Measuring the Leptonic CP Phase in Neutrino Oscillations with Non-Unitary Mixing

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 $Fact^5$:

⁵Phys. Rev. Lett. **81**, 1158 (1998)



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 $\nu_{\alpha} = U_{\alpha i} \nu_i$



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There are two basis:



$$U_{lpha i}$$









If
$$N > 3$$
 and $M_h >> E_{exp}$



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$$U^{N \times N} = \left(\begin{array}{cc} N & W \\ V & T \end{array}\right)$$



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It can be shown that²:

$$N = \begin{pmatrix} \alpha_{11} & 0 & 0 \\ \alpha_{21} & \alpha_{22} & 0 \\ \alpha_{31} & \alpha_{32} & \alpha_{33} \end{pmatrix} .U_{\text{PMNS}}$$

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² F. J. Escrihuela et. al., Phys. Rev. D92, 053009 (2015)







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Only 3 (α_{11}, α_{22} and α_{21}) are accessible through $\nu_{e(\mu)} \rightarrow \nu_{\mu(e)}$

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In unitary: Probability add to 1

In non-unitary: Probability Don't add to 1

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$$(S_{\alpha\beta} = \langle \nu_{\alpha}^{\text{unitary}}(L) | \nu_{\beta}^{\text{unitary}}(L) \rangle)$$



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$$Complex \text{ parameter}$$
with a **new** CP phase (ϕ)!


Why do we care?



⁴ Miranda, O. G., et. al., ARXIV:1604.05690

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Non-unitary can lead to CP-phase ambiguity⁴!



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Non-unitary can lead to CP-phase ambiguity⁴!

That's because $|\alpha_{21}|$ can be as large as $^2 \sim 3\%$



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We can see that by two plots:



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 $P_{\mu e}$ for differents $\delta_{\rm CP}$ and ϕ .

The ration R between the contributions of δ_{CP} and ϕ to $P_{\mu e}$





 $P_{\mu e}$: $\delta_{CP} = 0$ and $\alpha_{21} = 0$, $\delta_{CP} = 3\pi/2$ and $\alpha_{21} = 0$, $\delta_{CP} = 0$ and $\alpha_{21} = 0.02$

 R_a : $\alpha = 2.5\%$ and R: c_{ϕ} and s_{ϕ} and $c_{\phi+\delta}$ and $s_{\phi+\delta}$ contributions.



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The experiment consists of neutrinos flux from pion decay at Tokay





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From: ⁵ Abe, K. and others, PTEP **2015**, no. 4, 043C01 (2015)



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The detector:



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Super(Hyper)-K: a Huge water cherenkov detector at Kamioka



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Super(Hyper)-K: a Huge water cherenkov detector at Kamioka

Size: 50 kton (560 kton) and Base Line: 295 km





From: ⁵ Abe, K. and others, PTEP **2015**, no. 4, 043C01 (2015)



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T2K and T2HK says they can measure the $\delta_{\rm CP}$:



T2K and T2HK cannot measure δ_{CP}



From: ⁵ Abe, K. and others, PTEP **2015**, no. 4, 043C01 (2015)



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Or can they?



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Or can they?

We performed the analysis on T2K and T2HK considering non-unitary:





$\mu {\rm DAR}$ to T2K rescue

Should we give up on T2(H)K δ_{CP} ?



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So what happens to the δ_{CP} sensibility?



From: ⁶ J. Evslin at. al., JHEP 02, 137 (2016)

Conclusion

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T2K and T2HK sufer from this and looses sensibility.

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It is possible to recover T2(H)K sensibility by couple it to μ DAR

Appendix

Using a very near detector (20 m) to probe $P_{\mu e}(0) = |\alpha_{21}|^2$


Model Dependent Couplings



Appendix

DUNE Sensibility?





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