## **Highlights from LHCb**



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## The interest in flavour

- Standard Model has no tree-level Flavour Changing Neutral Currents (FCNC)
- FCNC only occur as loop processes, proceed via penguin or box diagrams sensitive to contributions from new (virtual) particles

 $\rightarrow$  Probe particle masses > E<sub>CM</sub> of the accelerator

- Exploration of flavour processes has played a central role in the development of the SM
  - c-quark inferred from measured suppression of  $K^0 \rightarrow \mu^+ \mu^- cf K^+ \rightarrow \mu^+ \nu$ (GIM, 1970); J/ $\psi$  discovered in 1974
  - t-quark mass from B<sup>0</sup> mixing (ARGUS, 1987); discovered D0, CDF 1995
  - t, b-quarks inferred from CP violation in K sector (KM of CKM 1973)
- Will argue that flavour still has discovery potential in the LHC era

# Outline

- Theoretical foundation and LHCb data-taking
- Measurements of  $b \rightarrow sll$  decays
- $B^0 \rightarrow \mu^+ \mu^-$  branching fraction measurements
- A critical look at the theory predictions
- Theoretically pristine observables
- Future outlook

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## **Theoretical Foundation**

• The **Operator Product Expansion** is the theoretical tool that underpins rare decay measurements – rewrite SM Lagrangian as :

$$\mathcal{L} = \sum_{i} C_{i} O_{i}$$

- "Wilson Coefficients" C<sub>i</sub>
  - Describe the short distance part, can compute perturbatively in given theory
  - Integrate out the heavy degrees of freedom that can't resolve at some scale  $\mu$
  - Mixing between different operators :  $C_i \rightarrow C_i^{\text{effective}}$
- "Operators" O<sub>i</sub>
  - Describe the long distance, non-perturbative part involving particles below  $\boldsymbol{\mu}$
  - Account for effects of strong interactions and are difficult to calculate reliably
- The challenge : measure those observables where the uncertainties on the operators cancel out – are then free from theoretical problems and measuring the C<sub>i</sub> tells us about the heavy degrees of freedom

## LHCb data-taking



- Results in this talk from Run-I data recorded 3.0 fb<sup>-1</sup> at instantaneous luminosities up to twice the design value
- Start of Run-II has been spectacular, have 1.5 fb<sup>-1</sup> on-tape, but collision energy means nearly twice the cross-section for bb production

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#### Rare decays $-b \rightarrow sll$

- b→sll decays involve flavour changing neutral currents → loop process
- At LHCb, best studied decay  $B^0 \rightarrow K^{*0} \mu \mu$
- Large number of observables: BF, A<sub>CP</sub> and angular observables – dynamics can be described by three angles (θ<sub>I</sub>, θ<sub>K</sub>, φ) and di-μ invariant mass q<sup>2</sup>
- Try to use observables where theoretical uncertainties cancel e.g. Forward-backward asymmetry  $A_{FB}$  of  $\theta_{I}$  distribution
- Interpreted in effective field theory describing couplings (C) of photon (O<sub>7</sub>), vector (O<sub>9</sub>) and axial-vector (O<sub>10</sub>) operators





dimuon invariant mass squared. q<sup>2</sup>

# $B^0 \rightarrow K^{*0} \mu \mu$ full angular analysis

• Have performed first full angular analysis

[JHEP 02 (2016) 104]

- Extract the full set of CP-averaged angular terms and their correlations
- Determine a full set of CP-asymmetries



• Vast majority of observables in agreement with SM predictions, giving some confidence in theory control of relevant form-factors

# $B^0 \rightarrow K^{*0} \mu \mu$ full angular analysis

 In SCET/QCD factorisation can reduce to just two form-factors- can then construct ratios of observables which are independent of formfactors at LO [JHEP 1204 (2012) 104]



- Form-factor "independent" P<sub>5</sub>' has a local discrepancy in two bins (subsequently confirmed by Belle [arxiv:1604.04042])
- Form-factor dependent  $A_{FB}$  hints at a trend, but is consistent with SM
- $\rightarrow$  3.4  $\sigma$  discrepancy with the vector coupling  $\Delta C_9$  = -1.04±0.25

## b→sll Branching Fractions

 Several b→sll branching fractions measured, show some tension with predictions, particular at low q<sup>2</sup>



## $b \rightarrow sll$ interpretation

• Several groups have interpreted LHCb results by performing global fits to b→sll data e.g. [arXiv:1503.06199,1510.04239,1512.07157,1603.00865]



Consistent picture, tensions solved simultaneously by a modified vector coupling (ΔC<sub>9</sub> != 0) at 3-4σ

## $b \rightarrow sll$ interpretation

- Observe significant tension in b→sll processes, a consistent theory interpretation is *possible*, but is it correct?
- Community have started to critically look at the theory predictions
  - Problem with  $B \rightarrow K^*$  form factors?
  - Charm loop contribution?

