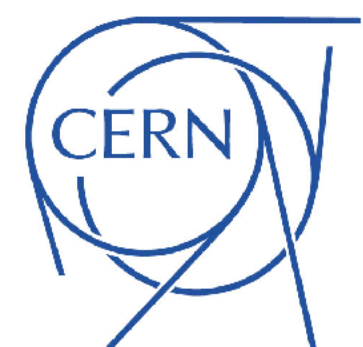
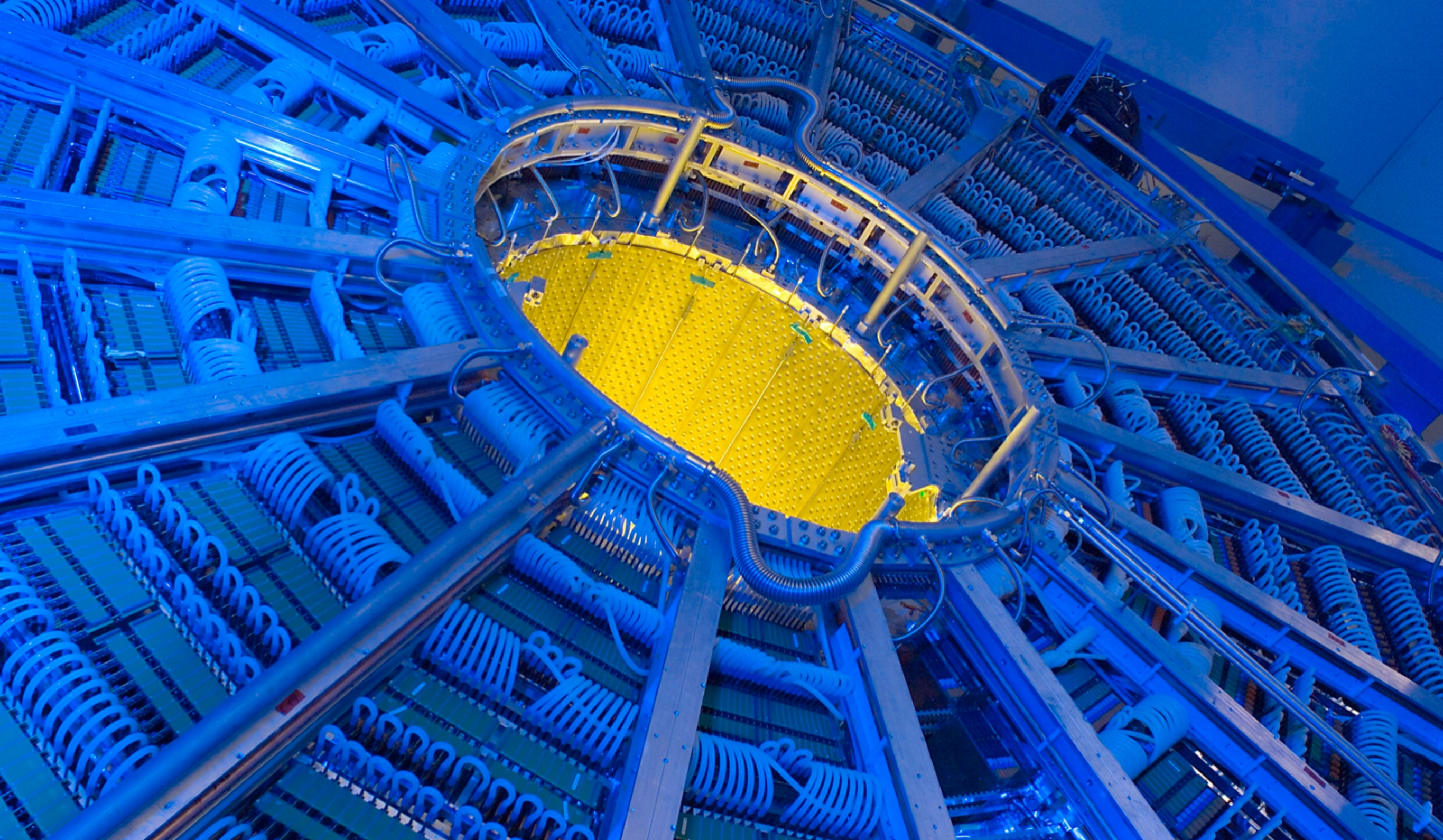




Summary

M Floris (CERN)
Collectivity in Small Systems
Copenhagen, May 2017

What is collectivity and why do we care?

Experimental methods and non-flow

Theory vs Data: What are we trying to learn?

Other relevant non-collectivity measurements



Thanks a lot to the NBI Colleagues and You for the hospitality!

What is collectivity and why do we care?

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Theory vs Data: What are we trying to learn?

Other relevant non-collectivity measurements

Disclaimer: will not be exhaustive,
but it will also not be brief (sorry!)

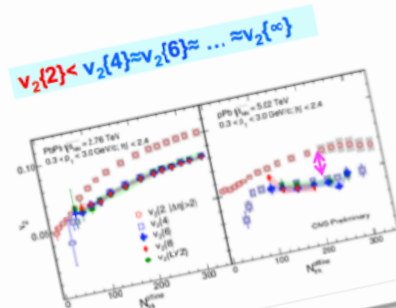


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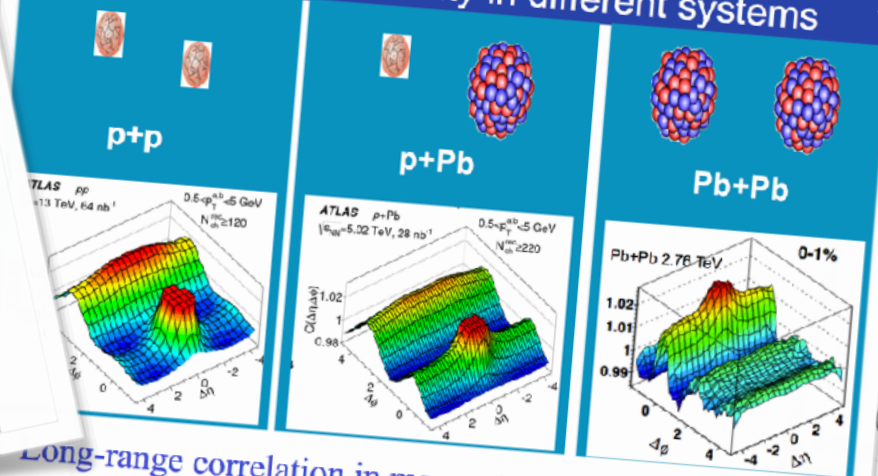
Definitions of collectivity

Collectivity

- **weak (mathematical) definition:**
 - ⇒ **SIMILAR** effect/probability for **ALL** particles (of some kind, say pT/PID) in (almost) **ALL** events
 - drawn from the same inclusive single particle probability distribution (e.g. $dN/d\phi$)
 - probability can be arbitrarily small! as long as it's the same for all particles/events
- ⇒ Collectivity is **experimentally proven** in **AA & pA**



Long-range collectivity in different systems



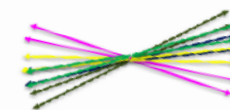
- Long-range correlation in momentum space comes
 - directly from early time $t \sim 0$ (CGC)
 - or it is a final state response to spatial fluctuation at $t=0$ (hydro).

What is collective and what is not?

More interested in **multi-particle** collectivity:
 "High" Multiplicity $\gg$ cluster size

Collective

Non-collective



Cumulants designed to suppress few-body correlations
 $v_2\{2\} \approx v_2\{4\} \approx v_2\{6\} \approx v_2\{8\}$
 $c_2\{2\} > 0, c_2\{4\} < 0, c_2\{6\} > 0, c_2\{8\} < 0$ → A strong evidence for collectivity

'Collectivity'

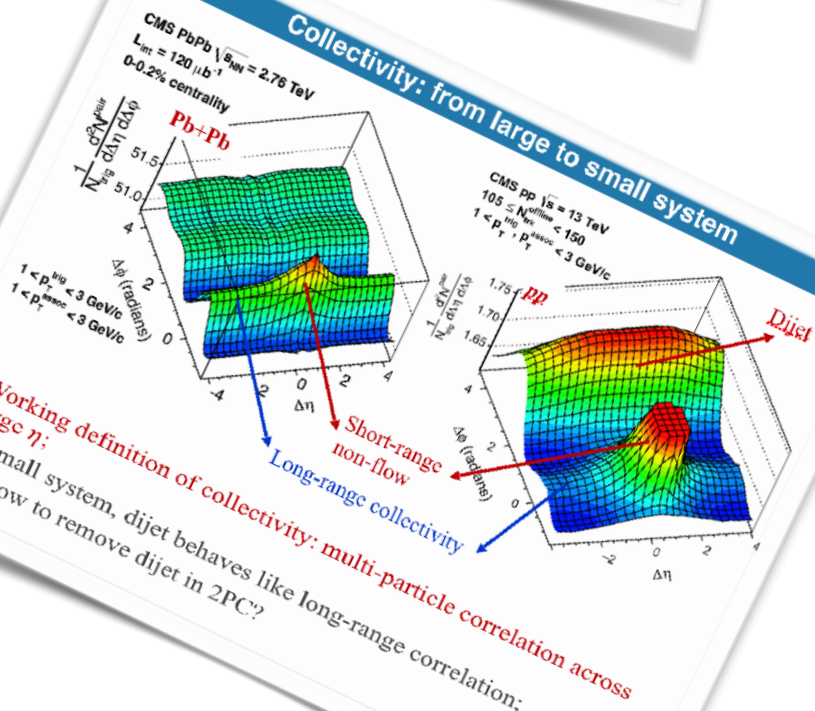
'Standard Model' of heavy ion physics

- **strong definition:** { 'thermo' + 'hydro' } - dynamics
- ⇒ emerging- $f(t)$ - strongly interacting equilibrated matter with density/pressure gradients
- ⇒ **hydro-dynamics:**
 - LO: radial (v_0) & elliptic (v_2) flow for $> 95\%$ of all particles ($p_t < \text{few GeV}$)
 - NLO: higher harmonics v_n , PID (m dependence) of v_n ('mode mixing' of v_0 & v_2)
 - NNLO: non-linear mode mixing ($v_n \neq \epsilon_n$), factorization violation $r(p_T)$, EBE $P(v_n)$, ...
- ⇒ **thermo-dynamics:**
 - particle ratios (Statistical Model) to 10-30%
 - in pp/pA: $v_s \rightarrow 1$
- ⇒ **thermo + hydro:** ⇒ **Space Time Evolution (STE)**
 - HBT $f(T, \beta)$: $(R(m_T), R(N_{ch}^{1/3}), R_{out}/R_{side} \approx 1)$
 - Charge Balance functions
- **strong Collectivity consistent with $\approx$ all data in pp/pA/AA**
 to (very) good accuracy, where it was measured..

Particle emission in hydrodynamics

- Particles emitted **independently** (no correlations) on the freeze-out surface
- The anisotropy of the **single-particle momentum distribution** (v_n) is driven by the **initial density profile**.
- There is certainly more, but we can use these two properties as a first definition of collectivity.

Collectivity: from large to small system



- Working definition of collectivity: **multi-particle correlation across large η**
- In small system, dijet behaves like long-range correlation; So, how to remove dijet in 2PC?

What is collectivity?

Working definition: multiple particles correlated across rapidity
(**long range**) due to a common origin
(same as Jurgen's "weak definition", with the additional requirement of long η range)

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Why do we care?

- Learn about the medium (**transport**)
- Learn about the initial state (**saturation**)
- Small and dilute system: chance to learn about microscopic processes
(**MPI, strings, parton ladders ...**)

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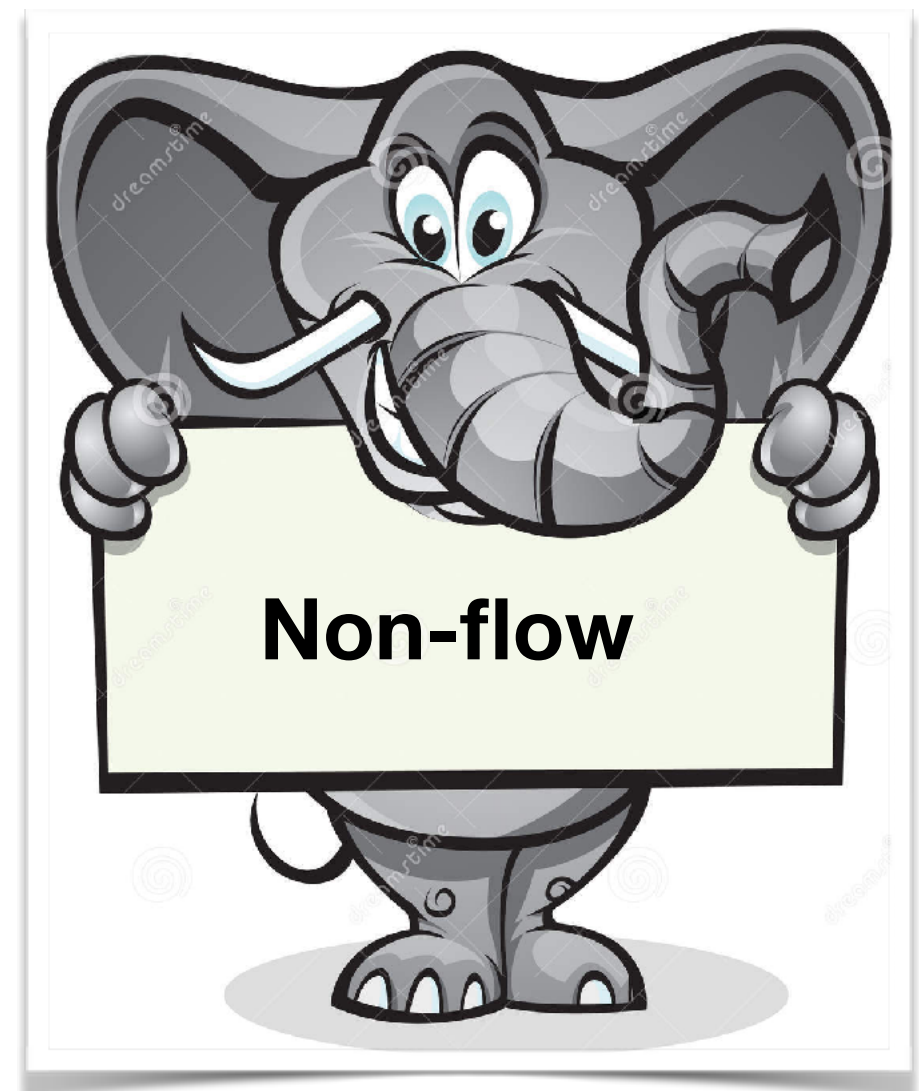
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How do we measure?

- Can be inferred via
multiparticle correlations
- **Non Flow** is the elephant in the room



