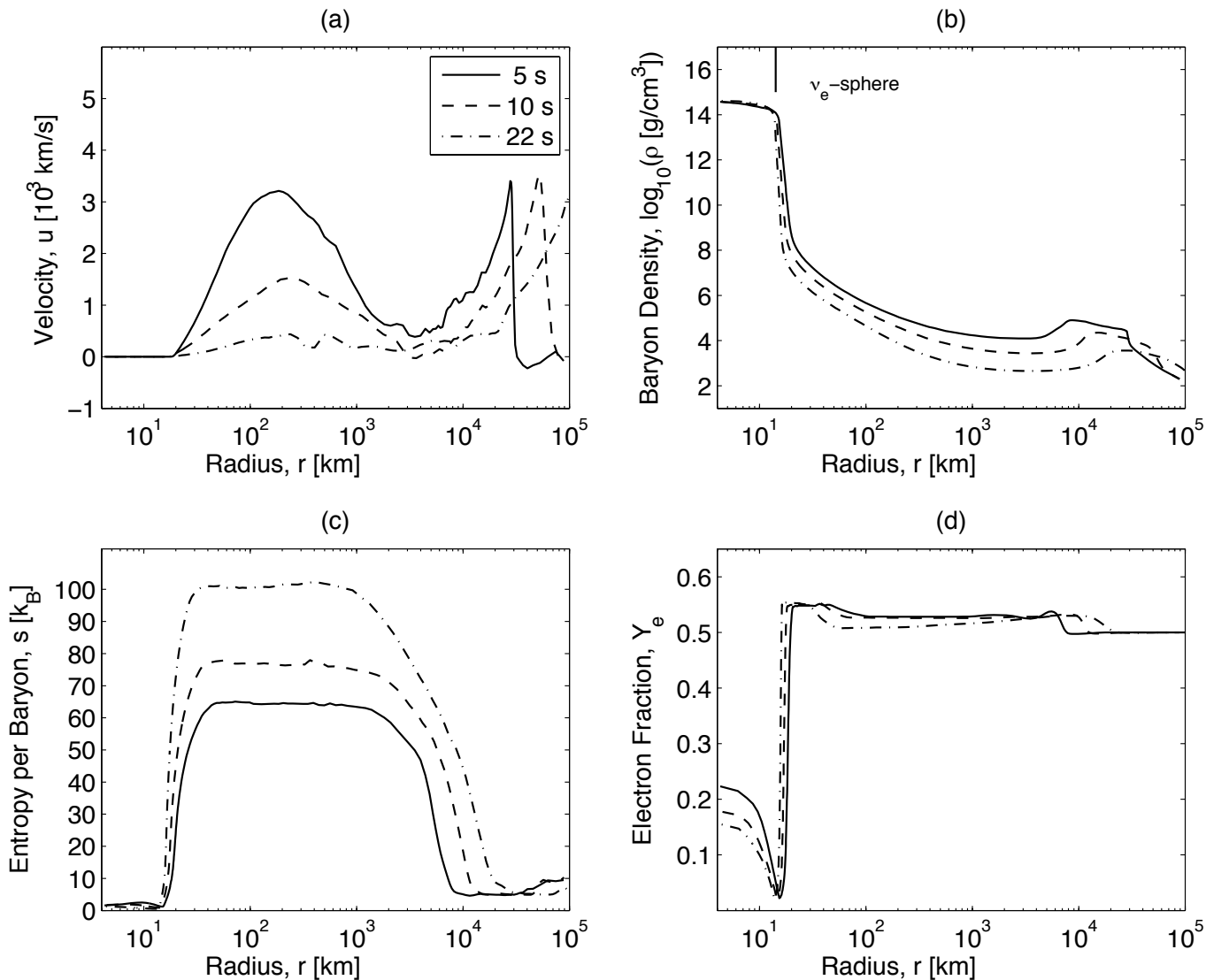
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Fischer et al. 2009

Neutrino wind phase



18 Msun

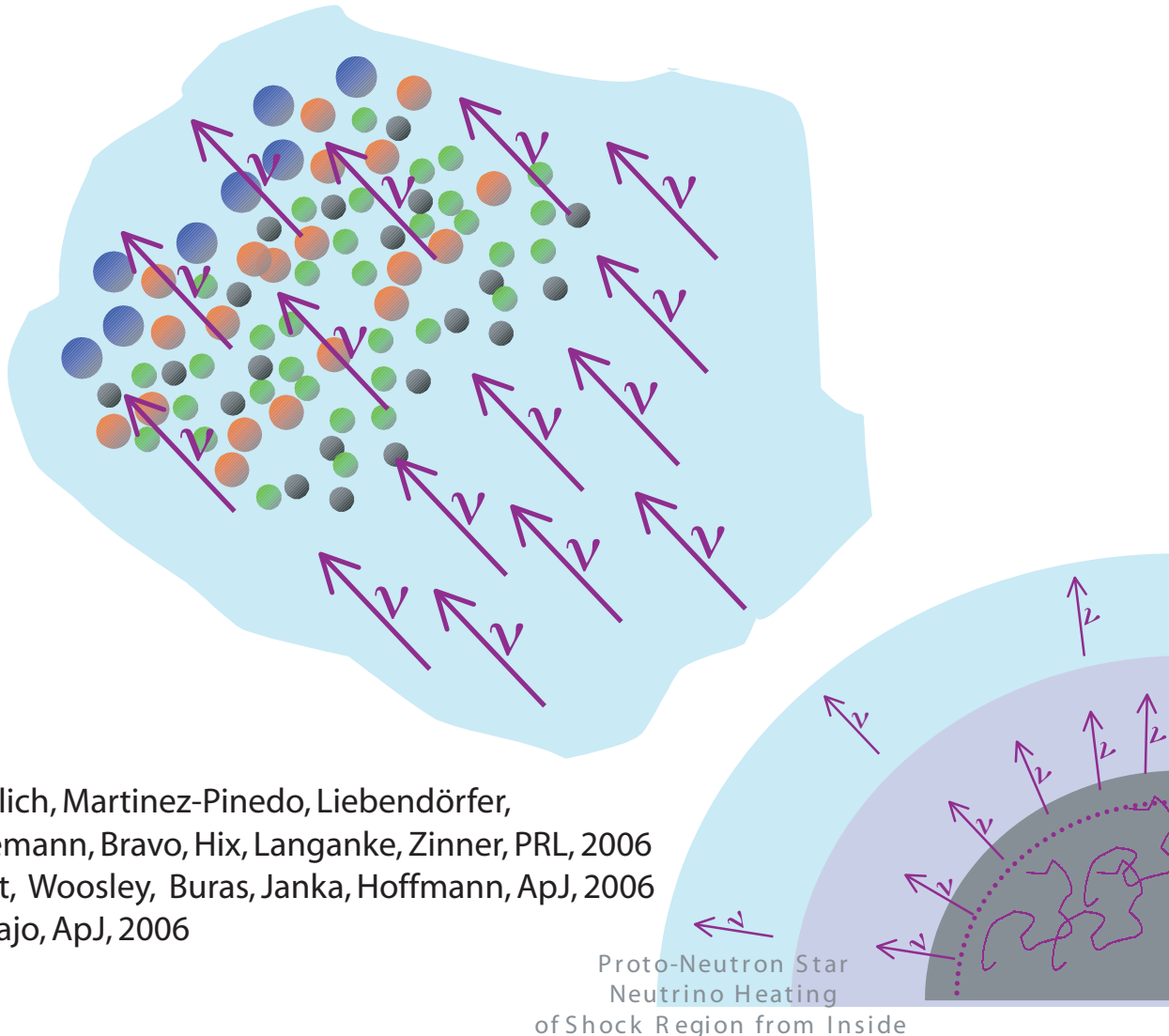
Improvements of Agile-Boltztran allow for the first time for simulations to ~ 20 s postbounce time.

Studies of explosions of 10 and 18 Msun progenitors based on enhanced ν rates.

ν -wind has rather high Y_e ($> \sim 0.5$)

The νp -process in p-rich ejecta

An interesting nucleosynthesis process:



- Fröhlich, Martinez-Pinedo, Liebendörfer, Thielemann, Bravo, Hix, Langanke, Zinner, PRL, 2006
- Pruet, Woosley, Buras, Janka, Hoffmann, ApJ, 2006
- Wanajo, ApJ, 2006

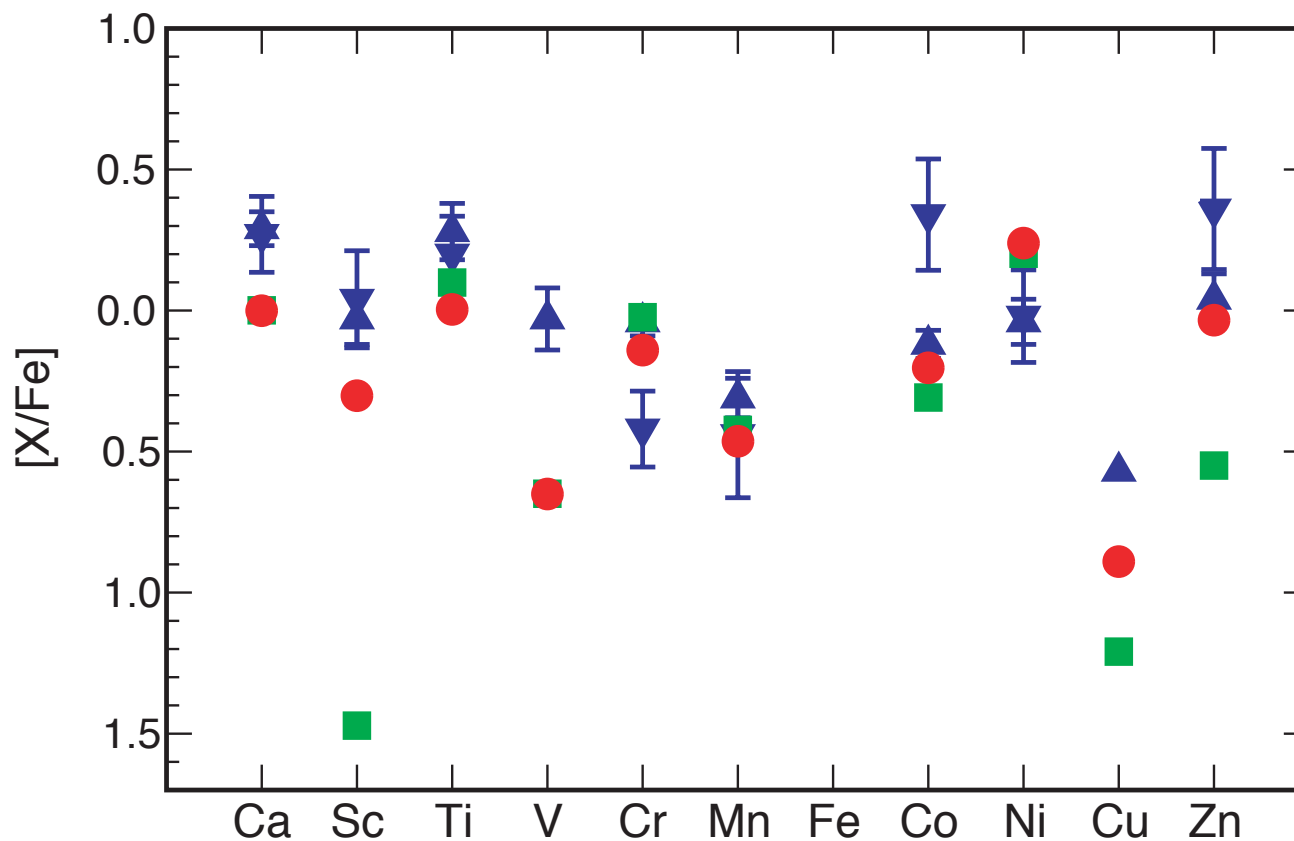
- Similar luminosities of neutrinos and anti-neutrinos

- Hot expanding ejecta with low electron chemical potential

Proton to neutron mass difference favours protons

Nucleosynthesis in p-rich ejecta

Comparison of elemental overabundances with observations from metal-poor and extremely metal-poor stars

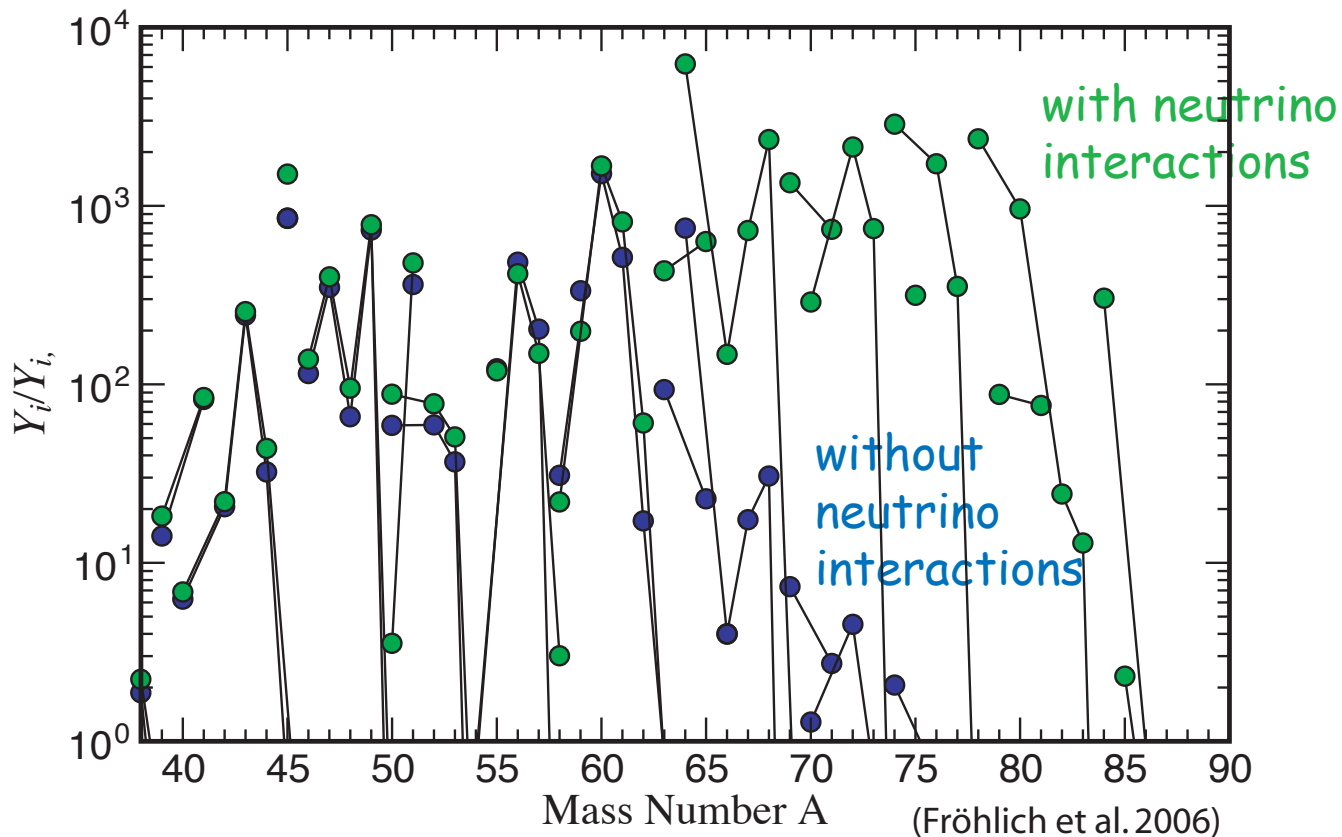


• improved agreement with observation by nucleosynthesis in proton-rich environment of Sc
Cu
Zn

▼ Cayrel et al.
▲ Gratton & Sneden
■ Thielemann et al.
● Fröhlich et al.