[With thanks to D.Straub @ LHCb implications workshop]

 Before addressing these – effect could be substantiated in another way…

## $B^0 \rightarrow \mu^+ \mu^-$ analysis

- Single-particle explanations of all anomalies predict  $C_9^{NP} = -C_{10}^{NP}$
- Data are clearly still compatible with such a solution
- If this were the case would expect to see effect in  $B^0 \rightarrow \mu^+ \mu^-$  decays
  - Helicity and GIM suppressed
  - Dominant contribution from Zpenguin diagram
  - Precise predictions for BFs :  $B(B_s^0 \rightarrow \mu\mu)=(3.66\pm0.23)\times10^{-9}$  $B(B_d^0 \rightarrow \mu\mu)=(1.06\pm0.09)\times10^{-10}$
  - BF can be altered by modification of C<sub>10</sub> or new scalar or pseudoscalar contribution (C<sub>S,P</sub>) [high tan β SUSY]



# $B^0 \rightarrow \mu^+ \mu^-$ analysis

- CMS and LHCb (LHC run I) Candidates / (40 MeV/c<sup>2</sup>) 8 01 71 11 91 LHCb and CMS measurements • 🔶 Data Signal and background combined [Nature 522 (2015) 68]  $B_{a}^{0} \rightarrow \mu^{+}\mu^{-}$  $B^0 \rightarrow \mu^+ \mu^-$ Combinatorial background -  $B_s^0 \rightarrow \mu^+ \mu^-$  established at 6.2 $\sigma$ 10 Semi-leptonic background Peaking background -  $B_d^0 \rightarrow \mu^+ \mu^-$  evidence at 3.2 $\sigma$ ATLAS have also made a search ۲ μ<sup>-)</sup>[10<sup>-9</sup>] 5000 5200 5400 5600 5800 ATLAS  $m_{\mu^+\mu^-}$  [MeV/c<sup>2</sup>] √s = 7 TeV, 4.9 fb<sup>-1</sup> 0.6 CMS and LHCb (LHC run I) vs = 8 TeV. 20 fb<sup>-1</sup>  $\rightarrow \mu^+$ 8 S<sup>B</sup>° B(B<sup>0</sup> -8 7 SM **farXiv**: 99.73°/c 6 🗄 1604.04263 95.45% Contours for  $-2 \Delta \ln(L) = 2.3$ , ATLAS 5 E 6.2, 11.8 from maximum of L .27% 4 3 2  $B(B_s^0 \to \mu^+ \mu^-)$  [10<sup>-9</sup>] No evidence for any deviation from ulletSM SM so far... but this measurement will be important for the future 2.5 0.5 1.5 2  $S_{SM}^{B_s^0}$
- LHCb update in progress, CMS should also be v. competitive here

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## Problem with $B \rightarrow K^*$ form factors?

- Form factor calculations made using both LCSR and LQCD techniques [arXiv: 1503.05534, 1501.00367]
  - These show good agreement
- Some analysts prefer to use form factors evaluated in heavy quark limit (so-called "soft" form factors) rather than full [arXiv:1510.04239]
  - Again, these show good agreement
  - Vigorous debate about how to quantify (power) corrections without using info from LCSR or LQCD [arXiv:1407.8526, 1412.3183]
- Branching fractions less theoretically clean than angular observables LHCb's updated  $B^0 \rightarrow K^{*0} \mu \mu$  angular analysis will be important!

 The O<sub>1,2</sub> operator has a component that could mimic a new physics effect in C<sub>9</sub> through cc loop



В

- Effect can be parameterised as function of three helicity amplitudes  $h_{+0}$
- Absorb effect of these amplitudes into a helicity dependent shift in C<sub>9</sub>, C<sub>9</sub><sup>SM</sup> + ΔC<sub>9</sub><sup>+-0</sup>(q<sup>2</sup>) cf. C<sub>9</sub><sup>SM</sup> + ΔC<sub>9</sub><sup>NP</sup> ( != ΔC<sub>9</sub><sup>NP</sup>(q<sup>2</sup>) ) Look for q<sup>2</sup> and helicity dependence of apparent shift in C<sub>9</sub>



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Bayesian fit assuming polynomial form for h<sub>+-0</sub> [arXiv:1512.07157]



• Assumes small  $\Delta C_9^x$  for small  $q^2$  – true in SM, but not for NP

 q<sup>2</sup> dependence is compatible with both SM and NP

 $\rightarrow$  need to analyse the Run-II data and improve the precision!