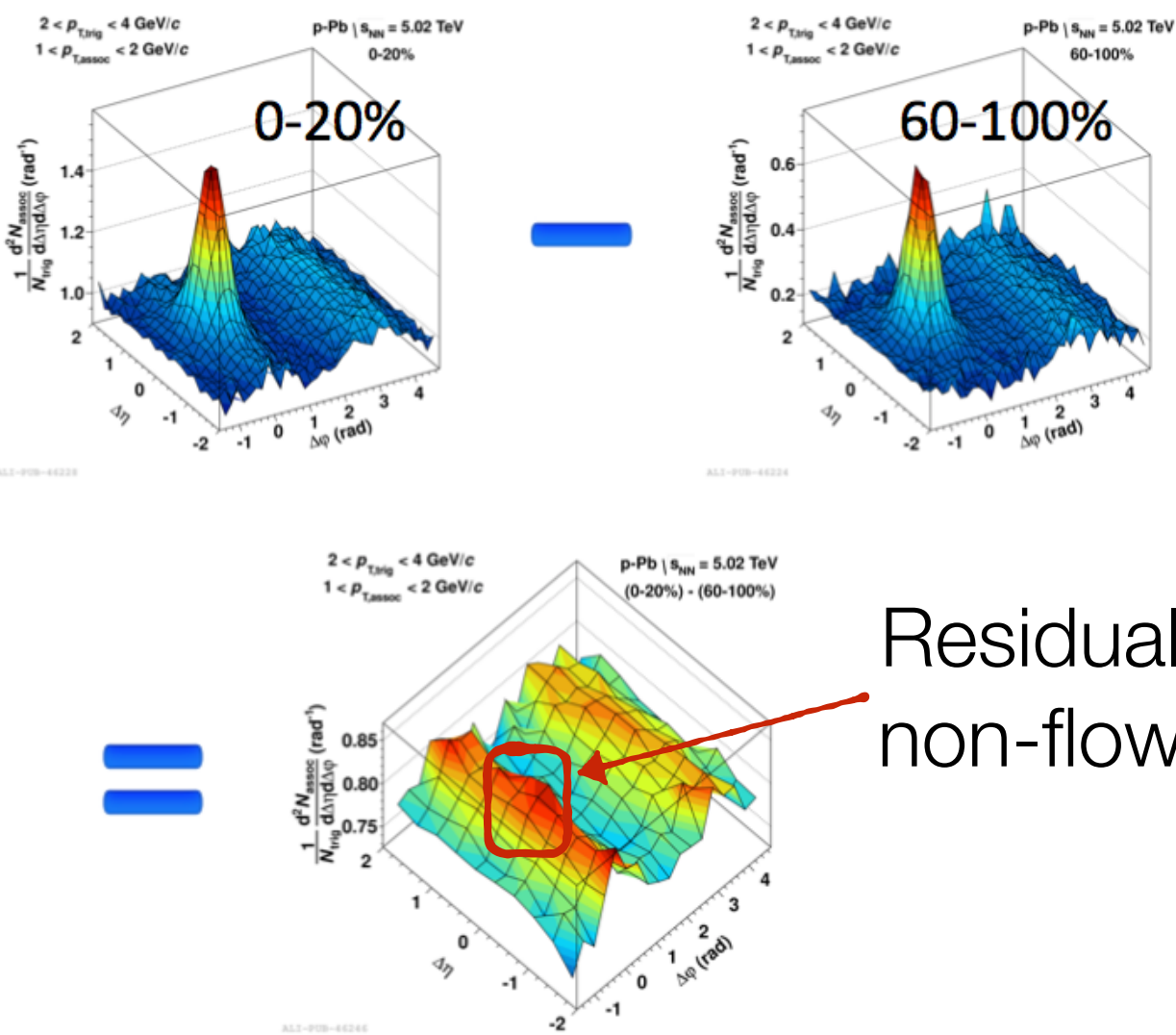
Collectivity measurements

Techniques, caveats and (some) key results

Dealing with non-flow

Subtract peripheral events

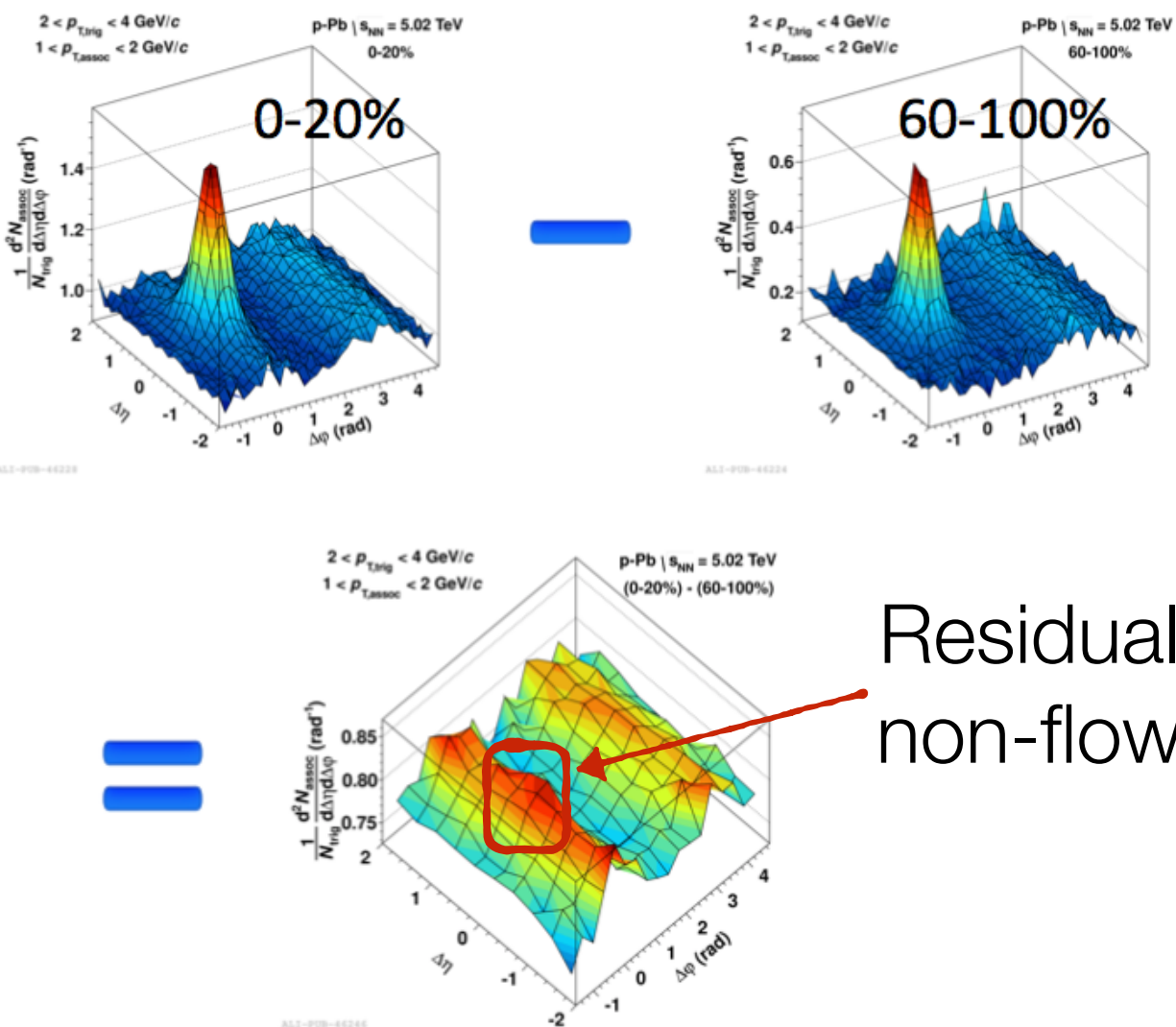
Assumption: Low multiplicity events dominated by non-flow, representative of non-flow in high multiplicity events



Dealing with non-flow

Subtract peripheral events

Assumption: Low multiplicity events dominated by non-flow, representative of non-flow in high multiplicity events



Multi-particle correlations

Assumption: if genuine 4-particle (or more) correlations, most likely flow

Recent versions: η gaps

$$\langle\langle \cos n(\varphi_1 + \varphi_2 - \varphi_3 - \varphi_4) \rangle\rangle \dots \langle\langle 4 \rangle\rangle$$

$$\langle\langle \cos n(\varphi_1 - \varphi_3) \rangle\rangle \langle\langle \cos n(\varphi_2 - \varphi_4) \rangle\rangle \dots \langle\langle 2 \rangle\rangle^2$$

$$\langle\langle \cos n(\varphi_2 - \varphi_3) \rangle\rangle \langle\langle \cos n(\varphi_1 - \varphi_4) \rangle\rangle \dots \langle\langle 2 \rangle\rangle^2$$

cumulant

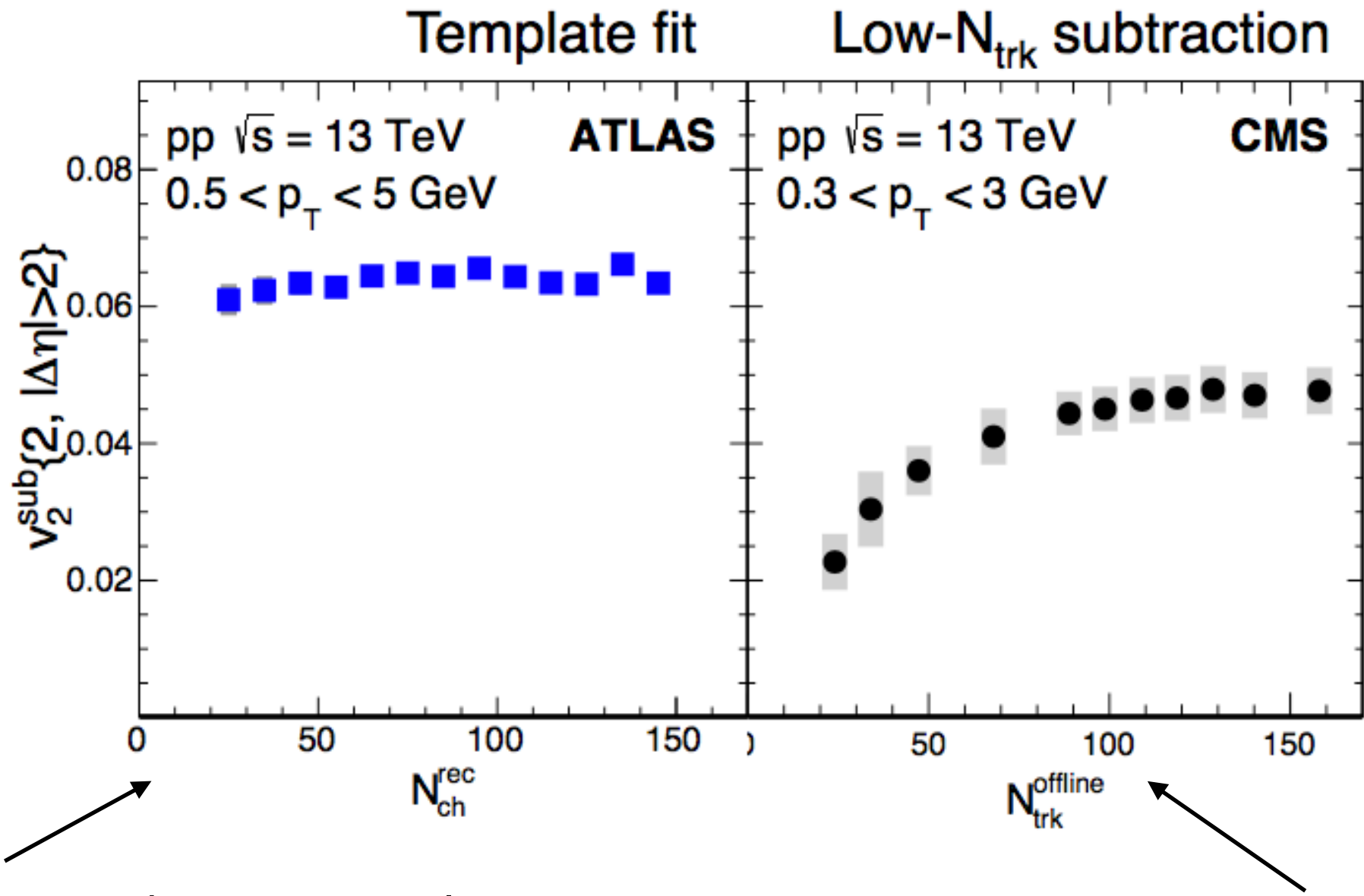
$$c_n\{4\} = \langle\langle 4 \rangle\rangle - 2 \cdot \langle\langle 2 \rangle\rangle^2$$

↓

$$c_n\{4\} = -v_n\{4\}^4$$

Ambiguities in the subtraction method

Subtraction method allows to go to **low multiplicity**
Crucial: how **low in N_{trk}** can we still talk about collectivity?

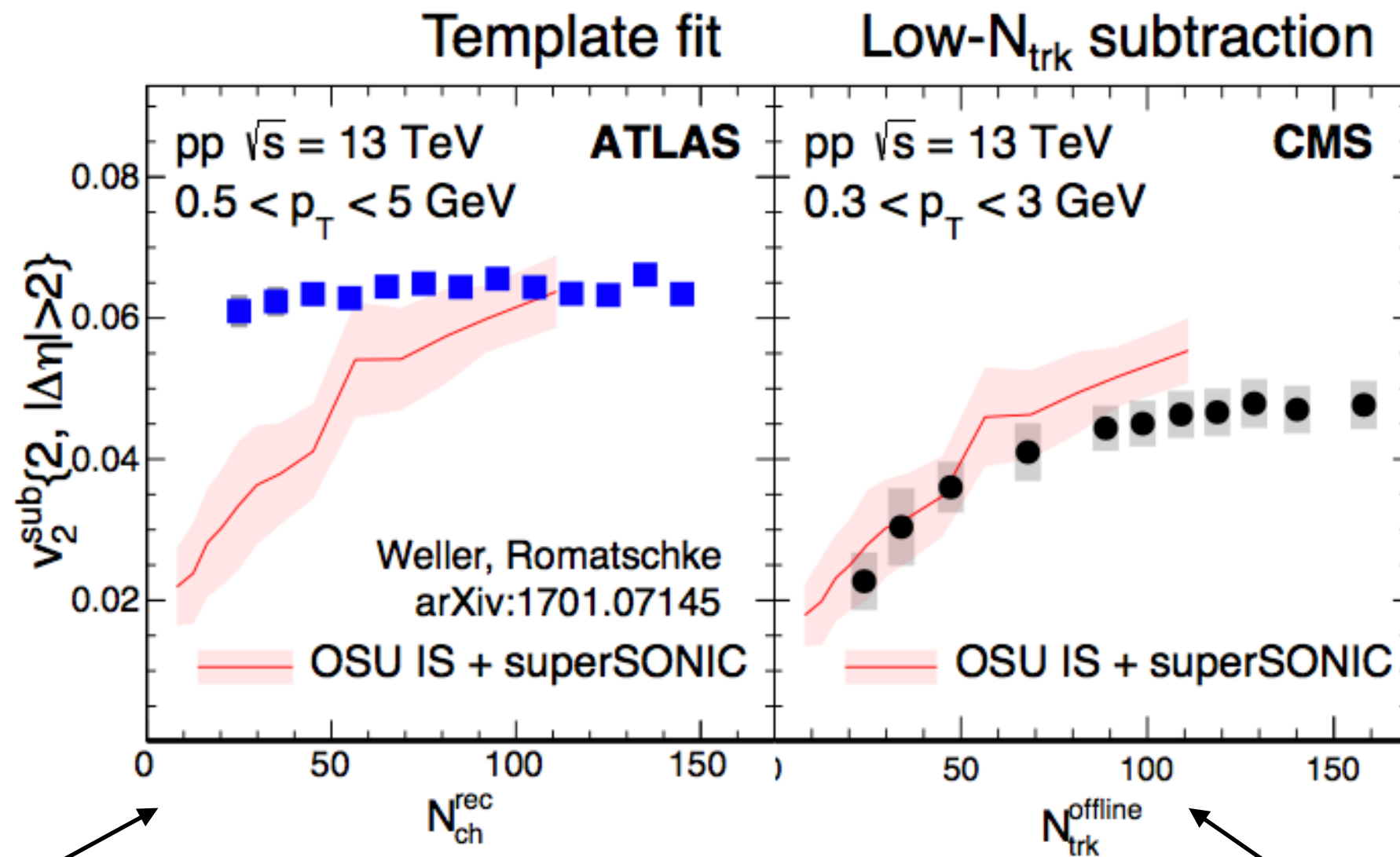


flow in bin n and $n+1$ equal

no flow in peripheral collisions

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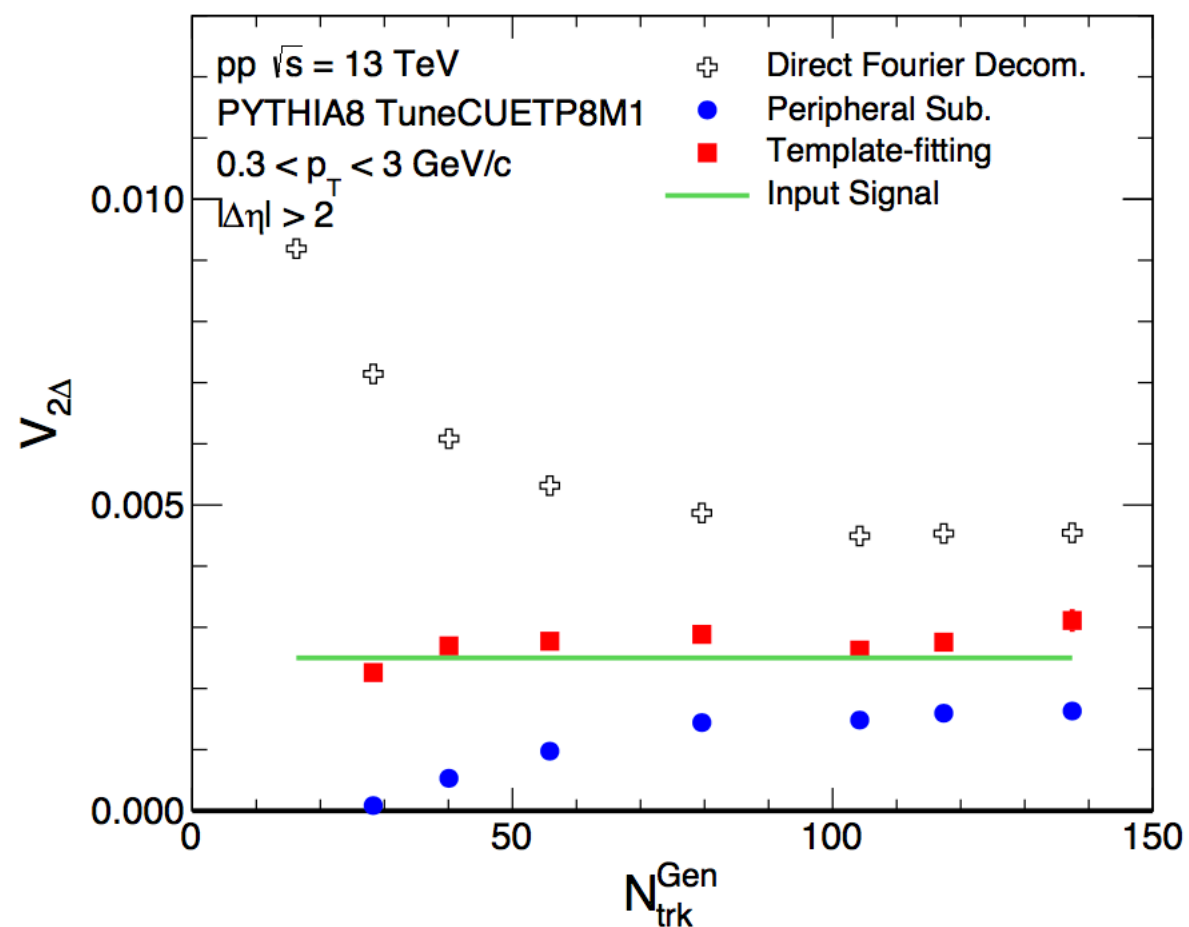
Comparison to theory?

Apply the same procedures to model output?