(See also Umeda & Nomoto 2005)

Step 2: The νp -process



Nuclei up to $A \sim 80$ are produced when the neutrino-nucleon interactions are consistently included in the network!

--> **New nucleosynthesis process**

1) ^{64}Ge has $T_{1/2} = 64$, This is larger than the expansion time scale ~ 10 s

2) antineutrinos are captured on free protons and produce neutrons for (n,p) reactions replacing beta decay-->the flow continues!

3) Responsible for Sr differences in HE 0107-6240, (Frebel et al. 2006)
HE 1327-2326?

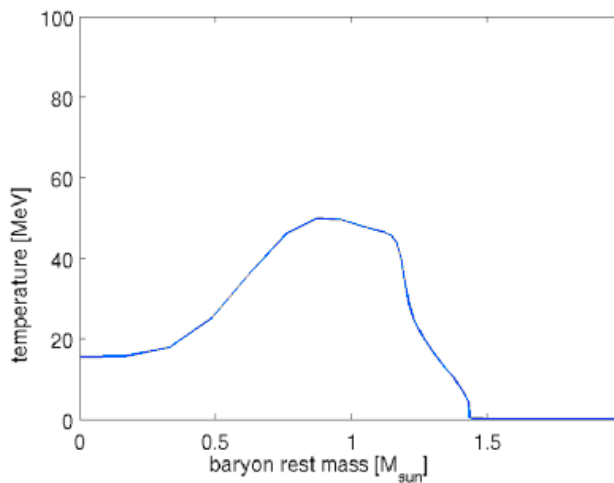
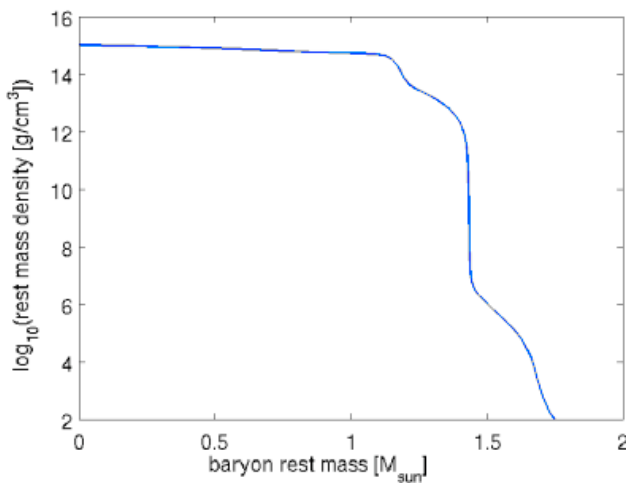
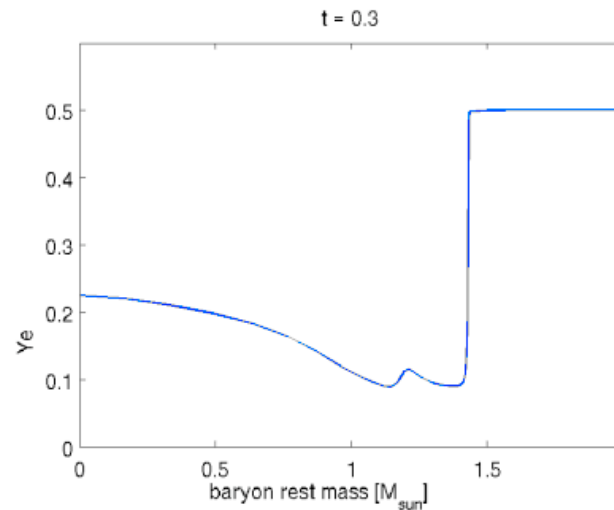
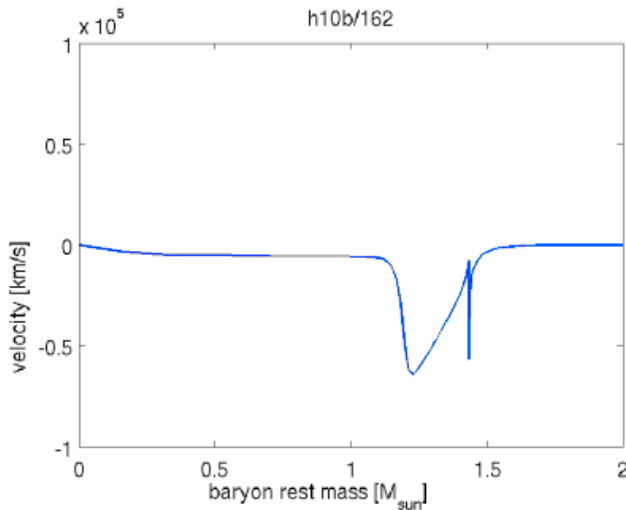
Phase Transition in Proto-Neutron Star



- neutron star collapse
- conversion to quark phase from inside out
- shrinking mixed phase
- second accretion shock propagating out
- shock moves with mixed-hadronic phase boundary
- accretion shock detaches from phase boundary to reach ν -spheres in the hadronic phase
- shocked matter accelerates and triggers explosion

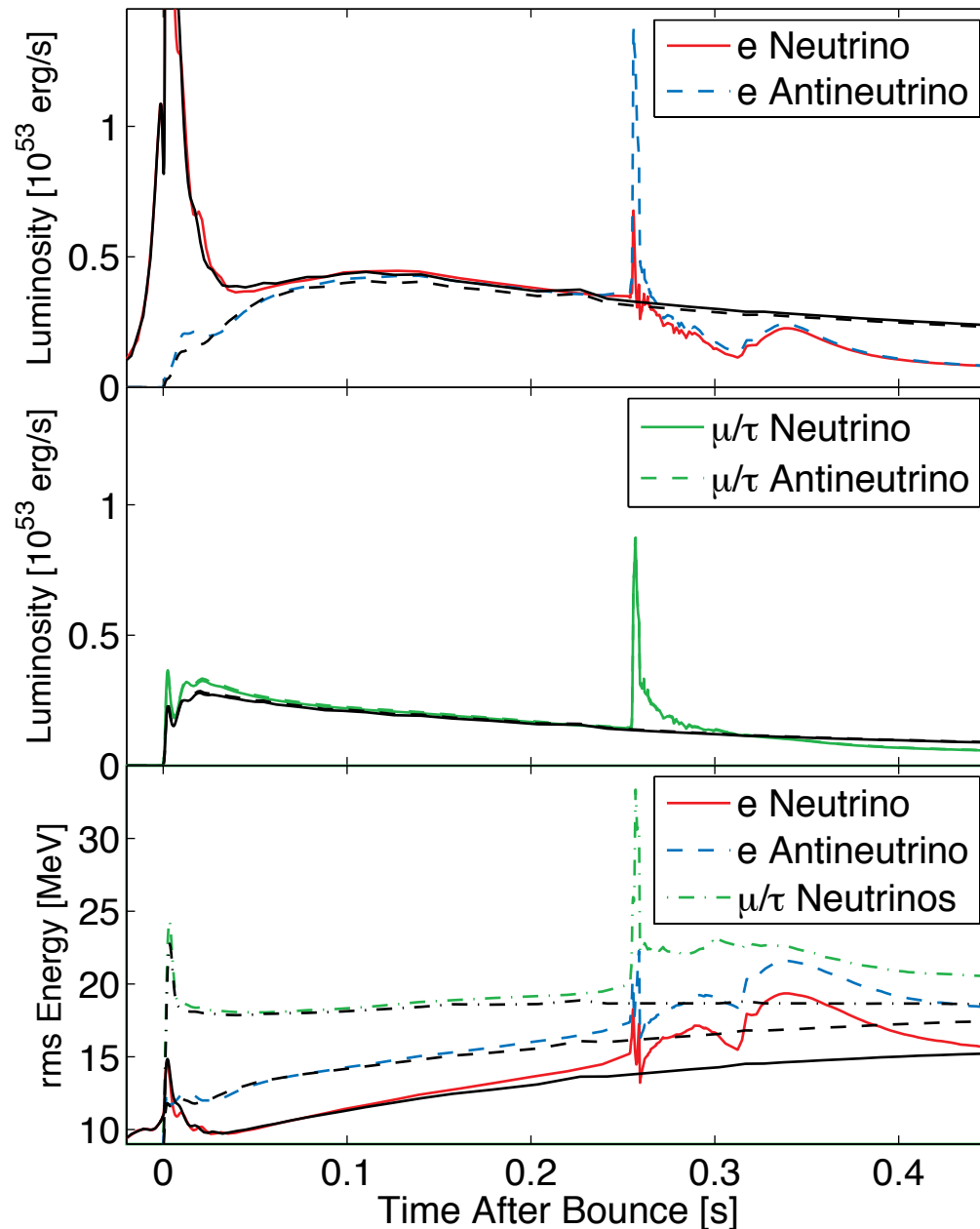
(Sagert, Fischer et al., PRL 2009)

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ν -signature of phase transition



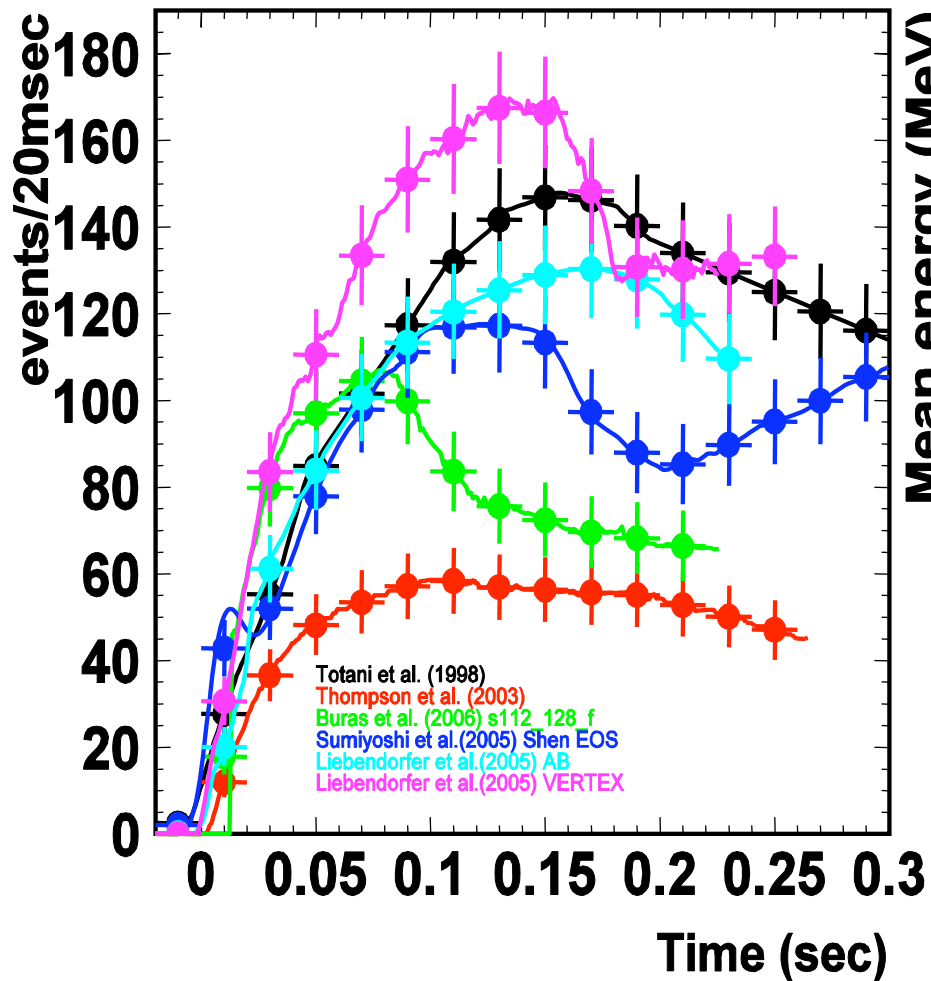
Shown is a simulation of a 10 Ms star containing quark matter ($B^{1/4} = 162$) compared to one with hadronic matter only (black lines)

- Strong and narrow second neutrino peak in all flavours
- Step up in neutrino rms energies

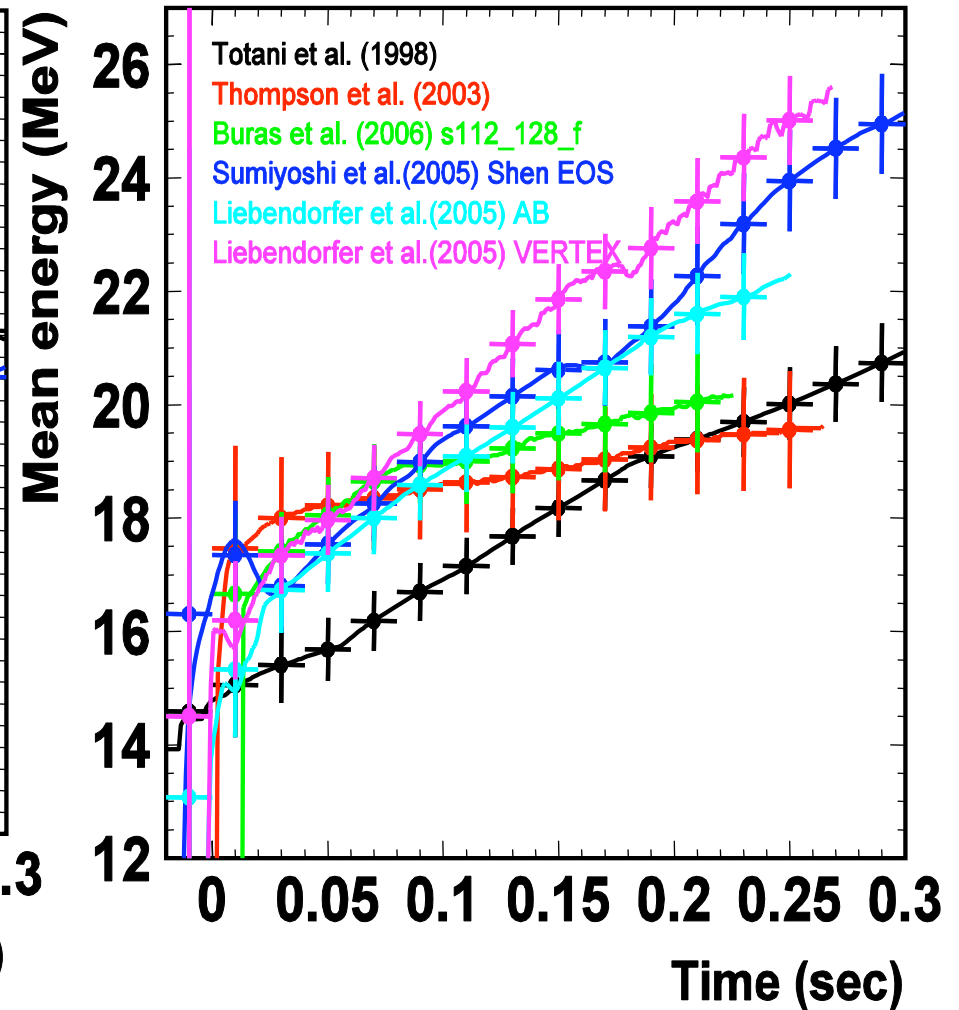
Sensitivity of SK for time variation measurement

Assuming a supernova at **10kpc**, expected statistical error is plotted.

