

Fragmentation of massive dense cores down to \sim 1000 AU: characterizing protoclusters

Aina Palau

Centro de Radioastronomía y Astrofísica
(UNAM, México)

Fragmentation of massive dense cores down to \sim 1000 AU

Aina Palau

R. Estalella, G. Busquet, A. Fuente, J. M. Girart, P. T. P. Ho,
B. Commerçon, P. Hennebelle, Á. Sánchez-Monge,
F. Fontani, J. Boissier, Q. Zhang, S. Bontemps,
E. Vázquez-Semadeni, J. Ballesteros-Paredes, L. Zapata

Introduction

Method + First Results

One step forward: density and T

Role of turbulence and B



How are structures formed within molecular clouds?

turbulence-regulated,
quasi-equilibrium
scenario (Mac Low &
Klessen 04; Vázquez-
Semadeni +00)

global-hierarchical
chaotic gravitational
contraction (Hartmann
+01; Vázquez-Semadeni 14)

Turbulence-regulated, quasi-equilibrium scenario

- ✓ MCs are globally supported by supersonic turbulence and close to equilibrium
- ✓ MCs evolve in long timescales (several t_{cross})
- ✓ Supersonic turbulence → local compressions → fragments MCs into dense sheets, filaments and cores (highly radiative shocks)
- ✓ Large-scales: turbulence gives support against gravity in addition to thermal support

Turbulence-regulated, quasi-equilibrium scenario

$$\left[\frac{M_{\text{Jeans}}^{\text{nth}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

Chandrasekhar+53

$$\left[\frac{M_{\text{Jeans}}^{\text{conv.flows}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n \mathcal{M}^2}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

see Mac Low
& Klessen 04

Fragmentation: turbulent-Jeans

- ✓ very few grav. unstable density fluctuations in a core
- ✓ naturally yields massive fragments

Global+hierarchical+chaotic gravitational contraction

- ✓ MCs rapidly evolving ($1 t_{\text{cross}}$), unstable, dynamic struc.
- ✓ Expected from MC formation:
 - ✓ large-scale compressions in Warm Neutral Medium
 - ✓ sudden phase transition to Cold NM $\rightarrow M_{\text{Jeans}}$ decreases by $10^4!$ \rightarrow ~pressureless **GLOBAL** collapse
- ✓ Amplification of any anisotropy \rightarrow collapse first along shortest dimension (Lin+65): ellipsoid \rightarrow sheet \rightarrow filament
- ✓ Internal turbulence \rightarrow clumps+cores: cores collapse faster than entire cloud \rightarrow **HIERARCHICAL** and **CHAOTIC**

Global+hierarchical+chaotic gravitational contraction

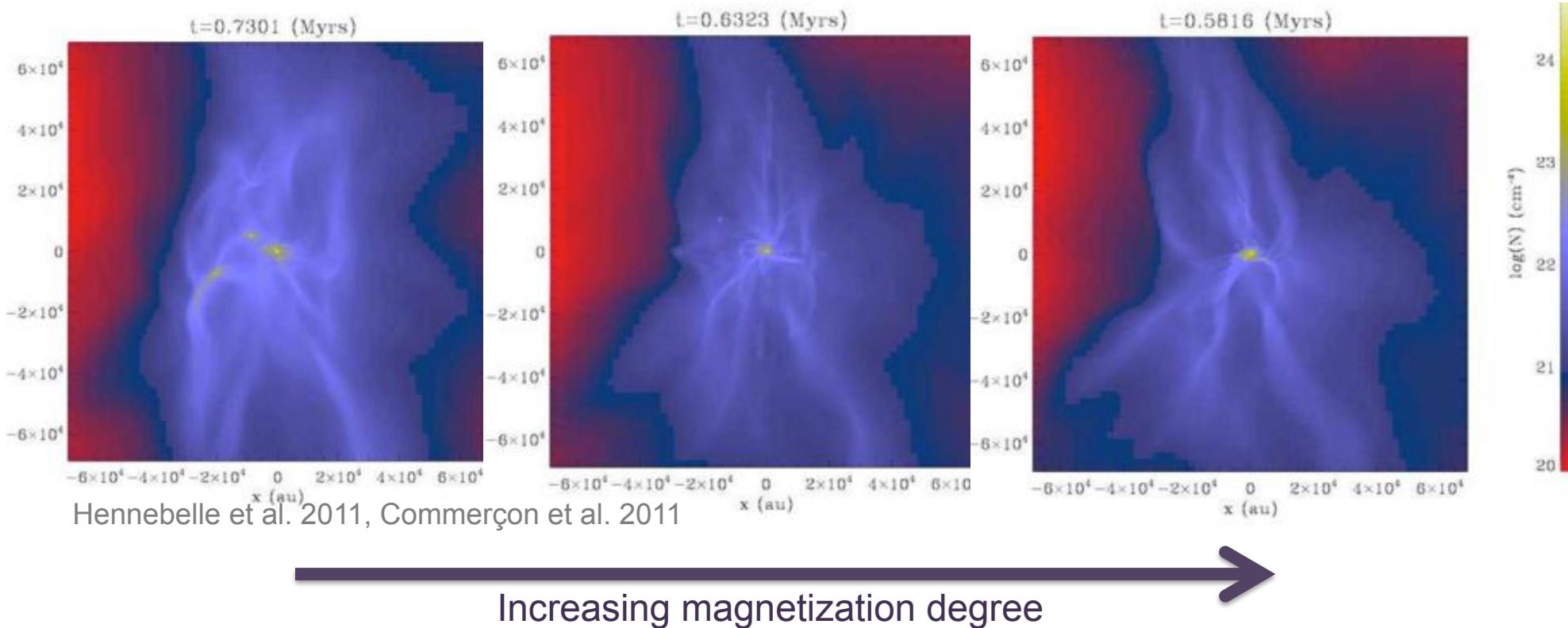
Fragmentation: thermal-Jeans

- ✓ efficient to produce low-mass fragments

$$\left[\frac{M_{\text{Jeans}}^{\text{th}}}{M_{\odot}} \right] = 0.6285 \left[\frac{T}{10 \text{ K}} \right]^{3/2} \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

- ✓ formation of massive fragments through
 - ✓ accretion from regions not originally bound to the protostellar core
 - ✓ radiative feedback?
 - ✓ magnetic field? $M_{\text{crit}} = M_J + M_\phi = M_J + c_\phi \pi R^2 B / G^{1/2}$

MHD simulations of the collapse of a turbulent and magnetized cloud: higher B suppresses fragmentation



Also: e.g., Vázquez-Semadeni+05,+11, Ziegler+05, Banerjee & Pudritz 06, Price & Bate 07, Peters+11, Myers+13, etc., etc.

Fragmentation can be mainly controlled by:

- ✓ turbulence (turb-regulated quasi-equilibr. scenario)
- ✓ gravity (global-hierarchical-chaotic grav. contraction)
- ✓ role of B and radiative feedback

**Is any of these
ingredients
dominating?**

Introduction

Method + First Results

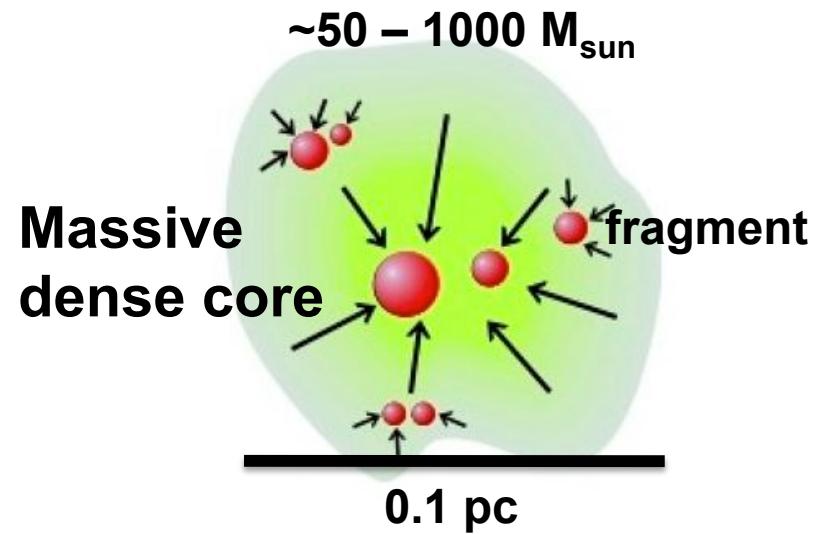
One step forward: density and T

Role of turbulence and B

Lagoon Nebula (M8), Fred Vanderhaven (image processed to remove stars)



Observational approach:
fragmentation of massive dense cores



Observe them:

- ✓ down to ~ 1000 AU
- ✓ down to $M_{\text{min}} \sim 0.5 M_{\text{sun}}$

Literature (5 yr ago): massive star-forming regions studied with mm interferometers down to $M_{\min} \sim 0.5 M_{\odot}$

**Already 5 regions
with ~ 1000 AU**

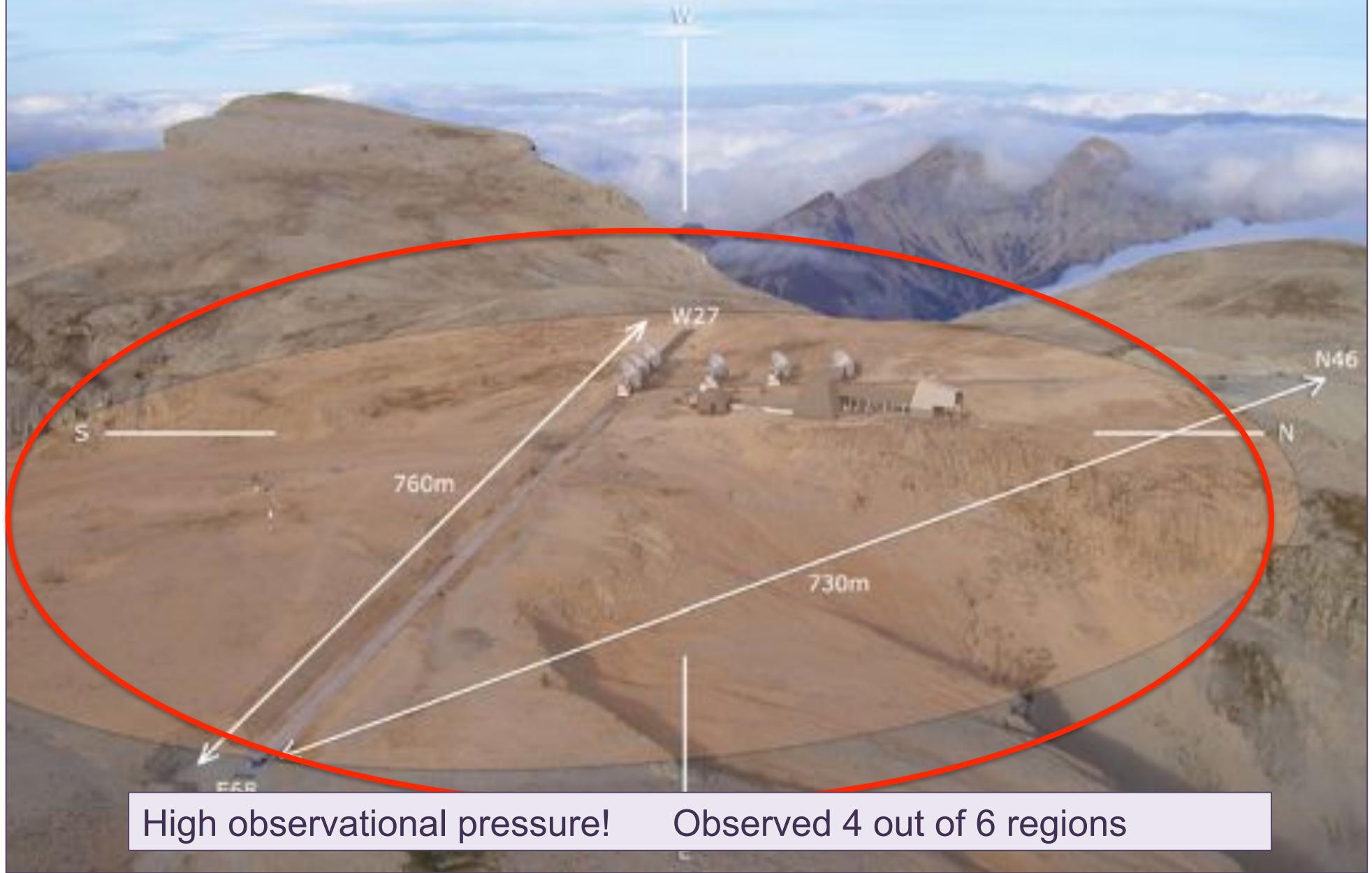
Source	Label (Lsun)	D (kpc)	IR data	tentative evol. stage massive YSO	current spatial resol. (AU)	number of mm sources	mm/sub-mm interferom.	achievable PdB (0.3")	Visibility issues	Refs
NGC2264-MM1	108	0.80	IRAC+MIPS	Class 0	1200	7	SMA	240	DEC=<4°	Takemoto et al. 2007, ApJ, 663, 1379
IRDC18225-3	177	3.70	IRAC+MIPS	Class 0	4800	4	SMA+PdB	1110	DEC=<12°	Follsheer et al. 2009, A&A, 504, 127
IRAS20050+2720	300	0.70	IRAC+MIPS	Class 0/I	4900	3	OVRO	210	Ok	Betancur et al. 2006, A&A, 451, 93
I1399N	440	0.75	IRAC+MIPS	Class 0/I	300	4	PdB	225	DONE	Neri et al. 2007, A&A, 468, 31
IRAS22188+6336	450	0.76	IRAC+MIPS	Class 0	1700	1	SMA+PdB	228	Ok	Sánchez-Monge et al., in prep.
NGC1129-FIR32	500	1.25	IRAC+MIPS	Class 0	1400	1	PdB	375	Ok	Fuente et al. 2005, A&A, 444, 481
ISOSSJ18594-0221	800	2.20	IRAC+MIPS	Class 0	>3300	2	PdB	660	DEC=<-2°	Hennemann 2009, ApJ, 693, 1379
CB3	930	2.50	MIPS	Class II	900	2	PdB	750	Ok	Fuente et al. 2007, A&A, 468, 37
IRDC19175-45	<1000	1.10	IRAC+MIPS	Class 0/I	3400	1	PdB	330	DEC=<14°	Beuther et al. 2009, A&A, 503, 859
IRAS22272+6358A	1200	0.91	IRAC+MIPS	Class 0/I	4500	2	OVRO	273	Ok	Betancur et al. 2006, A&A, 457, 865
IRAS00117+6412	1300	1.80	2MASS-only	UCHII, B2	6800	2	PdB+3MA	540	Ok	Palau 2006, PhD thesis, Barcelona
IRAS03345+3157	1400	1.80	IRAC+MIPS	UCHII, B1	5400	3	SMA+PdB	540	Ok	Fontani et al. 2008, A&A, 477, L45
IRAS22172+5549	1800	2.40	IRAC+MIPS	pre-UCHII	15600	1	OVRO	720	Ok	Fontani et al. 2004, A&A, 424, T9
NGC6334-1B1	1900	1.70	IRAC+MIPS	B2	3400	7	SMA+ATCA	510	DEC=<-32°	Hunter et al. 2006, ApJ, 649, 888
IRAS23052+6337	2100	3.50	IRAC+MIPS	Class 0	3500	1	PdB	1050	Ok	Birkmann et al. 2007, A&A, 474, 653
G14.2-0.90	2500	2.20	IRAC+MIPS	UCHII	3200	16	SMA	660	DEC=<-16°	Ruszkiewicz et al., in prep.
AFGL5142	3000	1.80	IRAC+MIPS	UCHII, B2	2300	3	SMA+CARMA	540	Ok	Zhang et al. 2007, ApJ, 658, 1152
IRC-15	3000	0.45	IRAC+MIPS	Class I, B2	450	6	SMA	135	DONE	Zapata et al. 2006, ApJ, 630, L35
IRAS03049+4129	3200	1.40	IRAC+MIPS	UCHII, B2	4200	7	SMA	420	Ok	Palau et al. 2007, A&A, 474, 911
B Mon	4000	0.80	IRAC	Class III/Ia	350	1	PdB	240	DONE	Fuente et al. 2006, ApJ, 649, L119
IRAS21307+6042	4000	3.20	2MASS-only	pre-UCHII	20800	2	OVRO	960	Ok	Fontani et al. 2004, A&A, 426, 179
IRAS20200+3952	6300	2.00	IRAC+MIPS	UCHII, B1	1200	5	PdB+BIMA	600	Ok	Beuther et al. 2004, ApJ, 615, 832
IRAS05358+3543	6300	1.80	IRAC+MIPS	UCHII, B1	1100	5	PdB	540	Ok	Leurini et al. 2007, A&A, 475, 925
IRAS20126+4104	7900	1.70	IRAC+MIPS	pre-UCHII	1300	2	PdB	510	Ok	Cesaroni et al. 2005, A&A/434, 1039
IRAS19495+2336	10000	2.00	IRAC+MIPS	UCHII	2000	11	PdB	600	Summersfeld	Beuther et al. 2004, Sci, 303, 1867
G20.53-0.25-MM1	100-10000	3.70	IRAC+MIPS	pre-hot mol core	8100	2	SMA	1110	DEC=<3°	Rathborne et al. 2008, arXiv:0808.2973
G24.024-0.67-MM1	11000	3.70	IRAC+MIPS	IR dark cloud	6840	4	PdB	1110	DEC=<7°	Rathborne et al. 2007, ApJ, 662, 1082
AFGL 981	11400	1.60	IRAC+MIR	Pre-UCHII	4900	3	SMA	480	DEC=<4°	Williams et al. 2009, ApJ, 699, 1300
IRAS20061+4352	12600	1.80	H2	UCHII, B2	1300	4	SMA	540	Ok	Su et al. 2009, ApJ, 696, 1981
IRAS21134+5834	12600	2.60	JHKL,MIPS	UCHII	16900	1	CARMA	780	Ok	Sánchez-Monge et al., in prep.
OrionFIR1	25000	0.45	IRAC+MIPS	BO (PA=oblique)	400	>7	SMA	135	DONE	Beuther et al. 2004, ApJ, 616, 31
IRAS18099-1732	32000	3.60	IRAC+MIPS	UCHII	3600	1	SMA	1080	Summersfeld	Beuther et al. 2005, ApJ, 628, 800
G3.43+0.24-MM1	32000	3.70	IRAC+MIPS	hot molec core	8100	1	SMA	1110	DEC=<1°	Rathborne et al. 2008, arXiv:0808.2973
S255N	100000	2.60	IRAC	UCHII	8600	3	SMA	780	DEC=<18°	Cyganowski 2007, ApJ, 654, 346
W28A2	126000	2.00	IRAC+MIPS	UCHII, B2	1800	4	SMA	600	DEC=<-34°	Hunter et al. 2008, arXiv:0803.0587
W28S5	200000	1.95	IRAC+MIPS	UCHII	720	4	PdB	585	DONE	Betancur et al. 2006, arXiv:0609.0292
NGC0334-I	260000	1.70	IRAC+MIPS	OB5	2700	4	SMA	510	DEC=<-30°	Hunter et al. 2006, ApJ, 649, 868

Select 6 new regions:

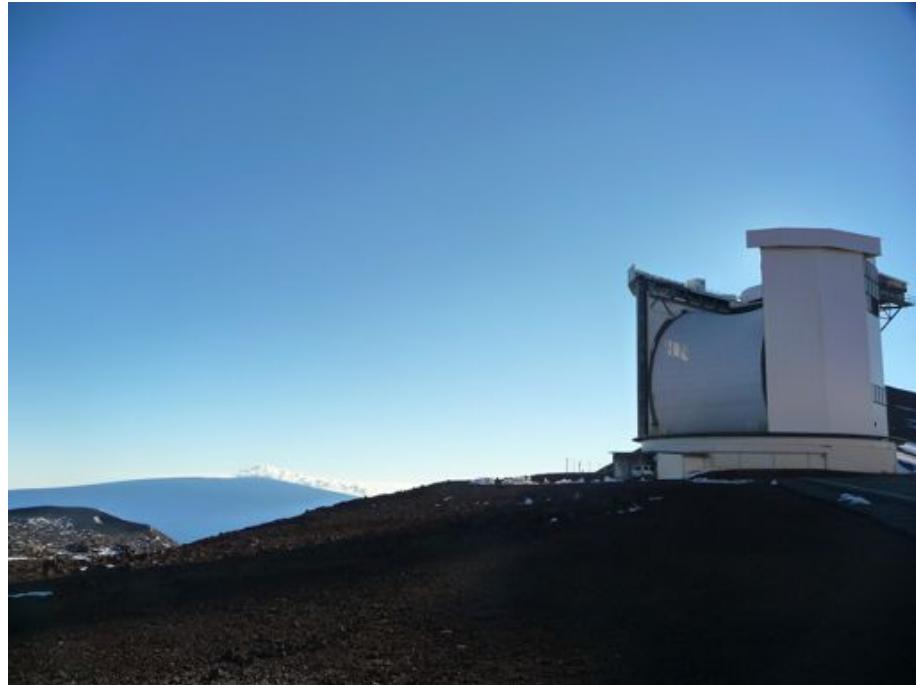
- ✓ < 2.5 kpc
- ✓ associated with strong mm emission
- ✓ cover range of L_{bol}
- ✓ very similar evolutionary stages

Total:
~10 regions

We used most extended “A” configuration → beam $\sim 0.4''$



Single-dish submm/mm continuum archive observations of dense cores of all the sample:



JCMT, Hawaii, USA
SCUBA bolometer 450 & 850 μ m
Di Francesco et al. 2008



IRAM30m Granada, Spain
MAMBO bolometer 1.2 mm
Motte et al. 2007

In the meantime: 10 regions more in the literature! Total: 19 regions (Palau+13, +14, including Bontemps+10)

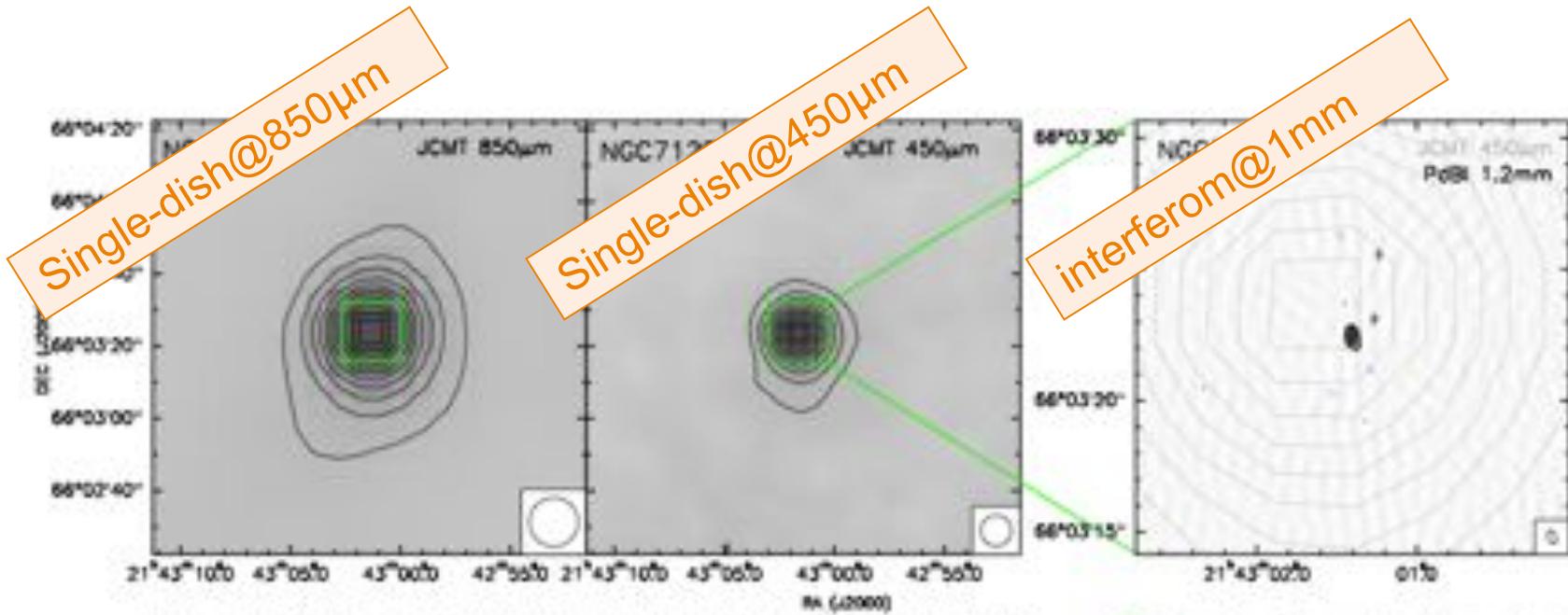
THE ASTROPHYSICAL JOURNAL, 762:120 (19pp), 2013 January 10

PALAU ET AL.

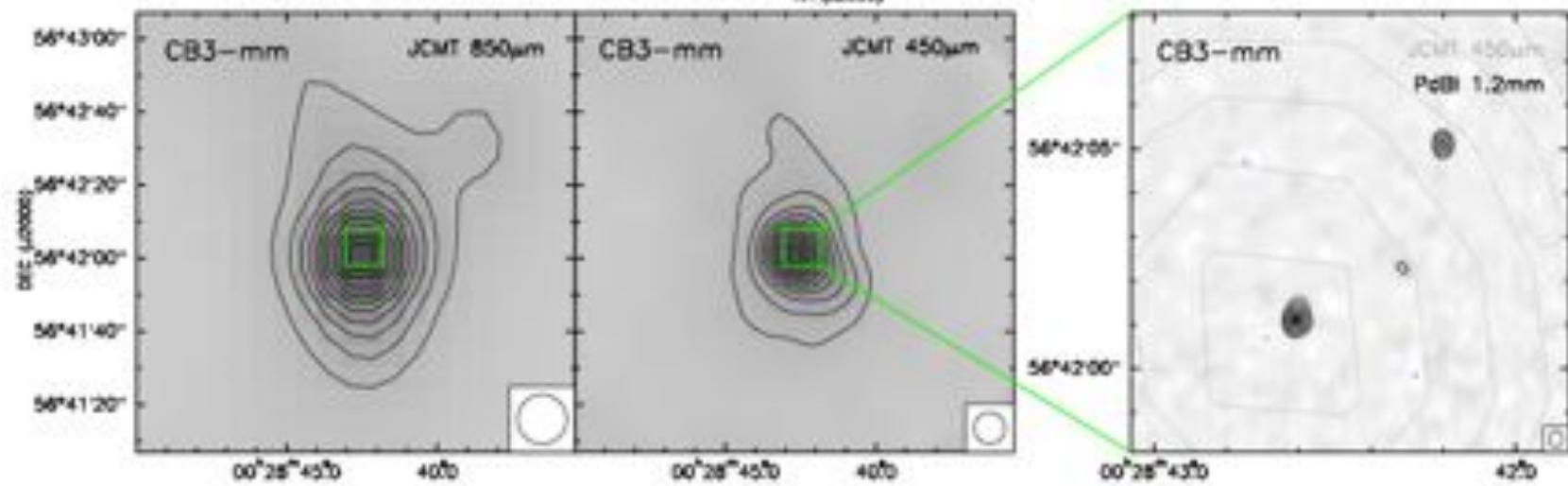
Table 3
Massive Dense Cores Studied with Interferometers at 1.3 mm with High Sensitivity and Down to a Spatial Resolution \lesssim 1000 AU

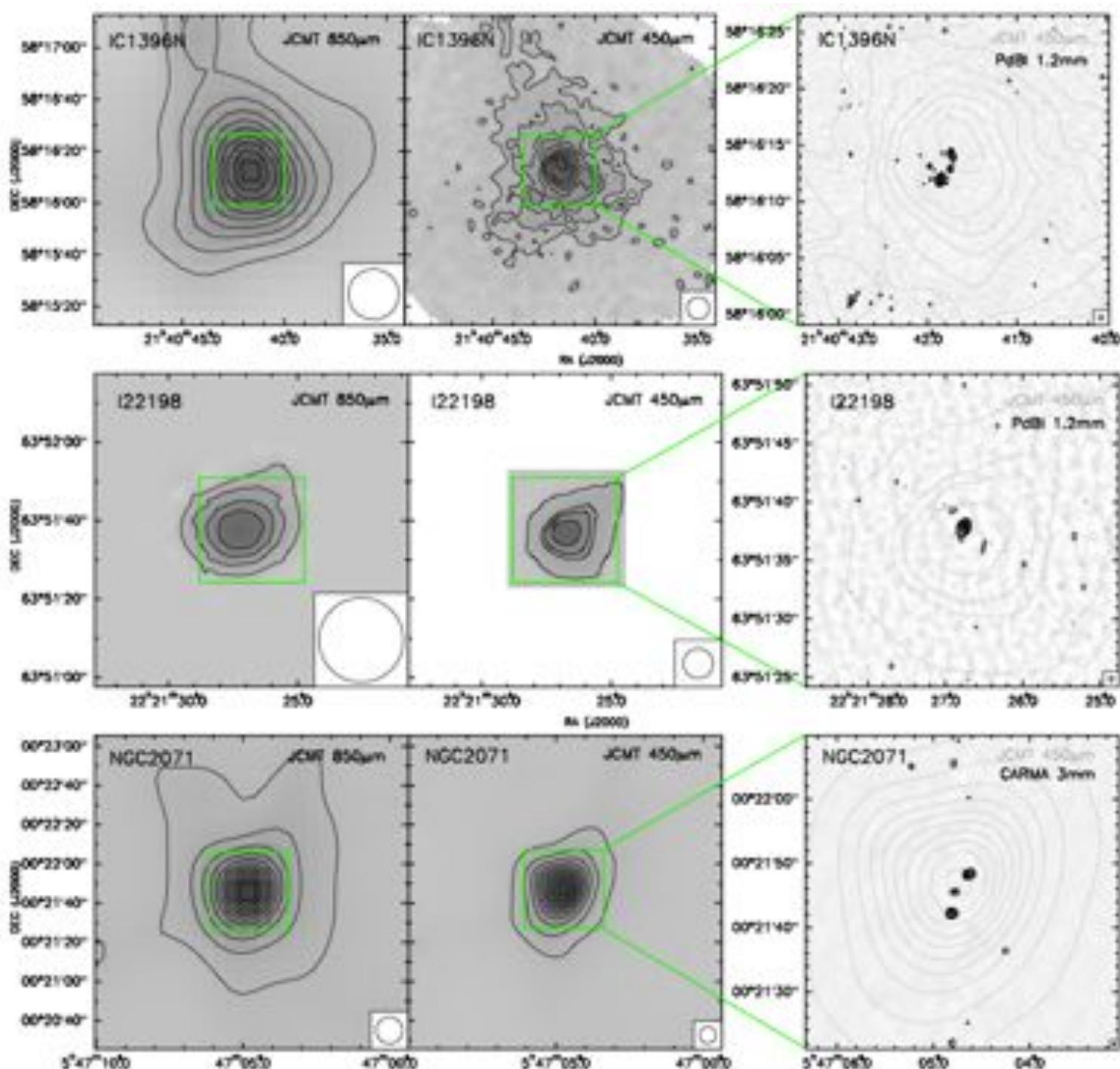
ID-Source ^a	D (kpc)	L_{bol} (L_{\odot})	T_{bol}^b (K)	rms ^c (mJy)	M_{min}^c (M_{\odot})	Spat. Res. ^d (AU)	LAS ^d (AU)	N_{mm}^e	$N_{\text{mm+IR}}^e$	$N_{\text{IR}}/N_{\text{mm}}$	st. dens. ^f (10^4 pc^{-3})	Separation ^f (AU)
1-IC1396N	0.75	290	52	0.52	0.03	340	900	4	8	1.00	69	1800
2-I22198	0.76	340	59	2.0	0.13	300	700	1.5	2	0.33	3	...
3-NGC 2071-IRS1 ^g	0.42	440	98	0.50	0.20	200	5500	4	14	2.50	16	2900
4-NGC 7129-FIRS2	1.25	460	58	2.9	0.49	750	1500	1	2	1.00	3	...
5-CB3-mm	2.50	700	49	0.43	0.29	875	2500	2	\gtrsim 2	\gtrsim 0.00	\gtrsim 3	...
6-I22172N-IRS1	2.40	830	195	0.55	0.34	1000	2100	3	6	1.00	6	4400
7-OMC-1S-136	0.45	2000	...	30	0.66	540	3300	9	21	1.33	9	3000
8-A5142	1.80	2200	55	2.8	0.99	700	1600	7	11	0.57	7	3700
9-J05358+3543NE	1.80	3100	67	1.5	0.53	900	2100	4	7	0.75	10	3500
10-I20126+4104	1.64	8900	61	2.6	0.76	1400	4000	1	3	2.00	23	2700
11-I22134-IRS1	2.60	11800	93	0.30	0.22	1300	2300	3.5	7	1.00	4	4600
12-HH80-81	1.70	21900	81	3.0	0.94	830	4000	3	6	1.00	6	4200
13-W3IRS5	1.95	140000	114	1.2	0.50	720	2300	3.5	\gtrsim 5.5	\gtrsim 0.57	\gtrsim 46	2300
14-AFGL 2591	3.00	190000	226	0.51	0.49	1000	1900	1.5	\gtrsim 1.5	\gtrsim 0.00	\gtrsim 3	...
15-CygX-N53	1.40	300	33	1.9	0.41	1400	6900	4	7	0.75	11	3400
16-CygX-N12	1.40	320	58	1.9	0.41	1400	6900	2.5	5	1.00	23	2800
17-CygX-N63	1.40	470	39	4.2	0.90	1400	6900	2.5	4	0.60	72	2000
18-CygX-N48	1.40	4400	48	2.2	0.47	1400	6900	4	5	0.25	11	3600

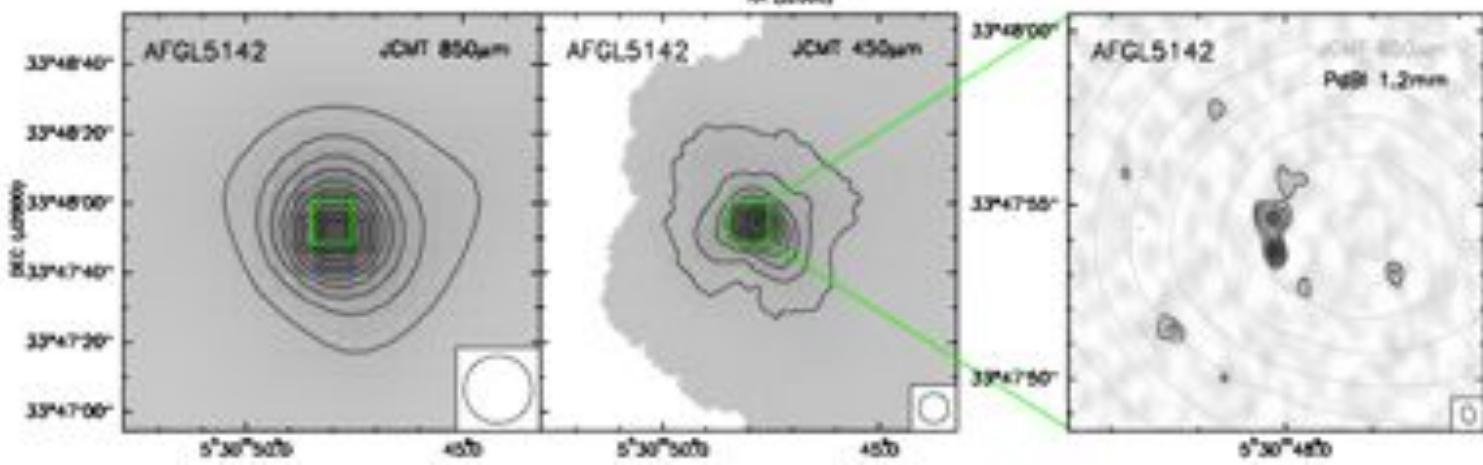
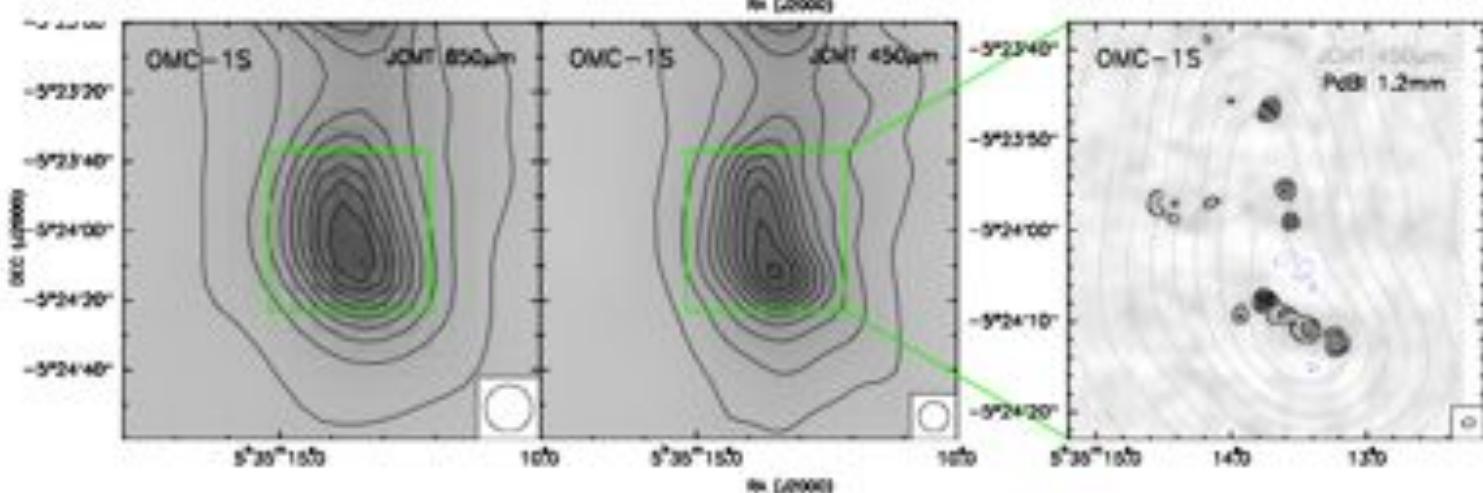
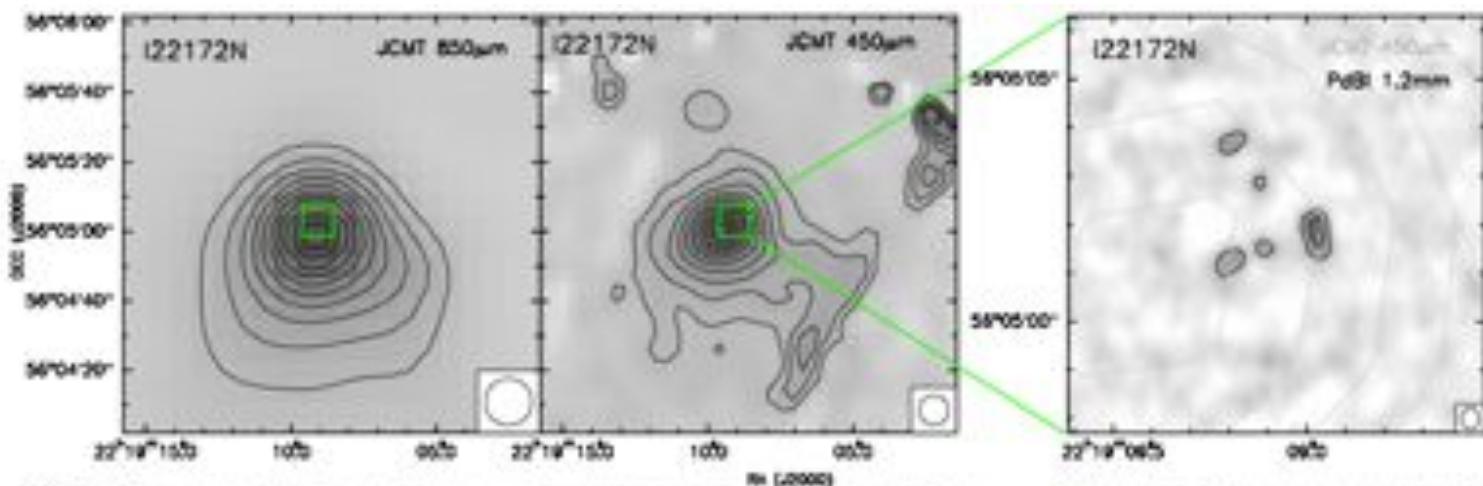
NGC7129-FIRS2