Z. Chen, CMS, QM17

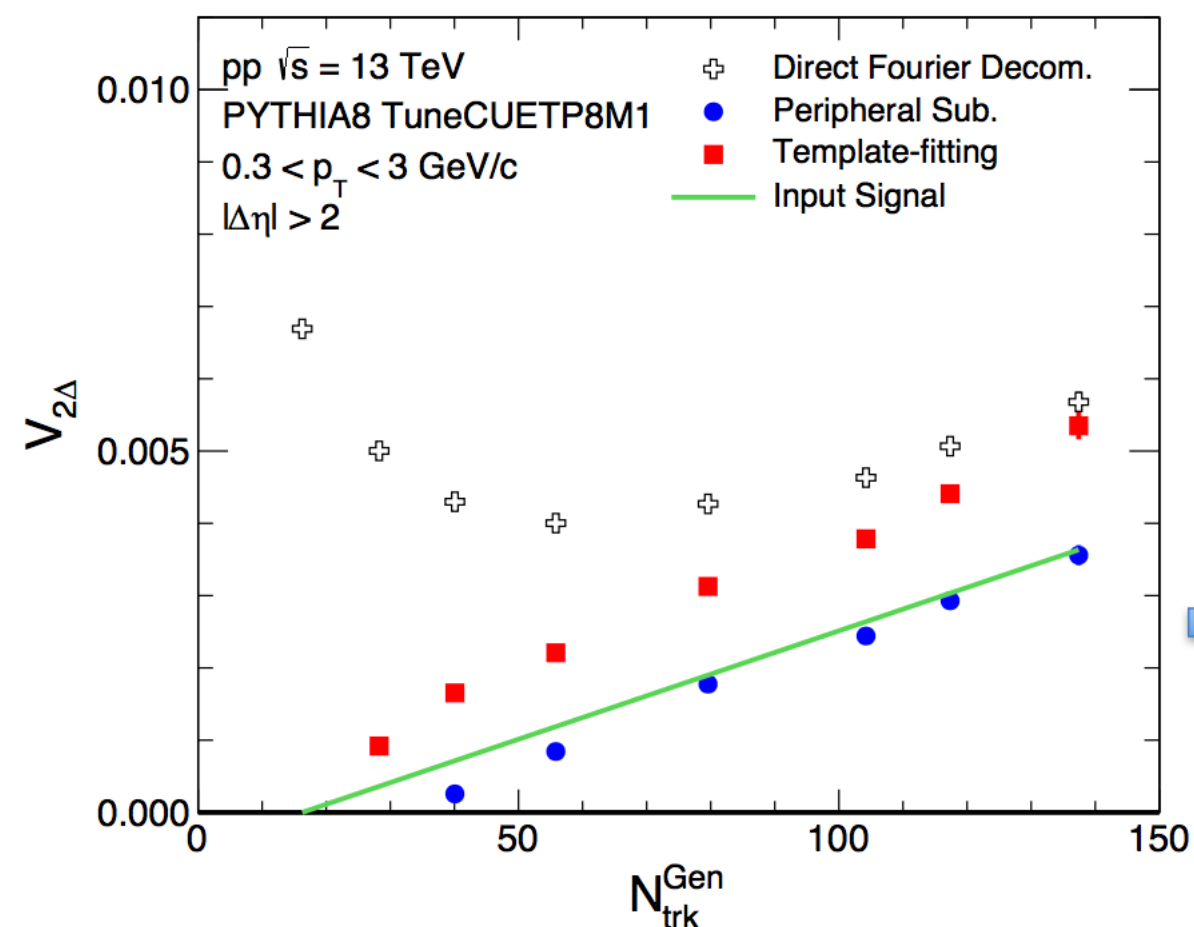
Templates vs peripheral subtraction

Flat v_2 injected



Template fit better

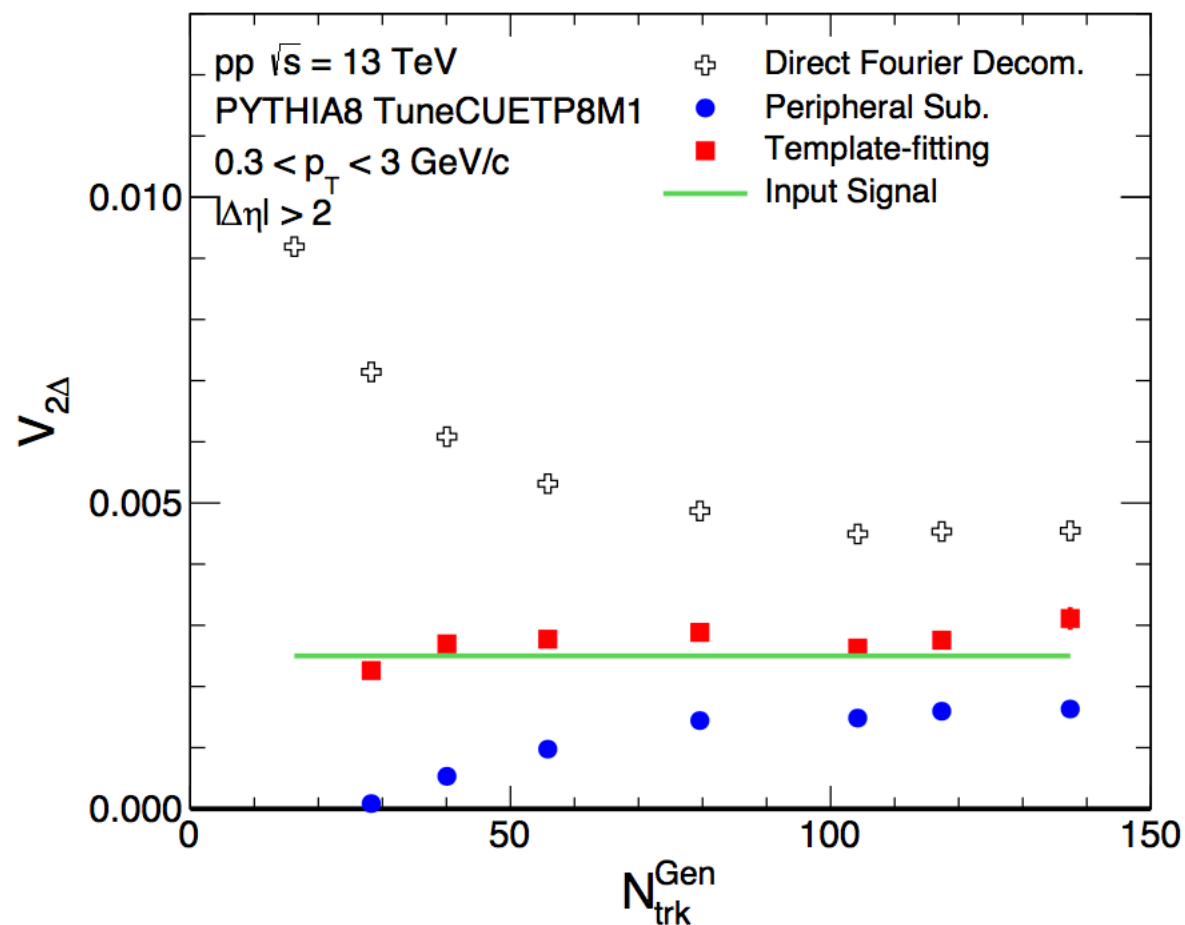
Rising v_2 injected



Peripheral subtraction better

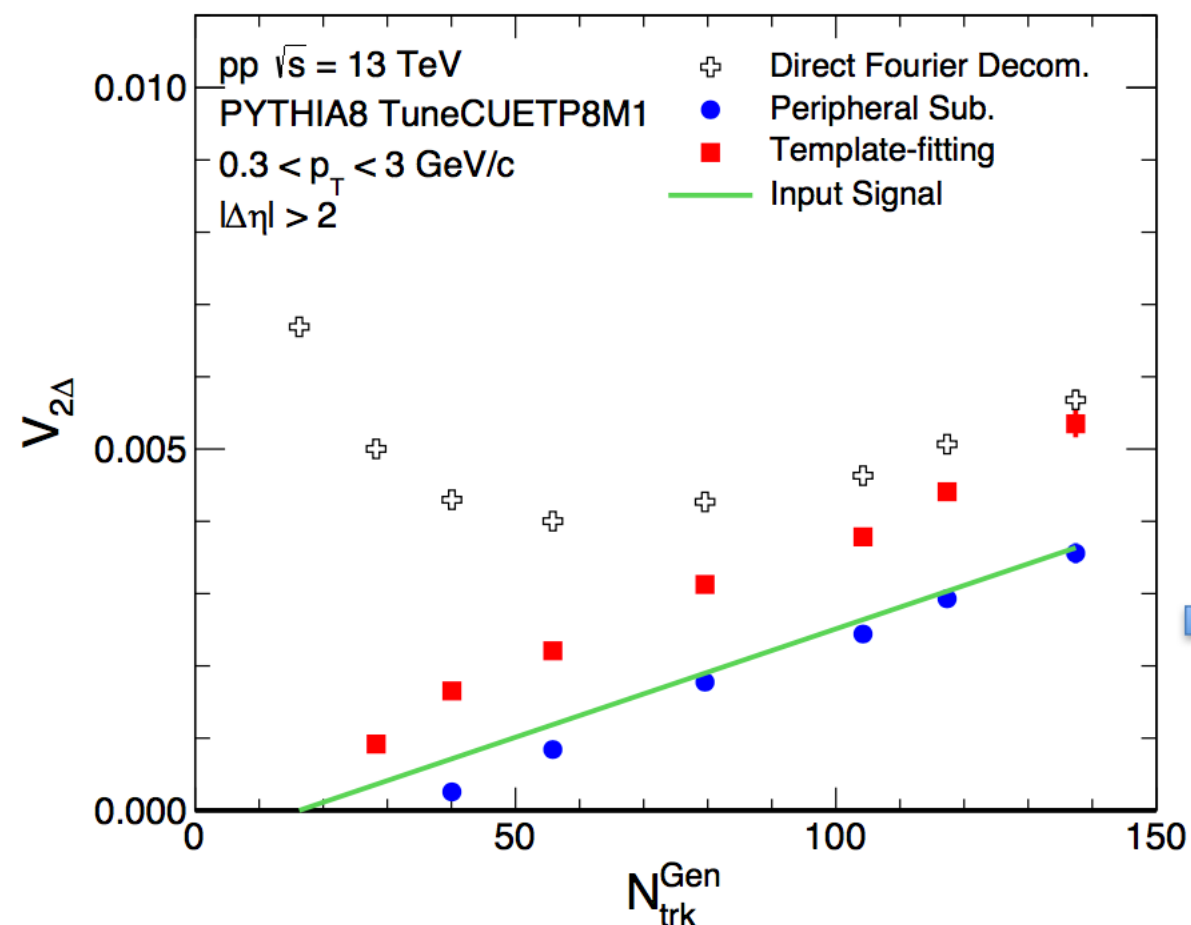
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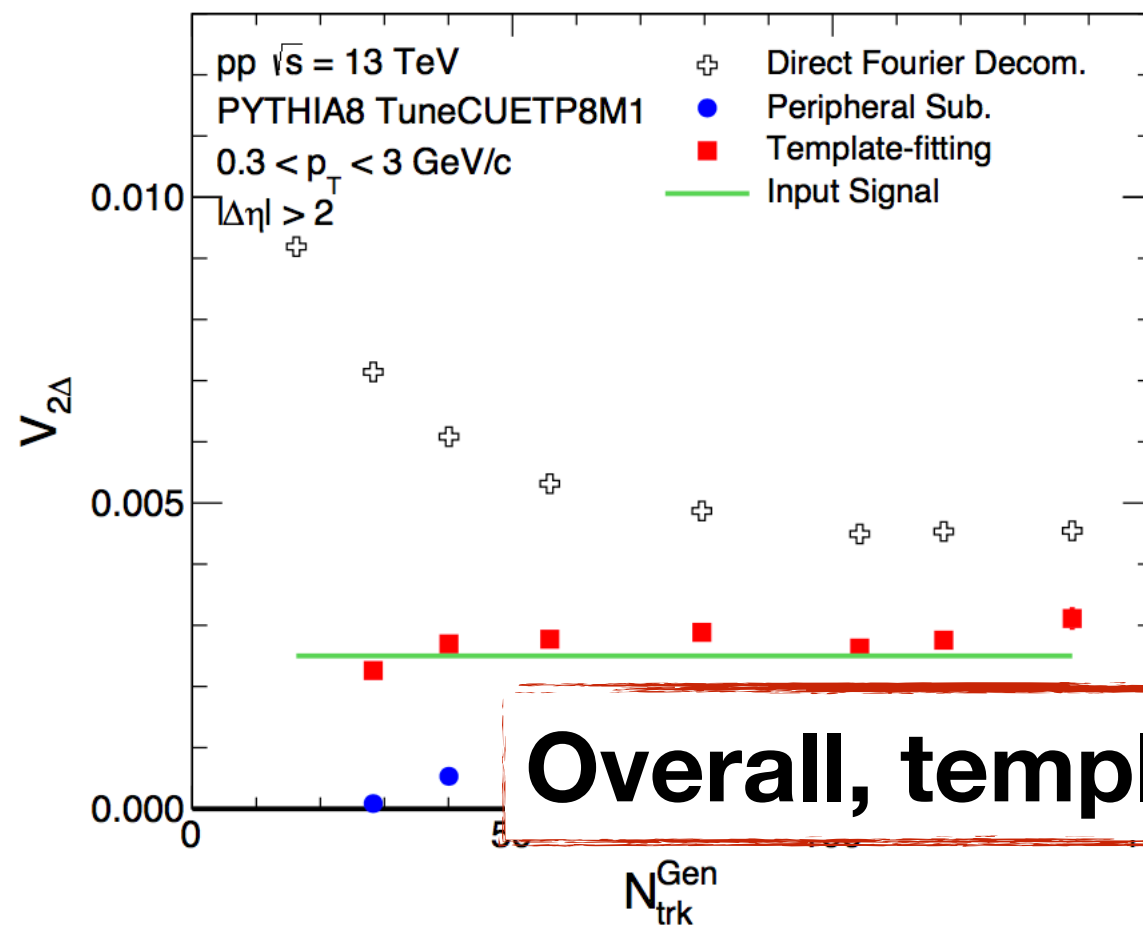
Peripheral subtraction better

But:

1. is there a reasonable **non-flat** v_2 shape which would **lead to flat** v_2 with the template fits?
2. What happens if one injects v_2 as measured by CMS?

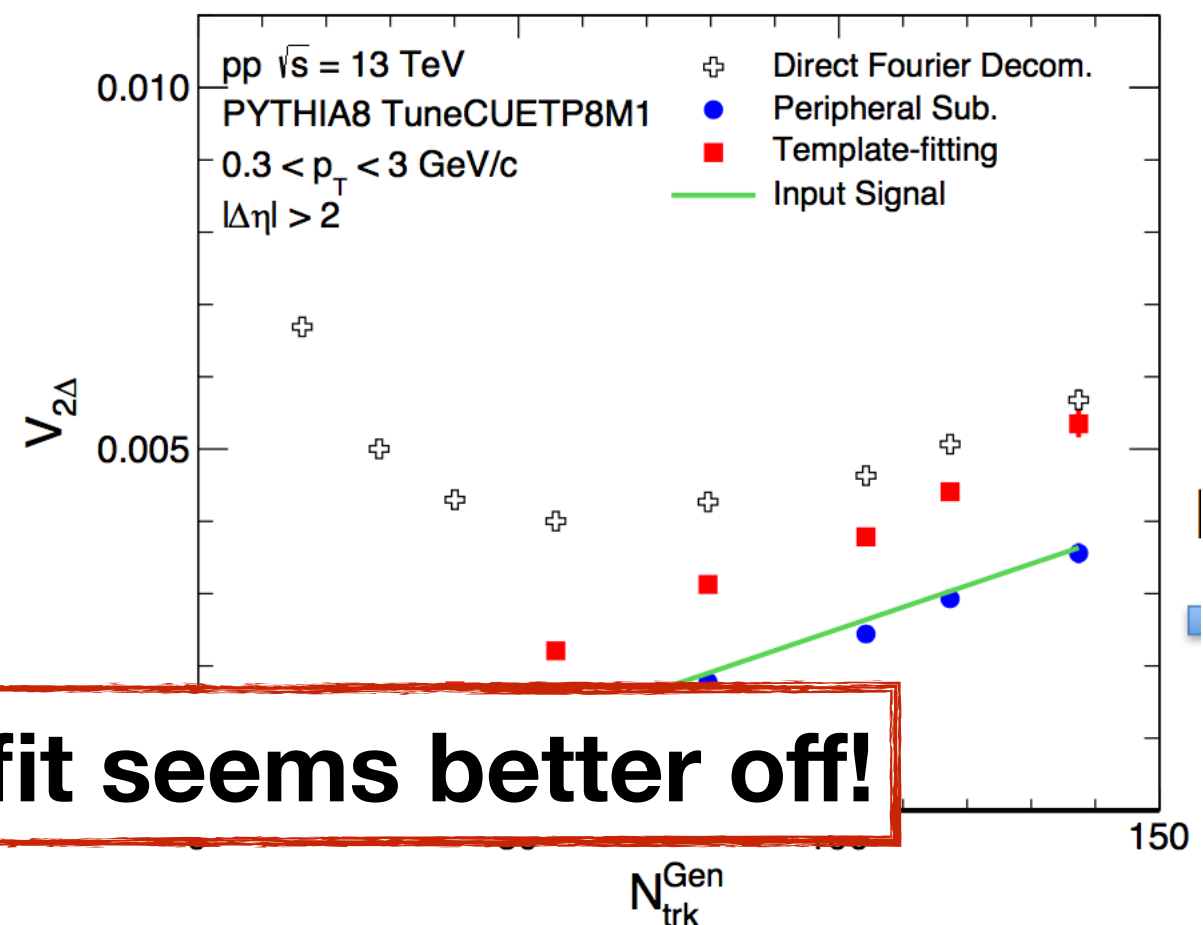
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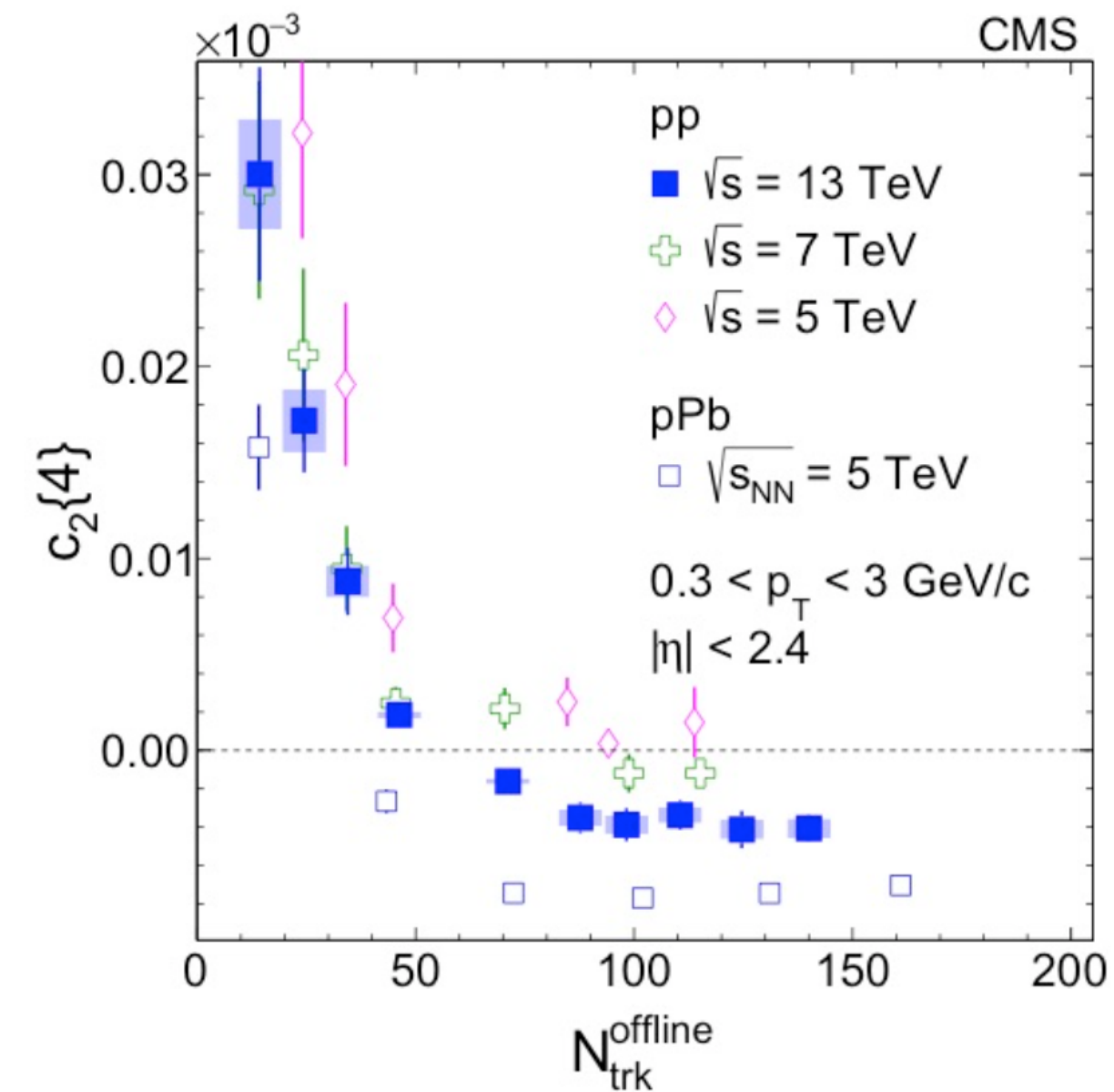
Overall, template fit seems better off!