Time variation of event rate



Time variation of mean energy



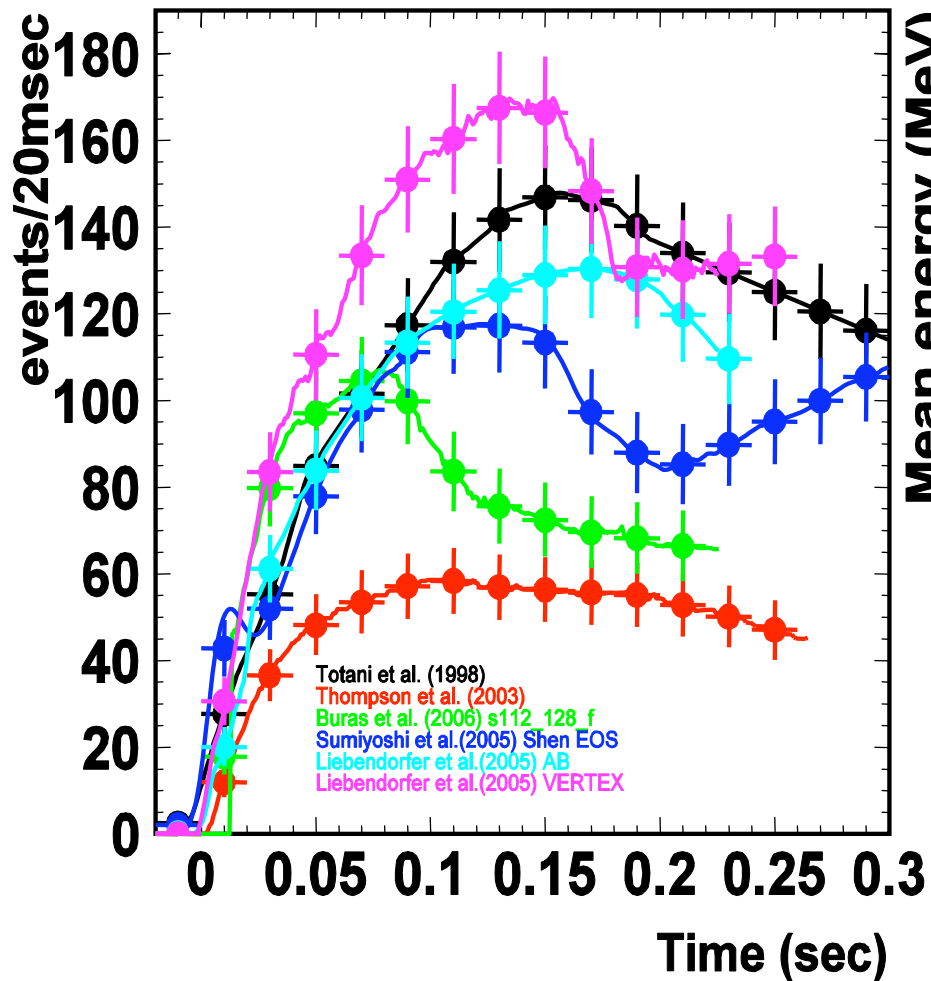
Enough statistics to test those models

Transparency from M. Nakahata,
20 years after SN1987A, Feb. 2007

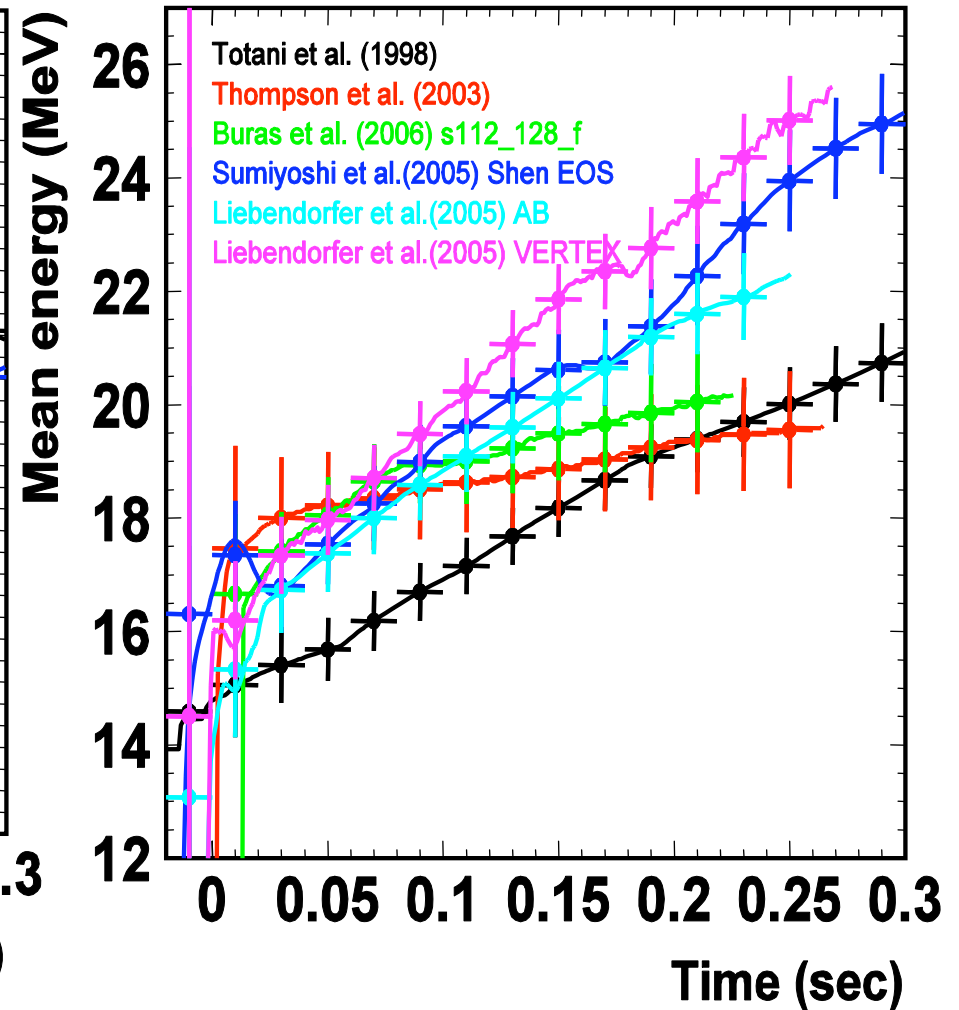
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Time variation of event rate



Time variation of mean energy



Enough statistics to test those models
yes, but difficult to detect narrow peak!
(pers. comm. S. Horiuchi, S. Kawagoe)

Transparency from M. Nakahata,
20 years after SN1987A, Feb. 2007

No/weak explosions: What is missing?



Accretion phase with standing accretion shock (spherical or not) or fallback from weak explosion



Proto-neutron star (PNS) reaches critical density and reconfigures



Shock wave propagates toward the PNS surface



Shock accelerates at the density cliff at the edge of the PNS and catches up with the first shock



Outflow behind the shock leads to a large gain radius so that the explosion becomes unavoidable

- similar neutron star masses at birth

- transient neutrino signal with anti-neutrino dominance

- ejected low- Y_e pocket (r-process?)



Quark matter in neutron stars

(Sagert, Fischer et al., PRL 2009)

Spectral ν -transport in axisymmetry

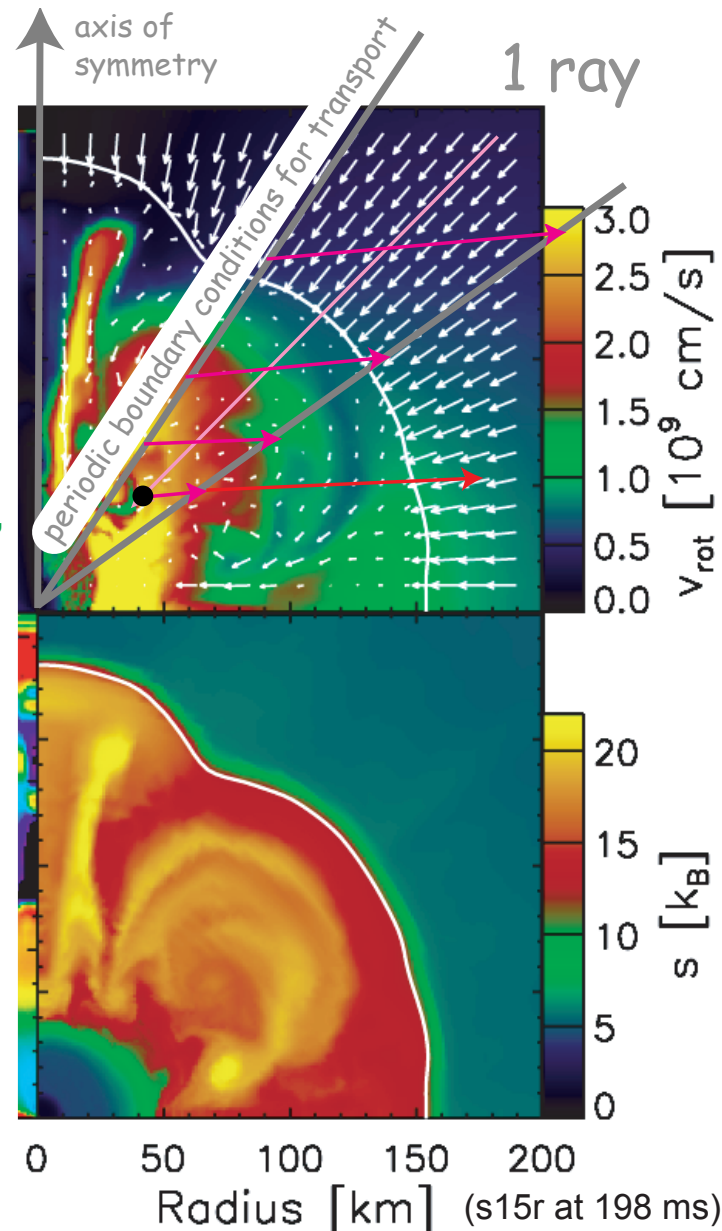
2D + ray-by-ray

Improved models of stellar core collapse and still no explosions: what is missing?

R. Buras, M. Rampp, H.-Th. Janka, K. Kifonidis, Phys. Rev. Lett., 2003

Several alternative approaches:

Livne et al. (2004)
Walder et al. (2004)
Myra & Swesty (2005)
Bruenn et al. (2007)
Dessart et al. (2007)
Ott et al. (2008)
Swesty & Myra (2009)



Example Garching group:

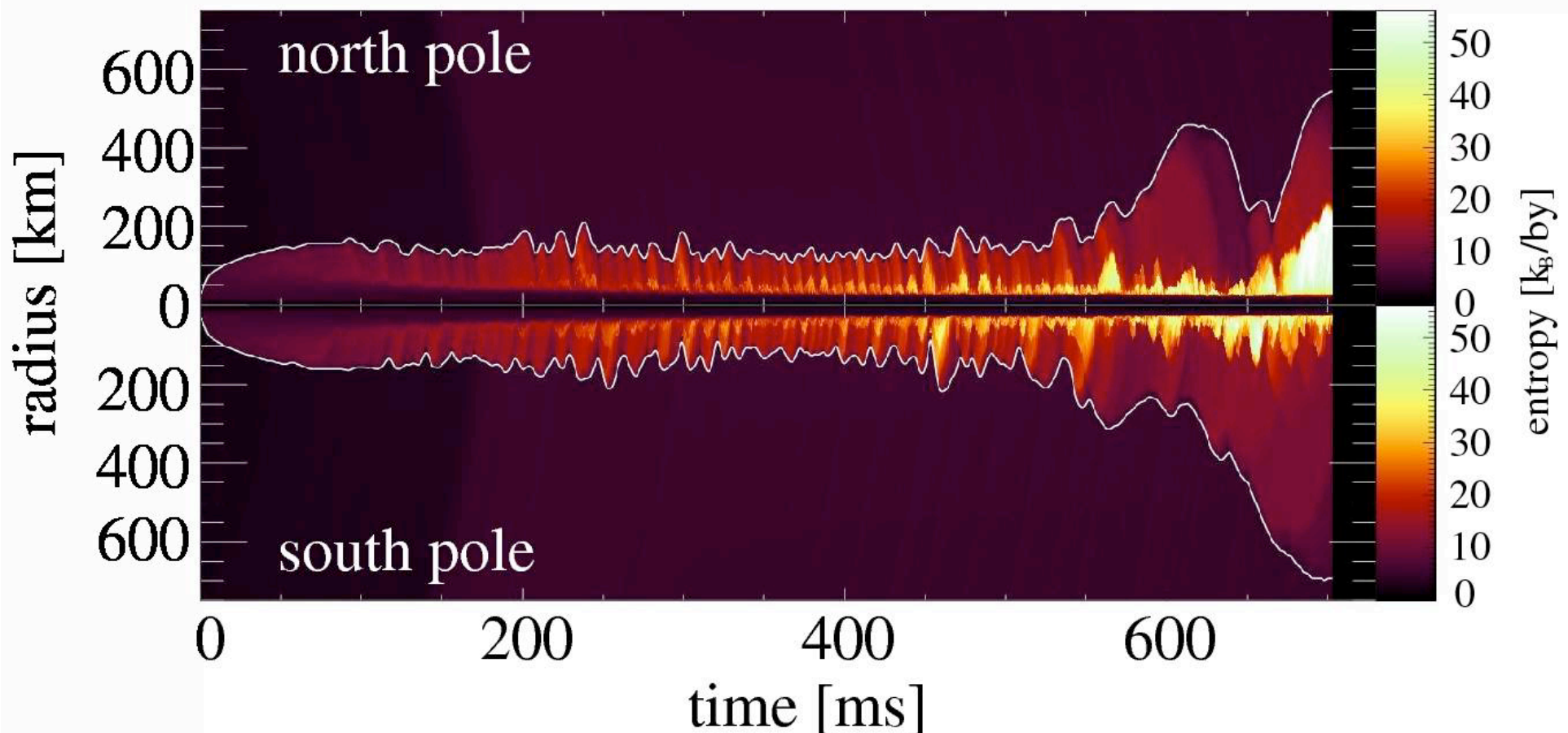
- couple 1D solution to 2D hydrodynamics in angular segments
- explosion for 11 Ms, and for 15 Ms (Marek & Janka 2007)
- advantage of reliable 1D transport
- disadvantage of large computation time and neglected tangential transport