- No way for charm loop effects to give a contribution to C<sub>10</sub> evidence of a V-A effect in b→sll, or anomaly in B<sup>0</sup>→µ<sup>+</sup>µ<sup>-</sup>, would be a game-changer
- At low q<sup>2</sup>, ΔC<sub>9</sub><sup>+-0</sup>(q<sup>2</sup>) term arises mainly from interference penguin decay and J/ψ
  - Measure phase of interference by fitting differential rate results for  $B^+{\rightarrow}K^+\mu^+\mu^-$  imminent



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## Lepton universality with loop decays

• The ratio of  $b \rightarrow s \mu \mu$  and  $b \rightarrow see$  branching fractions,  $R_K$ , is a theoretically pristine quantity

 $R_{K} = B(B^{+} \rightarrow K^{+} \mu \mu) / B(B^{+} \rightarrow K^{+} ee)$ 

- Precisely predicted in SM,
   R<sub>K</sub> = 1.00030 <sup>+0.00010</sup> -0.00007
- LHCb measurement in  $1.0 < q^2 < 6.0 \text{ GeV}^2$  $R_{\kappa} = 0.745^{+0.090}_{-0.074} (\text{stat})^{+0.036}_{-0.036} (\text{syst})$

#### $\rightarrow$ 2.6 $\sigma$ from SM prediction

• Several theorists have pointed out this is consistent with  $\Delta C_9^{ee}=0$ ,  $\Delta C_9^{\mu\mu}=-1$  (latter consistent with  $B^0 \rightarrow K^{*0}\mu\mu$ ) – work on-going to add range of other measurements e.g.  $R_{K^*}$ ,  $R_{\phi}$ ,.. angular analysis  $K^{*0}ee$ 



## Lepton universality with tree decays

An anomalous effect is seen in the ratio of tree-level branching fractions

 $R_D^*=B(B^0 \rightarrow D^{*+}\tau\nu)/B(B^0 \rightarrow D^{*+}\mu\nu)$ 

- At LHCb reconstruct the tauonic decay through τ→μνν, final state has three neutrinos!
- Confirms effect seen in R<sub>D</sub>, R<sub>D\*</sub> at BaBar/Belle, including latest Belle hadronic result from ICHEP combined significance now 4σ



• LHCb measurement of  $(R_D, R_{D^*})$  in preparation. Also working on hadronic  $\tau$  decay. Will also perform measurements with other b-hadrons e.g.  $B_s$ ,  $B_c$  and  $\Lambda_b$ 

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## Future Outlook

- LHCb will upgrade detector in LS2 (2019-20) then take ~50 fb<sup>-1</sup> during Run 3 (2021-23) and Run 4 (2027-29)
- Expect approximately linear increase in rare muon decays such as  $B^0{\rightarrow}K^{*0}{\mu}{\mu}$
- Have talked about b→s decays, will then be able to make comparable tests for (CKM suppressed) b→d decays

– E.g.  $B^+ {\rightarrow} \pi^+ \mu^+ \mu^-$  differential BF  ${\rightarrow}$  test of MFV hypothesis





[arXiv:1602.03560, PRD93 (2016) 034005] 26

## Conclusions

- A number of discrepancies seen wrt Standard Model predictions
  - b $\rightarrow$ sll decays angular observables and branching fractions
  - Lepton universality tests in both loop and tree decays
  - will be interesting to add Run-II data to try and clarify the picture
- Beyond this working on LHCb upgrade to secure the next generation of measurements

## Backup

# $\Delta m_d$ with $B^0 \rightarrow D^{(*)} \mu \nu X$

- In the SM, the B<sup>0</sup> oscillation frequency  $\Delta m_d \sim V_{tb} V_{td}$
- Measure using  $B^0 \rightarrow D^{(*)-}\mu^+\nu X$  decays with 6.7×10<sup>6</sup>  $D^- \rightarrow K^+\pi^-\pi^-$  and 8.3×10<sup>5</sup>  $D^{*-} \rightarrow D^0(K^+\pi^-)\pi^-$