But:

1. is there a reasonable **non-flat** v_2 shape which would **lead to flat** v_2 with the template fits?
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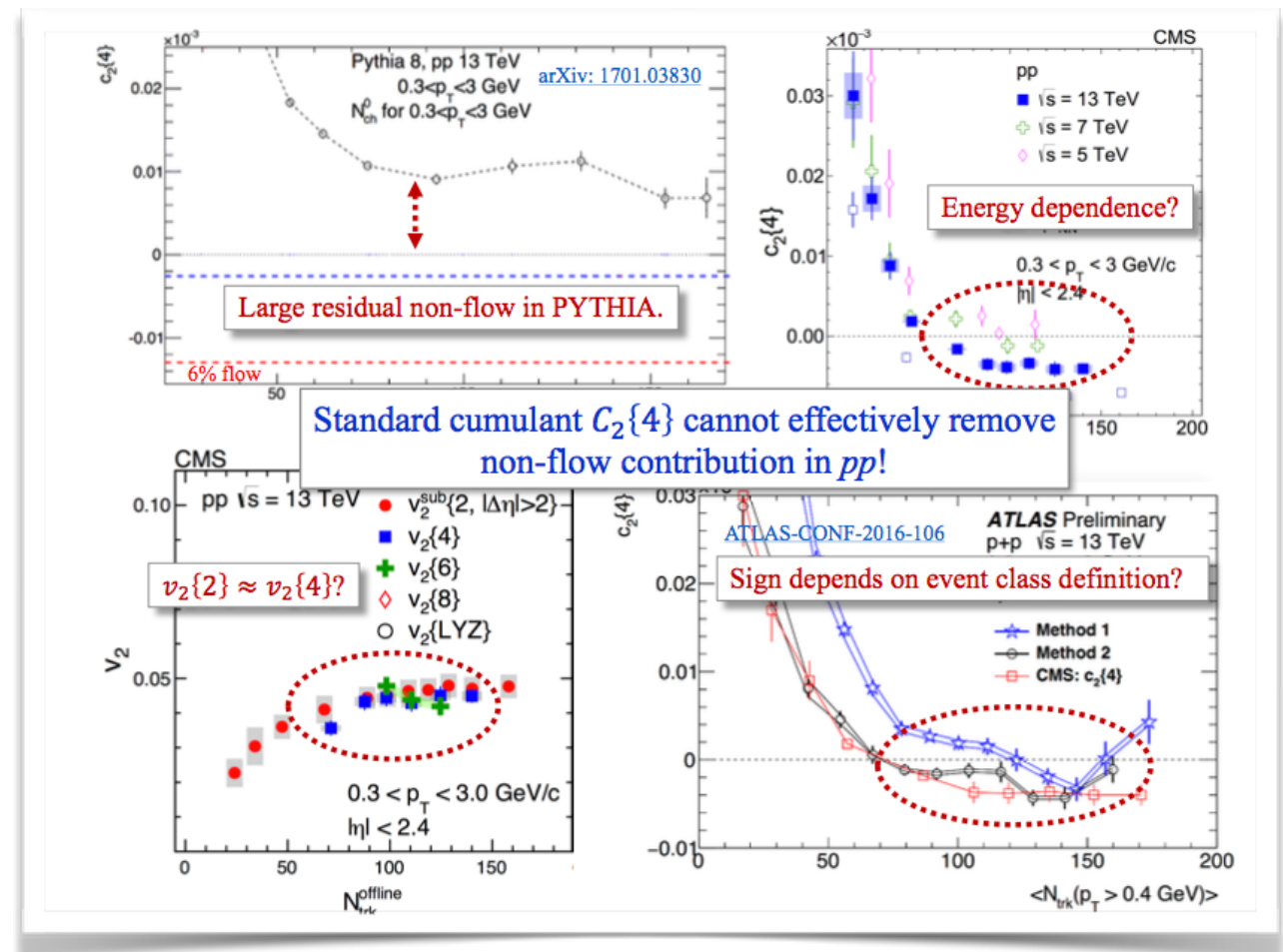
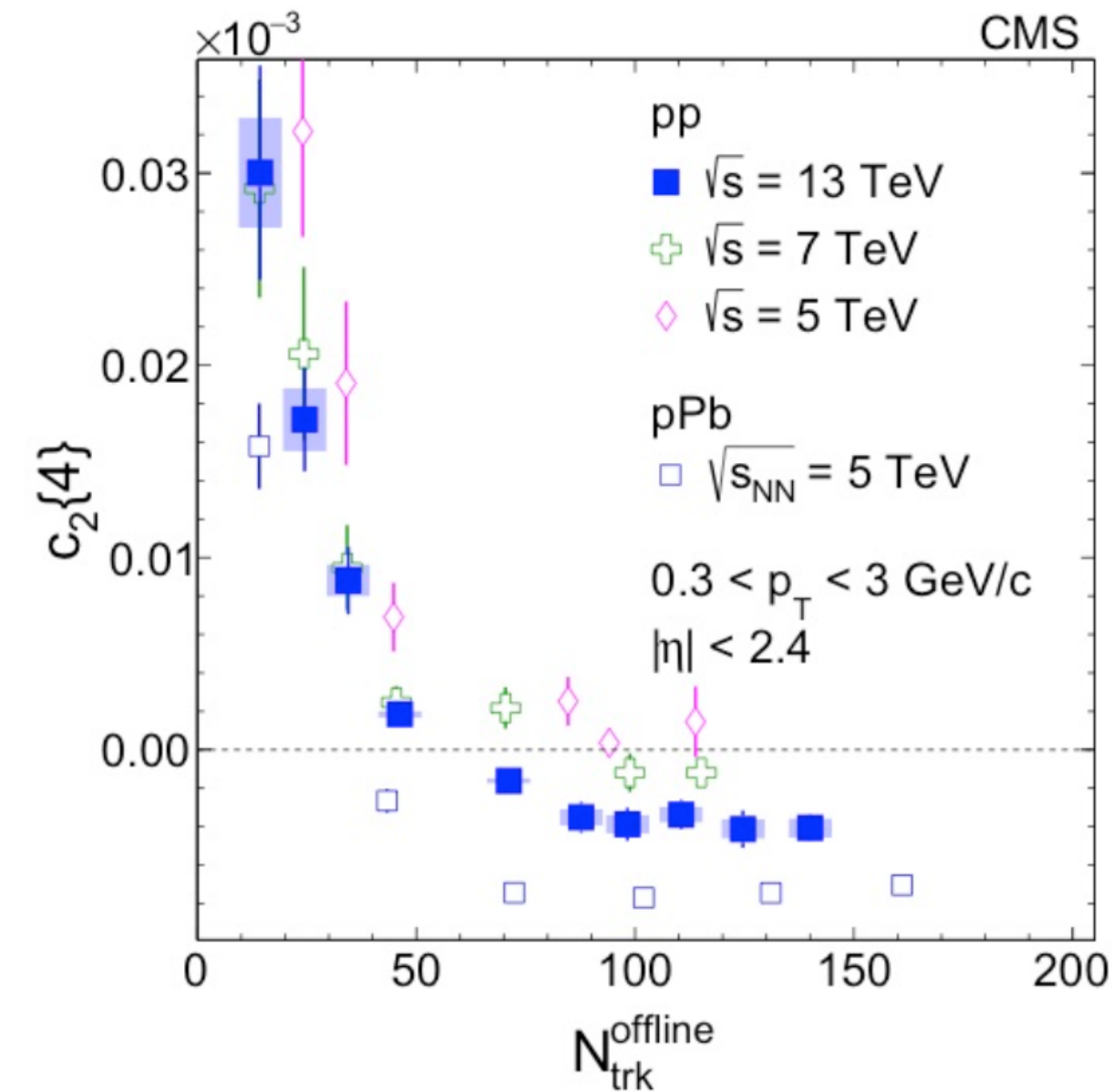
4-order cumulant

Negative $c_2\{4\}$ measured by CMS



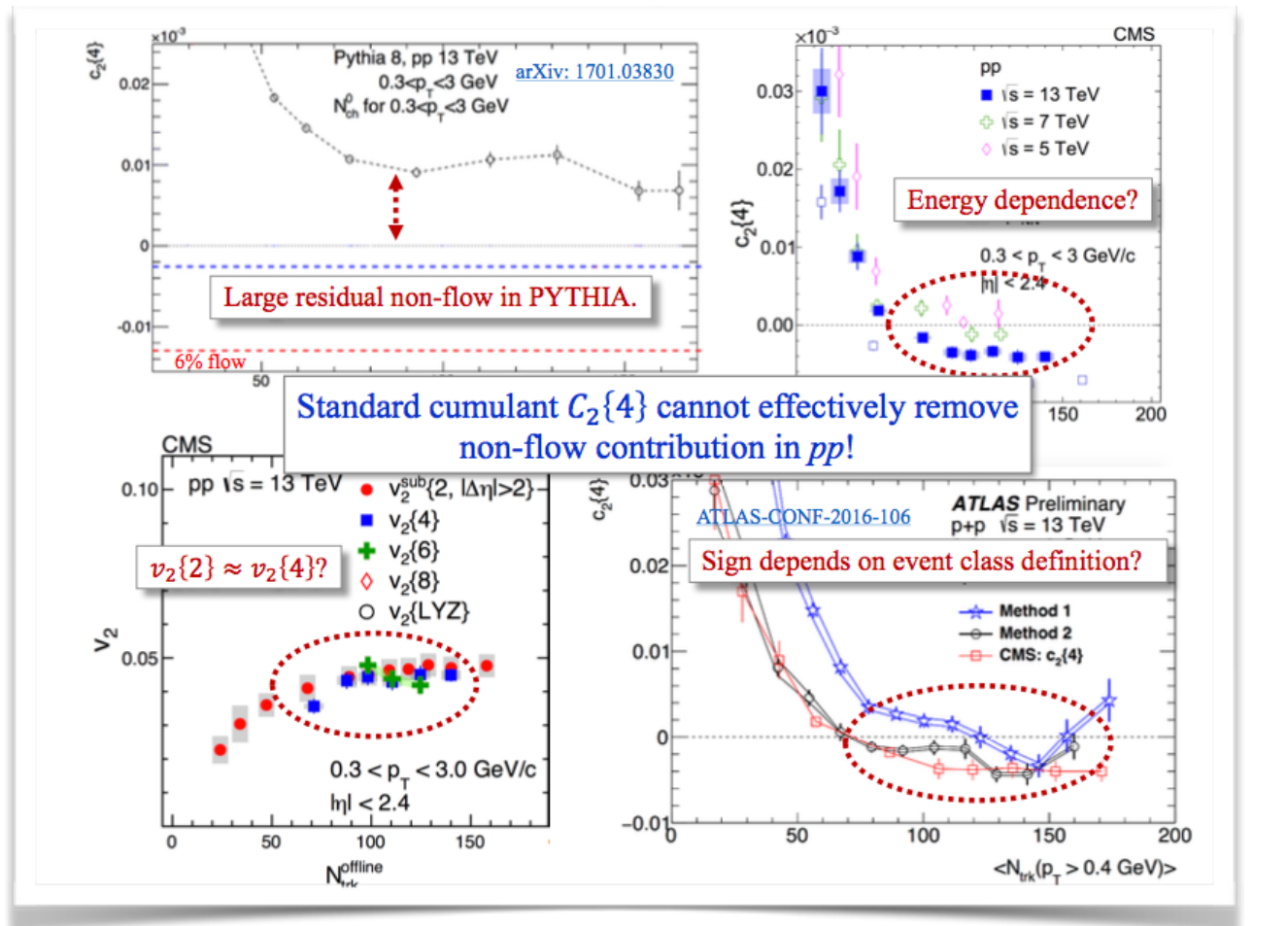
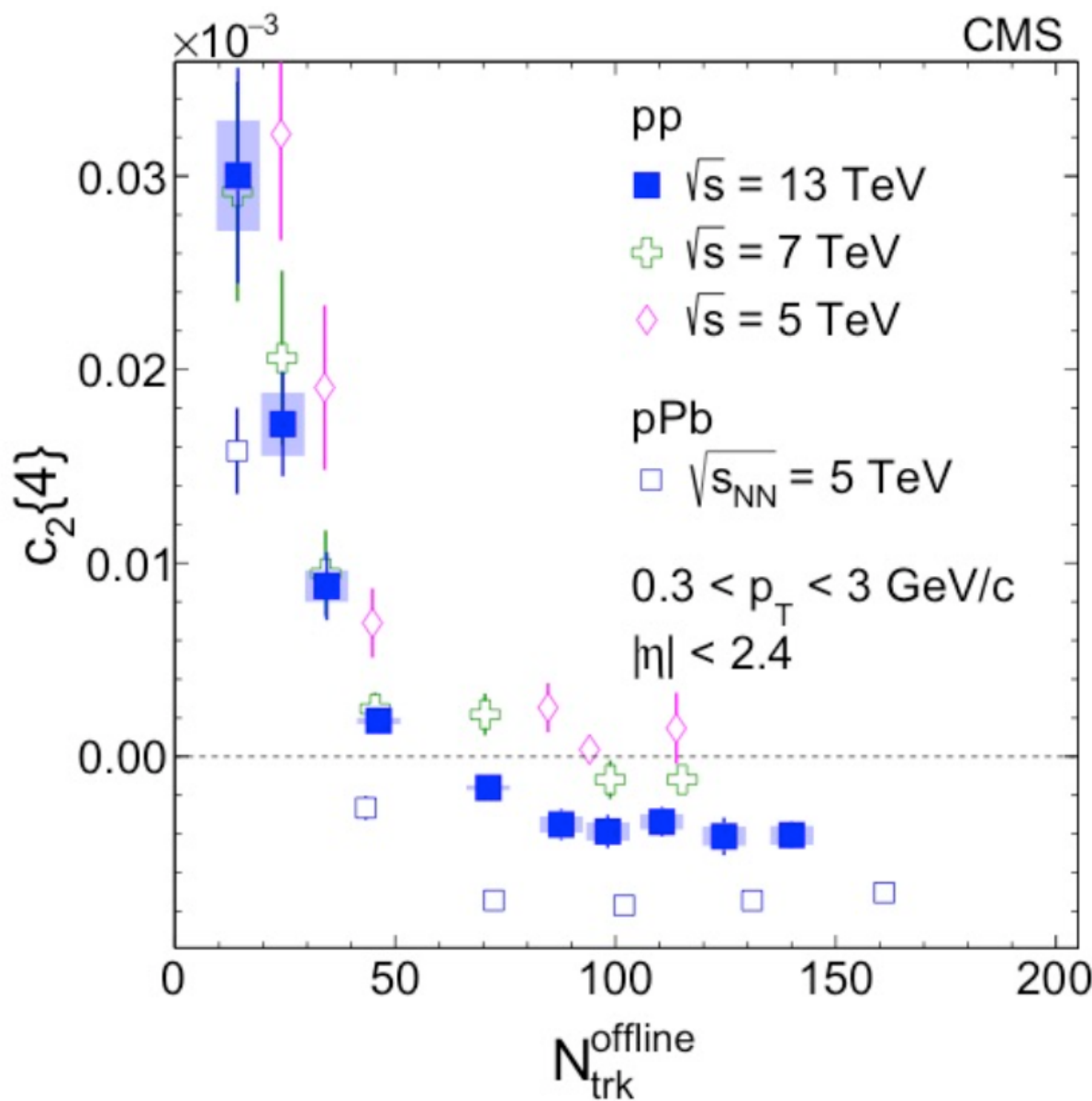
4-order cumulant

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4-order cumulant

Negative $c_2\{4\}$ measured by CMS



$$C_2\{4\} \equiv \langle \text{nonflow} + \text{flow} \rangle_{\text{evt}}$$

Non-flow changes greatly EbyE

Flow changes little EbyE

Non-Gaussian fluctuations of non-flow may produce any $c_2\{4\}$ (including negative)!