...produces weak delayed explosions

- Standing Accretion Shock Instability (SASI) perturbs shock radius Blondin, Mezzacappa 2003, Foglizzo et al. 2007
- Extended postbounce phase before weak explosion

Marek & Janka 2009

Full problem only
affordable for few
selected runs



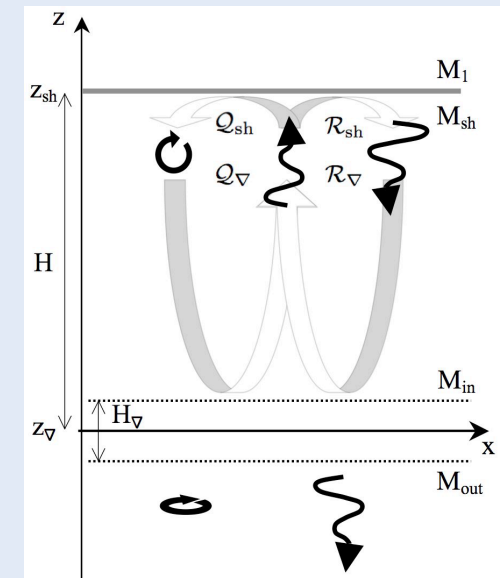
Standing Accretion Shock Instability

- Seen in simulations without ν physics: sloshing and spiral modes

Blondin & Mezzacappa 2003

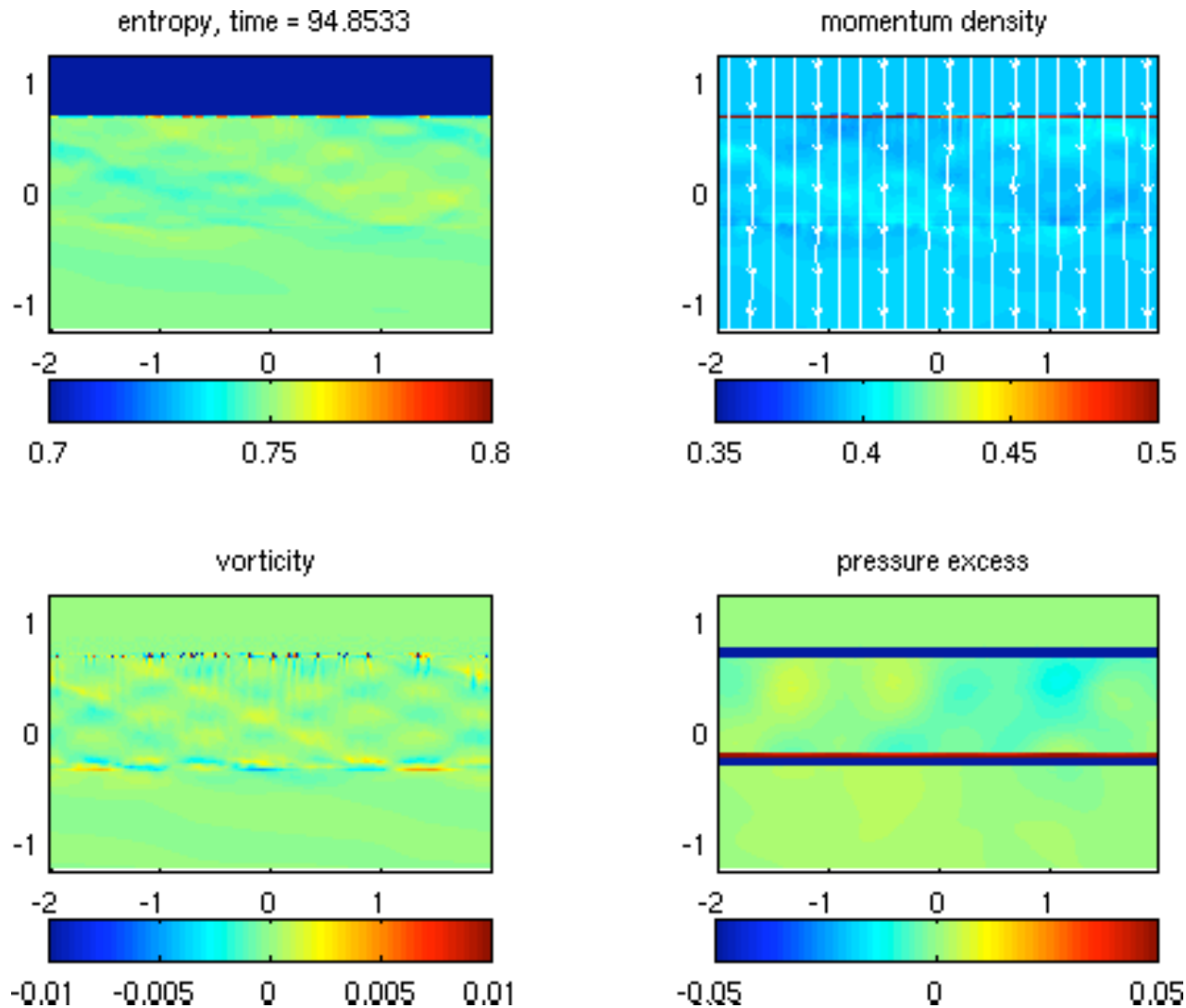
- Advective-acoustic instability (SASI)

Foglizzo et al. 2005/9



Why not convective turnover à la Herant et al. 1994 ?

Standing Accretion Shock Instability

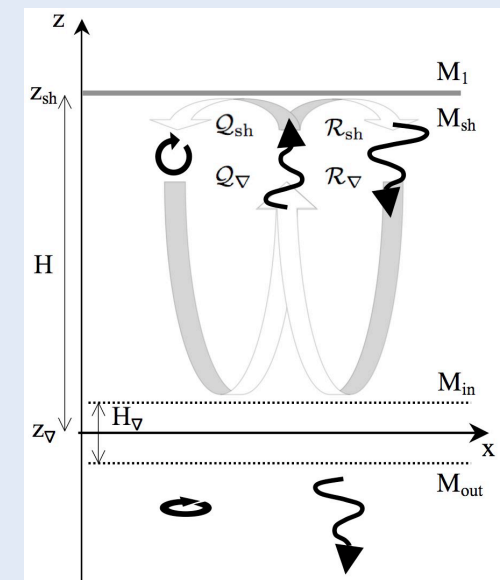


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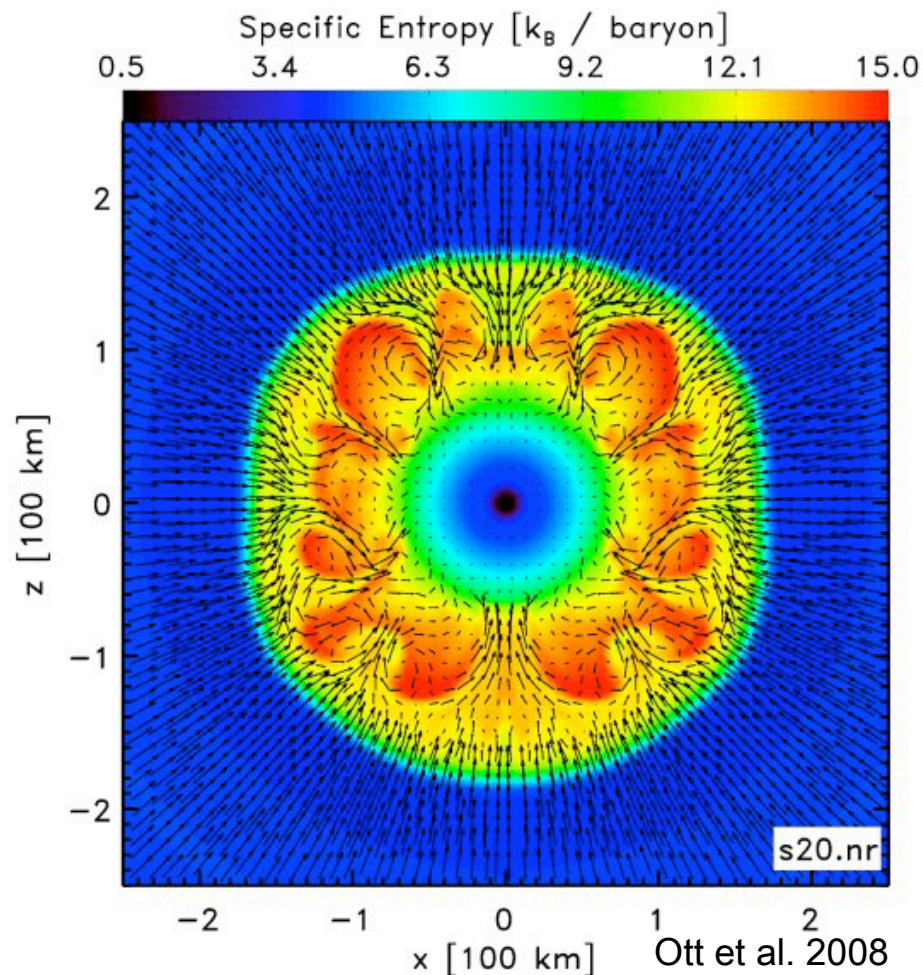


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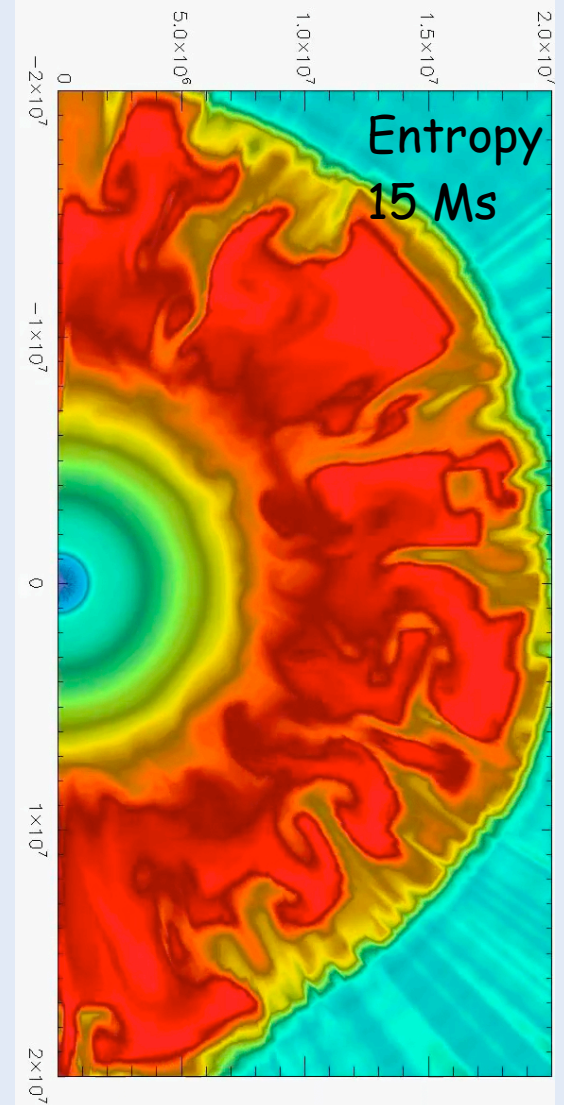
Convergence in 2D not yet demonstrated

Explosion at 1200 ms by acoustic mechanism:

- unconfirmed by other groups Burrows et al. 2006
- coupling to higher modes? Weinberg & Quataert 2008



Entropy
at 160 ms
20 Ms

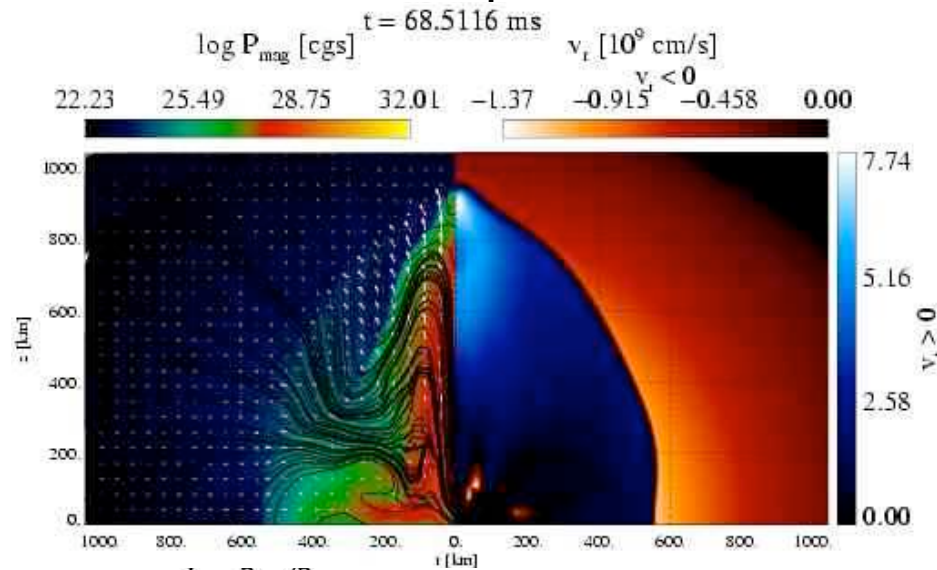


Explosion ~400ms?

Messer et al. 2008

Magneto-rotational explosion mechanism

Recent MHD collapse simulations with a neutron star



Obergaulinger
 et al. 2006,
 $T/W=0.23\%$,
 $B=1E+13 \text{ G}$

Takiwaki et al.
 2007, $T/W=1\%$,
 $B=1E+10 \text{ G}$

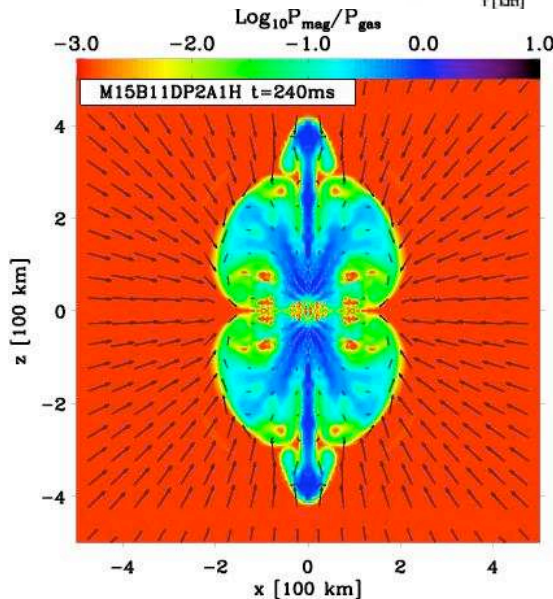
Pioneering efforts:

Leblanc & Wilson 1970
 Bisnovaty-Kogan 1971/76
 Kundt 1976
 Meier et al. 1976
 Müller & Hillebrandt 1979

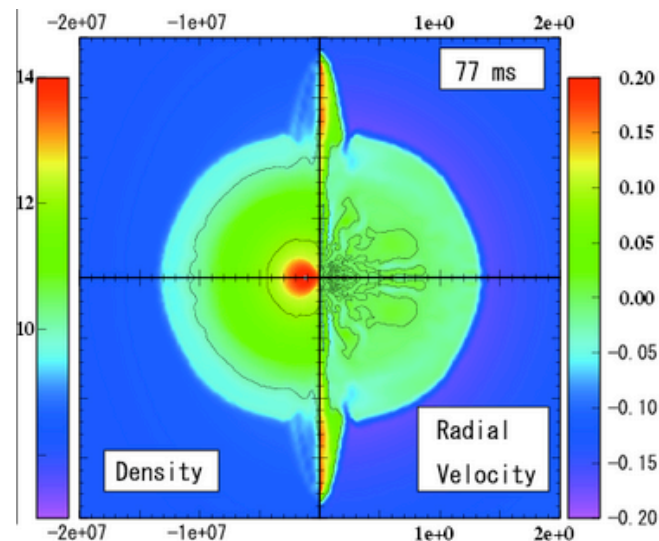
...