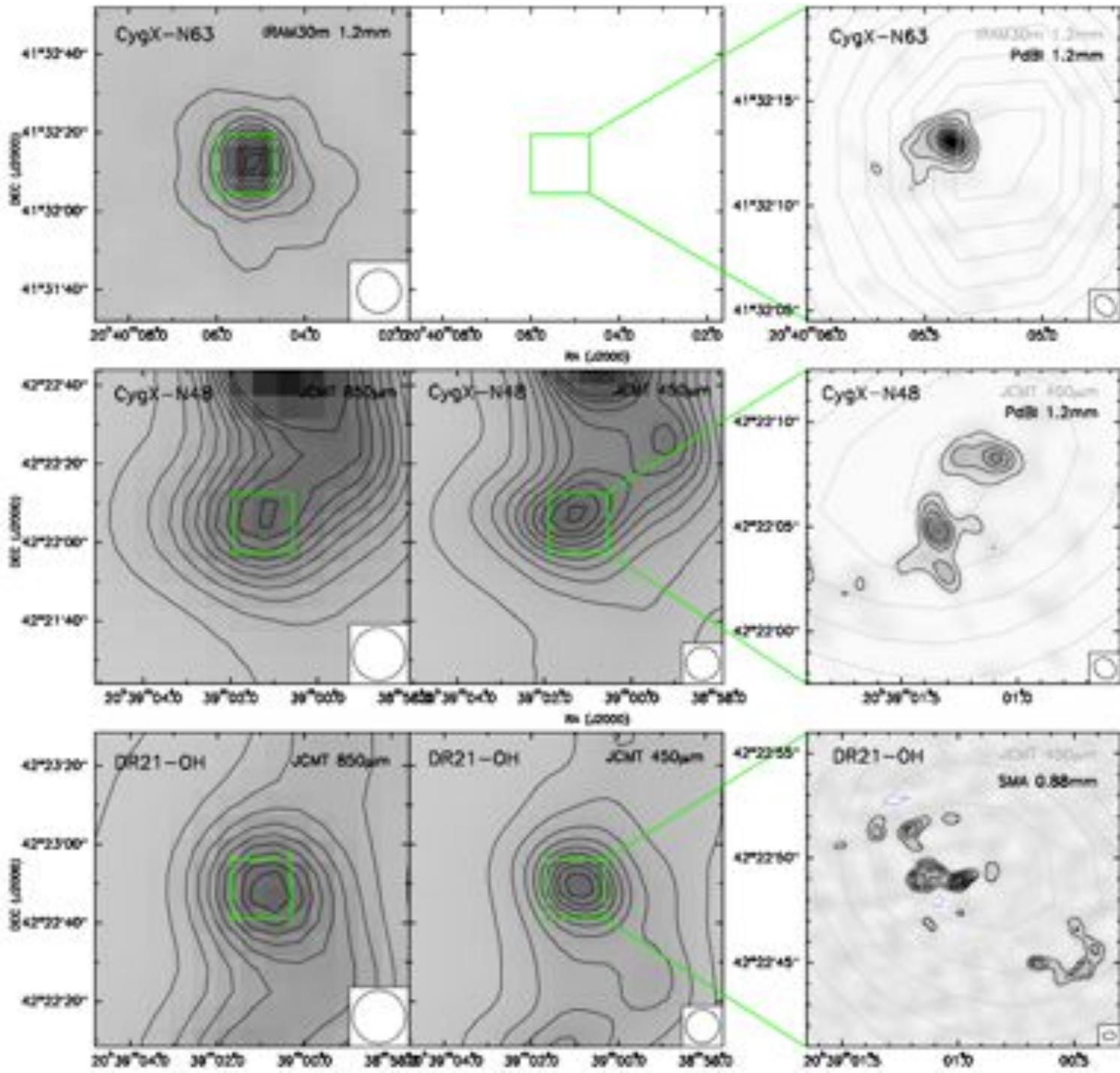


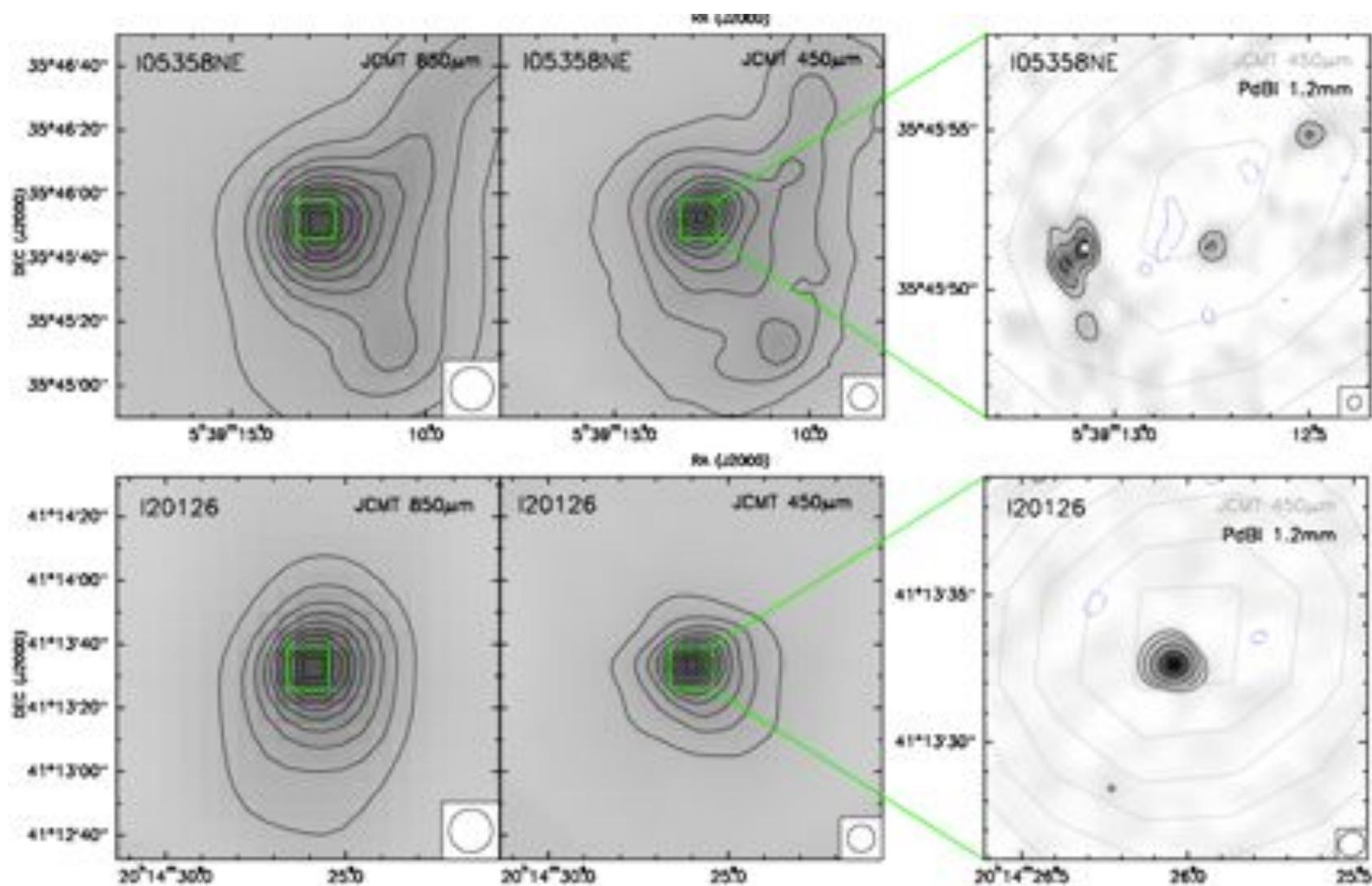
CB3-mm

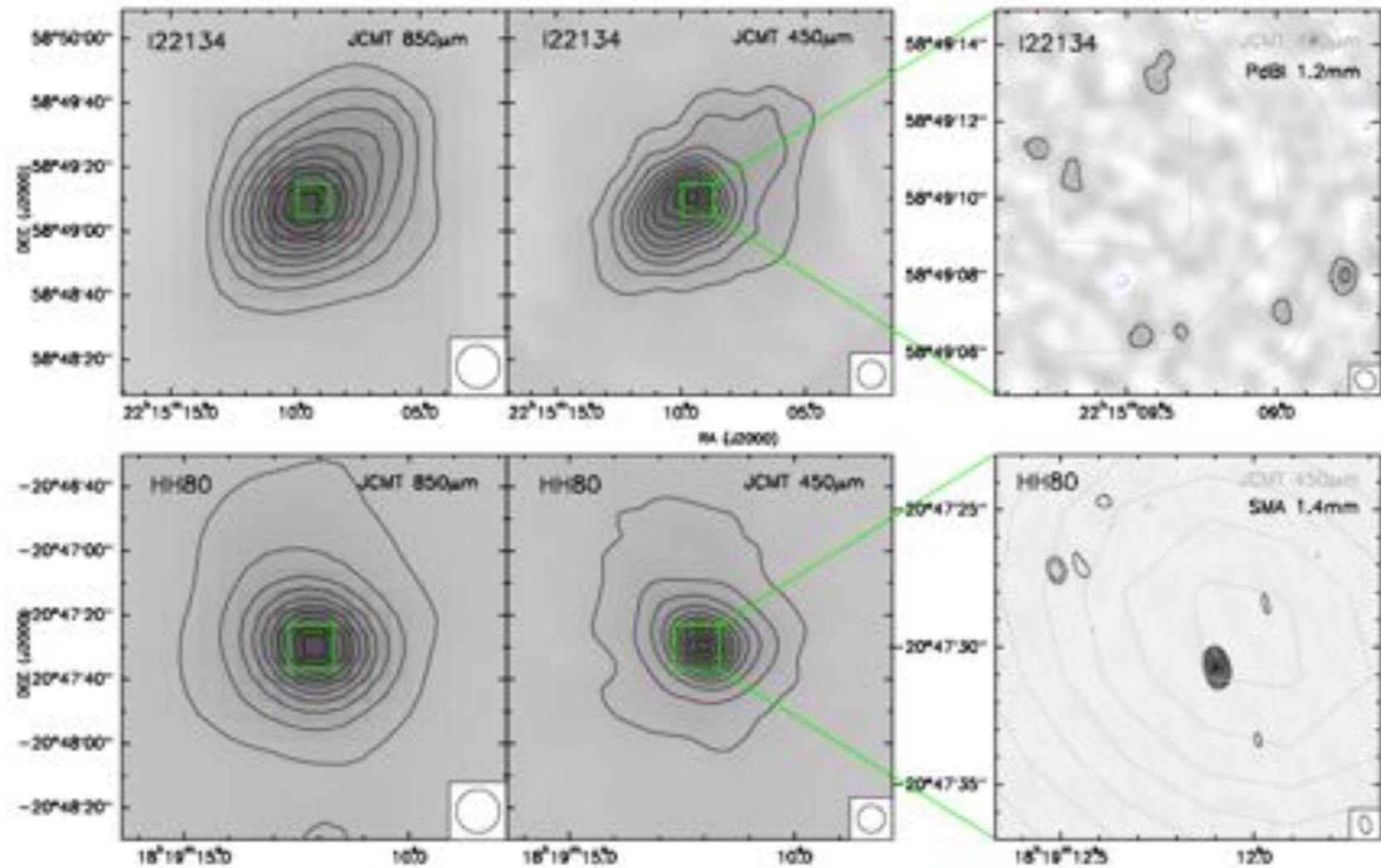


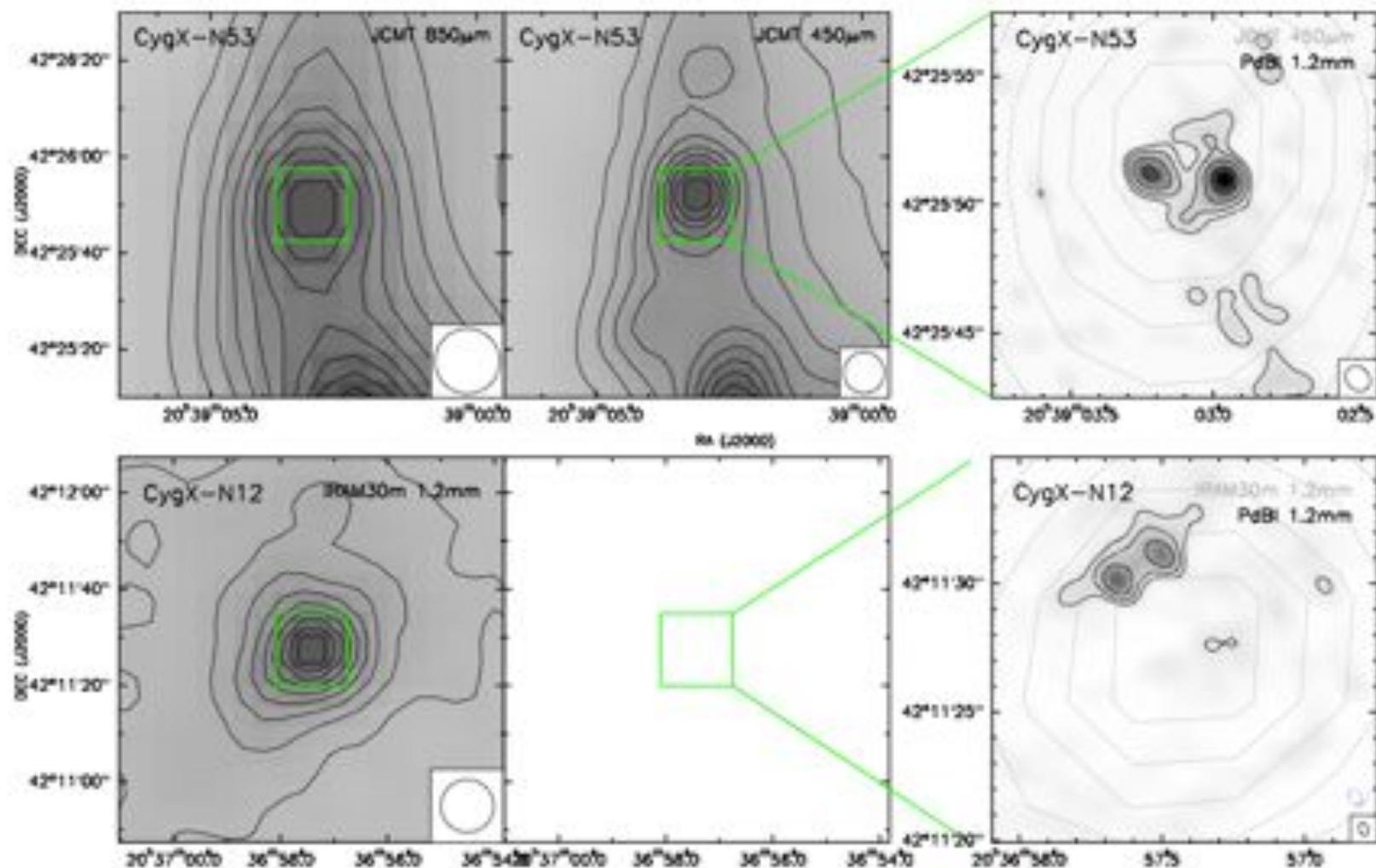




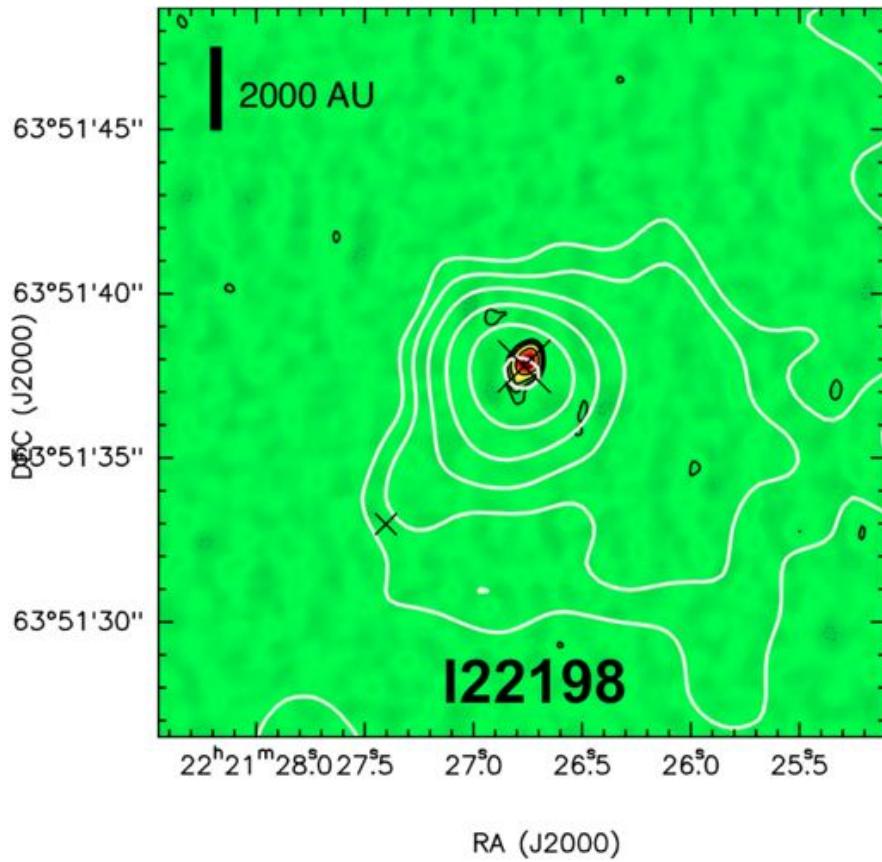




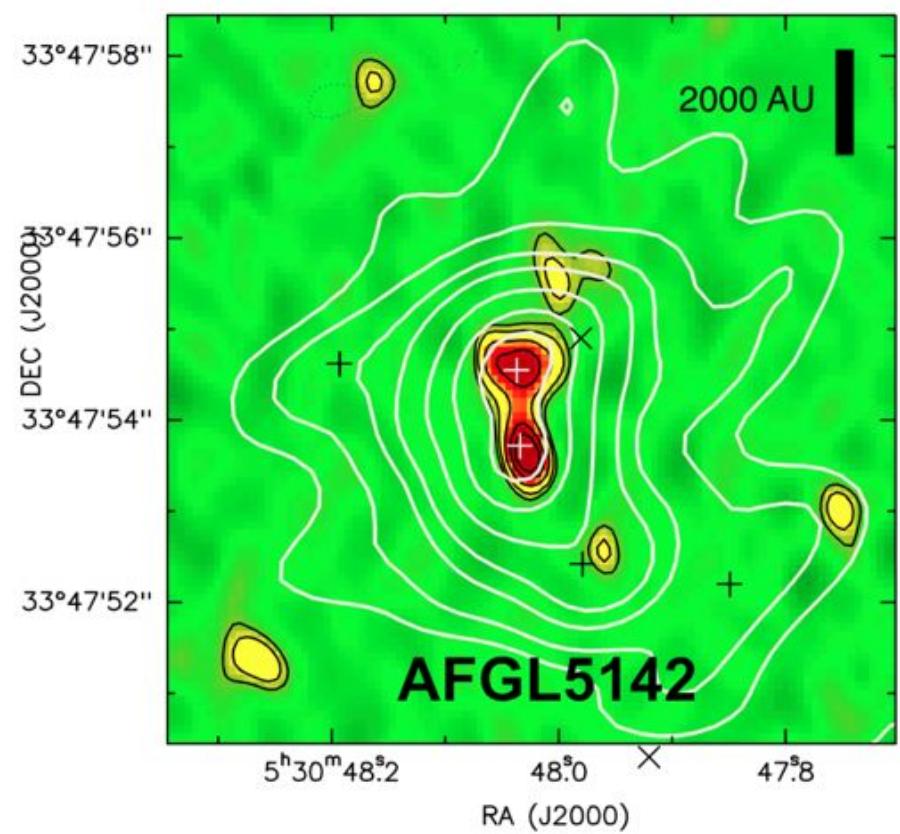




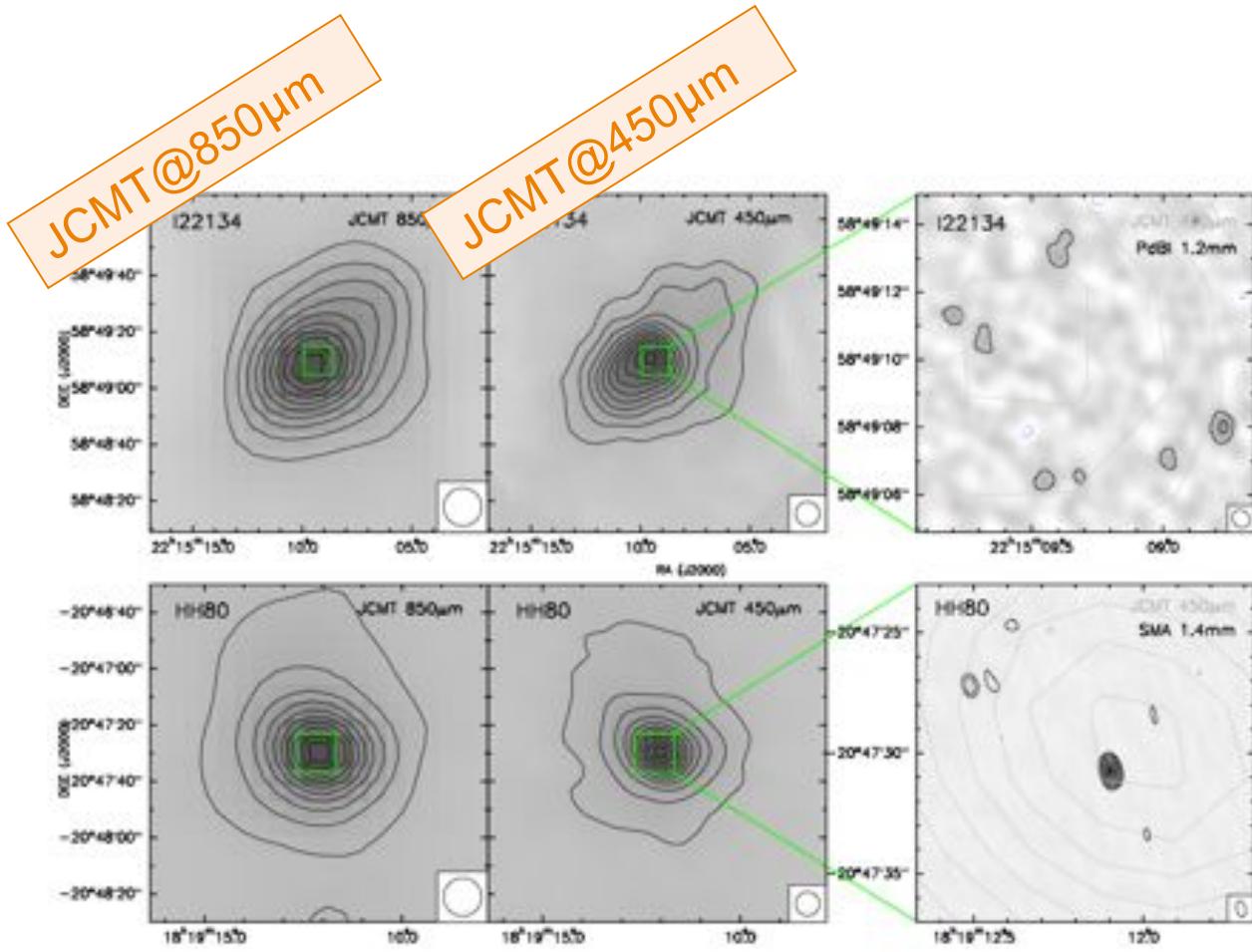
~30% low fragmentation level: 1 source dominating
~50% high fragmentation: split up into ~4 fragments or more



Spatial resolution: 300 AU
Mass sensitivity: 0.1 M_{\odot}



Spatial resolution: 700 AU
Mass sensitivity: 0.9 M_{\odot}



Using the mm/submm
single-dish emission:

Flux

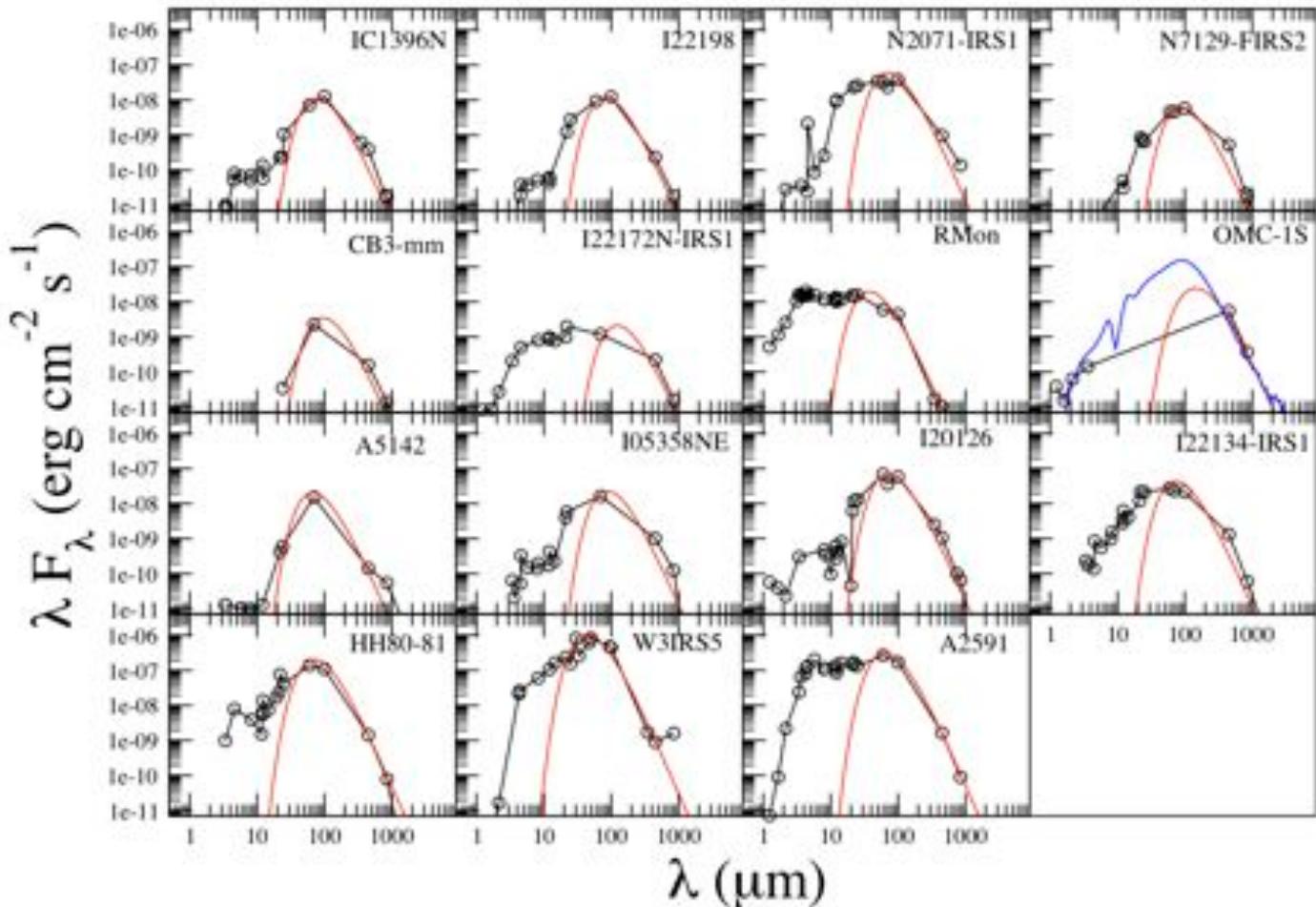
Half power contour



Mass (T_d , opacity)

Avg surface density:
 $M/\pi R^2$

Avg density entire core:
 $3M/4\pi R^3$

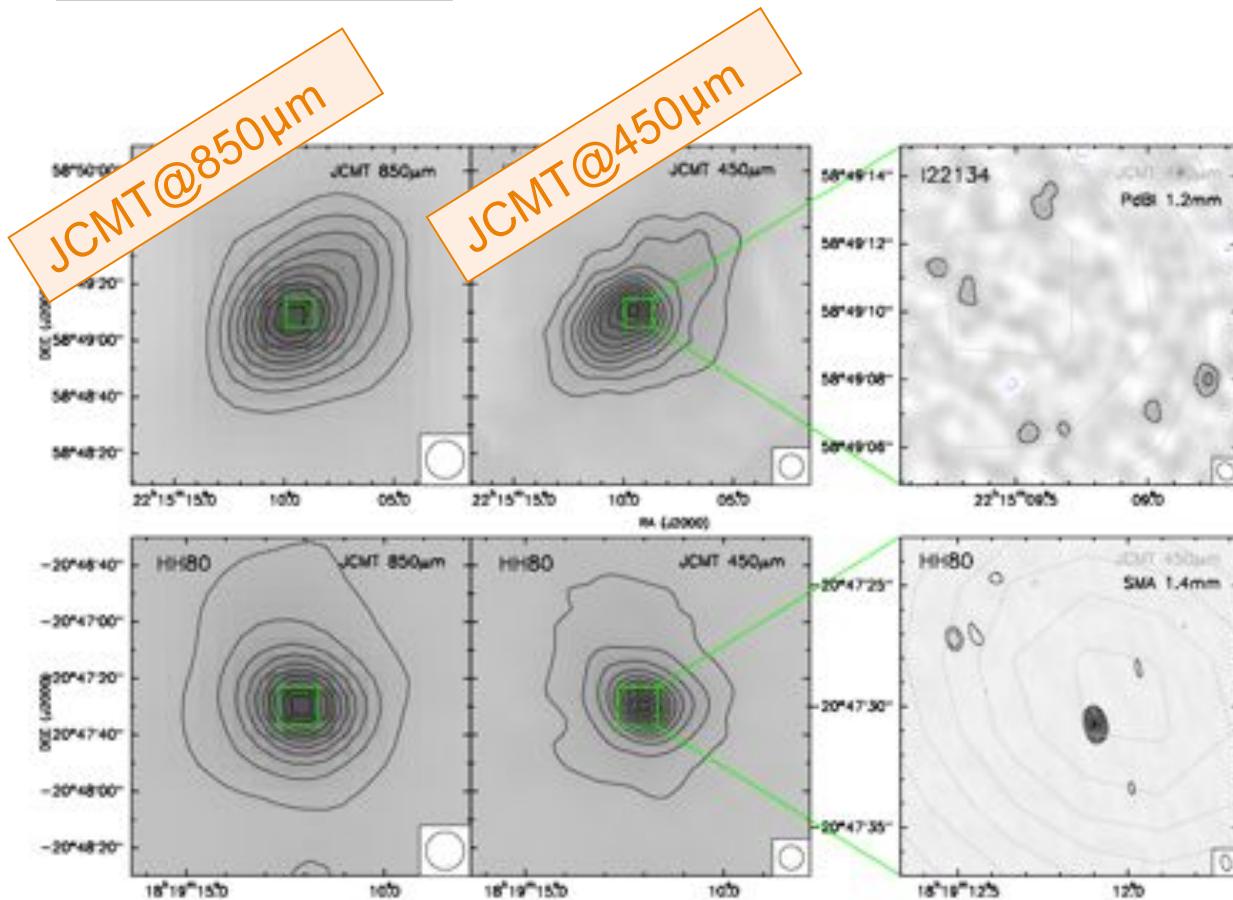


SEDs: IRAC,MIPS,
MSX, IRAS,
AKARI, SCUBA...

Calculate:

L_{bol} and L_{bol}/M_{sd}

In addition...

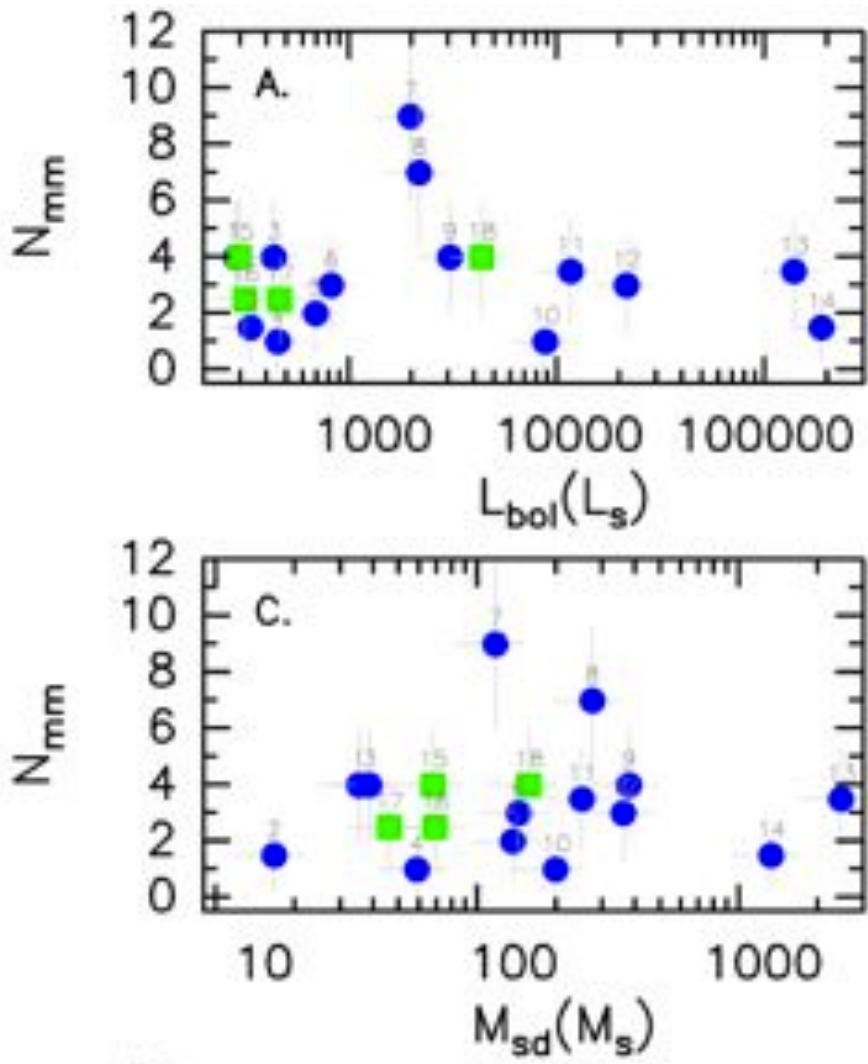


M_{\max} : mass of strongest mm source measured by an interf in extended config.

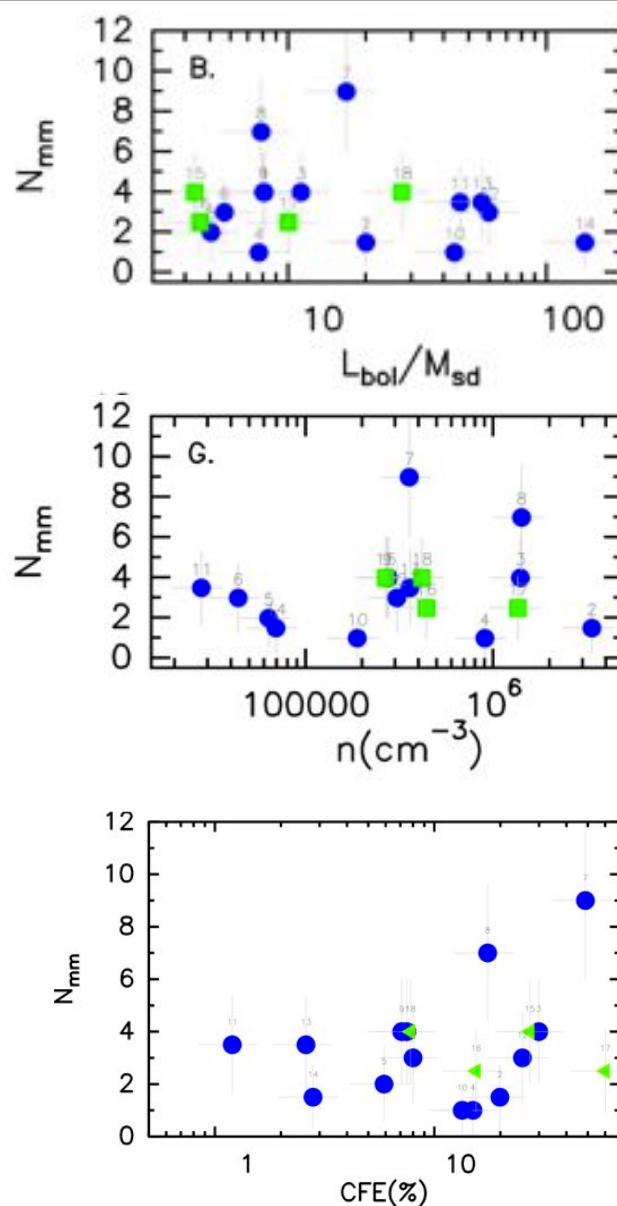
Core Formation Efficiency:

$$\text{CFE} = \frac{\sum m_i}{M_{\text{sd}}}$$

Dependence of N_{mm} with L_{bol} , M_{sd}



Dependence of N_{mm} with evolutionary stage and density of entire core, and CFE



Introduction
Method + First Results
One step forward: density and T
Role of turbulence and B

Model density and temperature structure of the dense cores

Assumptions:

- spherically symmetric envelope
- dust opacity $\kappa_\nu \propto \nu^\beta$
- density profile $\rho = \rho_0 (r/r_0)^{-p}$
- temperature profile $T = T_0 (r/r_0)^{-q}$, with $q = 2/(4+\beta)$
- external heating: $T = 10$ K in the outer envelope
- no assumption of optically thin emission
- no R-J approximation

First approximation (R-J, optically thin, no external heating):
power-law radial intensity profile, $I_\nu \propto b^{1-(p+q)}$

Meaningful comparison:

- convolution with beam (main+error model beams)
- chopping with 120" chop-throw (circularly averaged)

Fit simultaneously:

- intensity profiles at 850 and 450 μm
- SED from cm to 60 μm wavelengths (sensitive to T)

Model density and temperature profiles of the dense cores

Assumptions:

- spherically symmetric envelope
- dust opacity $\kappa_\nu \propto \nu^\beta$
- density profile $\rho = \rho_0 (r/r_0)^{-p}$
- temperature profile $T = T_0 (r/r_0)^{-q}$, with $q = 2/(4+\beta)$
- external heating: $T = 10$ K in the outer envelope
- no assumption of optically thin emission
- no R-J approximation

4 free parameters

First approximation (R-J, optically thin, no external heating):

power-law radial intensity profile, $I_\nu \propto b^{1-(p+q)}$

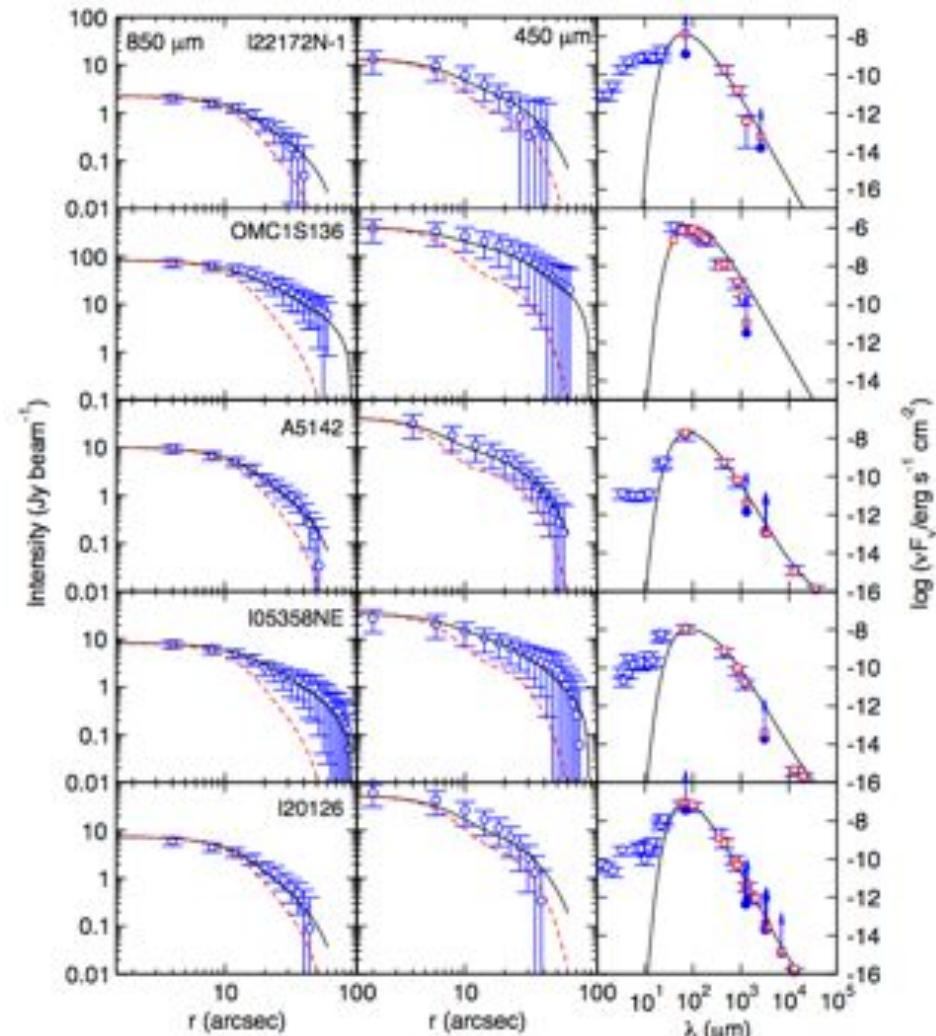
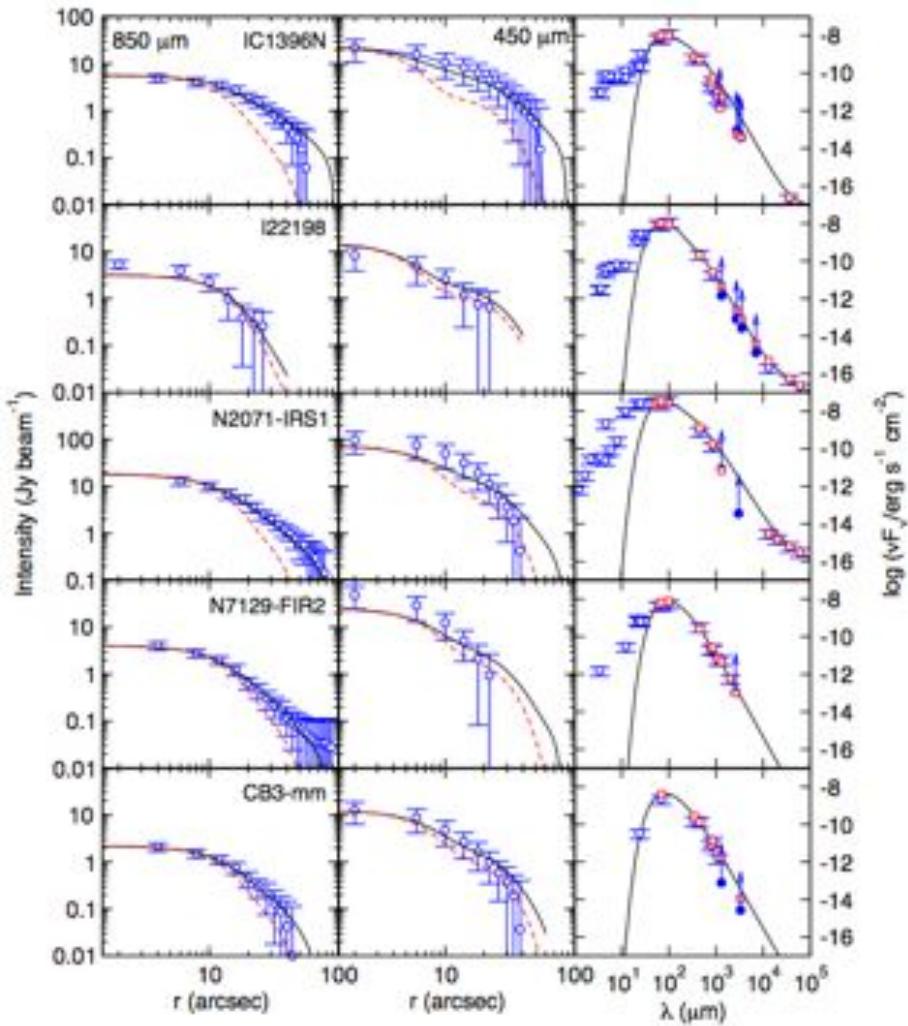
Meaningful comparison:

- convolution with beam (main+error model beams)
- chopping with 120" chop-throw (circularly averaged)