Multi-particle cumulants, methods

Non-flow and multiplicity

$$c_n\{4\} = \langle \langle e^{in(\phi_1 + \phi_2 - \phi_3 - \phi_4)} \rangle \rangle_{\text{evt}} - 2$$

calculated for **selected particles** average over
e.g. 0.5-5 GeV $N_{\text{ch}}^{\text{sel}} : n$
e.g. 0
Map final results to a **common centrality**, e.g.

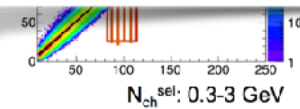
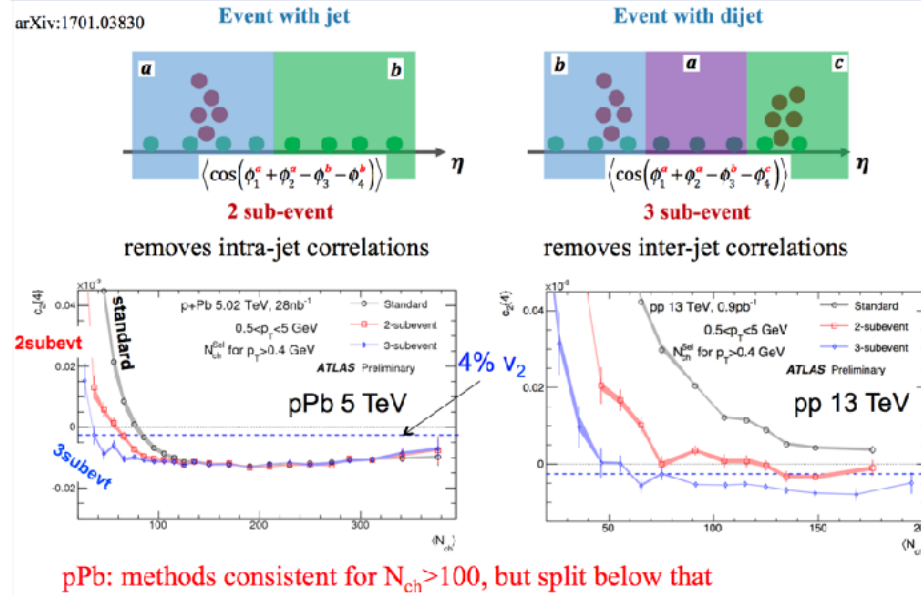
Because $c_n\{4\}$ is not additive:

$$c_n\{4\}_{\text{ev1+ev2}} \neq \frac{c_n\{4\}_{\text{ev1}} + c_n\{4\}_{\text{ev2}}}{2}$$

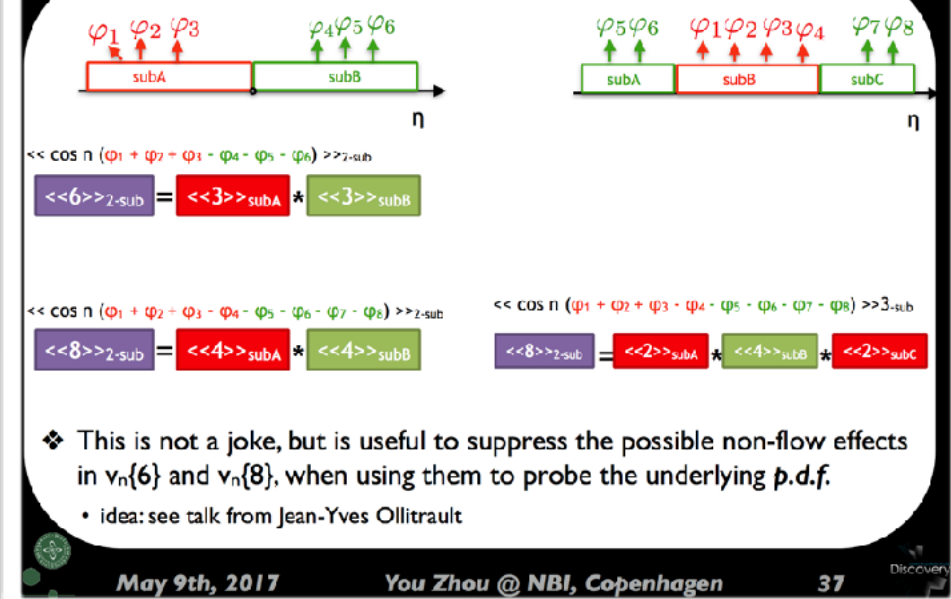
Results depend on the intermediate $N_{\text{ch}}^{\text{sel}}$!
Mainly because p(non-flow) has strong dependence on N_{ch}

Long-range collectivity via subevent cumulants

arXiv:1701.03830



6- and 8-particle with sub-event



Decomposition into moments

- Generic formula to compute cumulant up to arbitrary order with defined number of subset
 - $N_{\text{subset_max}}$ = cumulant order
- Can be used easily to compute p_T or η dependent cumulant

$$Q(A_i) \equiv \sum_{j_i \in A_i} q_i(j_i)$$

$$Q(A_1, \dots, A_n) \equiv \sum_{j_1 \in A_1, \dots, j_n \in A_n} q_1(j_1) \dots q_n(j_n)$$

$$Q(A_1 \cap A_2) \equiv \sum_{j \in A_1 \cap A_2} q_1(j) q_2(j)$$

$$\langle 4 \rangle = Q(A_1, A_2, A_3, A_4) = Q(A_1)Q(A_2)Q(A_3)Q(A_4) - Q(A_1 \cap A_2)Q(A_3)Q(A_4) - Q(A_1 \cap A_3)Q(A_2)Q(A_4) - Q(A_1 \cap A_4)Q(A_2)Q(A_3) - Q(A_2 \cap A_4)Q(A_1)Q(A_3) - Q(A_3 \cap A_4)Q(A_1)Q(A_2) + Q(A_1 \cap A_2)Q(A_3 \cap A_4) + Q(A_1 \cap A_3)Q(A_2 \cap A_4) + Q(A_1 \cap A_4)Q(A_2 \cap A_3) + 2Q(A_1 \cap A_2 \cap A_3)Q(A_4) + 2Q(A_2 \cap A_3 \cap A_4)Q(A_1) + 2Q(A_1 \cap A_3 \cap A_4)Q(A_2) + 2Q(A_1 \cap A_2 \cap A_4)Q(A_3) - 6Q(A_1 \cap A_2 \cap A_3 \cap A_4)$$

Auto-correlation terms

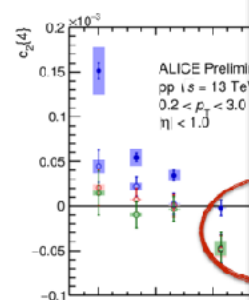
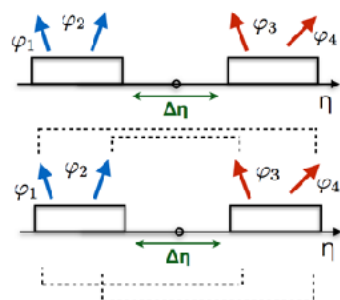
09/05/17

Workshop on collectivity in small systems

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- Further decrease of $c_2\{4, |\Delta\eta| > 0.2\}$ is seen w.r.t. $c_2\{4, |\Delta\eta| > 0.0\}$

4-particle cumulant with $|\Delta\eta|$ gap



- We can **further suppress non-flow** in multi-particle cumulants using $|\Delta\eta|$ gap
- 4-particle cumulant with $|\Delta\eta|$ gap in pp
 - $c_2\{4, |\Delta\eta|\}$ is lower than $c_2\{4\}$
 - Still **no significant negative sign** observed in pp collisions

$$\langle\langle 4 \rangle\rangle_{|\Delta\eta|} = \langle\langle \cos n(\phi_1 + \phi_2 - \phi_3 - \phi_4) \rangle\rangle_{|\Delta\eta|}$$

$$\langle\langle 2 \rangle\rangle_{|\Delta\eta|}^2 = \langle\langle \cos n(\phi_1 - \phi_3) \rangle\rangle_{|\Delta\eta|} \langle\langle \cos n(\phi_2 - \phi_4) \rangle\rangle_{|\Delta\eta|}$$

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$$c_n\{4\}_{|\Delta\eta|} = \langle\langle 4 \rangle\rangle_{|\Delta\eta|} - 2 \cdot \langle\langle 2 \rangle\rangle_{|\Delta\eta|}^2$$

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Katarina Gajdosova

lant (3-subevent method)

Niels Bohr Institut

$|\Delta\eta| > 0.2; 2\text{-sub}$

$|\Delta\eta| > 0.2; 3\text{-sub}$

$\sqrt{s} = 13 \text{ TeV}$

$|\Delta\eta| > 0.2; 2\text{-sub}$

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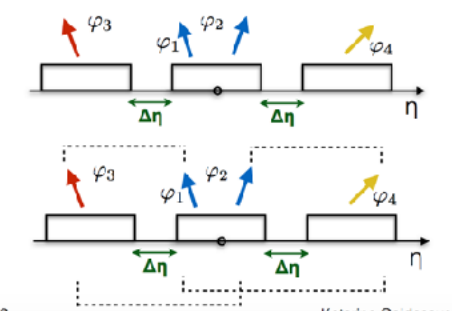
$|\Delta\eta| > 0.2; 3\text{-sub}$

$$\langle\langle 4 \rangle\rangle_{3\text{sub}} = \langle\langle \cos n(\phi_1 + \phi_2 - \phi_3 - \phi_4) \rangle\rangle_{3\text{sub}}$$

$$\langle\langle 2 \rangle\rangle_{3\text{sub}}^2 = \langle\langle \cos n(\phi_1 - \phi_3) \rangle\rangle_{3\text{sub}} \langle\langle \cos n(\phi_2 - \phi_4) \rangle\rangle_{3\text{sub}}$$

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$$c_n\{4\}_{3\text{sub}} = \langle\langle 4 \rangle\rangle_{3\text{sub}} - 2 \cdot \langle\langle 2 \rangle\rangle_{3\text{sub}}^2$$



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Katarina Gajdosova

See also J. Jia, M. Zhou, Y. Zhou, K. Gajdosova

Non-flow and multiplicity

$$c_n\{4\} = \langle \langle e^{in(\phi_1 + \phi_2 - \phi_3 - \phi_4)} \rangle \rangle_{\text{evt}} - 2$$

calculated for **selected particles** average over

e.g. 0.5-5 GeV

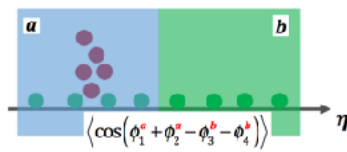
$N_{\text{ch}}^{\text{Sel}} : n$
e.g. 0

Map final results to a **common centrality**, e.g.

Long-range collectivity via subevent cumulants

arXiv:1701.03830

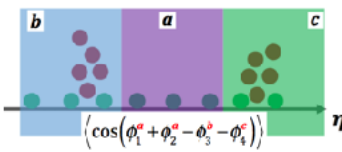
Event with jet



2 sub-event

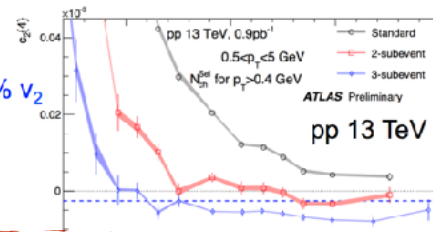
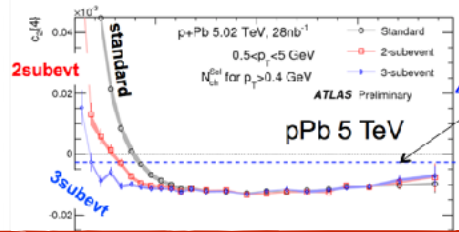
removes intra-jet correlations

Event with dijet

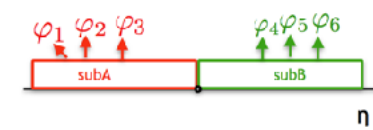


3 sub-event

removes inter-jet correlations



6- and 8-particle with sub-event



$$\langle \langle \cos(\phi_1 + \phi_2 + \phi_3 - \phi_4 - \phi_5 - \phi_6) \rangle \rangle_{2\text{-sub}}$$

$$\langle \langle 6 \rangle \rangle_{2\text{-sub}} = \langle \langle 3 \rangle \rangle_{\text{subA}} * \langle \langle 3 \rangle \rangle_{\text{subB}}$$

$$\langle \langle \cos(\phi_1 + \phi_2 + \phi_3 - \phi_4 - \phi_5 - \phi_6 - \phi_7 - \phi_8) \rangle \rangle_{2\text{-sub}}$$

$$\langle \langle 8 \rangle \rangle_{2\text{-sub}} = \langle \langle 4 \rangle \rangle_{\text{subA}} * \langle \langle 4 \rangle \rangle_{\text{subB}}$$



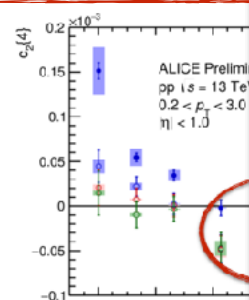
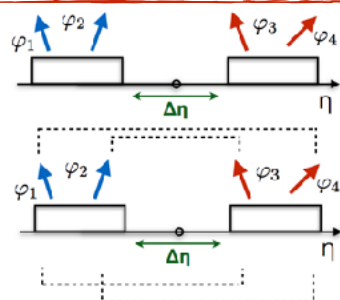
$$\langle \langle \cos(\phi_1 + \phi_2 + \phi_3 - \phi_4 - \phi_5 - \phi_6 - \phi_7 - \phi_8) \rangle \rangle_{3\text{-sub}}$$

$$\langle \langle 8 \rangle \rangle_{3\text{-sub}} = \langle \langle 2 \rangle \rangle_{\text{subA}} * \langle \langle 4 \rangle \rangle_{\text{subB}} * \langle \langle 2 \rangle \rangle_{\text{subC}}$$

❖ This is not a joke, but is useful to suppress the possible non-flow effects

New methods to compute cumulants with sub-events and eta-gaps

More robust than "standard" method.



- We can **further suppress non-flow** in multi-particle cumulants using $|\Delta\eta|$ gap
- 4-particle cumulant with $|\Delta\eta|$ gap in **pp**
 - $c_2\{4, |\Delta\eta|\}$ is lower than $c_2\{4\}$
 - Still **no significant negative sign** observed in pp collisions

$$\langle \langle 4 \rangle \rangle_{|\Delta\eta|} = \langle \langle \cos n(\phi_1 + \phi_2 - \phi_3 - \phi_4) \rangle \rangle_{|\Delta\eta|}$$

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$$c_n\{4\}_{|\Delta\eta|} = \langle \langle 4 \rangle \rangle_{|\Delta\eta|} - 2 \cdot \langle \langle 2 \rangle \rangle_{|\Delta\eta|}^2$$

defined number of subset

$N_{\text{subset_max}} = \text{cumulant order}$

➤ Can be used easily to compute p_T or η dependent cumulant

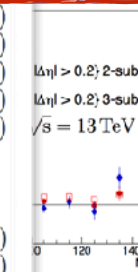
$$Q(A_i) \equiv \sum_{j_i \in A_i} q_i(j_i)$$

$$Q(A_1, \dots, A_n) = \sum_{j_1 \in A_1, \dots, j_n \in A_n} q_1(j_1) \dots q_n(j_n)$$

$$Q(A_1 \cap A_2) = \sum_{j \in A_1 \cap A_2} q_1(j) q_2(j)$$

Auto-correlation terms

$$\begin{aligned} & -Q(A_1 \cap A_3)Q(A_2)Q(A_4) \\ & -Q(A_2 \cap A_3)Q(A_1)Q(A_4) \\ & -Q(A_1 \cap A_4)Q(A_2)Q(A_3) \\ & -Q(A_2 \cap A_4)Q(A_1)Q(A_3) \\ & -Q(A_3 \cap A_4)Q(A_1)Q(A_2) \\ & +Q(A_1 \cap A_2)Q(A_3 \cap A_4) \\ & +Q(A_1 \cap A_3)Q(A_2 \cap A_4) \\ & +Q(A_1 \cap A_4)Q(A_2 \cap A_3) \\ & +2Q(A_1 \cap A_2 \cap A_3)Q(A_4) \\ & +2Q(A_2 \cap A_3 \cap A_4)Q(A_1) \\ & +2Q(A_1 \cap A_3 \cap A_4)Q(A_2) \\ & +2Q(A_1 \cap A_2 \cap A_4)Q(A_3) \\ & -6Q(A_1 \cap A_2 \cap A_3 \cap A_4) \end{aligned}$$



1701.038301 (nuclear Framework simulations)

to 3 subevents suppress non-flow

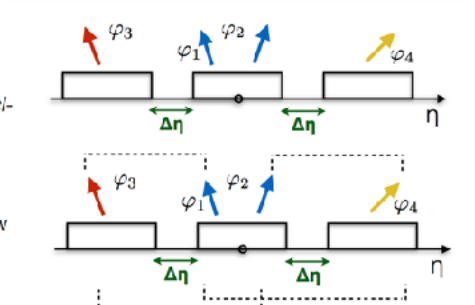
• Further decrease of $c_2\{4, |\Delta\eta| > 0.2\}$ is seen w.r.t. $c_2\{4, |\Delta\eta| > 0.0\}$

$$\langle \langle 4 \rangle \rangle_{3\text{sub}} = \langle \langle \cos n(\phi_1 + \phi_2 - \phi_3 - \phi_4) \rangle \rangle_{3\text{sub}}$$

$$\langle \langle 2 \rangle \rangle_{3\text{sub}}^2 = \langle \langle \cos n(\phi_1 - \phi_3) \rangle \rangle_{3\text{sub}} \langle \langle \cos n(\phi_2 - \phi_4) \rangle \rangle_{3\text{sub}}$$

$$\langle \langle 2 \rangle \rangle_{3\text{sub}}^2 = \langle \langle \cos n(\phi_1 - \phi_4) \rangle \rangle_{3\text{sub}} \langle \langle \cos n(\phi_2 - \phi_3) \rangle \rangle_{3\text{sub}}$$