MacFadyen & Woosley 1999

Collapsar model (accretion into BH)



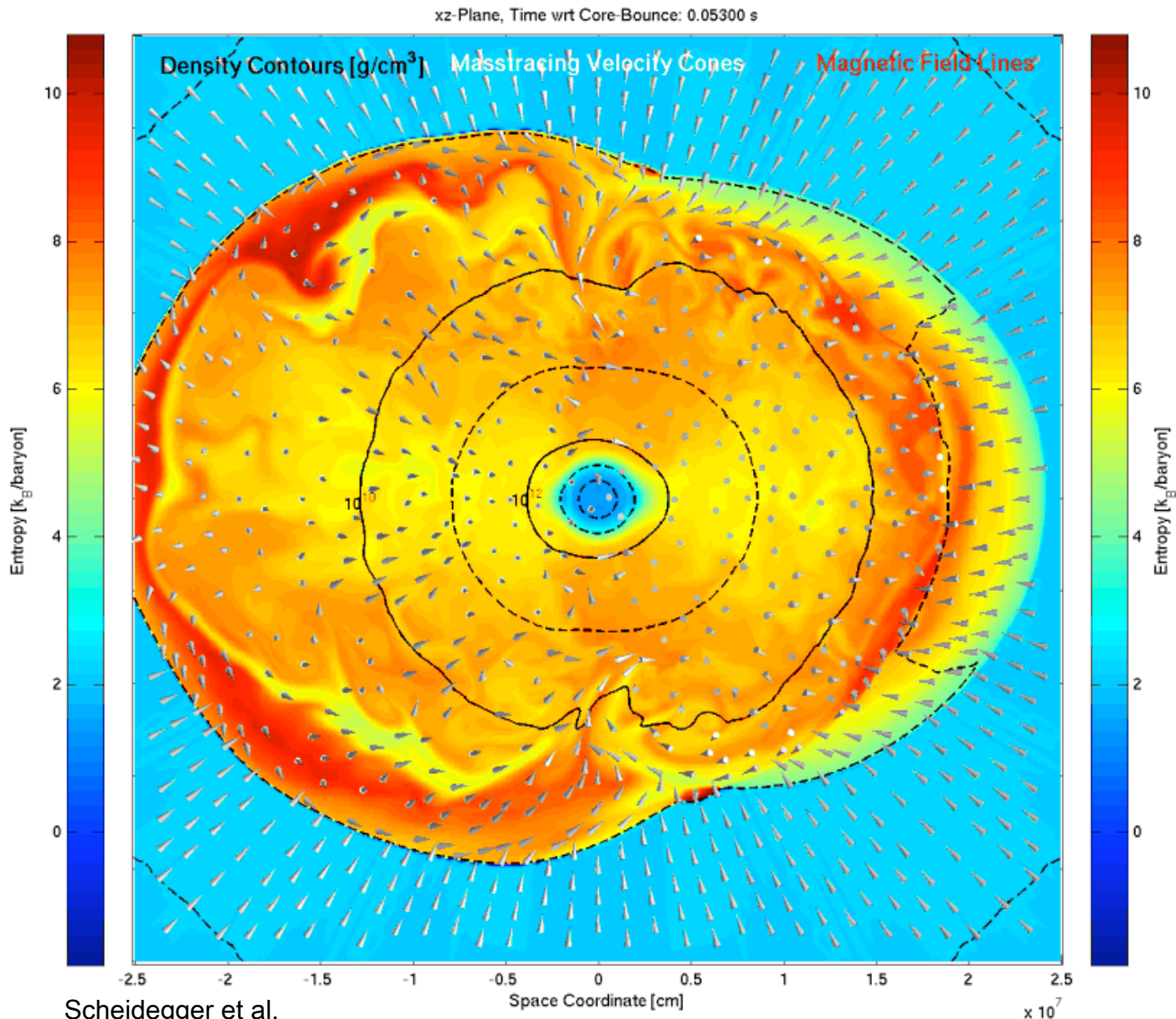
Burrows
 et al.
 2007,
 $2\pi \text{ rad/s}$,
 $1E+11 \text{ G}$



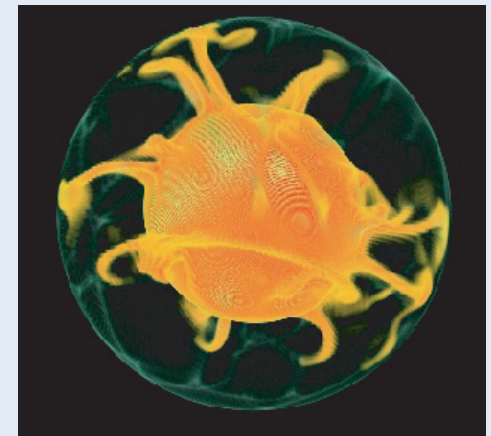
Modelling challenge:

- Weak initial field
- Short collapse
- Long growth time

From axisymmetry to 3D



- how restrictive is axisymmetry?
- convective turnover is always toroidal
- narrow downflow restricted to cones instead of tubes



Shijie Zhong 2005

3D Magneto-Hydrodynamics

Elegant parallel hydrodynamics with
approximate neutrino transport



Dr. Stuart C. Whitehouse
Roger Käppeli

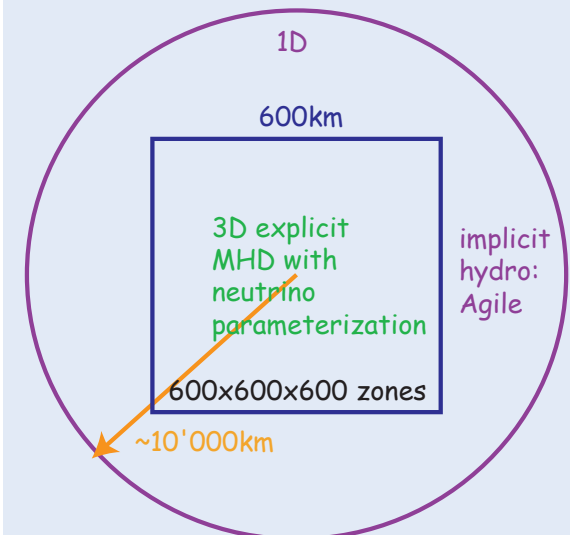


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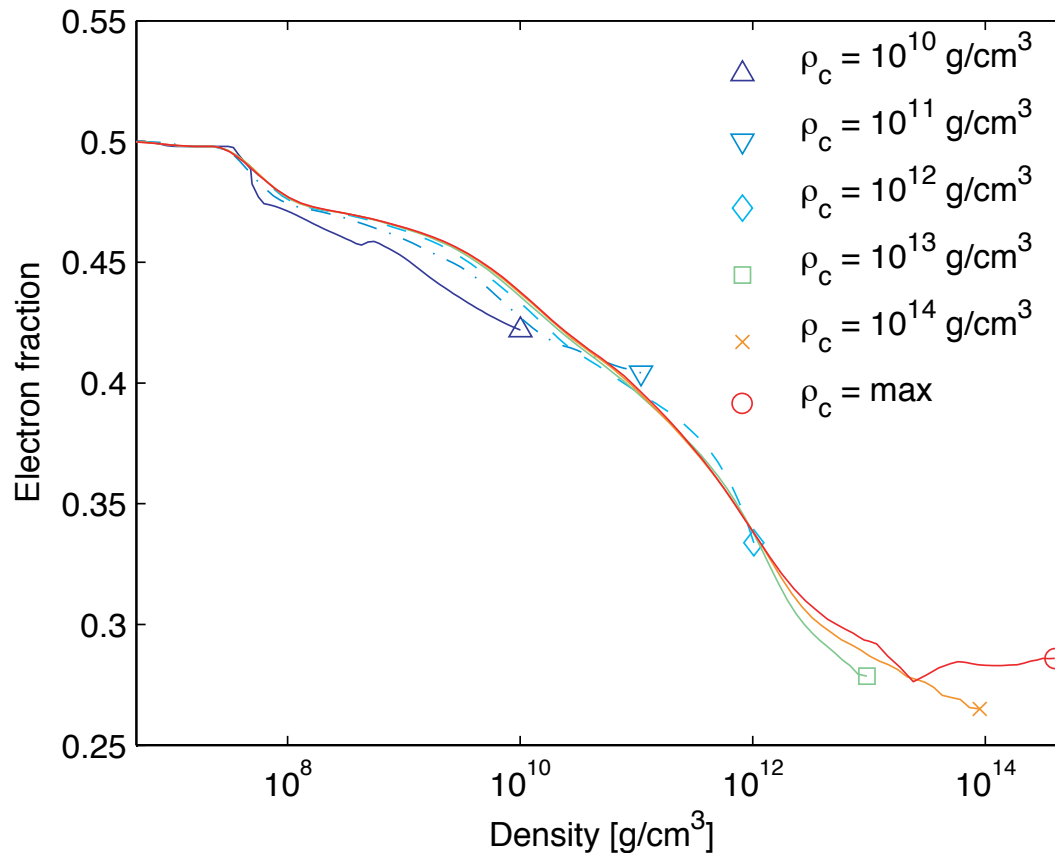
- Lattimer-Swesty EoS
- Effective GR potential
- constrained transport
- 2nd order TVD
- e-flavour neutrinos



(Liebendörfer, Pen, Thompson 2006)

Parameterised ν -physics before bounce

Electron fraction in spherical runs can be parameterised



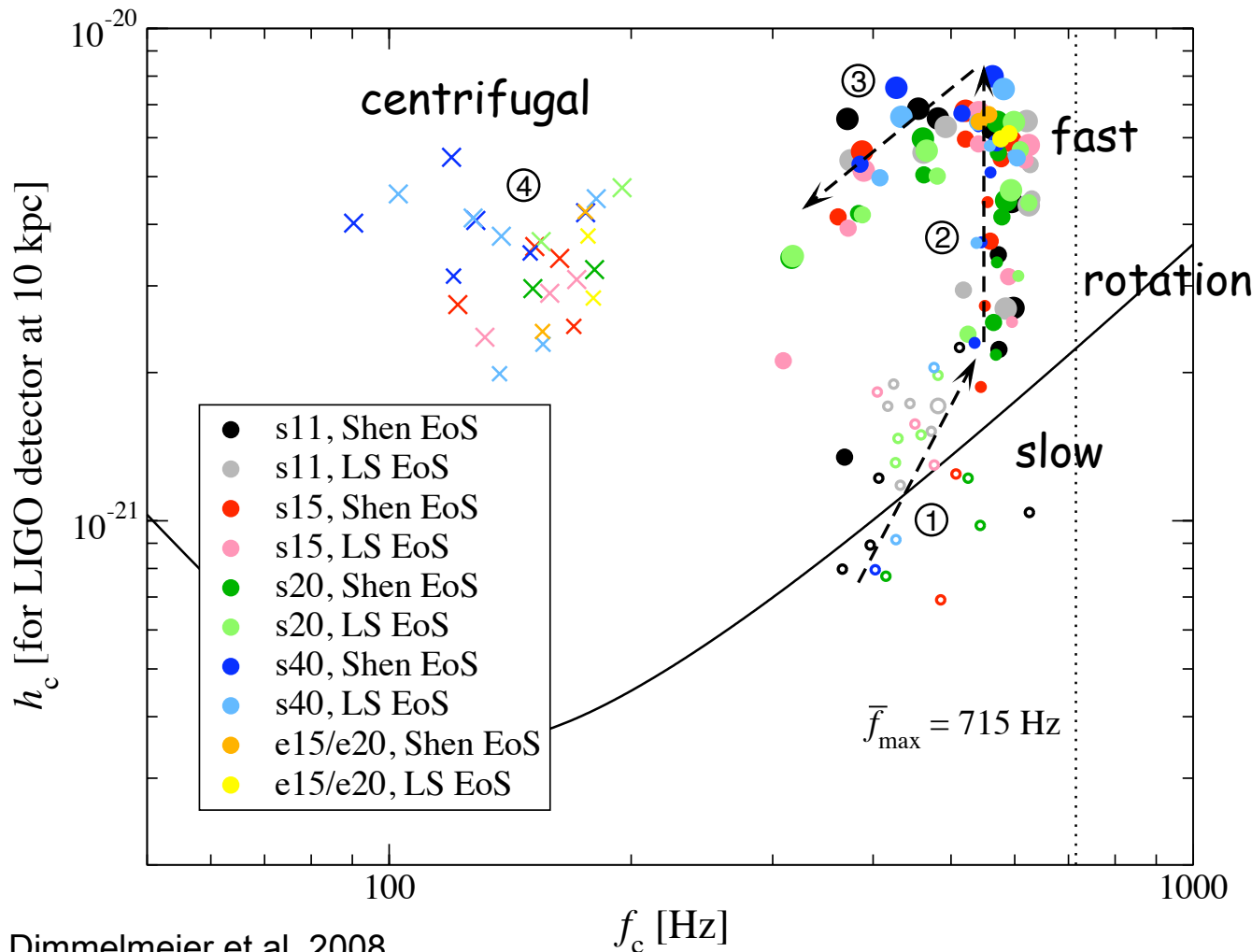
- Simple to implement (compared to neutrino transport...)
- Computationally very efficient!
- Performs well for collapse and bounce
- Not applicable in postbounce phase!

Entropy changes and neutrino stress can be derived:

$$\frac{\Delta s}{\Delta t} = -\frac{\Delta Y_e \mu_e - \mu_n + \mu_p - E_\nu^{esc} (\sim 10 \text{ MeV})}{T}$$

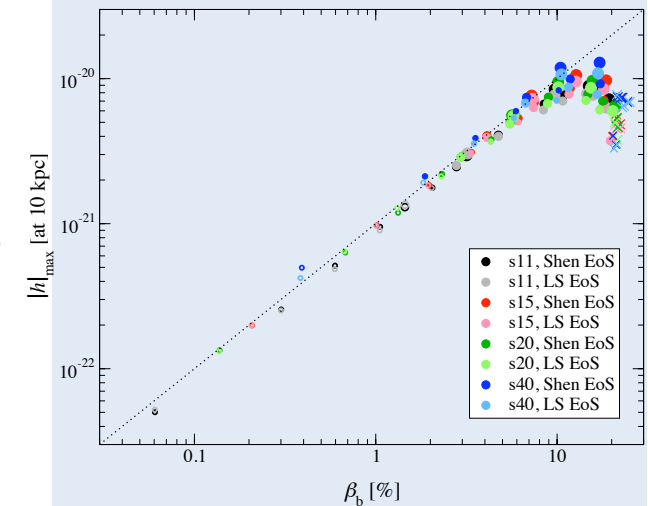
Gravitational waves in 2D models

Many different runs have been analysed based on neutrino parameterisation scheme and nuclear EoS:



Only type I signals found!