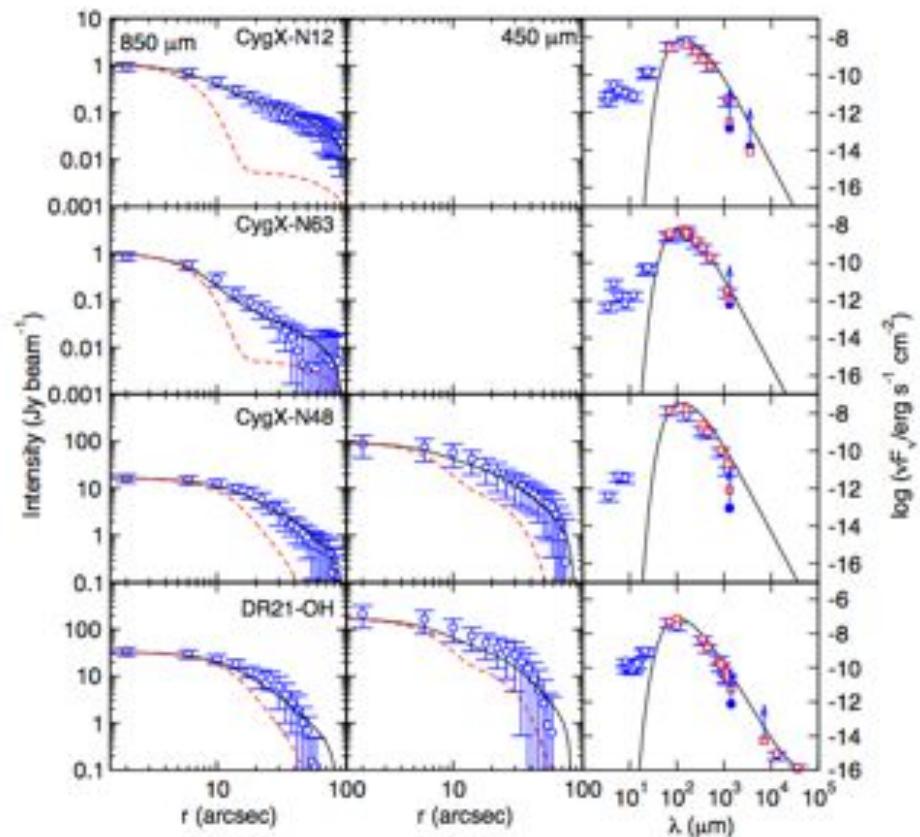
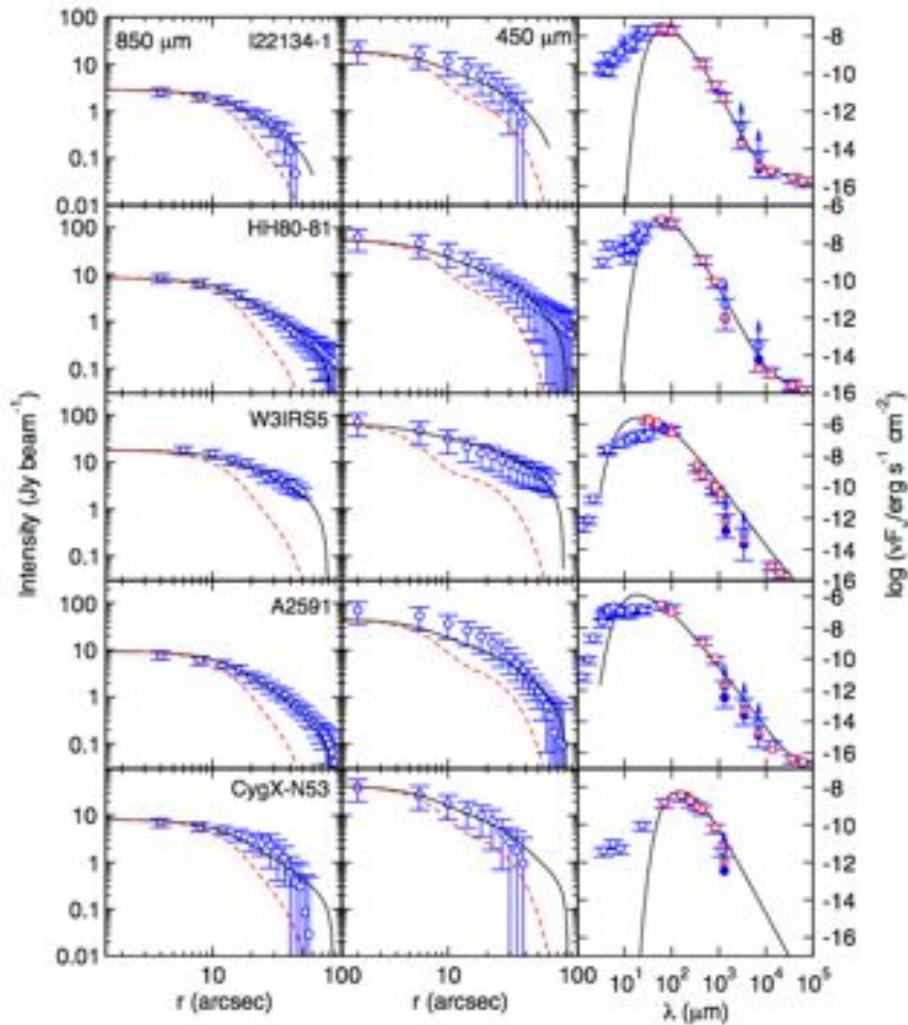
Fit simultaneously:

- intensity profiles at 850 and 450 μm
- SED from cm to 60 μm wavelengths (sensitive to T)

Model density and temperature profiles of the dense cores



Model density and temperature profiles of the dense cores

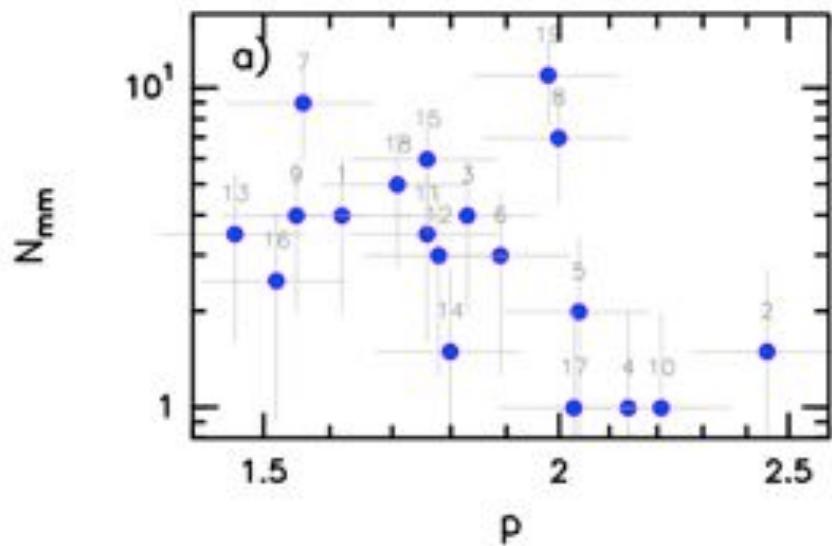


Model density and temperature profiles of the dense cores

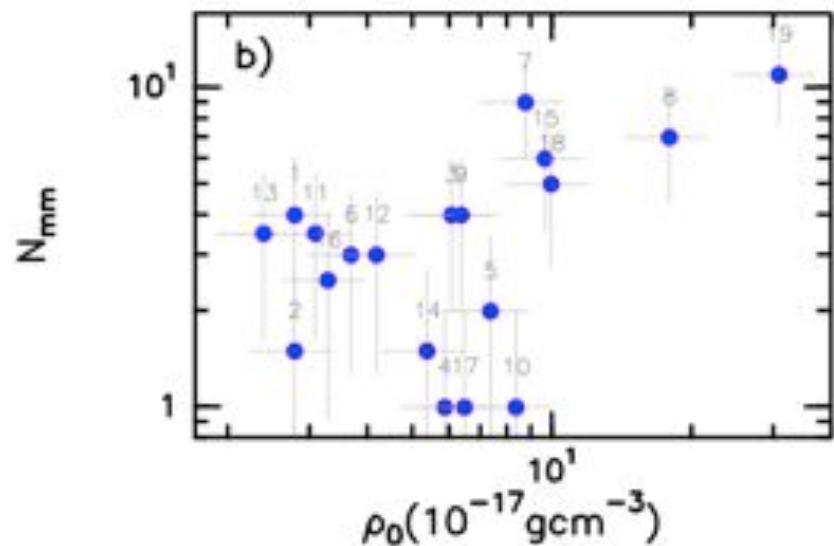
TABLE I
BEST-FIT PARAMETERS TO THE RADIAL PROFILES AND SED OF THE MASSIVE DENSE CORES

ID-Source	D (kpc)	L_{bol} (L_{\odot})	N_{mm}^{a}	β^{b}	T_0^{b} (K)	ρ_0^{b} (g cm $^{-3}$)	p^{b}	χ^2/ν^{b}	p_{in}^{c}	Refs. ^c
1-IC1396N ^d	0.75	290	4	1.41 ± 0.19	43 ± 4	$(2.8 \pm 0.4) \times 10^{-17}$	1.62 ± 0.08	0.580	1.2	1
2-I22198 ^e	0.76	340	1.5	1.46 ± 0.31	43 ± 5	$(2.8 \pm 1.0) \times 10^{-17}$	2.45 ± 0.16	0.885	—	—
3-NGC2071-IRS1	0.42	440	4	1.09 ± 0.21	40 ± 3	$(6.1 \pm 1.0) \times 10^{-17}$	1.83 ± 0.09	0.534	—	—
4-NGC7129-FIRS2	1.25	460	1	1.55 ± 0.28	47 ± 4	$(5.9 \pm 1.1) \times 10^{-17}$	2.14 ± 0.11	0.454	1.4	1
5-CB3-mm	2.50	700	2	1.42 ± 0.24	58 ± 7	$(7.4 \pm 1.5) \times 10^{-17}$	2.04 ± 0.10	0.552	2.2	1
6-I22172N-IRS1	2.40	830	3	1.49 ± 0.23	75 ± 10	$(3.7 \pm 0.7) \times 10^{-17}$	1.89 ± 0.08	0.283	—	—
7-OMC-1S	0.45	2000	9	1.42 ± 0.20	86 ± 9	$(8.8 \pm 1.8) \times 10^{-17}$	1.56 ± 0.10	0.319	??	2
8-AFGL 5142 ^d	1.80	2200	7	1.25 ± 0.20	70 ± 7	$(1.8 \pm 0.2) \times 10^{-16}$	2.00 ± 0.05	0.361	—	—
9-I05358+3543NE	1.80	3100	4	1.28 ± 0.18	62 ± 6	$(6.4 \pm 1.0) \times 10^{-17}$	1.55 ± 0.05	0.229	> 0.8, 1.5	3, 7
10-I20126+4104	1.64	8900	1	1.82 ± 0.24	86 ± 9	$(8.4 \pm 1.6) \times 10^{-17}$	2.21 ± 0.11	0.607	1.6, 1.8, 2.2	3, 4, 5
11-I22134-IRS1	2.60	11800	3.5	1.70 ± 0.19	82 ± 8	$(3.1 \pm 0.5) \times 10^{-17}$	1.76 ± 0.06	0.477	1.3	3
12-HH80-81	1.70	21900	3	1.56 ± 0.14	108 ± 10	$(4.2 \pm 0.6) \times 10^{-17}$	1.78 ± 0.04	0.473	—	—
13-W3IRS5 ^d	1.95	140000	3.5	1.04 ± 0.12	260 ± 30	$(2.4 \pm 0.3) \times 10^{-17}$	1.46 ± 0.04	0.602	1.5, 1.4	4, 7
14-AFGL 2591	3.00	190000	1.5	0.96 ± 0.12	250 ± 20	$(5.4 \pm 0.7) \times 10^{-17}$	1.80 ± 0.03	0.549	1.0, 2.0, 1.0	4, 6, 7
15-CygX-N53	1.40	300	6?	1.55 ± 0.22	45 ± 4	$(9.7 \pm 1.8) \times 10^{-17}$	1.76 ± 0.07	0.487	—	—
16-CygX-N12 ^d	1.40	320	2.5	1.75 ± 0.10	50 ± 7	$(3.3 \pm 1.0) \times 10^{-17}$	1.52 ± 0.10	0.376	—	—
17-CygX-N63 ^d	1.40	470	1	1.80 ± 0.33	45 ± 3	$(6.5 \pm 1.1) \times 10^{-17}$	2.03 ± 0.07	0.570	—	—
18-CygX-N48	1.40	4400	5	1.88 ± 0.18	58 ± 5	$(1.0 \pm 1.7) \times 10^{-16}$	1.71 ± 0.05	0.459	—	—
19-DR21-OH	1.40	10000	11	1.60 ± 0.26	73 ± 7	$(3.1 \pm 0.6) \times 10^{-16}$	1.98 ± 0.08	0.808	1.8, 1.4	4, 7

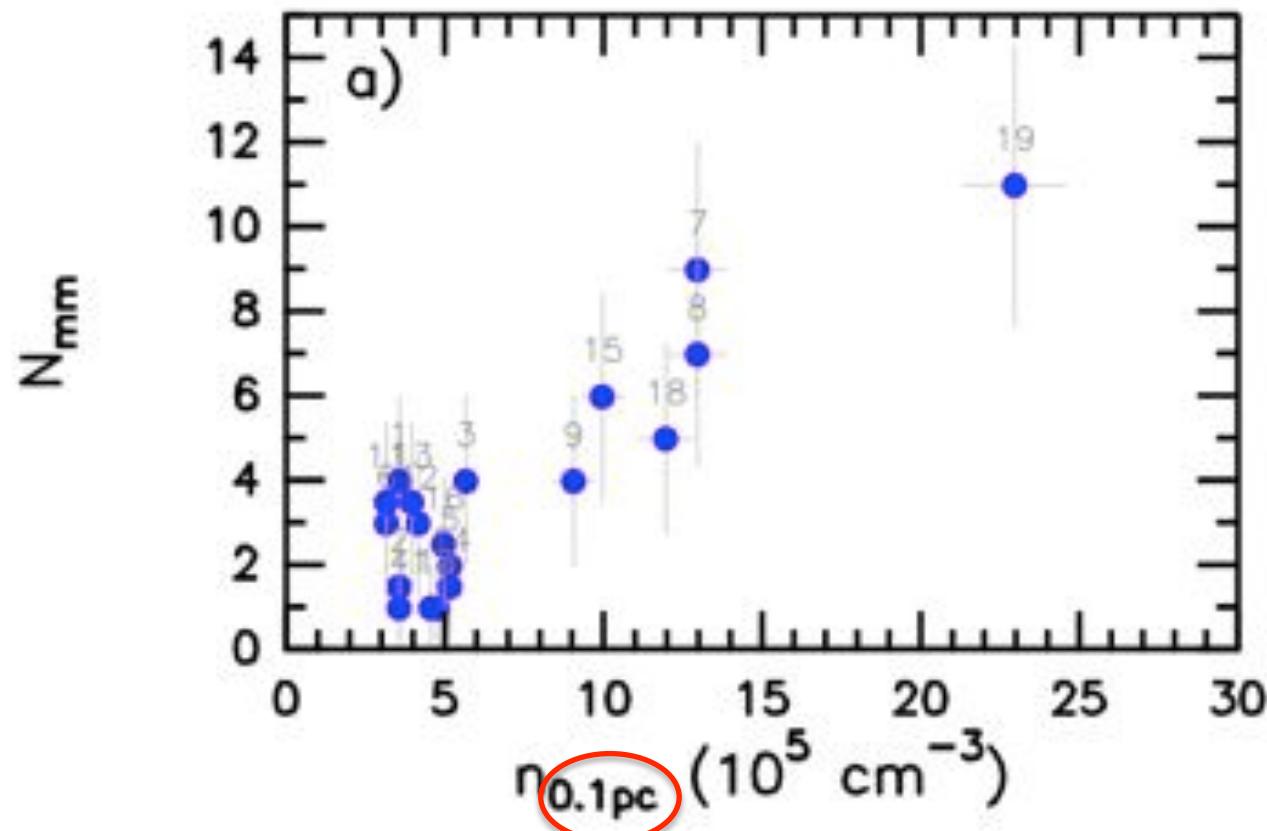
Dependence of N_{mm} with density power law index “p”



Dependence of N_{mm} with density at $r=1000$ AU



Dependence of N_{mm} with density within diameter of 0.1 pc



0.1 pc is the
region where
fragmentation
(N_{mm}) was
assessed!

From the modeled n, T profiles:

$$M_{0.1\text{pc}} \quad n_{0.1\text{pc}} \quad T_{0.1\text{pc}}$$

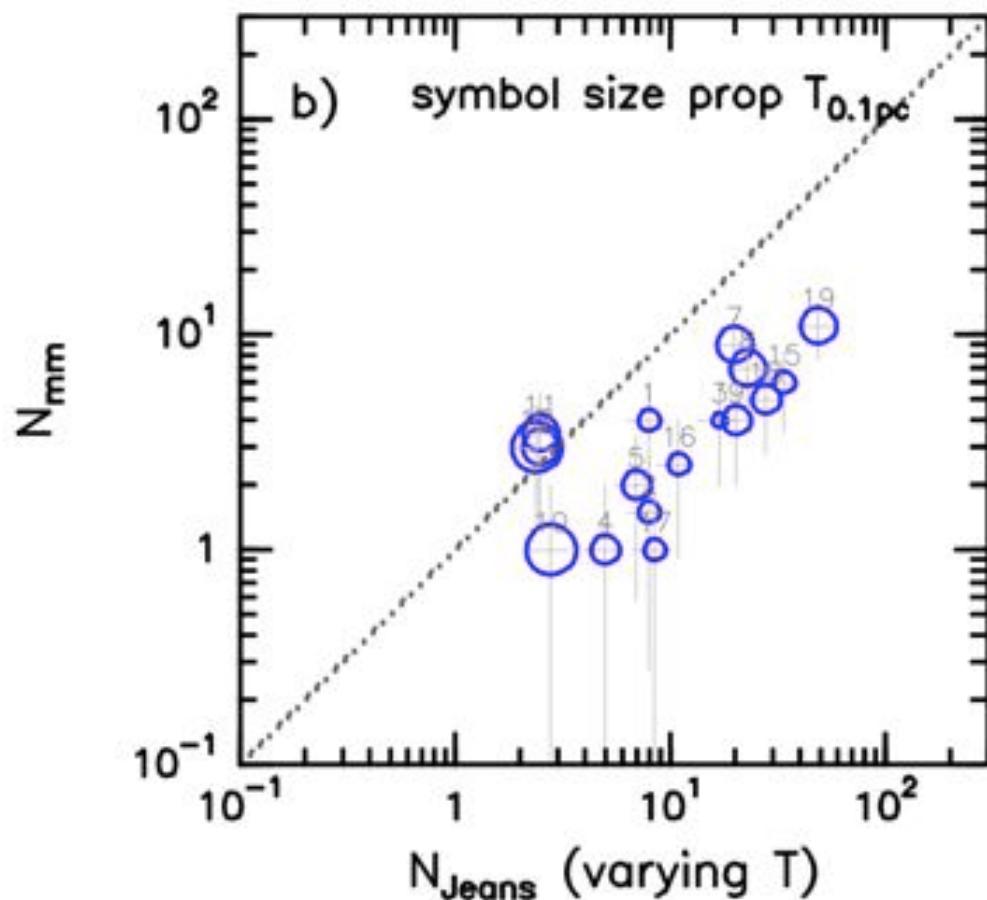
$$\left[\frac{M_{\text{Jeans}}^{\text{th}}}{M_{\odot}} \right] = 0.6285 \left[\frac{T}{10\text{ K}} \right]^{3/2} \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

Source	N_{mm}	$M_{0.1\text{pc}}^{\text{a}}$ (M_{\odot})	$n_{0.1\text{pc}}^{\text{a}}$ (10^5 cm^{-3})	$T_{0.1\text{pc}}^{\text{a}}$ (K)	$\sigma_{\text{NH}_3}^{\text{obs b}}$ (km s $^{-1}$)	$\sigma_{\text{NH}_3}^{\text{nth b}}$ (km s $^{-1}$)	$\mathcal{M}_{\text{NH}_3}^{\text{b}}$	$\sigma_{\text{N}_2\text{H}^+}^{\text{obs b}}$ (km s $^{-1}$)	$\sigma_{\text{N}_2\text{H}^+}^{\text{nth b}}$ (km s $^{-1}$)	$\mathcal{M}_{\text{N}_2\text{H}^+}^{\text{b}}$
1-IC1396N	4	11	3.6	25	—	—	—	0.56	0.56	1.9
2-I22198 ^c	1.5	11	3.6	26	0.47	0.44	1.4	—	—	—
3-N2071-1	4	17	5.7	24	0.72	0.72	2.5	—	—	—
4-N7129-2	1	11	3.6	35	—	—	—	0.51	0.50	1.4
5-CB3-mm	2	15	5.2	40	—	—	—	0.72	0.72	1.9
6-I22172N	3	9	3.2	48	0.59	0.58	1.4	0.87	0.86	2.1
7-OMC-1S	9	38	13	49	1.16	1.15	2.8	0.90	0.89	2.1
8-A5142	7	39	13	47	1.61	1.61	3.9	1.09	1.08	2.6
9-106358NE	4	27	9.1	35	0.72	0.71	2.0	1.07	1.07	3.0
10-I20126	1	14	4.8	68	2.00	1.99	4.0	0.85	0.84	1.7
11-I22134	3.5	10	3.2	50	0.42	0.40	0.9	0.62	0.61	1.4
12-HH80-81	3	12	4.2	66	0.98	0.96	2.0	—	—	—
13-W3IRS5	3.5	12	4.0	138	2.17	2.15	3.1	1.18	1.17	1.7
14-A2591	1.5	16	5.2	147	1.57	1.55	2.1	—	—	—
15-Cyg-N53	6	30	10	27	0.42	0.41	1.3	0.76	0.76	2.4
16-Cyg-N12	2.5	15	5.0	29	—	—	—	0.89	0.89	2.8
17-Cyg-N63	1	14	4.6	31	—	—	—	0.72	0.72	2.2
18-Cyg-N48	5	35	12	36	1.06	1.06	3.0	1.28	1.28	3.6
19-DR21-OH	11	69	23	49	1.49	1.48	3.5	—	—	—