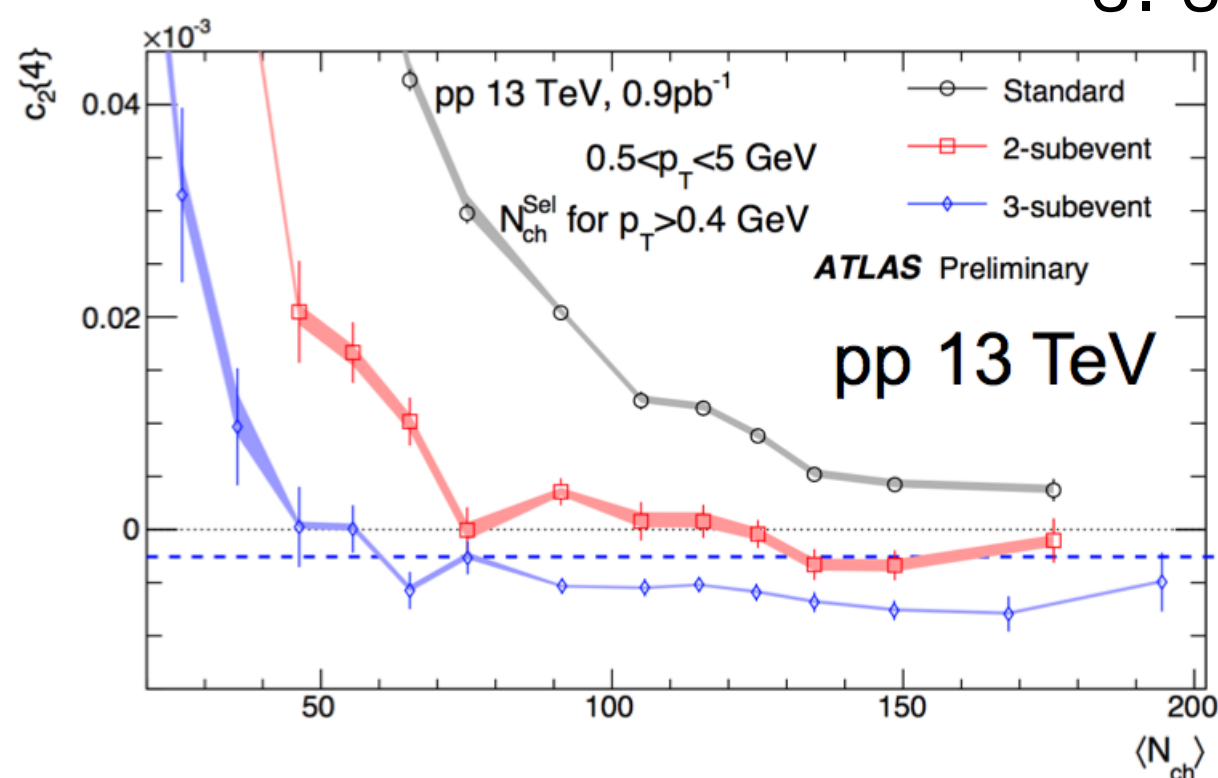
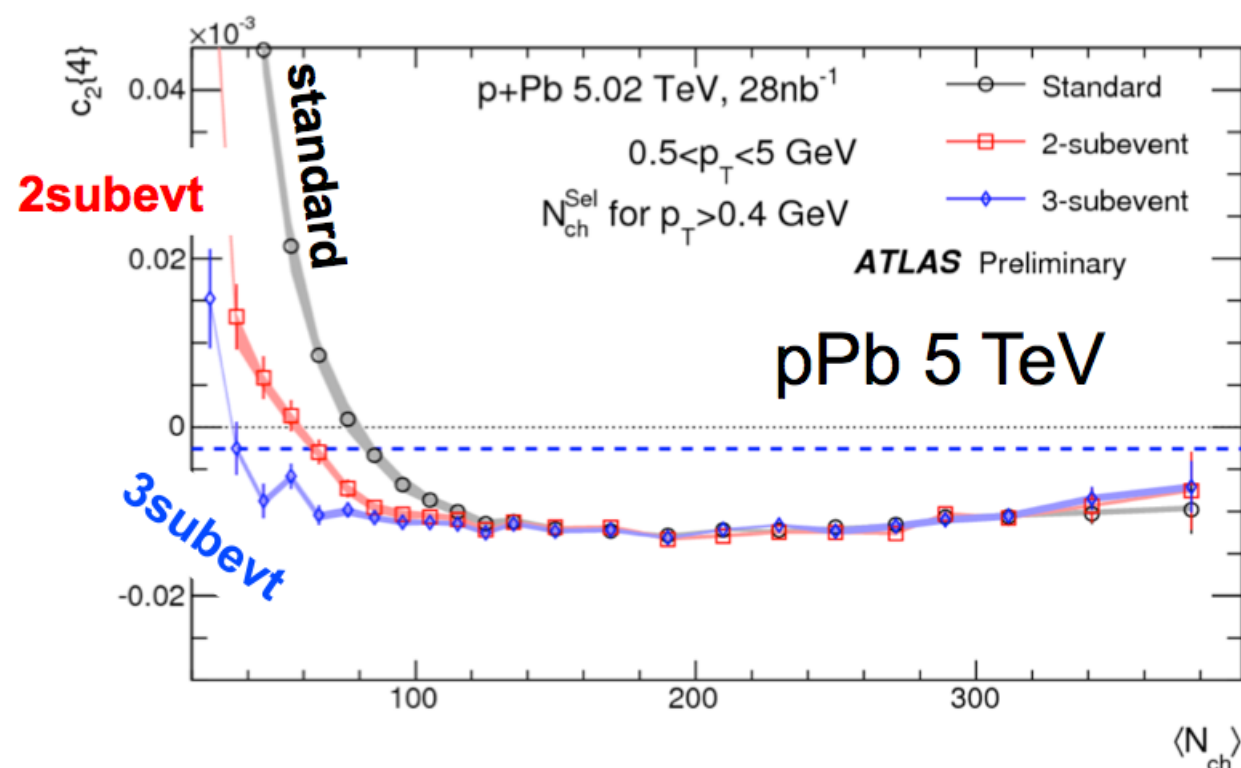
$$c_n\{4\}_{3\text{sub}} = \langle \langle 4 \rangle \rangle_{3\text{sub}} - 2 \cdot \langle \langle 2 \rangle \rangle_{3\text{sub}}^2$$



See also J. Jia, M. Zhou, Y. Zhou, K. Gajdosova

Results from n-subevents

J. Jia

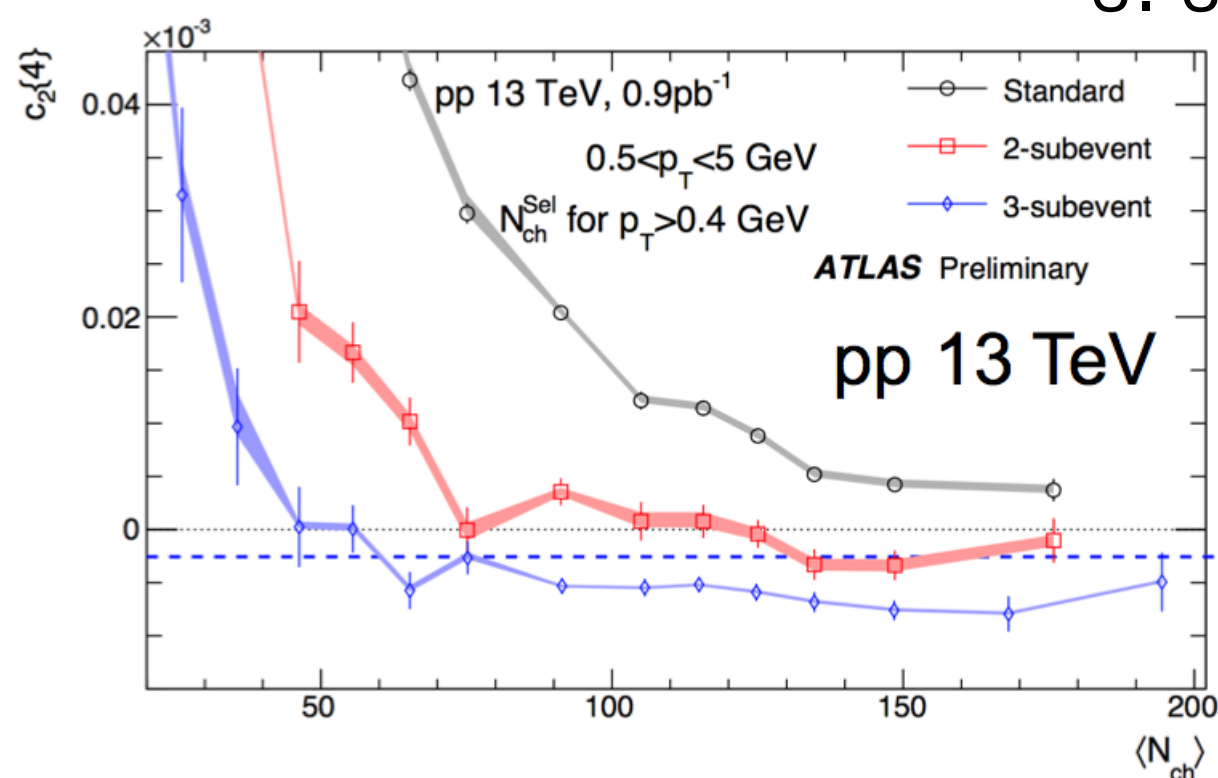
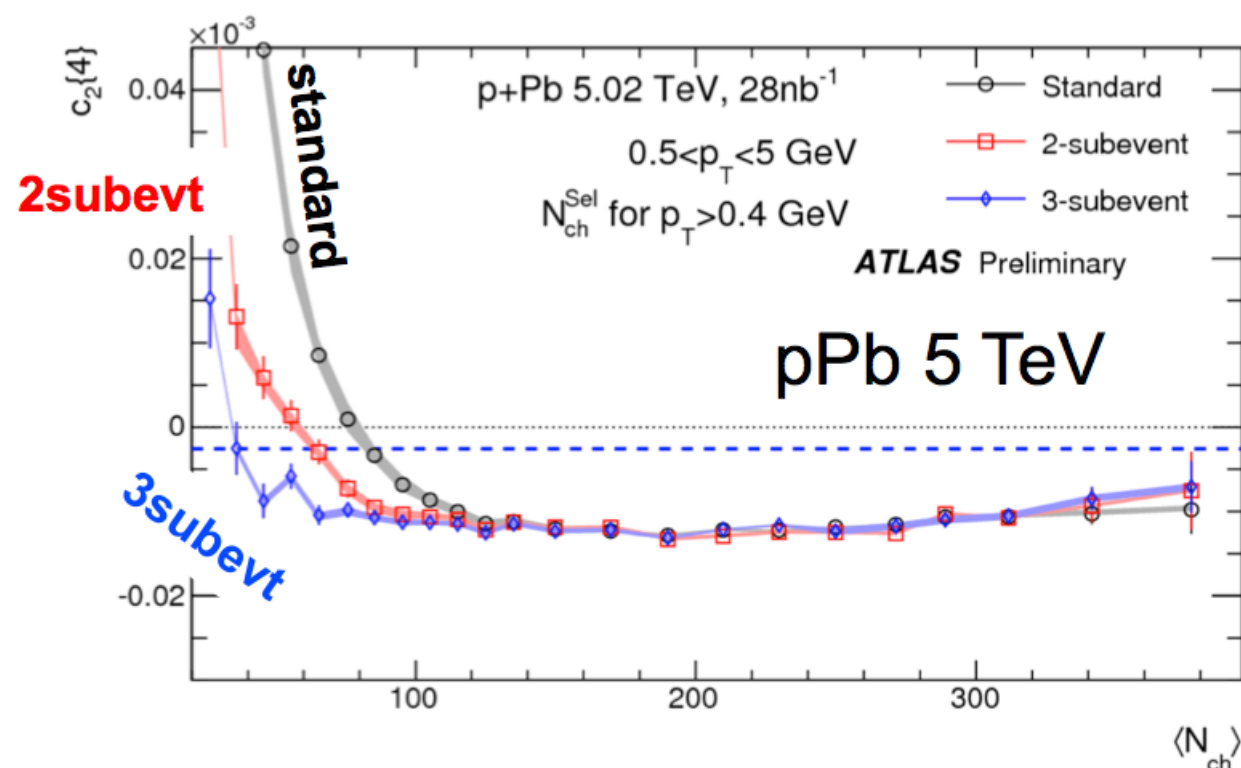


3 subevents method **less sensitive to non flow**

Confirms **negative $c_2\{4\}$** , seems to work down to **low multiplicity**

Results from n-subevents

J. Jia



3 subevents method **less sensitive to non flow**

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Considerable **cooking** on the calculation of $v_2\{4\}$

Variety of methods, eta gaps, track cuts, sub-events, ...

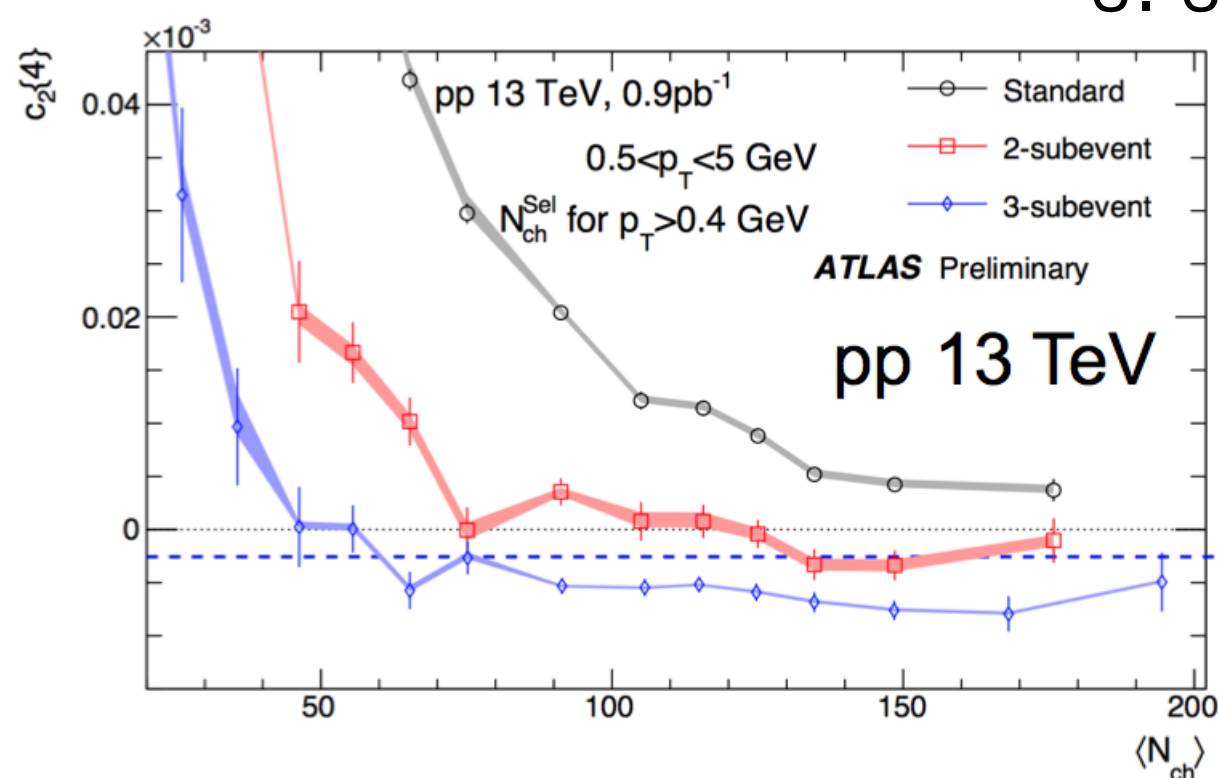
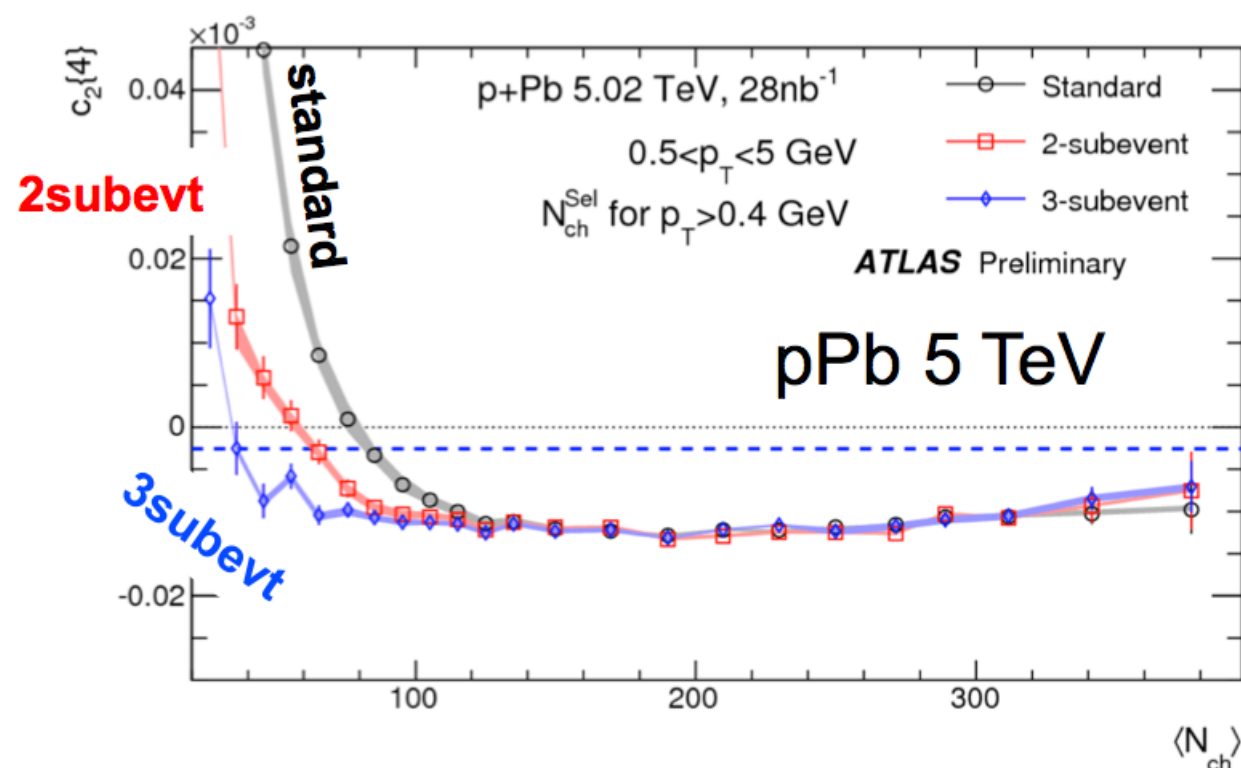
We need to **agree** on a set of **common plots**,