Dimmelmeier et al. 2008

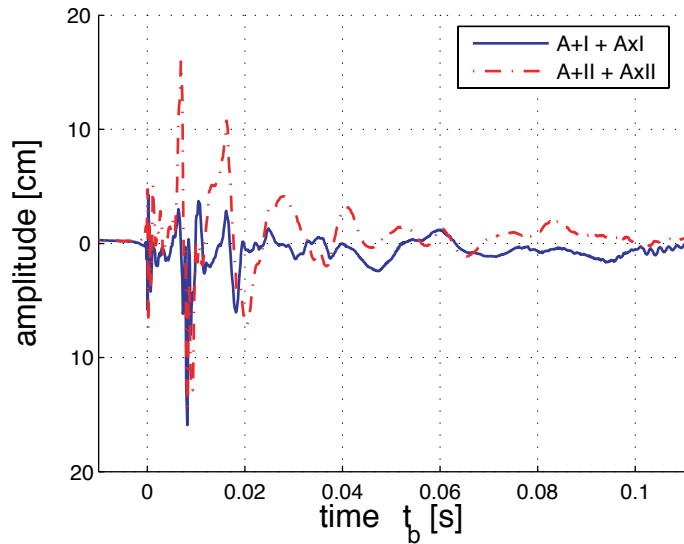


Linear imprint of core rotation rate on GW

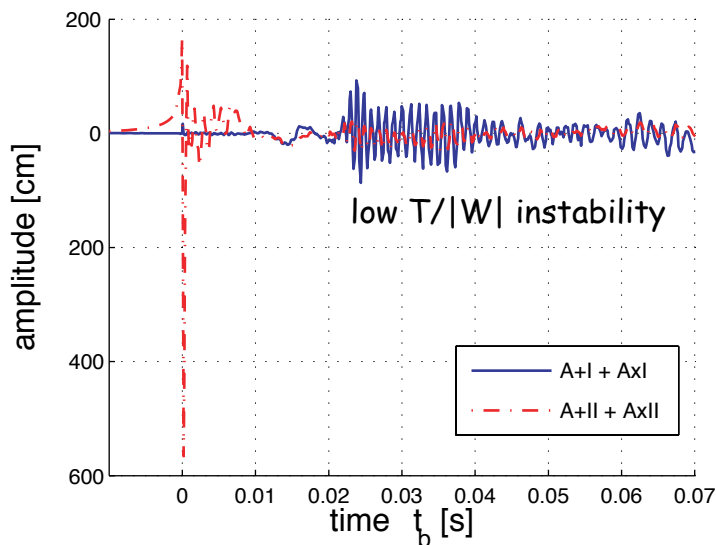
Recent reviews on GW from core-collapse supernovae:

- Kotake, Sato, Takahashi 2005
- Ott 2009

Gravitational waves in 3D

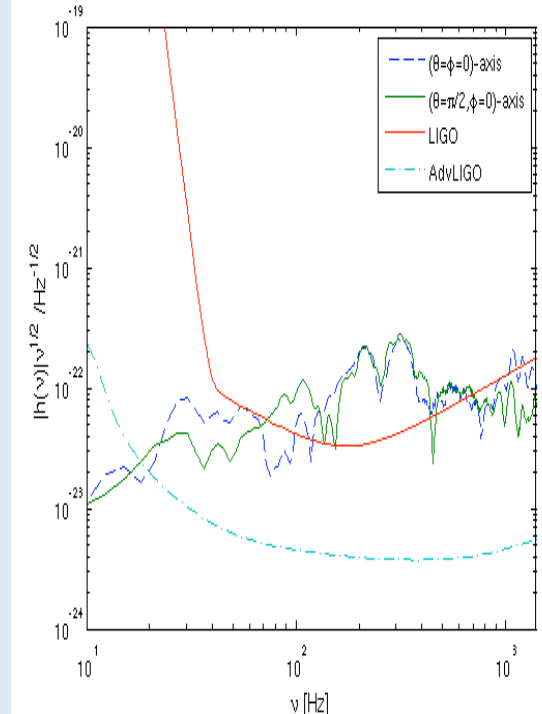


Slowly rotating 15Ms progenitor according to (Heger, Woosley & Spruit 2005)



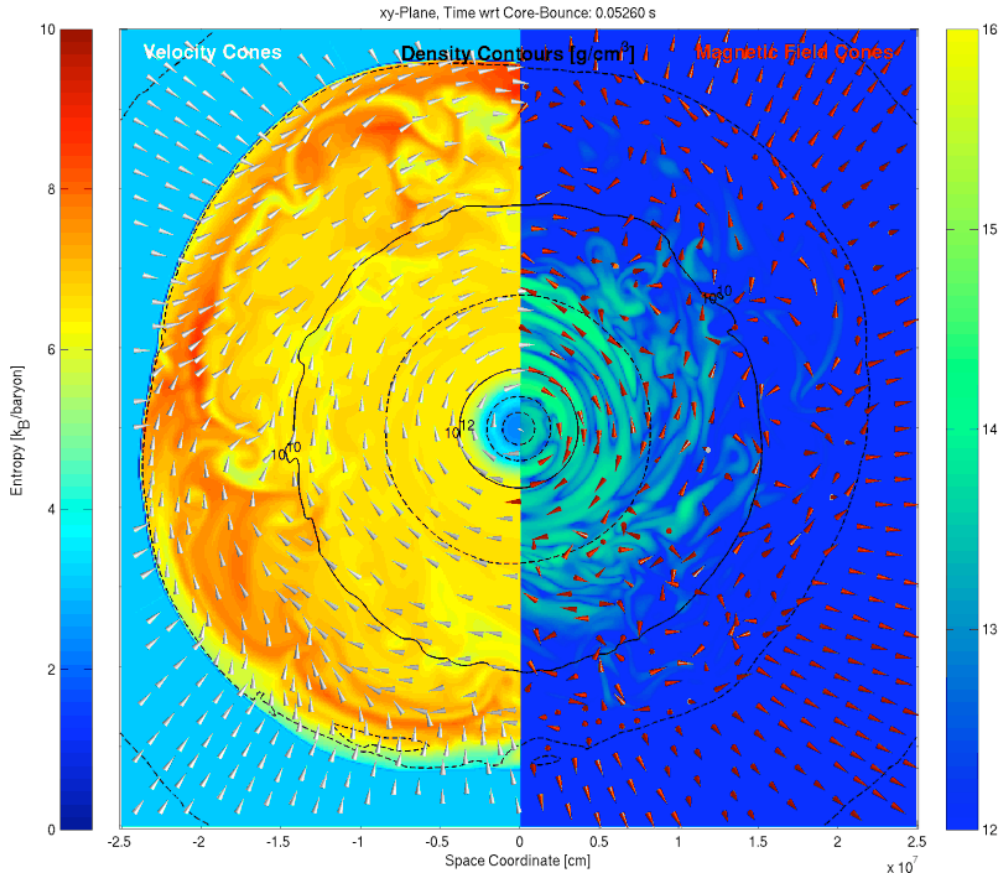
Fast rotating 15Ms progenitor $\Omega \sim 2\pi$ rad/ps

--> imprint of bounce and rotation rate

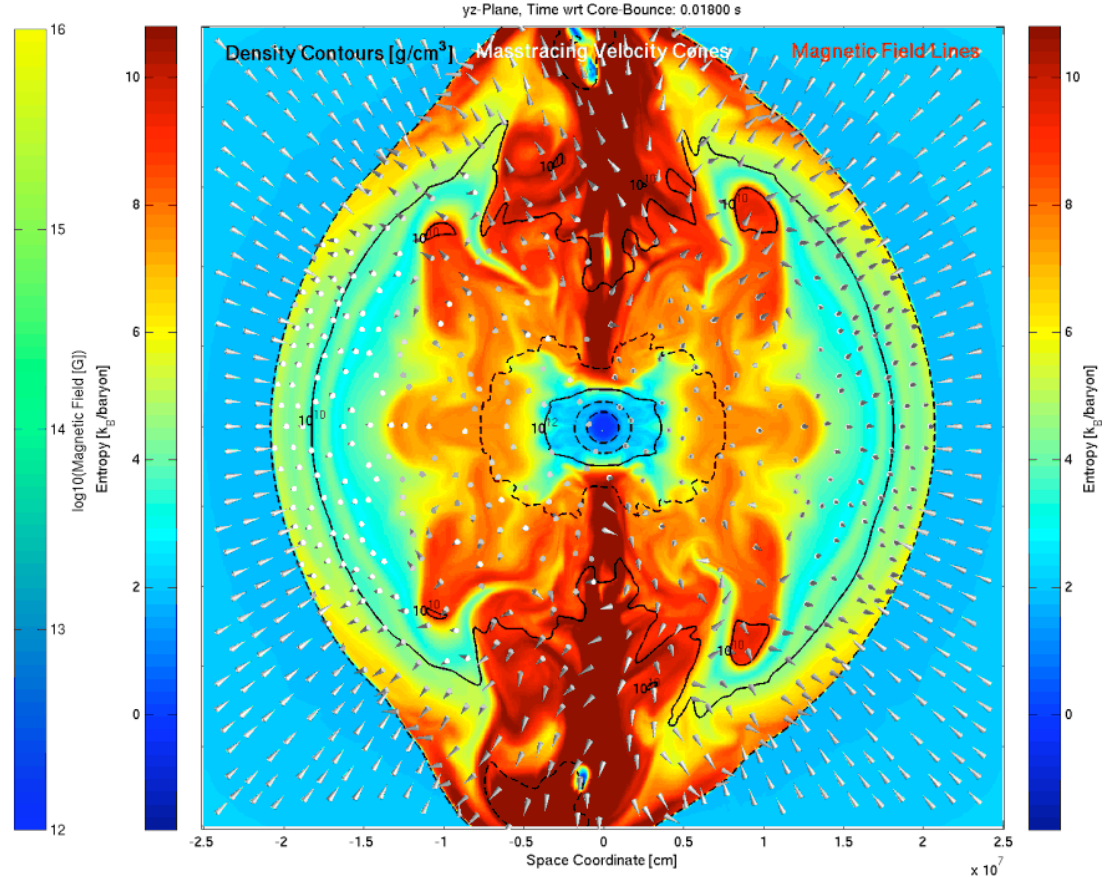


Galactic supernovae
-- could (LIGO)
-- should (Adv. LIGO) be detectable

Experimental 3D magneto-rotational runs



Setup with weak toroidal field
--> winding
Liebendörfer et al. 2006



Setup with poloidal field as in Burrows et al. 2007,
--> jet
Käppeli, Scheidegger et al.

Pitfalls of multi-D Boltzmann ν -transport



Boltzmann transport:

- One fluid element contains
4 ν types \times 20 energies \times 100 angles = 8000 variables
- At a resolution of 1000^3 zones
--> 64TB per time step

Hydrodynamics:

- One fluid element contains ~ 10 variables
- At a resolution of 1000^3 zones
--> 80GB per step

Solving the Boltzmann equation

$$\begin{aligned}
 & \frac{\partial F}{\alpha c \partial t} + \frac{\partial (4\pi r^2 \alpha \rho \mu F)}{\alpha \partial m} + \Gamma \left(\frac{1}{r} - \frac{\partial \alpha}{\alpha \partial r} \right) \frac{\partial [(1 - \mu^2) F]}{\partial \mu} \\
 & + \left(\frac{\partial \ln \rho}{\alpha c \partial t} + \frac{3u}{r c} \right) \frac{\partial [\mu (1 - \mu^2) F]}{\partial \mu} \\
 & + \left[\mu^2 \left(\frac{\partial \ln \rho}{\alpha c \partial t} + \frac{3u}{r c} \right) - \frac{1u}{r c} - \mu \Gamma \frac{\partial \alpha}{\alpha \partial r} \right] \frac{1}{E^2} \frac{\partial (E^3 F)}{\partial E} \\
 & = \frac{j}{\rho} - \tilde{\chi} F + \frac{1}{h^3 c^4} E^2 \int d\mu' R_{is}(\mu, \mu', E) F(\mu', E) \\
 & - \frac{1}{h^3 c^4} E^2 F \int d\mu' R_{is}(\mu, \mu', E) \\
 & + \frac{1}{h^3 c^4} \left[\frac{1}{\rho} - F(\mu, E) \right] \int E'^2 dE' d\mu' \tilde{R}_{nes}^{in}(\mu, \mu', E, E') F(\mu', E) \\
 & - \frac{1}{h^3 c^4} F(\mu, E) \int E'^2 dE' d\mu' \tilde{R}_{nes}^{out}(\mu, \mu', E, E') \left[\frac{1}{\rho} - F(\mu', E') \right]
 \end{aligned}$$

$$\frac{\partial Y_e}{\partial t} = -\frac{2\pi m_B}{h^3 c^2} \int E^2 dE d\mu \left(\frac{j}{\rho} - \tilde{\chi} F \right) \quad \frac{\partial e}{\partial t} = \dots \quad \frac{\partial u}{\partial t} = \dots$$

Evolution of specific neutrino distr. function:

$$F(t, m, \mu, E) = f(t, r, \mu, E) / \rho$$

=> 3D implicit problem

Comoving metric:

$$\begin{aligned}
 ds^2 &= -\alpha^2 dt^2 + \left(\frac{1}{\Gamma} \frac{\partial r}{\partial a} \right)^2 \\
 &+ r^2 (d\vartheta^2 + \sin^2 \vartheta d\varphi^2)
 \end{aligned}$$

Stress-energy tensor:

$$\begin{aligned}
 T^{tt} &= \rho(1 + e + J) \\
 T^{ta} = T^{at} &= \rho H \\
 T^{aa} &= p + \rho K \\
 T^{\vartheta\vartheta} = T^{\varphi\varphi} &= p + \frac{1}{2} \rho (J - K)
 \end{aligned}$$

Pitfalls of multi-D Boltzmann ν -transport



Boltzmann transport:

- One fluid element contains
4 ν types \times 20 energies \times 100 angles = 8000 variables
- At a resolution of 1000^3 zones
--> 64TB per time step

Compression of Fermi-gas:

$$\frac{dF}{dt} - \frac{1}{3E^2} \frac{\partial}{\partial E} (E^3 \rho F) \frac{d}{dt} \left(\frac{1}{\rho} \right) - \frac{1}{r^2} \frac{\partial}{\partial r} \left(r^2 \frac{c\lambda}{3} \frac{\partial F}{\partial r} \right) = \left(\frac{dF}{dt} \right)_{\text{collision}}$$

de pdV diffusion = interactions

Hydrodynamics:

- One fluid element contains ~ 10 variables
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difficult energy-terms
must not be neglected!

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de pdV diffusion = interactions

Diffusion limit:

$$\frac{\lambda}{3} \frac{\partial F}{\partial r} \ll F, \quad \frac{H}{cJ} \sim 10^{-4}, \quad H = \int_{-1}^{+1} F(\mu) \mu d\mu$$

Hydrodynamics:

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Inaccurate fluxes in
diffusion-regime due to
large cancellations in
angle integral!