According to global-hierarc.-chaotic grav. contract. scenario:

$$\left[\frac{M_{\text{Jeans}}^{\text{th}}}{M_{\odot}} \right] = 0.6285 \left[\frac{T}{10 \text{ K}} \right]^{3/2} \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

T calculated from model
(avg in 0.1pc)

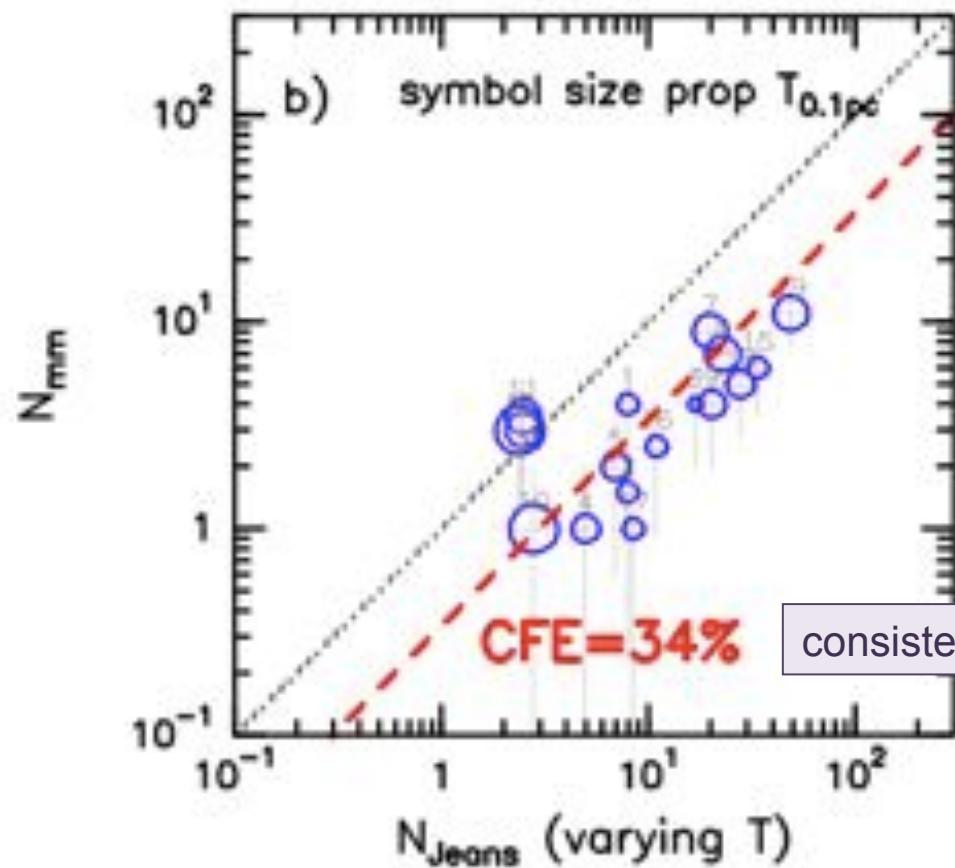


$$N_{\text{Jeans}} = \frac{M_{0.1\text{pc}}}{M_{\text{Jeans}}}$$

According to global-hierarc.-chaotic grav. contract. scenario:

$$\left[\frac{M_{\text{Jeans}}^{\text{th}}}{M_{\odot}} \right] = 0.6285 \left[\frac{T}{10 \text{ K}} \right]^{3/2} \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

T calculated from model
(avg in 0.1pc)



$$N_{\text{Jeans}} = \frac{M_{0.1\text{pc}}}{M_{\text{Jeans}}} \text{ CFE}$$

Introduction
Method + First Results
One step forward: density and T
Role of turbulence and B

What about turbulence?



VLA, USA

Archive + Sánchez-Monge, Palau et al. 2013, MNRAS + literature

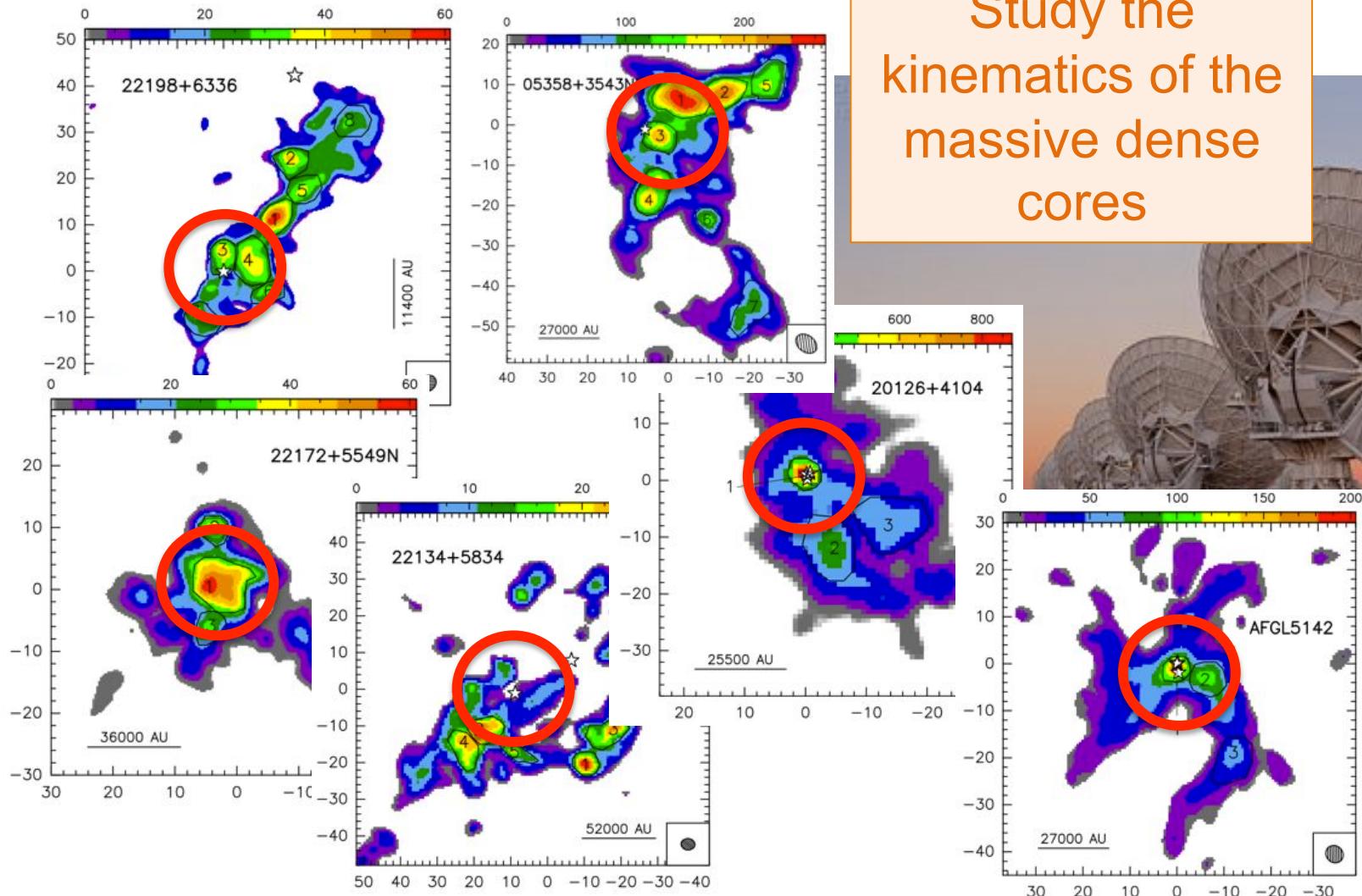
IRAM30m, Spain

Fontani, Palau et al. 2011 + literature

NH₃(1,1): VLA, beam~5'', largest angular scale ~30''

N₂H+(1—0): IRAM30m, beam~26''

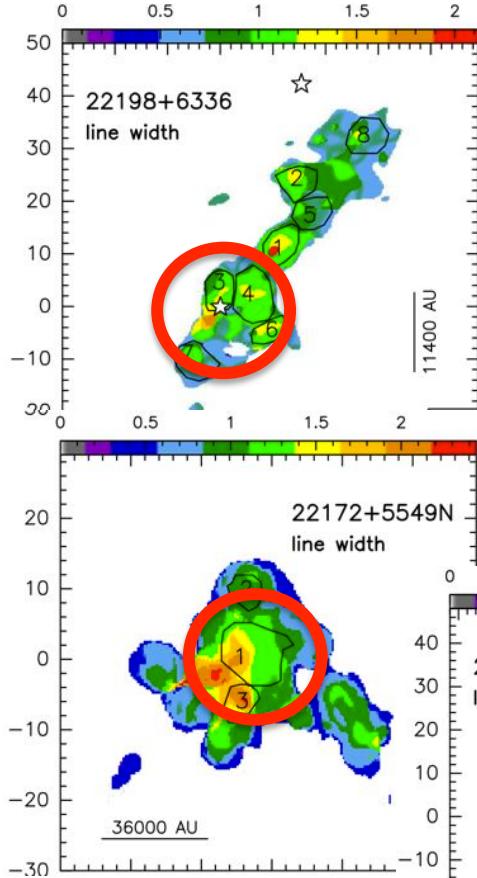
NH₃(1,1) emission with the VLA



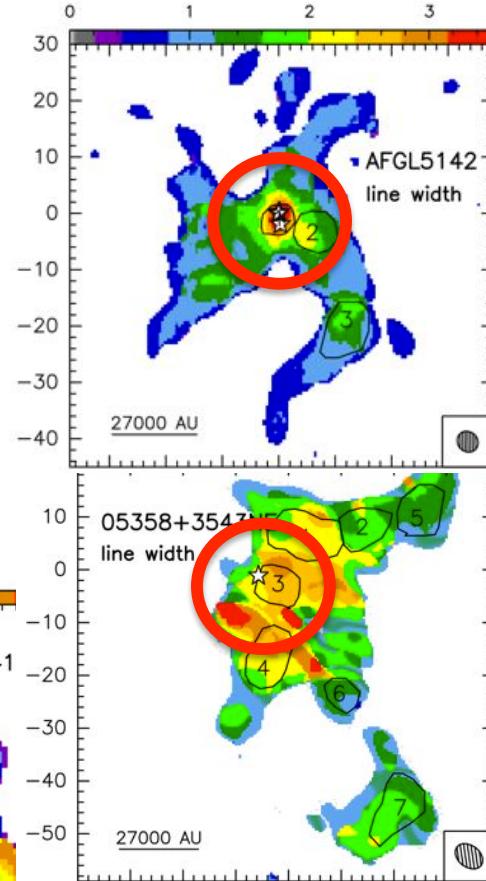
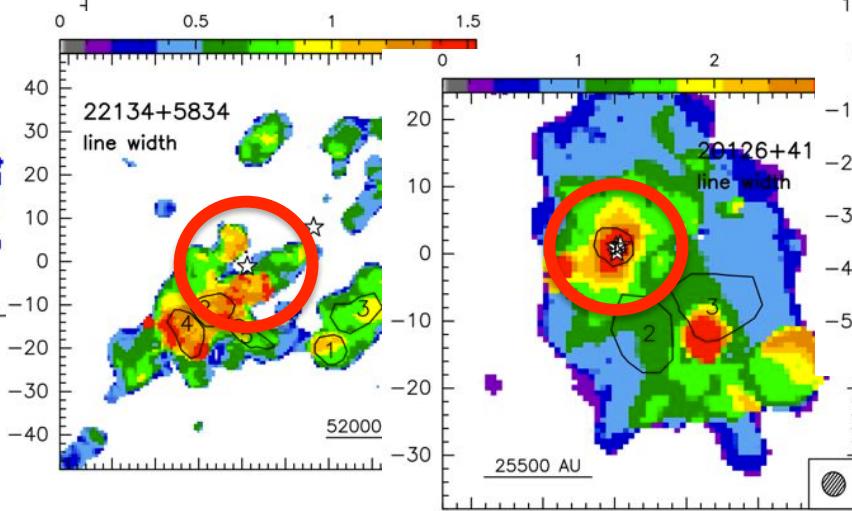
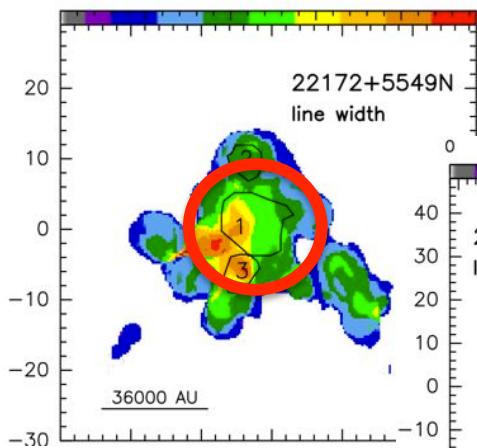
Study the
kinematics of the
massive dense
cores



NH₃(1,1) emission with the VLA



Moment 2 maps:
 $\sigma_{\text{no-th}}$: non-thermal
velocity dispersion



From the modeled temperature profile... estimate non-thermal contribution

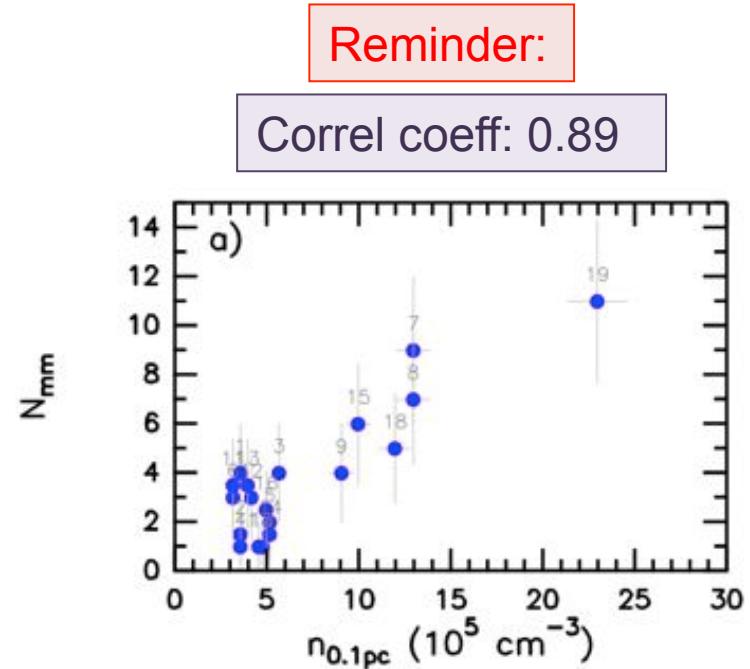
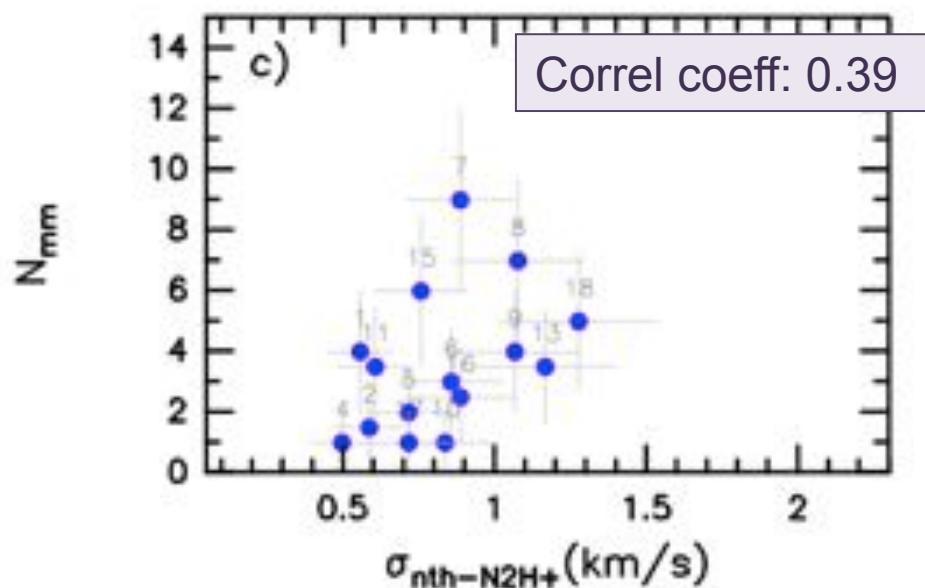
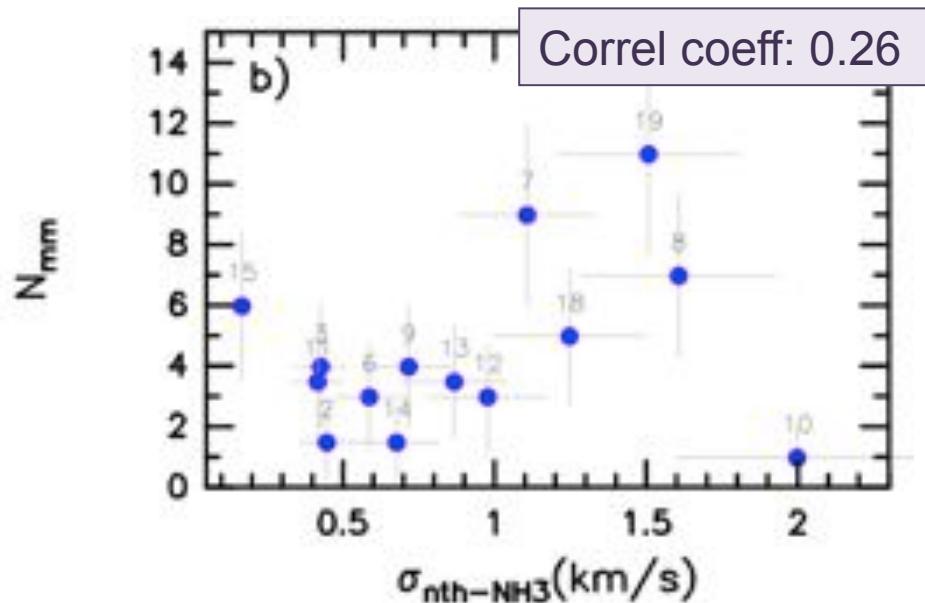
Table 1. Modeled

Source	N_{mm}	$M_{0.1\text{pc}}^{\text{a}}$ (M_{\odot})	$n_{0.1\text{pc}}^{\text{a}}$ (10^5 cm^{-3})	$T_{0.1\text{pc}}^{\text{a}}$ (K)	$\sigma_{\text{NH}_3}^{\text{obs b}}$ (km s^{-1})	$\sigma_{\text{NH}_3}^{\text{nth b}}$ (km s^{-1})	$M_{\text{NH}_3}^{\text{b}}$	$\sigma_{\text{N}_2\text{H}^+}^{\text{obs b}}$ (km s^{-1})	$\sigma_{\text{N}_2\text{H}^+}^{\text{nth b}}$ (km s^{-1})	$M_{\text{N}_2\text{H}^+}^{\text{b}}$
1-IC1396N	4	11	3.6	25	—	—	—	0.56	0.56	1.9
2-I22198 ^c	1.5	11	3.6	26	0.47	0.44	1.4	—	—	—
3-N2071-1	4	17	5.7	24	0.72	0.72	2.5	—	—	—
4-N7129-2	1	11	3.6	35	—	—	—	0.51	0.50	1.4
5-CB3-mm	2	15	5.2	40	—	—	—	0.72	0.72	1.9
6-I22172N	3	9	3.2	48	0.59	0.58	1.4	0.87	0.86	2.1
7-OMC-1S	9	38	13	49	1.16	1.15	2.8	0.90	0.89	2.1
8-A5142	7	39	13	47	1.61	1.61	3.9	1.09	1.08	2.6
9-106358NE	4	27	9.1	35	0.72	0.71	2.0	1.07	1.07	3.0
10-I20126	1	14	4.8	68	2.00	1.99	4.0	0.85	0.84	1.7
11-I22134	3.5	10	3.2	50	0.42	0.40	0.9	0.62	0.61	1.4
12-HH80-81	3	12	4.2	66	0.98	0.96	2.0	—	—	—
13-W3IRS5	3.5	12	4.0	138	2.17	2.15	3.1	1.18	1.17	1.7
14-A2591	1.5	16	5.2	147	1.57	1.55	2.1	—	—	—
15-Cyg-N53	6	30	10	27	0.42	0.41	1.3	0.76	0.76	2.4
16-Cyg-N12	2.5	15	5.0	29	—	—	—	0.89	0.89	2.8
17-Cyg-N63	1	14	4.6	31	—	—	—	0.72	0.72	2.2
18-Cyg-N48	5	35	12	36	1.06	1.06	3.0	1.28	1.28	3.6
19-DR21-OH	11	69	23	49	1.49	1.48	3.5	—	—	—