to compare exp vs exp and exp vs theory

→ Wed: kick off session within **CERN's MB&UE group**

Results from n-subevents

J. Jia



3 subevents method **less sensitive to non flow**

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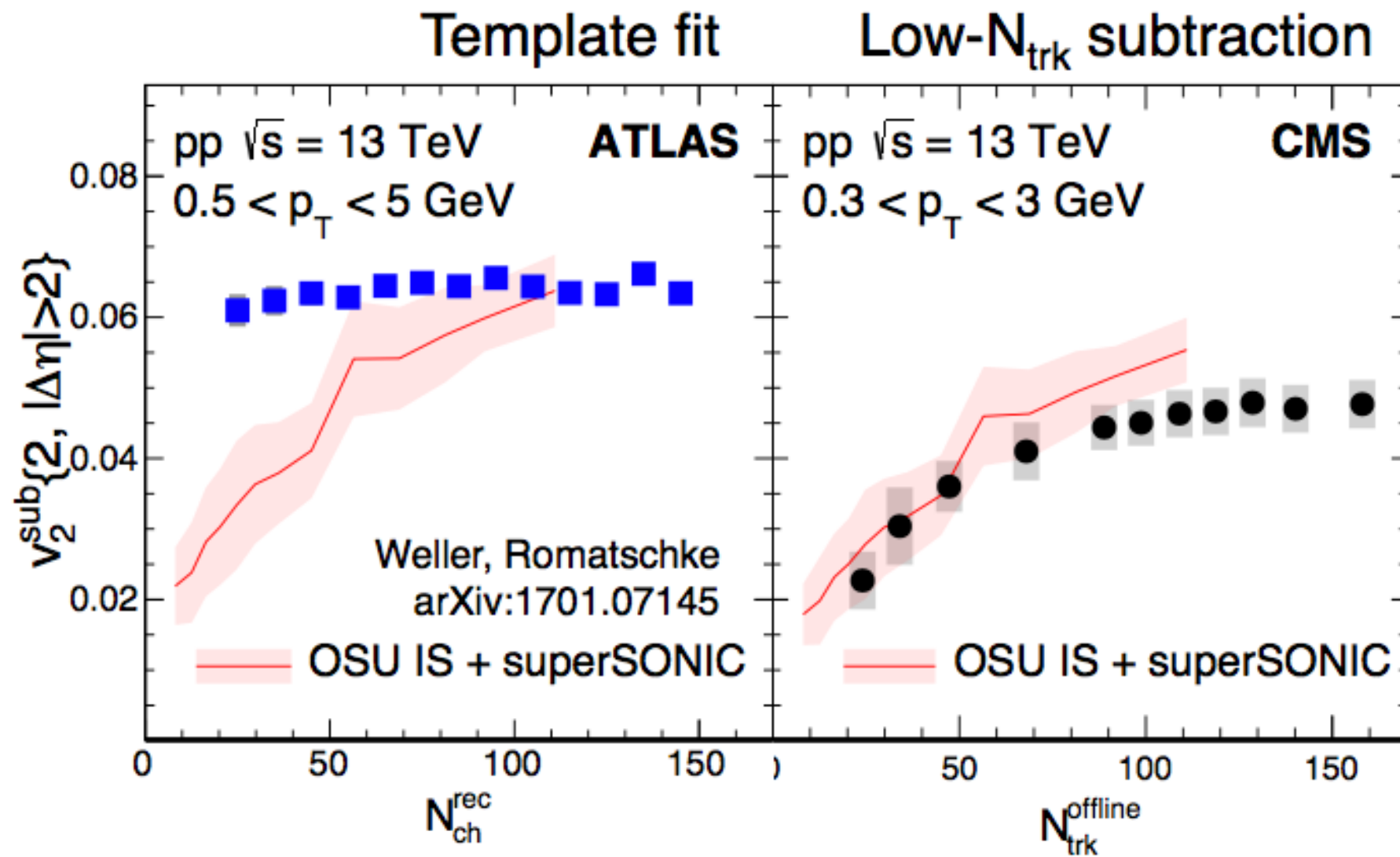
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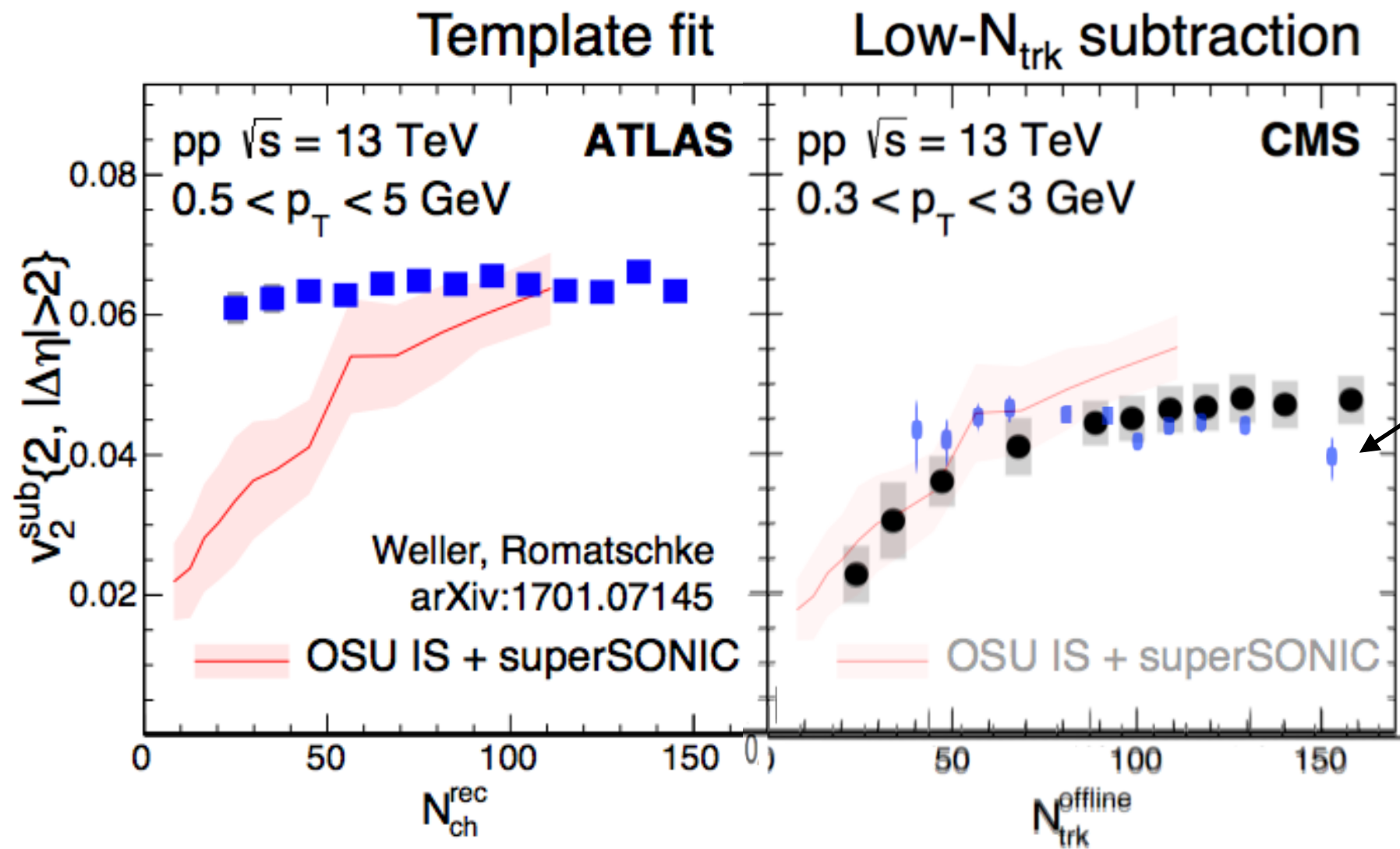
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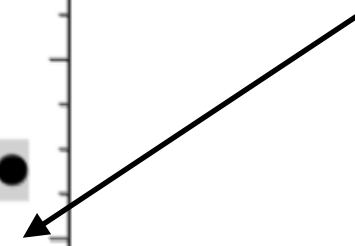
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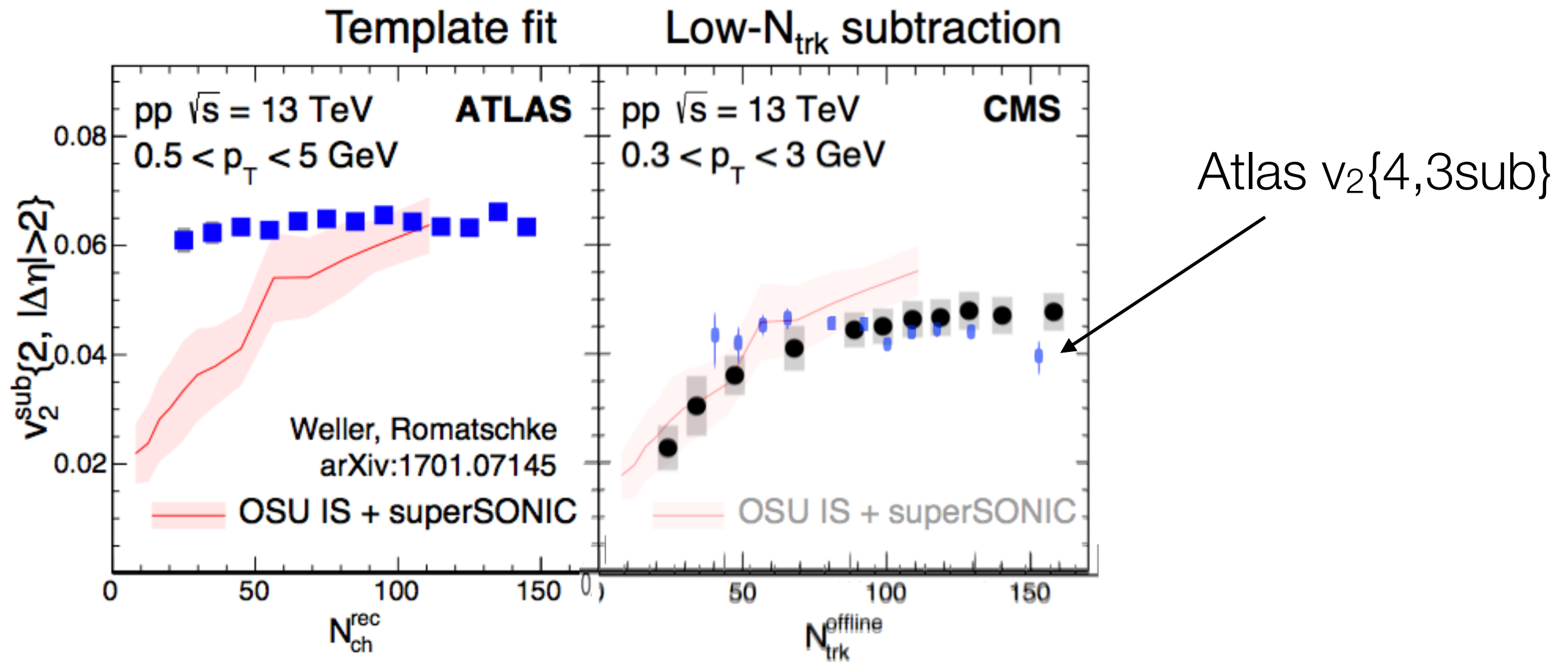
→ Wed: kick off session within **CERN's MB&UE group**





Atlas $v_2\{4,3\text{sub}\}$



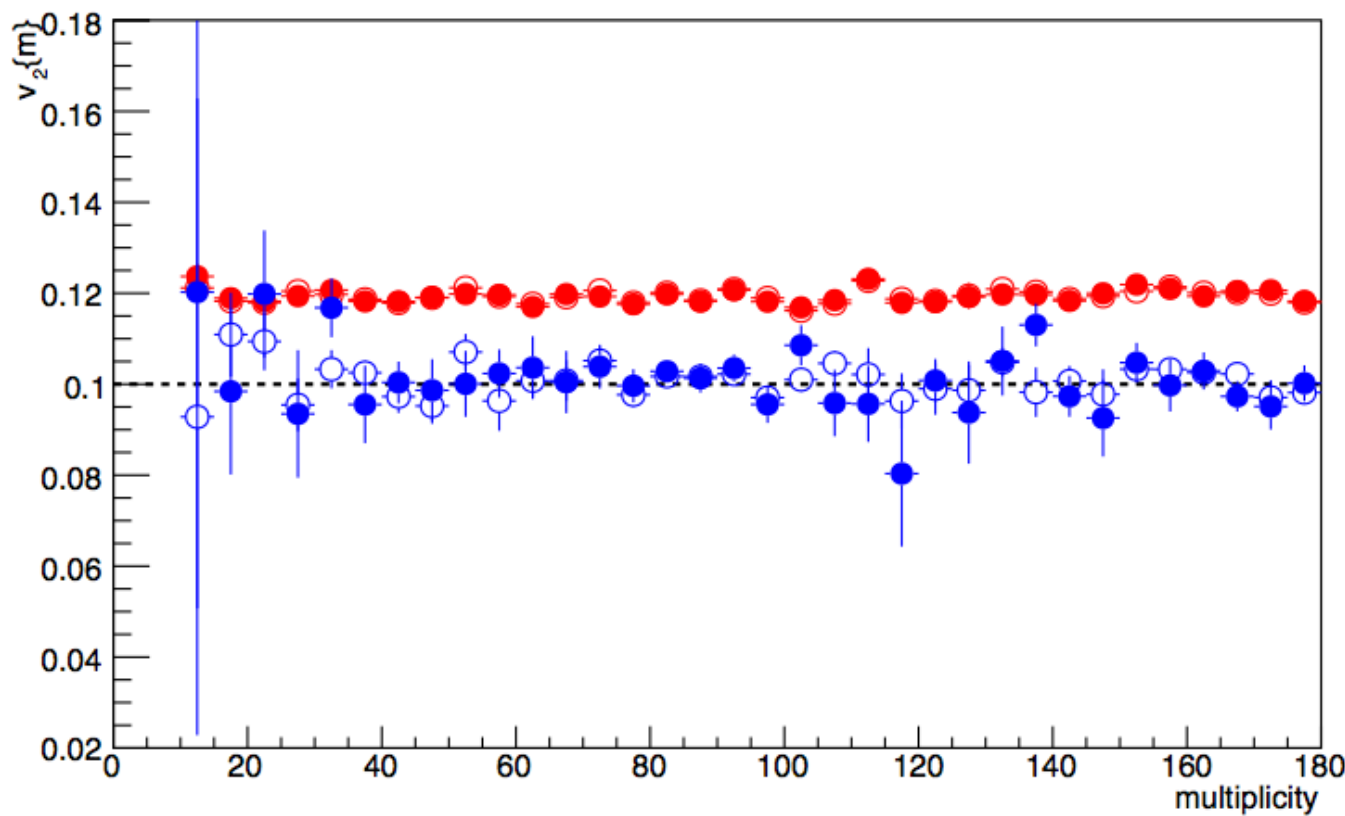


Tension with hydro?

- Hydro calculations: **v_2 should decrease** at low multiplicity (but possibly at a lower range than measured?)
- $v_2\{4,3\text{sub}\}$ still **compatible** with hydro within uncertainties
- Can we trust 4 particle cumulants at **$N_{\text{trk}} \sim 40$** ?