There is no perfect transport algorithm...

	Diffusive regime	Semi-transparent	Transparent regime
Boltzmann solver	Truncation errors in flux		Inefficient ang. resol.
Flux-limited diffusion		Flux-factor estimated	Flux-factor unknown
Ray-tracing	Short mean free path	Limited by reaction rates	

The ideal algorithm combines the three green fields!
However, it might be too complicated. Alternatives:

- **Variable Eddington Factor method**
successful in 2D but very computationally expensive!
(Rampp & Janka, Buras et al. 2002-5)
- **Grey diffusion in one regime and grey transparent elsewhere**
successful in 3D but not accurate enough!
(e.g. Fryer & Warren 2004)
- **Multi-Group Flux-Limited diffusion**
difficulty of local flux limiters & multi-D
(e.g. Arnett 1966, Bruenn 1985,...)

... and 3D neutrino transport?



Fryer & Warren 2002/4,
Scheck et al. 2003

... and 3D neutrino transport?



Efficiency and accuracy?

Fryer & Warren 2002/4,
Scheck et al. 2003

... and 3D neutrino transport?



Efficiency and accuracy?

Neutrino transport dominates calculation time:

--> Implement **all** relevant physics to **leading** order!

Fryer & Warren 2002/4,
Scheck et al. 2003

... and 3D neutrino transport?



Efficiency and accuracy?

Neutrino transport dominates calculation time:

--> Implement **all** relevant physics to **leading** order!

- Thermodynamics of trapped particles (pdV-term)

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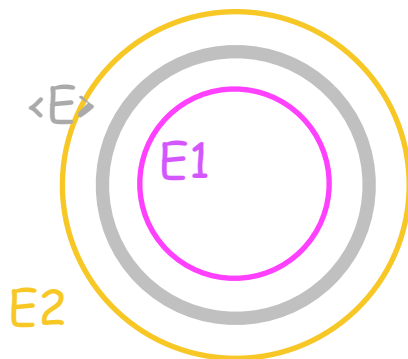
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Fryer & Warren 2002/4,
Scheck et al. 2003
(‘grey’ schemes)

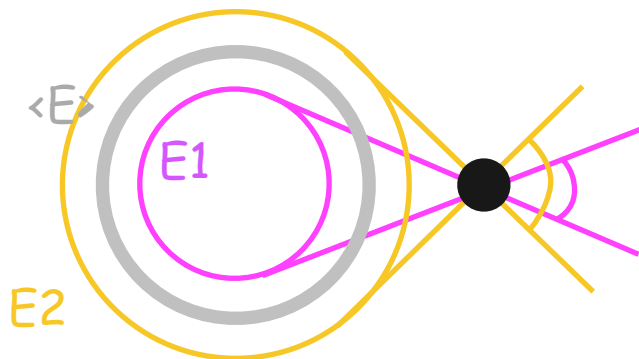
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- Non-local (geometric) v propagation directions



Grey transport and 'local' MGFLD miss some geometry!

Fryer & Warren 2002/4,
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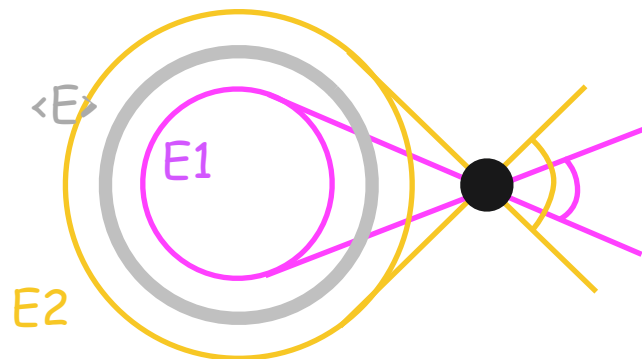
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Separation into

- trapped particles
- streaming particles

Different evolution approximations for these components (adaptive algorithm)

Spectral neutrino transport after bounce

$$D(f) = j - \chi * f$$

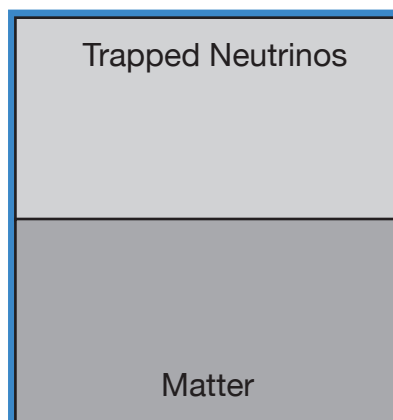
$$f = f(\text{trapped}) + f(\text{streaming}) = f_t + f_s$$

Different approx.
for trapped & streaming
neutrino components!

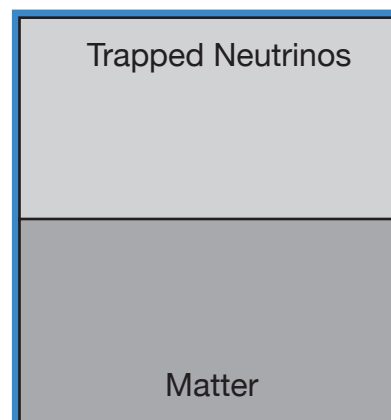
I sotropic
D iffusion
S ource
A pproximation

(Liebendörfer,
Whitehouse,
Fischer 2007)

Fluid element A



Fluid element B



Streaming Neutrinos

Spectral neutrino transport after bounce

$$D(f) = j - \chi * f$$

$$f = f(\text{trapped}) + f(\text{streaming}) = f_t + f_s$$

$$D(f_t) = j - \chi * f_t - \Sigma \quad (1)$$

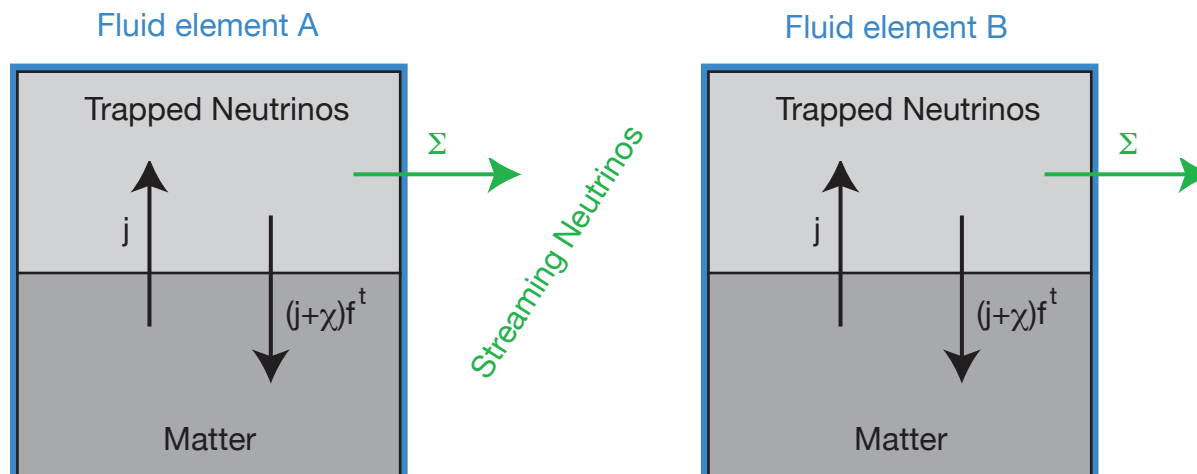
$$D(f_s) = -\chi * f_s + \Sigma \quad (2)$$

Different approx.
for trapped & streaming
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Σ determined by diffusion limit of (1)

I sotropic
D iffusion
S ource
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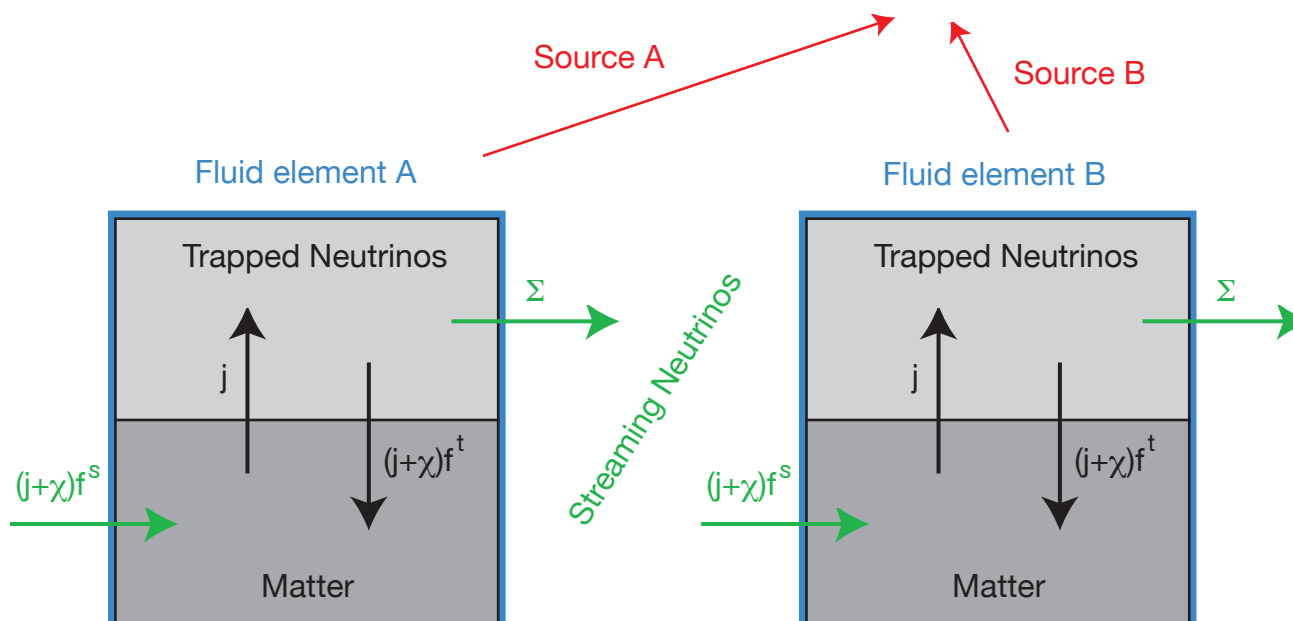
Different approx.
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Σ determined by diffusion limit of (1)

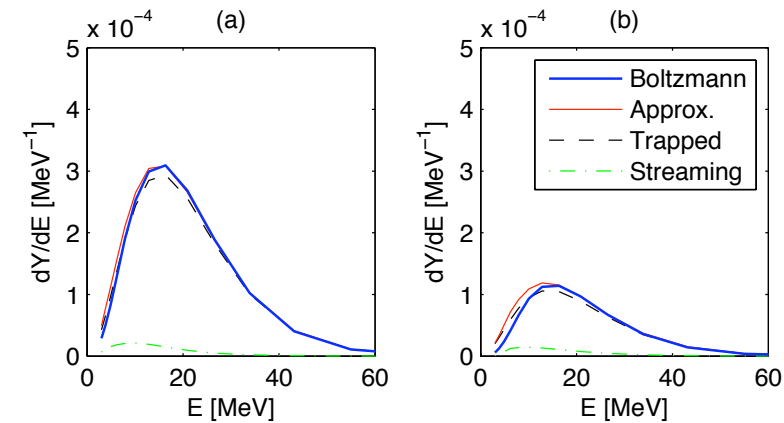
Stationary state approx. for (2) --> **Poisson Eq.**

I sotropic
D iffusion
S ource
A pproximation

(Liebendörfer,
Whitehouse,
Fischer 2007)

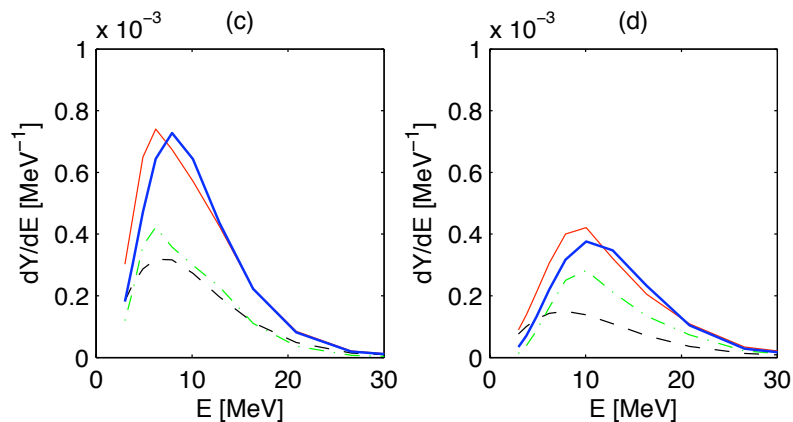


Comparison of IDSA Spectra



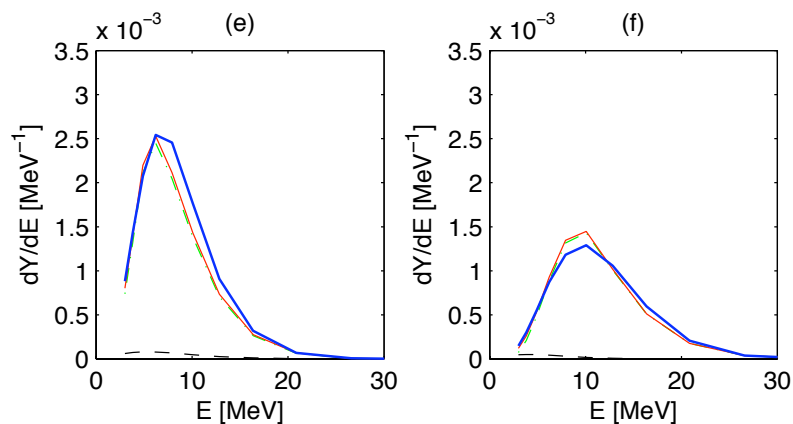
at 40 km radius
(trapped regime)

Trapped neutrinos
dominate spectrum



at 80 km radius
(semi-transparent)