$\text{NH}_3(1,1)$

$\text{N}_2\text{H}^+(1—0)$

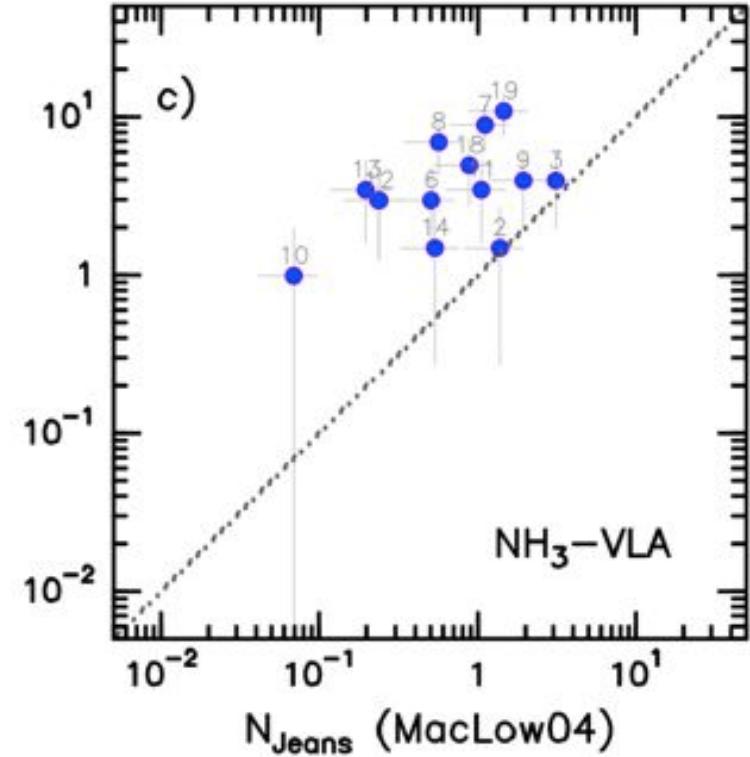
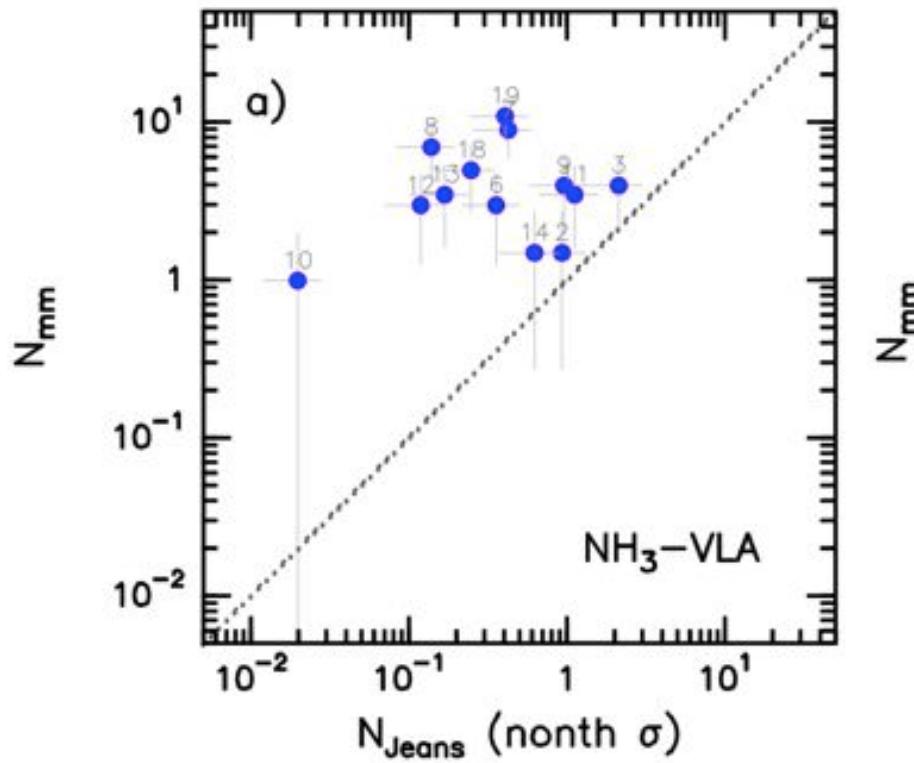
Relation of N_{mm} with non-thermal vel. dispersion



Palau, Ballesteros-Paredes, Vázquez-Semadeni et al. 2015, in prep.

$$N_{\text{Jeans}} = \frac{M_{0.1\text{pc}} \text{CFE}}{M_{\text{Jeans}}}.$$

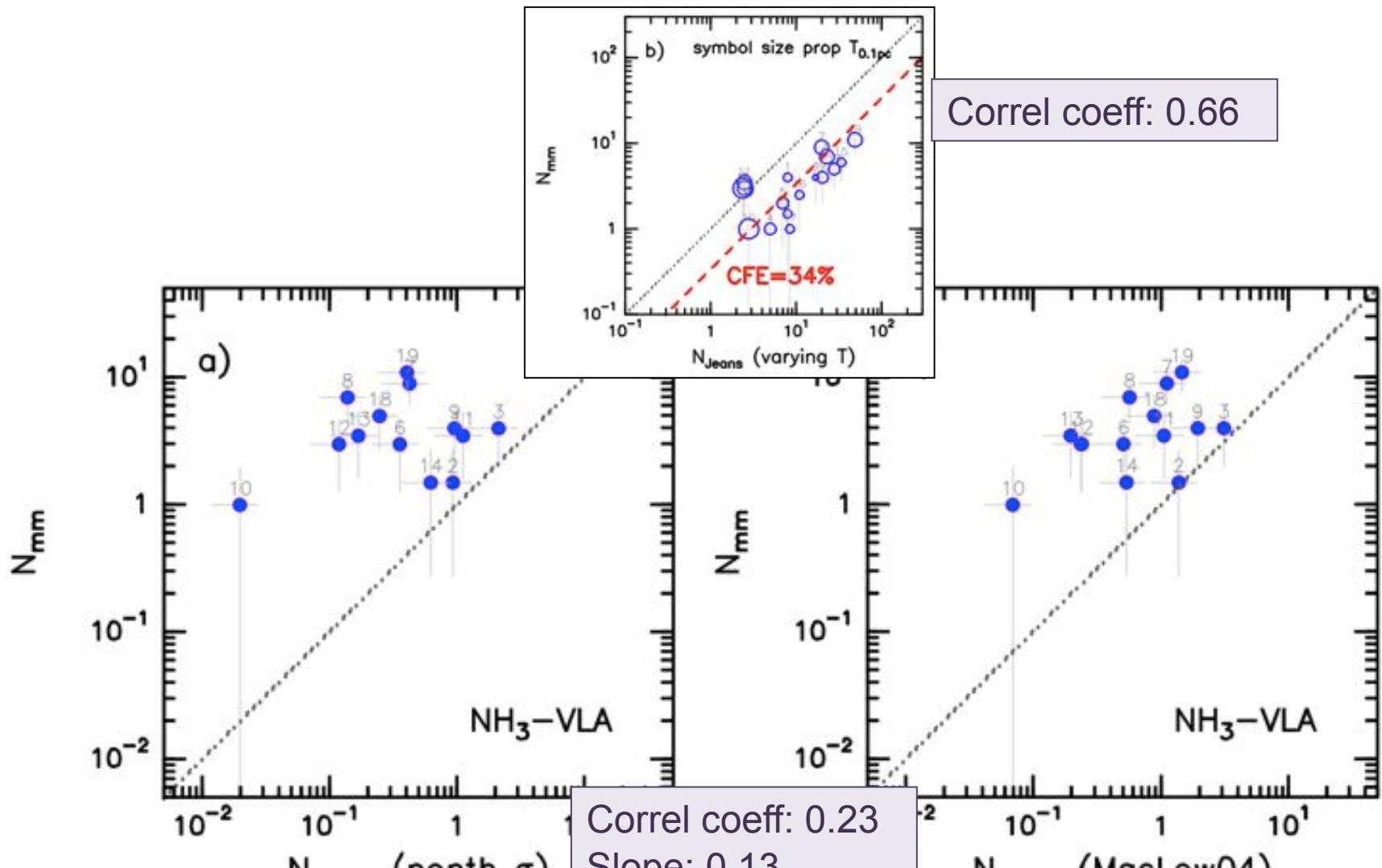
assuming
CFE=100%



$$\left[\frac{M_{\text{Jeans}}^{\text{nth}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

$$\left[\frac{M_{\text{Jeans}}^{\text{conv.flows}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n \mathcal{M}^2}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

According to turbulence-regulated quasi-equilibrium scenario:



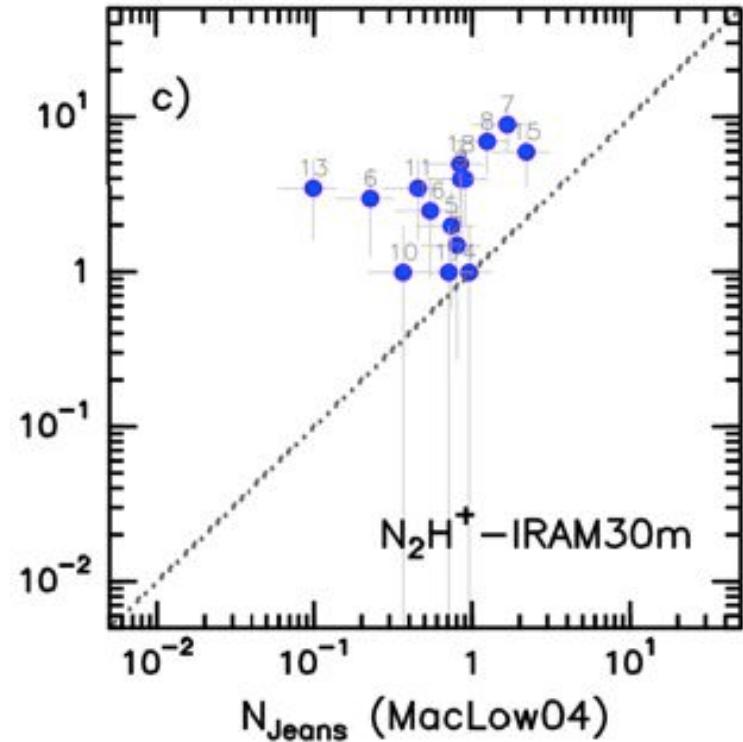
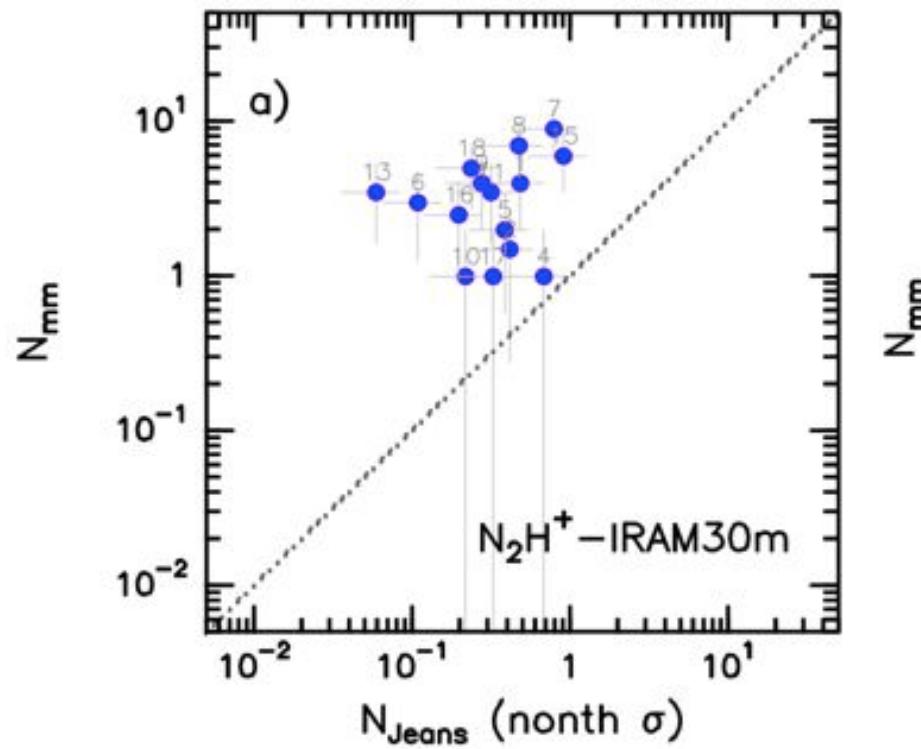
$$\left[\frac{M_{\text{Jeans}}^{\text{nth}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

$$\left[\frac{M_{\text{Jeans}}^{\text{conv.flows}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n \mathcal{M}^2}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

According to turbulence-regulated quasi-equilibrium scenario:

$$N_{\text{Jeans}} = \frac{M_{0.1\text{pc}} \text{CFE}}{M_{\text{Jeans}}}$$

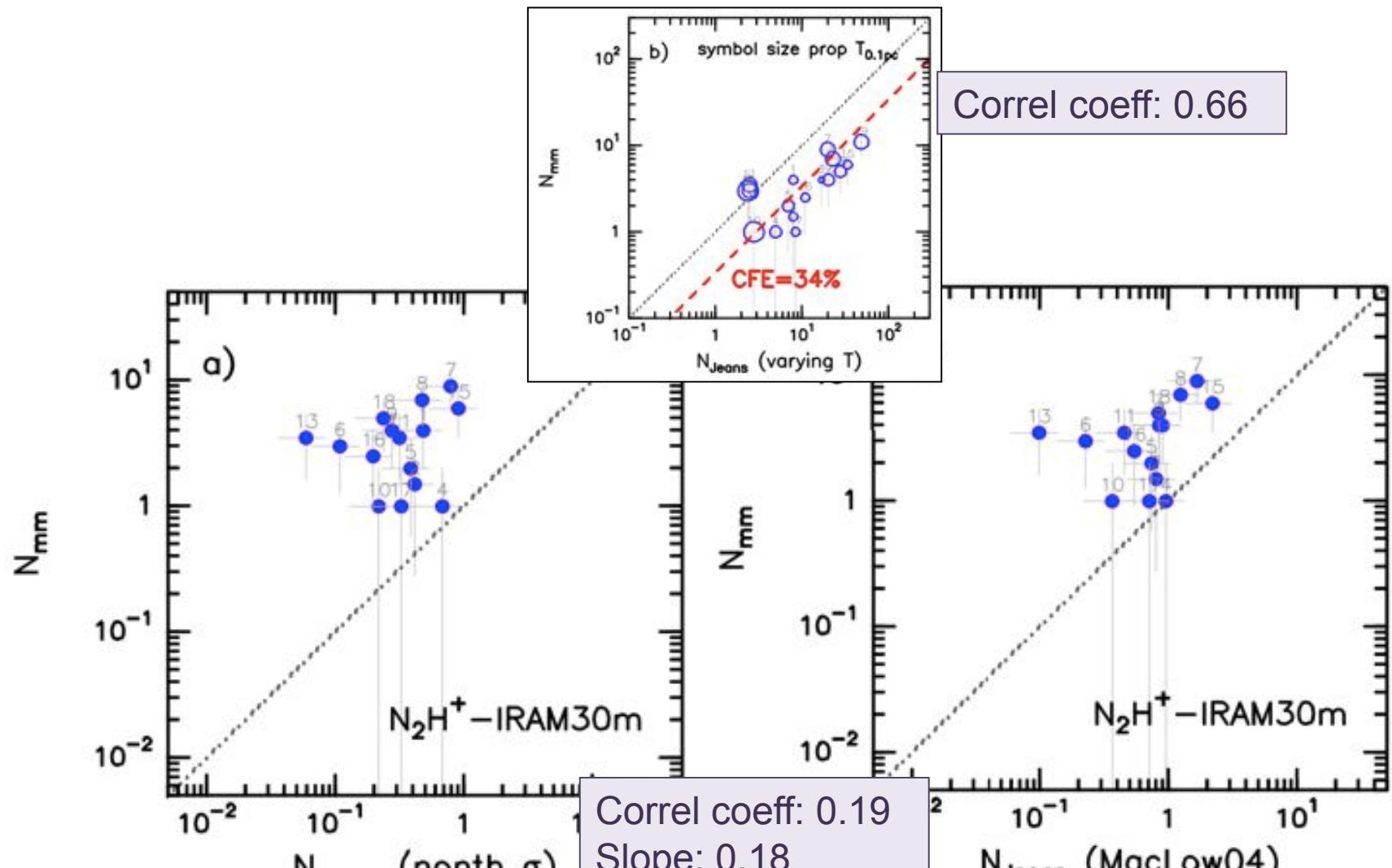
assuming
CFE=100%



$$\left[\frac{M_{\text{Jeans}}^{\text{nth}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

$$\left[\frac{M_{\text{Jeans}}^{\text{conv.flows}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n \mathcal{M}^2}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

According to turbulence-regulated quasi-equilibrium scenario:



$$\left[\frac{M_{\text{Jeans}}^{\text{nth}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

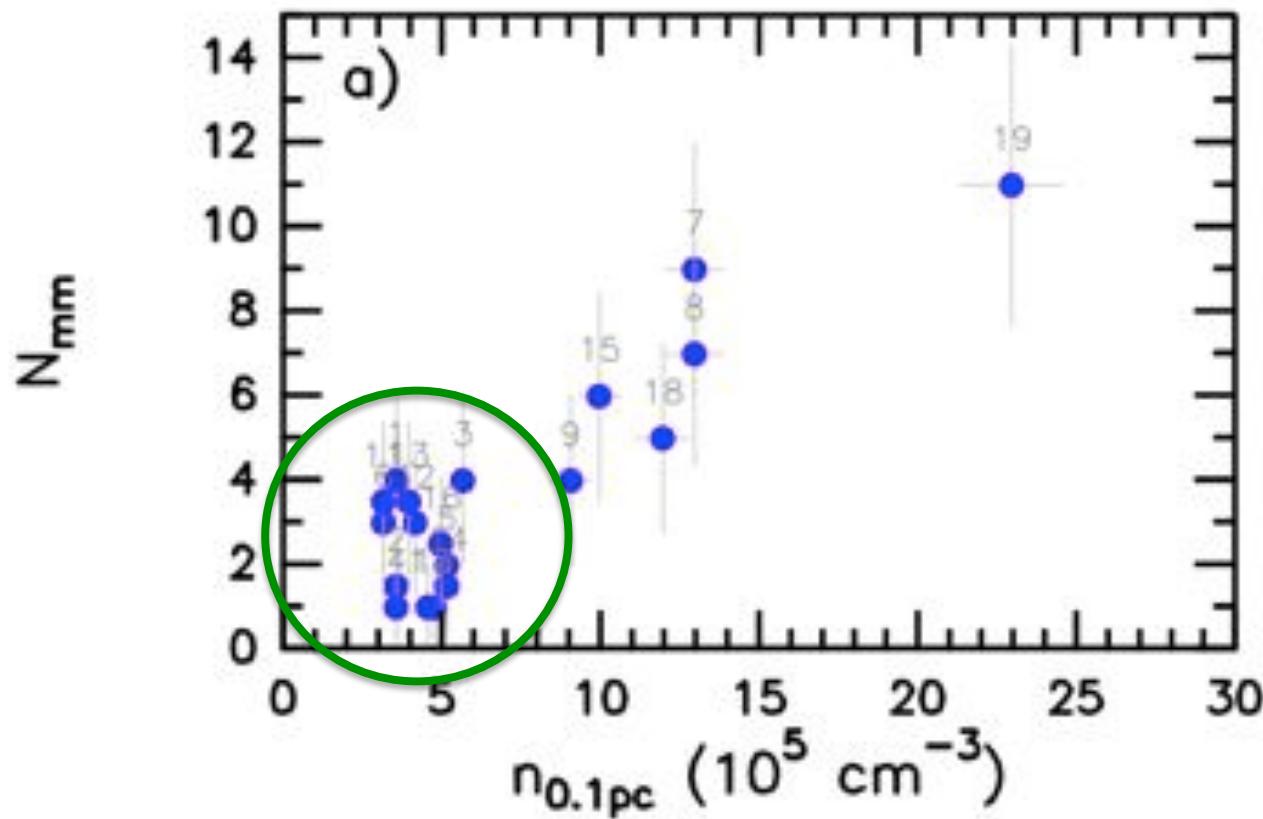
$$\left[\frac{M_{\text{Jeans}}^{\text{conv.flows}}}{M_{\odot}} \right] = 1.578 \left[\frac{\sigma_{\text{nth}}}{0.188 \text{ km s}^{-1}} \right]^3 \left[\frac{n \mathcal{M}^2}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

According to turbulence-regulated quasi-equilibrium scenario:

Our data are better described by pure thermal support. This means that:

- 1) either we are not properly measuring the turbulence level of dense cores
- 2) or turb cannot be treated as an additional pressure term to thermal pressure (ie, M_{Jeans} should be described in a different way)
- 3) or turbulence does not have a crucial role in determining the fragmentation level of dense cores

What about magnetic field?



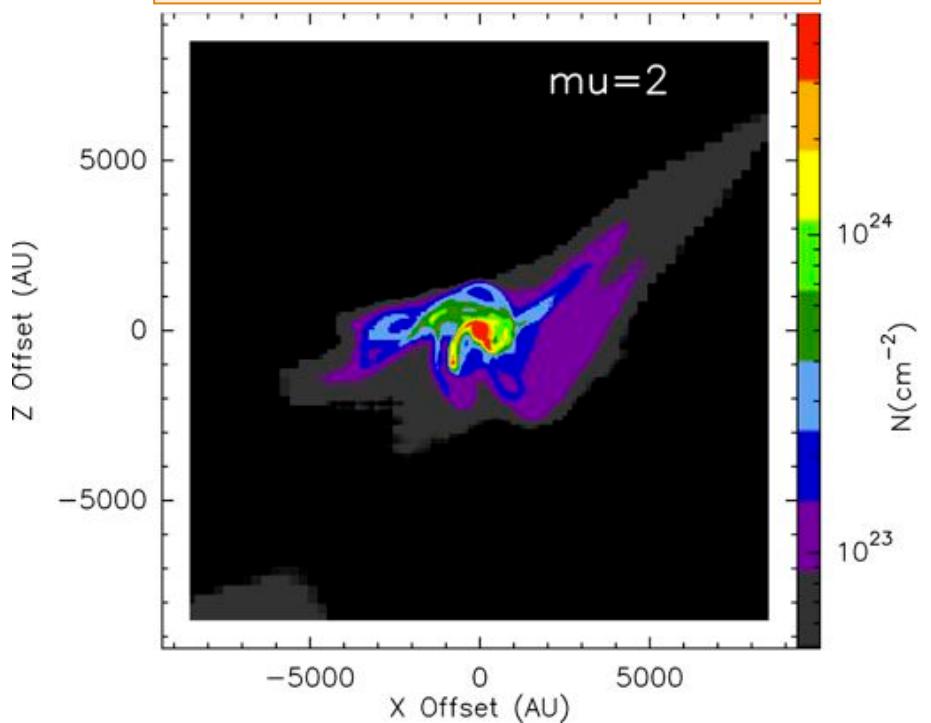
B known to suppress fragmentation:

How would simulations including different B compare in this plot?