- Tagging power 2.32–2.55% depending on mode
- LHCb measurement : ∆m<sub>d</sub> = (505.0±2.1±1.0) ns<sup>-1</sup>
- World average [HFAG]

 $\Delta m_d = (509.8 \pm 3.5) \text{ ns}^{-1} \text{ w/o this result}$ (506.4 ± 1.9) ns<sup>-1</sup> w/ this result

i.e. improvement of factor 1.8 in the uncertainty



#### $b \rightarrow sll$ interpretation



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# $B^0 \rightarrow K^{*0} \mu \mu C_i$ and form factors

- Amplitudes that describe the  $B_d^0 \rightarrow K^{*0} \mu \mu$  decay involve
  - The (effective) Wilson Coefficients : C<sub>7</sub><sup>eff</sup> (photon), C<sub>9</sub><sup>eff</sup> (vector), C<sub>10</sub><sup>eff</sup> (axial-vector) and their right-handed (') counterparts
  - Seven (!) form factors these are the origin of the primary theoretical uncertainties

$$\begin{aligned} A_{\perp}^{L(R)} &= N\sqrt{2\lambda} \left\{ \left[ (\mathbf{C}_{9}^{\text{eff}} + \mathbf{C}_{9}'^{\text{eff}}) \mp (\mathbf{C}_{10}^{\text{eff}} + \mathbf{C}_{10}'^{\text{eff}}) \right] \frac{\mathbf{V}(\mathbf{q}^{2})}{m_{B} + m_{K^{*}}} + \frac{2m_{b}}{q^{2}} (\mathbf{C}_{7}^{\text{eff}} + \mathbf{C}_{7}'^{\text{eff}}) \mathbf{T}_{1}(\mathbf{q}^{2}) \right\}^{B} \left[ \mathbf{V}_{10}^{\mathbf{q}} - \mathbf{V}_{10}'^{\mathbf{q}} \right] \\ A_{\parallel}^{L(R)} &= -N\sqrt{2} (m_{B}^{2} - m_{K^{*}}^{2}) \left\{ \left[ (\mathbf{C}_{9}^{\text{eff}} - \mathbf{C}_{9}'^{\text{eff}}) \mp (\mathbf{C}_{10}^{\text{eff}} - \mathbf{C}_{10}'^{\text{eff}}) \right] \frac{\mathbf{A}_{1}(\mathbf{q}^{2})}{m_{B} - m_{K^{*}}} + \frac{2m_{b}}{q^{2}} (\mathbf{C}_{7}^{\text{eff}} - \mathbf{C}_{7}'^{\text{eff}}) \mathbf{T}_{2}(\mathbf{q}^{2}) \right\} \\ A_{0}^{L(R)} &= -\frac{N}{2m_{K^{*}}\sqrt{q^{2}}} \left\{ \left[ (\mathbf{C}_{9}^{\text{eff}} - \mathbf{C}_{9}'^{\text{eff}}) \mp (\mathbf{C}_{10}^{\text{eff}} - \mathbf{C}_{10}'^{\text{eff}}) \right] \left[ (m_{B}^{2} - m_{K^{*}}^{2} - q^{2})(m_{B} + m_{K^{*}}) \mathbf{A}_{1}(\mathbf{q}^{2}) - \lambda \frac{\mathbf{A}_{2}(\mathbf{q}^{2})}{m_{B} + m_{K^{*}}} \right] \\ &+ 2m_{b} (\mathbf{C}_{7}^{\text{eff}} - \mathbf{C}_{7}'^{\text{eff}}) \left[ (m_{B}^{2} + 3m_{K^{*}} - q^{2}) \mathbf{T}_{2}(\mathbf{q}^{2}) - \frac{\lambda}{m_{B}^{2} - m_{K^{*}}^{2}} \mathbf{T}_{3}(\mathbf{q}^{2}) \right] \right\} \end{aligned}$$

- BFs have relatively large theoretical uncertainties from form factors
- Angular observables much smaller theory uncertainties

# $B^0 \rightarrow K^{*0} \mu \mu - theoretical view$

- Need a new vector contribution  $\rightarrow$  adjusts C<sub>9</sub> Wilson Coefficient
- Very difficult to generate in SUSY models [arXiv:1308.1501] : "[C<sub>9</sub> remains] SM-like throughout the viable MSSM parameter space, even if we allow for completely generic flavour mixing in the squark section"



- Models with composite Higgs/extra dimensions have same problem
- Could generate observed deviation with a Z'