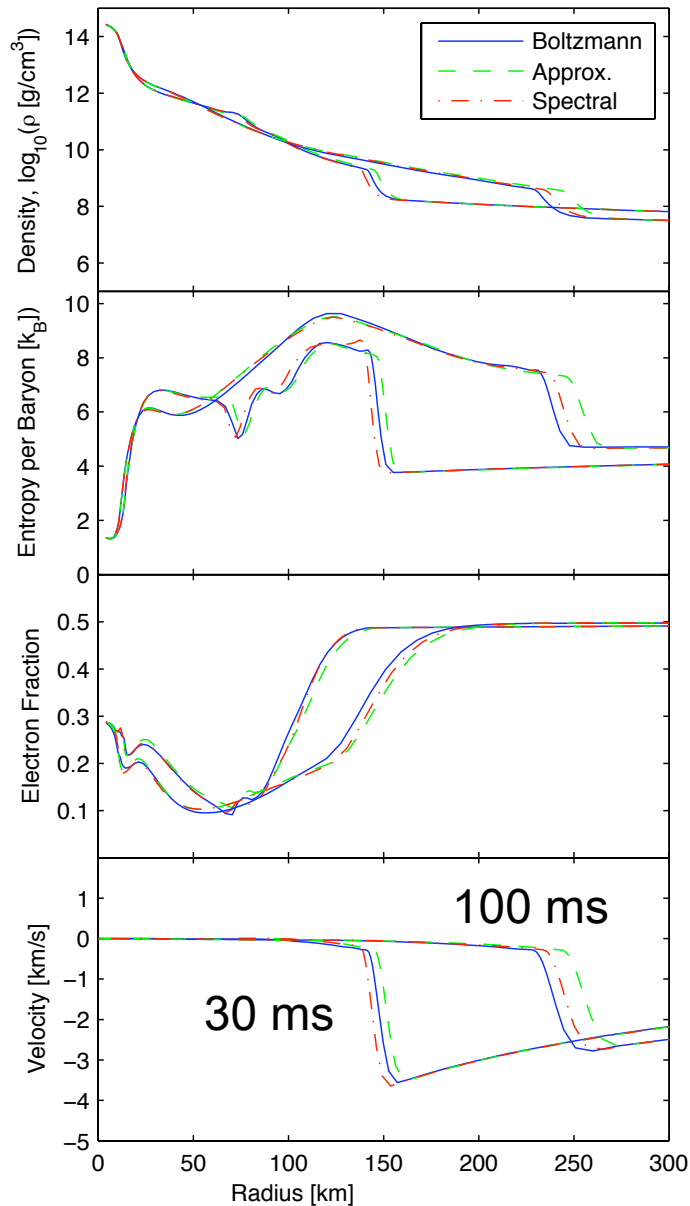
Trapped *and*
streaming neutrinos
form spectrum



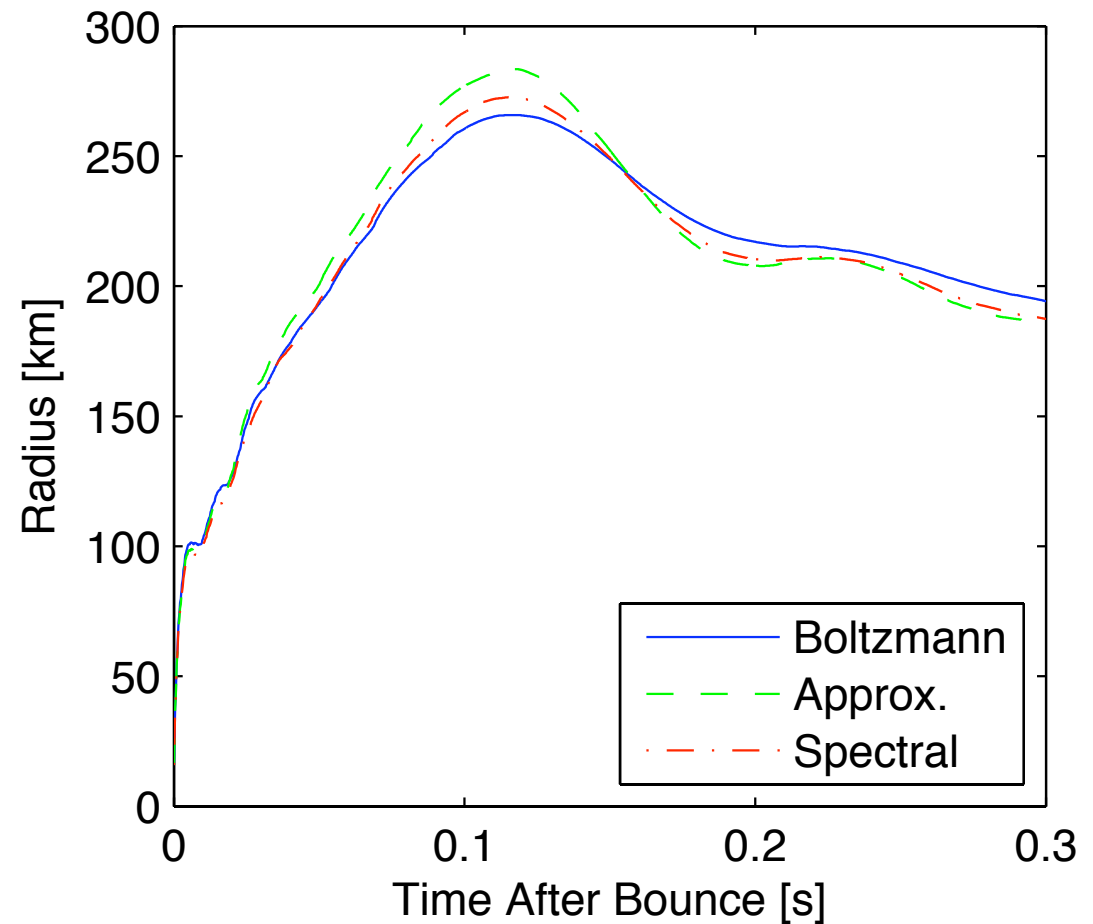
at 160 km radius
(free streaming)

Streaming neutrinos
dominate spectrum

Comparison of Hydrodynamical Evolution

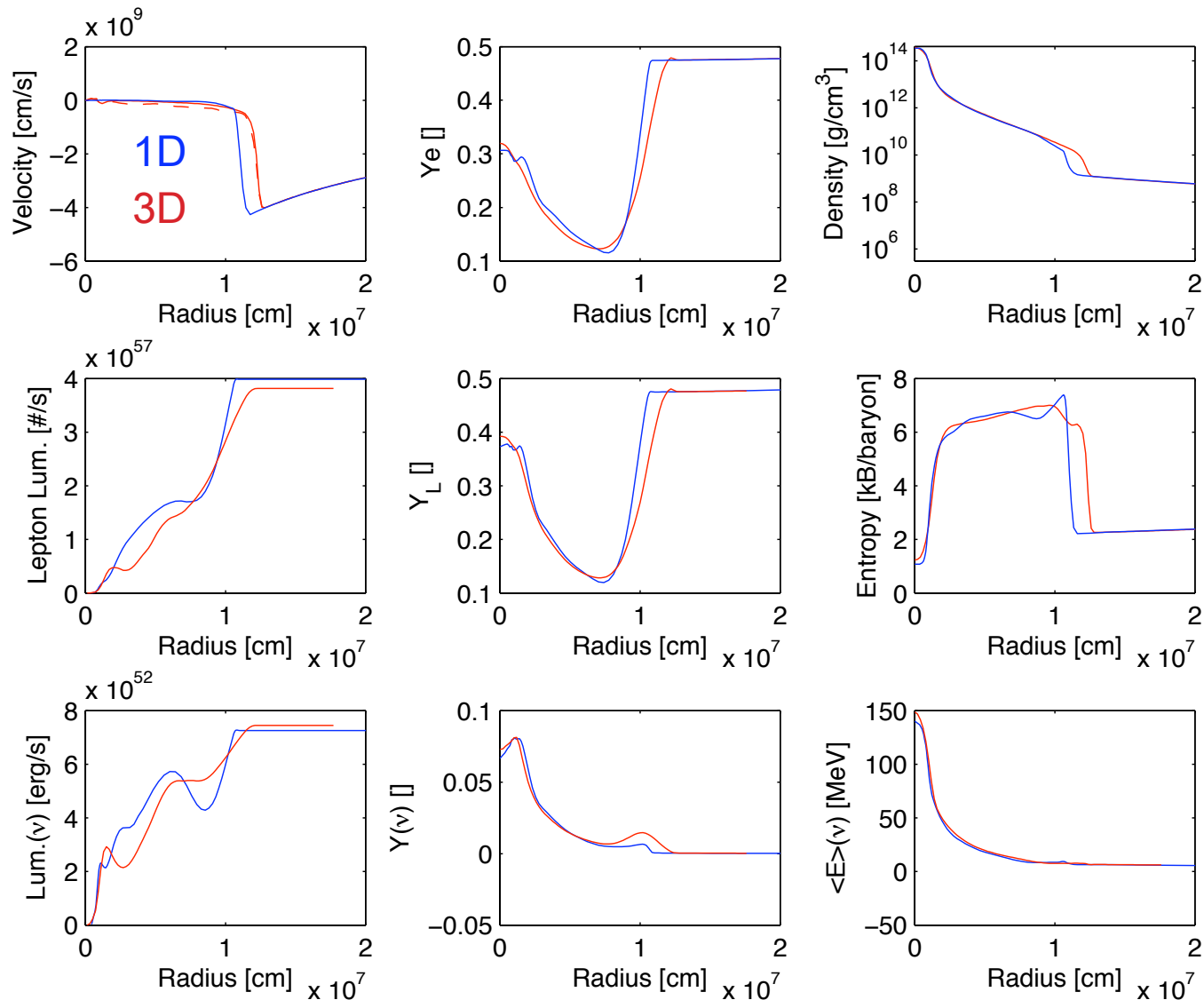


Evolution of shock radius as function of time

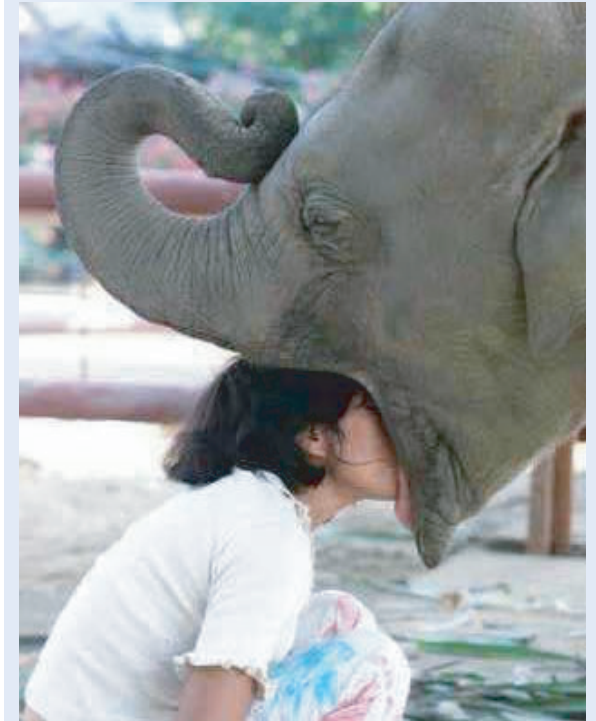


Good agreement!

Checking the 3D Elephant code...

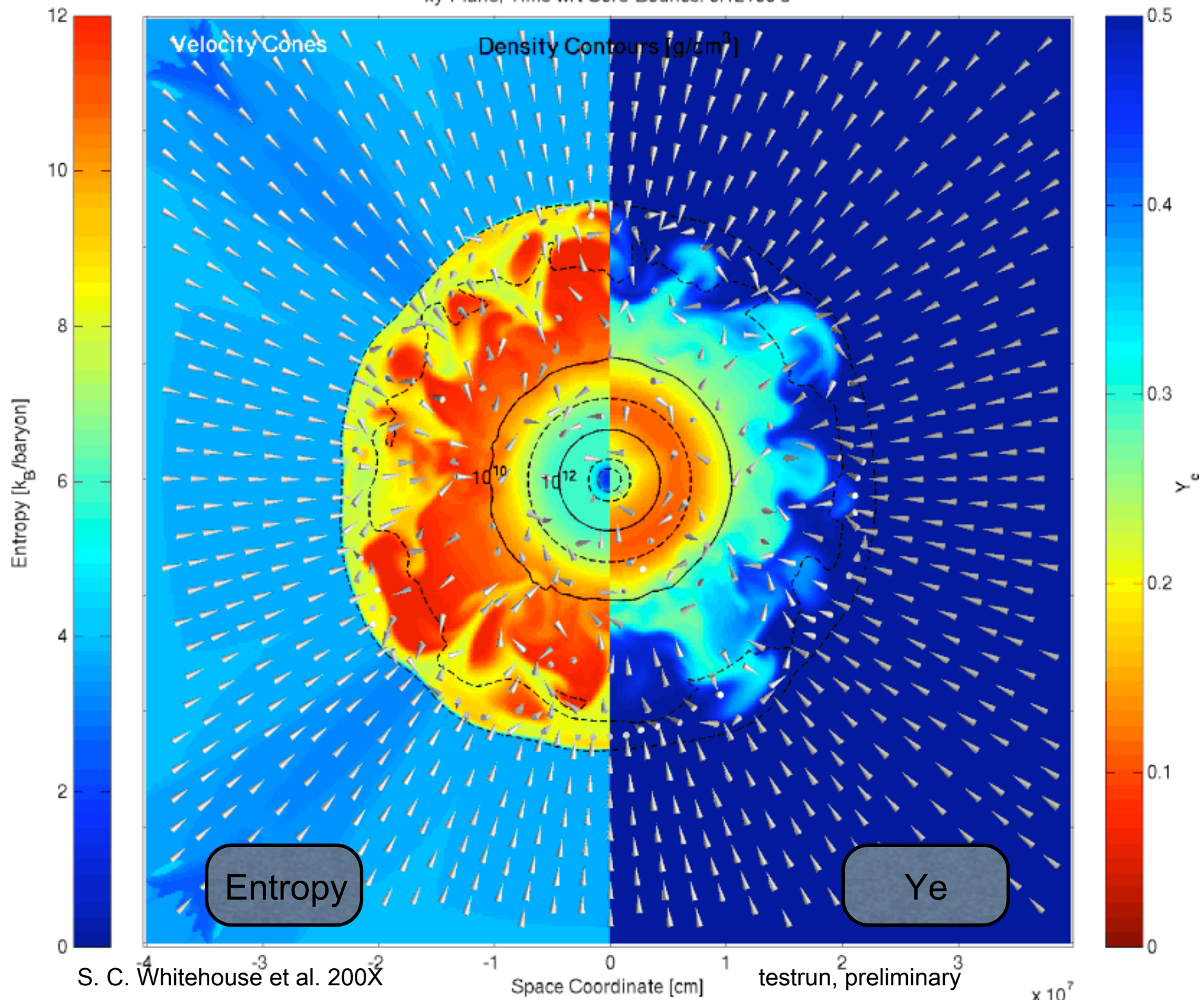


20 ms postbounce, same input physics



- Production at Swiss Natl. Supercomp. Cent. (240'000 CPUh/month)





Physics \leftrightarrow Model \leftrightarrow Observation



Physics <--> Model <--> Observation



Spherical Symmetry:

- Excellent ν -transport with detailed input physics
- 5 different codes give consistent results!

Bruenn et al. 2001, Liebendörfer et al. 2001-5, Rampp & Janka 2000-2, Thompson et al. 2003, Sumiyoshi et al. 2005-7

- No explosions obtained for most progenitors, exploring neutrino interactions & nuclear physics

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Axisymmetry:

- ray-by-ray or MGFLD ν -transport
- computationally very expensive

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Three-dimensional:

- ν -transport approximations
- enable 3D flow pattern & magnetic fields

Fryer & Warren 2002/4, Scheck et al. 2003, Ott et al. 2007, Scheidegger et al. 2008, Iwakami et al. 2008

- No explosions obtained for most progenitors, exploring neutrino interactions & nuclear physics
- Some explosions obtained, results not yet converged --> likely and less likely explosion mechanisms
- Phenomenology --> predictive power, coming up...