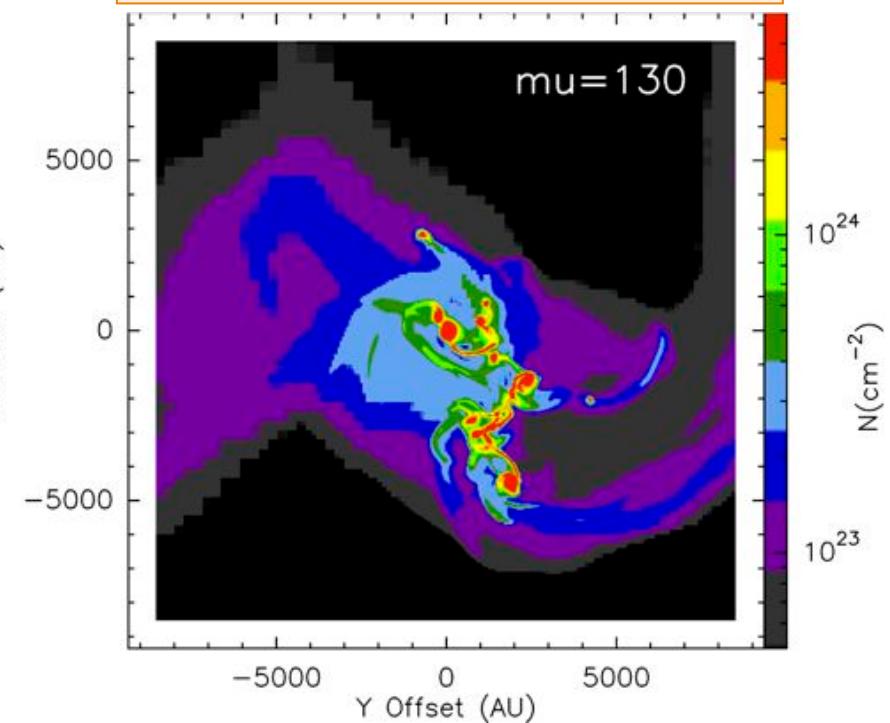
Magnetohydrodynamical simulations including radiation transport:

Commerçon et al. 2011, after Hennebelle et al. 2011

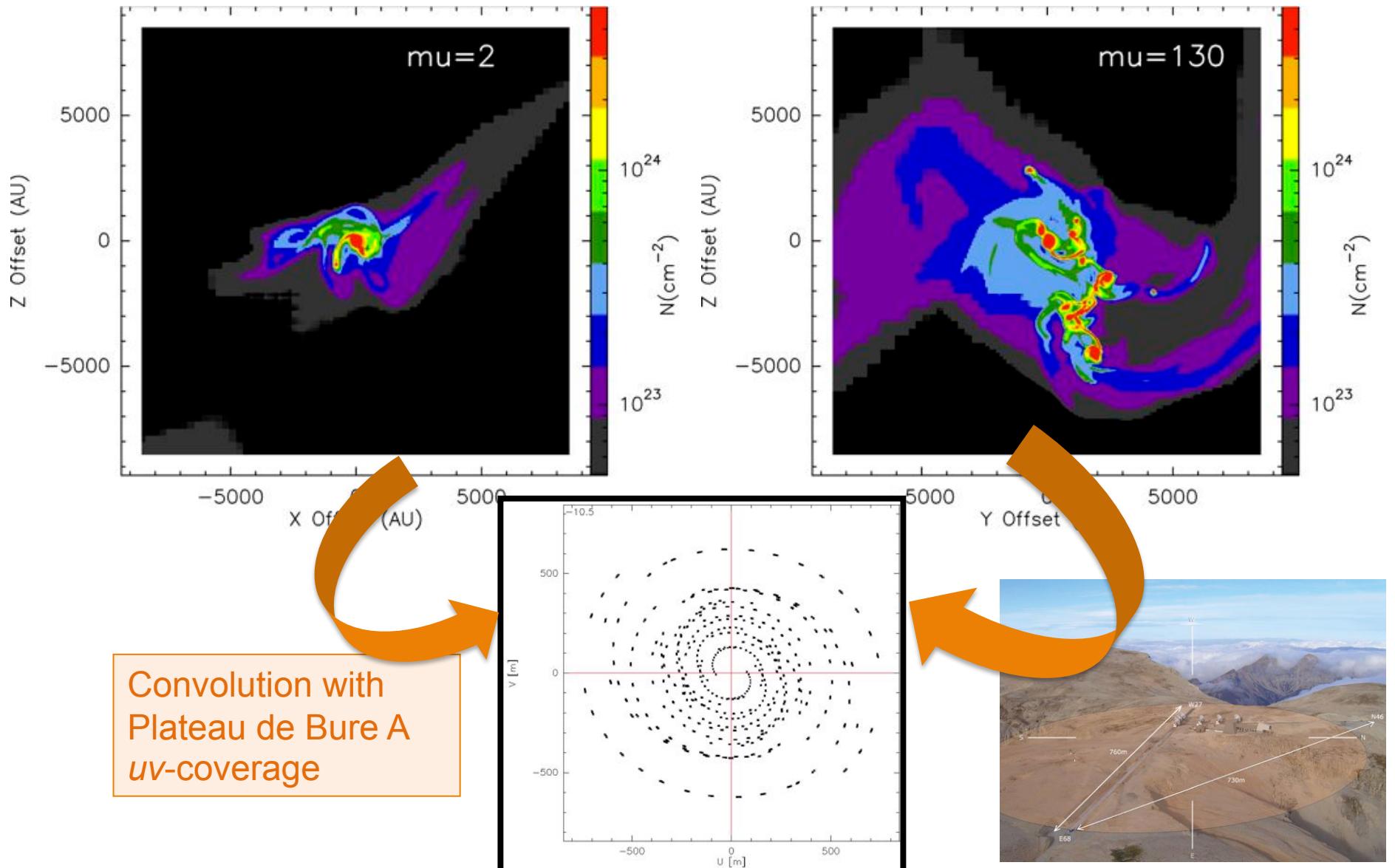
Strongly magnetized core



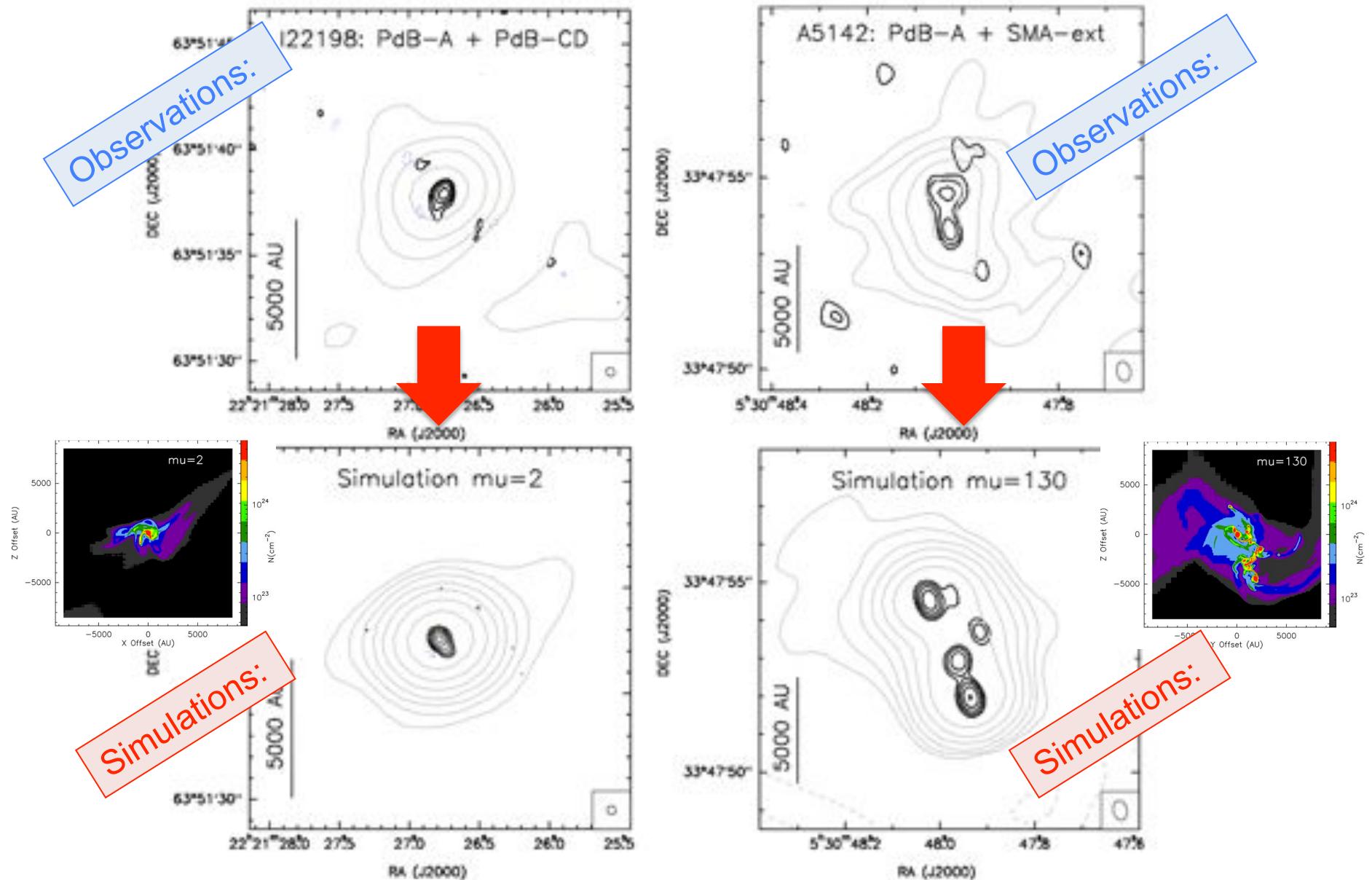
Weakly magnetized core



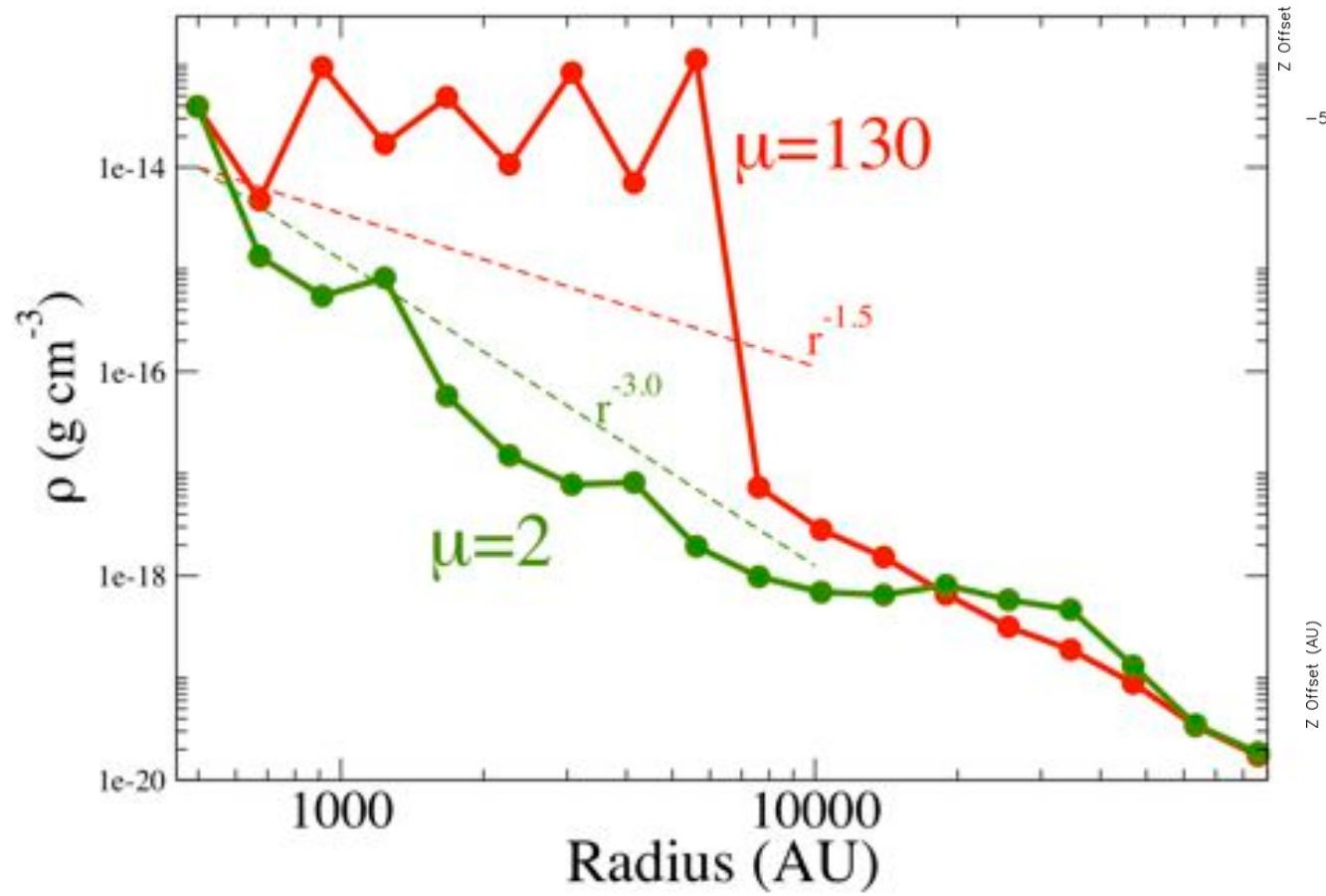
Compare fragmentation level



Compare fragmentation level



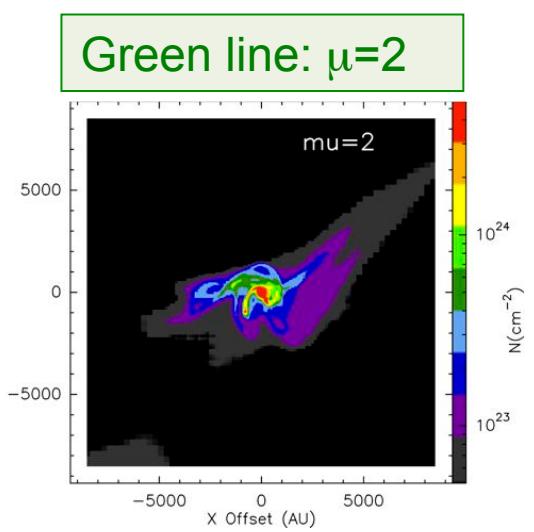
Compare density profiles



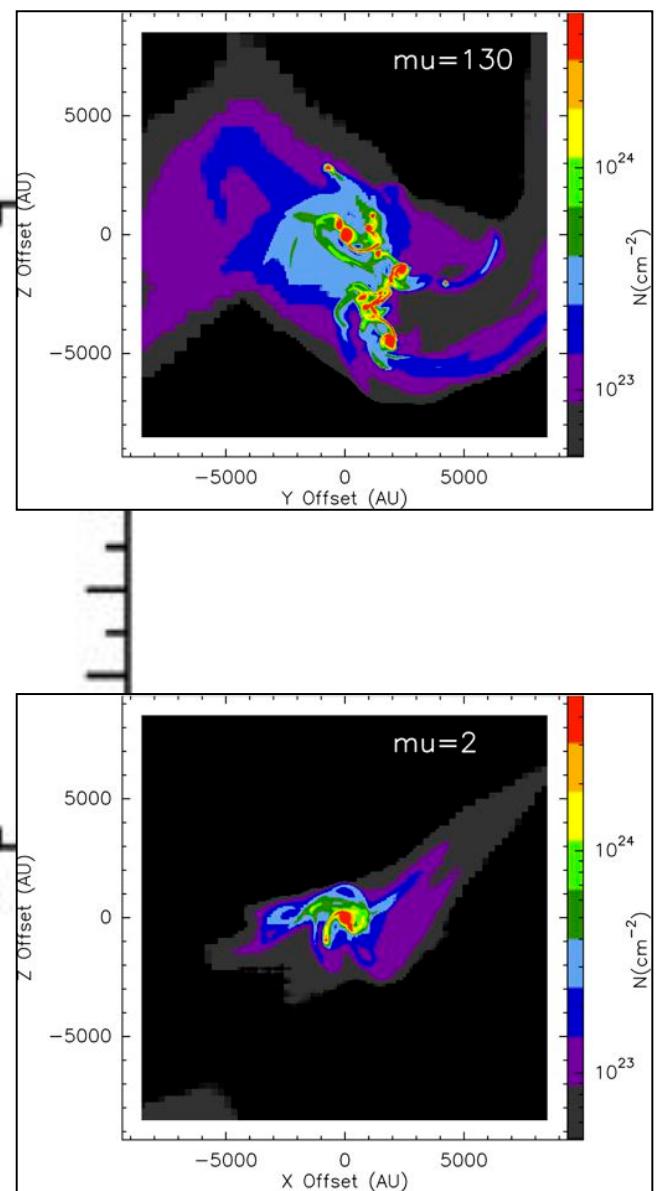
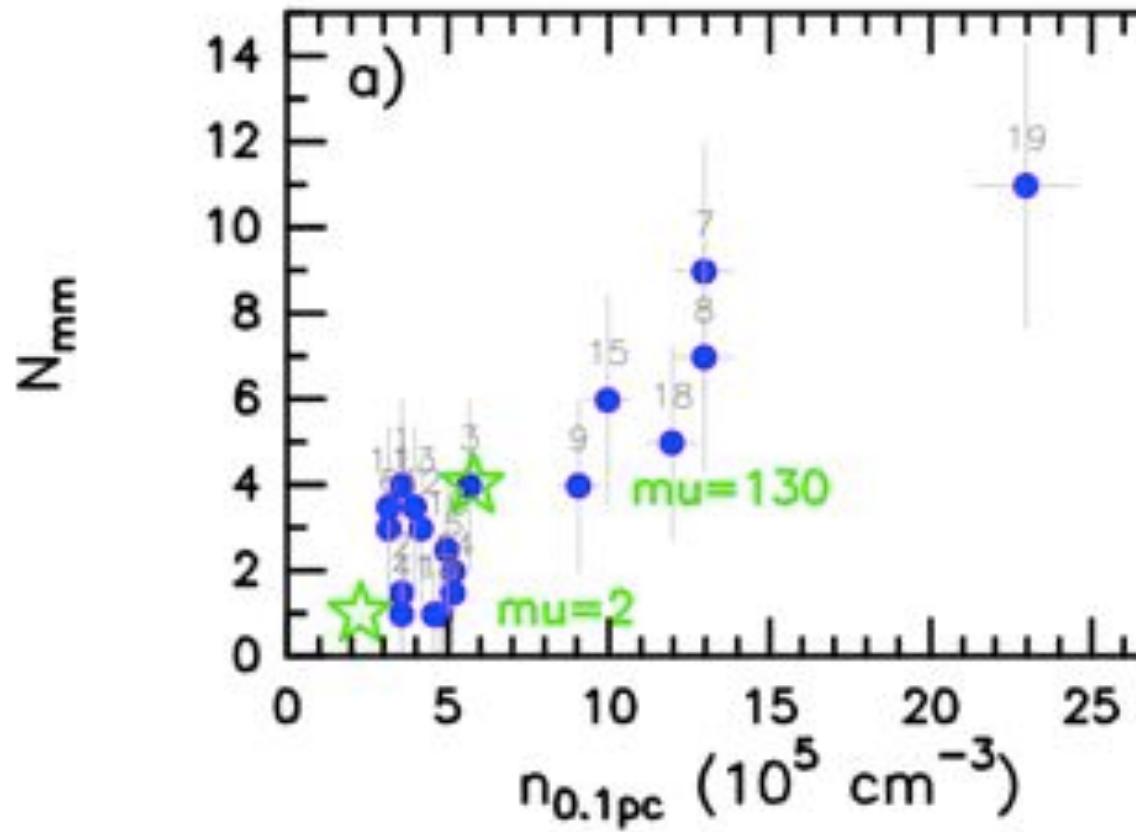
Red line:
 $\mu = 130$



Green line: $\mu = 2$



Compare density within 0.1 pc



Need to constrain B from observations



CSO, Hawaii
Palau et al., in prep.



SMA, Hawaii
Palau et al., in prep.

Observations of polarized submm emission: **work in progress**

Conclusions

- ✓ sample of 19 massive dense cores: study fragmentation level vs several properties of the cores
- ✓ data seem to be better described by pure thermal Jeans fragmentation
- ✓ B potentially helps form concentrated profiles and smaller densities inside a given radius

Thanks!

$$\left[\frac{M_{\text{Jeans}}^{\text{th}}}{M_{\odot}} \right] = 0.6285 \left[\frac{T}{10 \text{ K}} \right]^{3/2} \left[\frac{n}{10^5 \text{ cm}^{-3}} \right]^{-1/2}$$

T fixed at 20 K
T calculated from model
(avg in 0.1pc)