Applicability of $v_2\{\text{sub}\}$ at low mult

$v_2\{4\}$ sub **recovers injected** flow in Toy MC



Simple toy MC: v_n **fluc**, no mult fluc

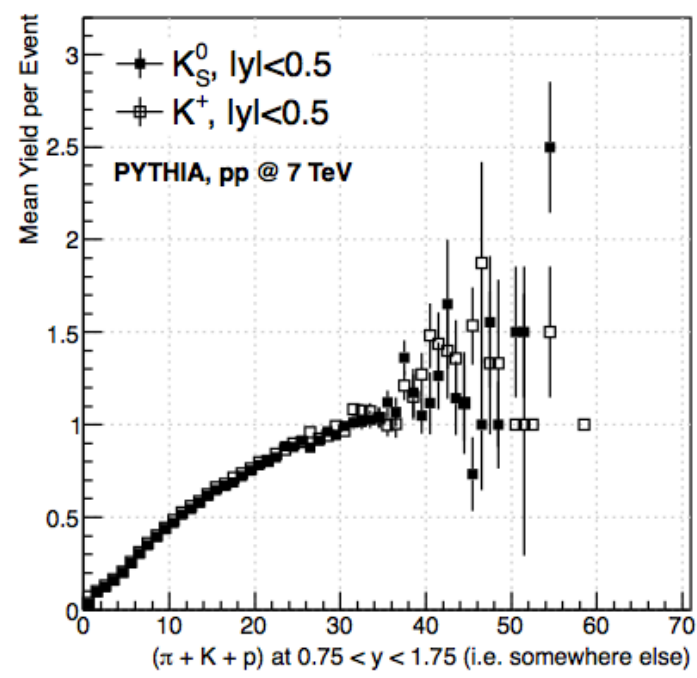
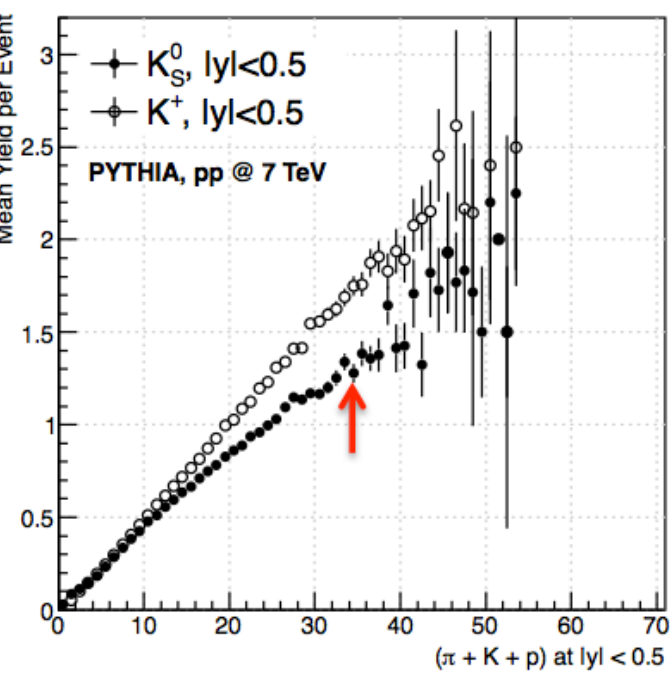
Promising, but very low mult can be very **tricky**: needs **full simulation** studies

For instance:
Non-constant v_n + detector
reconstruction: additional event-by-event fluctuations

- Truth
- $v_2\{4\}$ std ○ $v_2\{2\}$ std
- $v_2\{4\}$ sub evt ● $v_2\{2\}$ sub evt

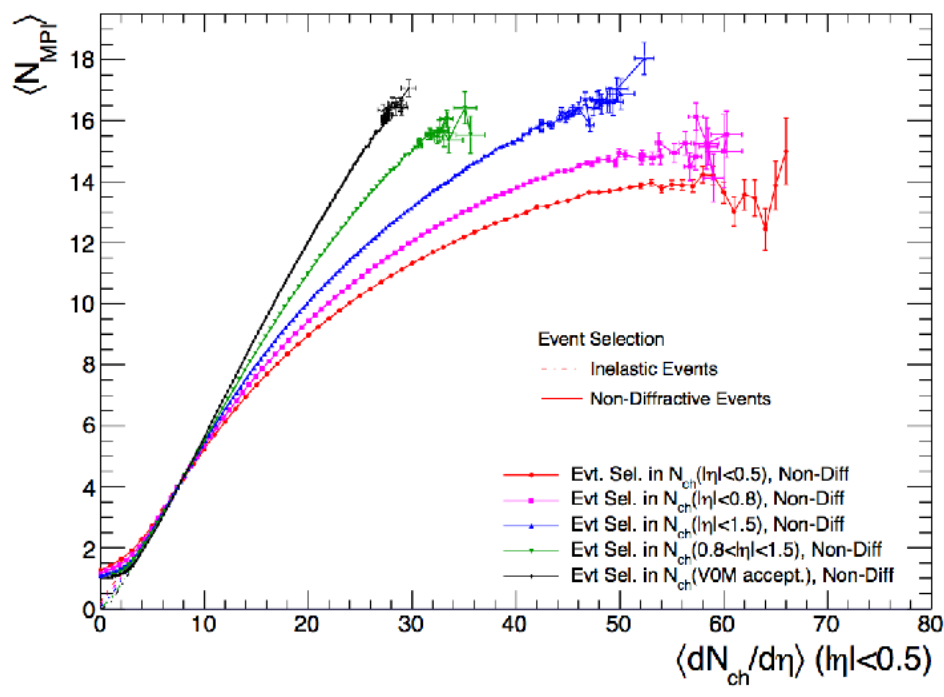
Estimator biases

The region where multiplicity is selected imposes biases on the data
Some non trivial!



Hadrochemistry Bias

Charged particles selected more often, also affects fraction of secondaries.



MPI Bias

Qualitatively different events may be selected (in this example MPI)

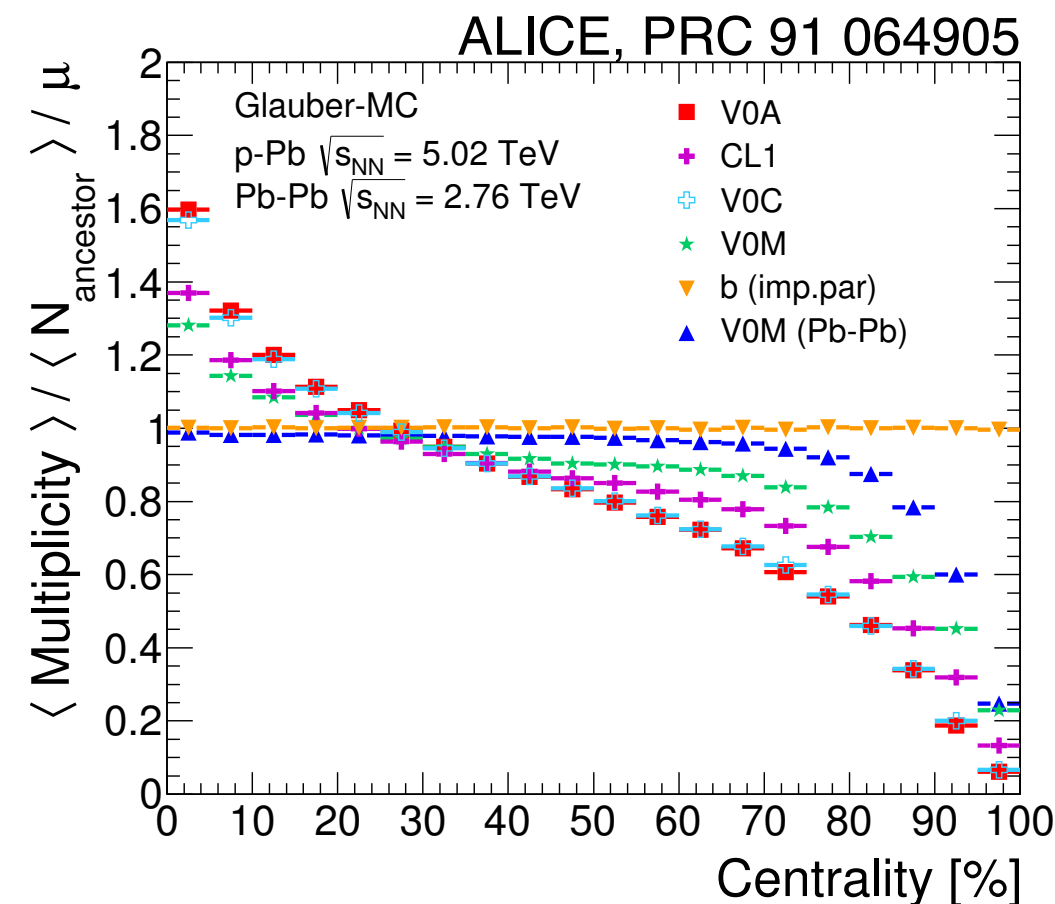
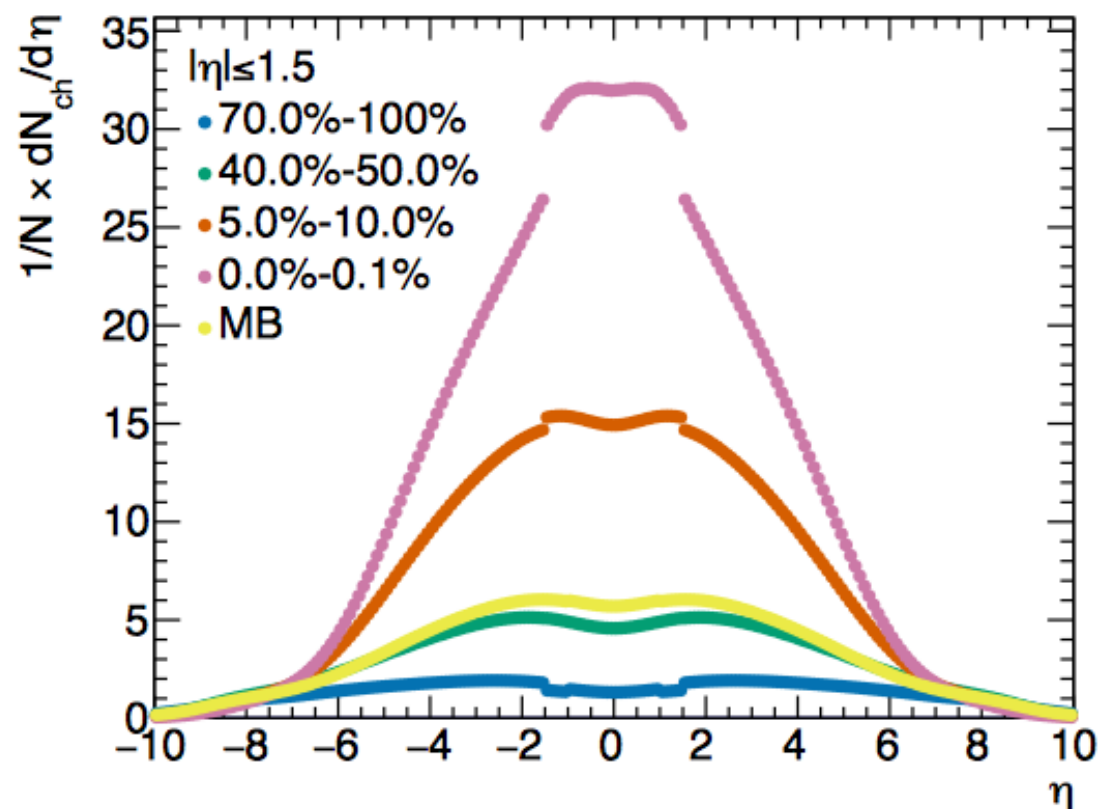
Plots by D. Chinellato, Pythia 6, Perugia 2011

Estimator biases

Multiplicity and Fragmentation Bias

Increase in multiplicity is local in η

Multiplicity per “ancestor” depends on centrality and estimator

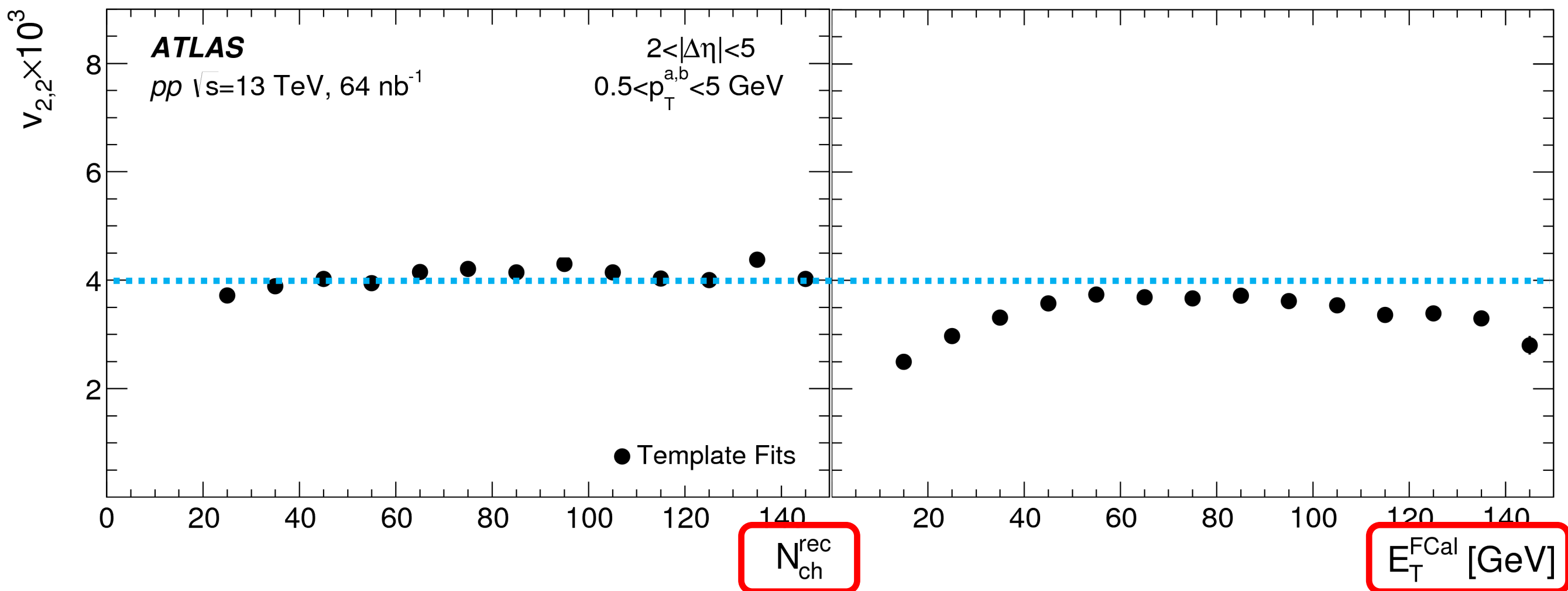


ALI-PUB-100573

Leads to a **Jet Bias**: more likely to find (near and away side) jet in the η region of the multiplicity estimator:

- May affect subtraction procedure or non-flow in sample
- Multiplicity bins in theory (reduced for wide η acceptance)

Plot by C. Bourjau, Pythia 6, Perugia 2011



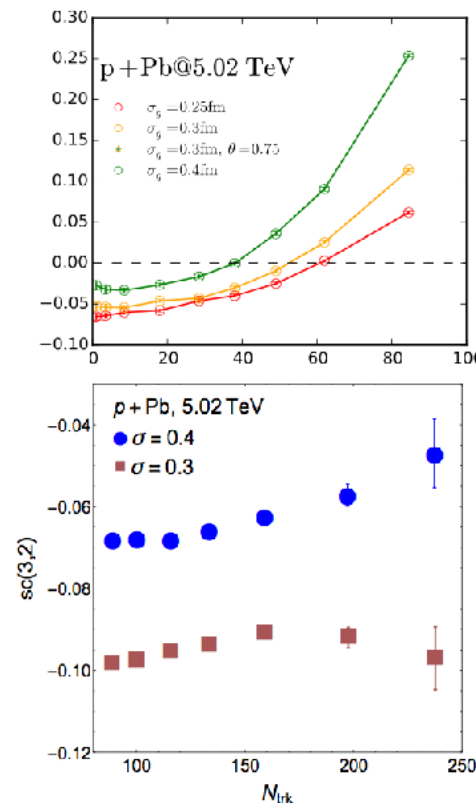
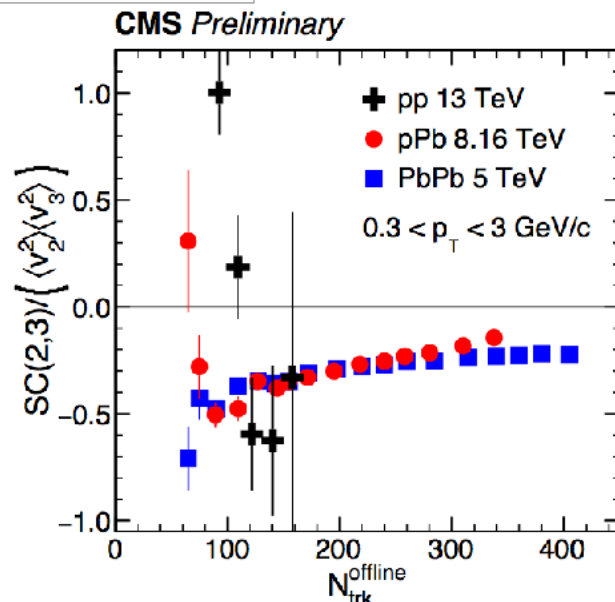
- Try FCal E_T to quantify the event activity;
- v_2 correlated more with local multiplicity;
- “Centrality” may not be well defined by N_{ch} in pp .

(Normalized) Symmetric Cumulants

NSC in all systems

CMS-PAS-HIN-16-022

SC normalized by $\langle v_n^2 \rangle \cdot \langle v_m^2 \rangle$



arXiv 1605.09418

Wounded nucleon model

arXiv 1609.05171

How does CGC like NSC look like?

- Similar behavior in p-Pb and PbPb
- Points to similar IS fluctuations
- First calculations (ϵ_n correlations only)
 - Right sign
 - Magnitude is off

- Sensitive to number of sources (fluctuations)
- pp (?) pA, AA similar
 - pA sensitive to sub-nucleonic fluctuations
 - AA sensitive to nucleons fluctuations
- Why are they similar?
- Residual non flow?

09/05/17

Workshop on collectivity in small systems

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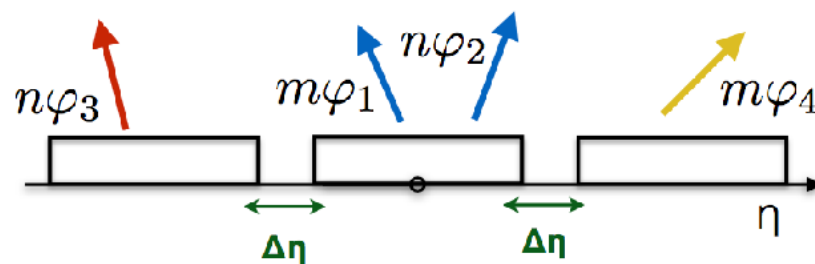
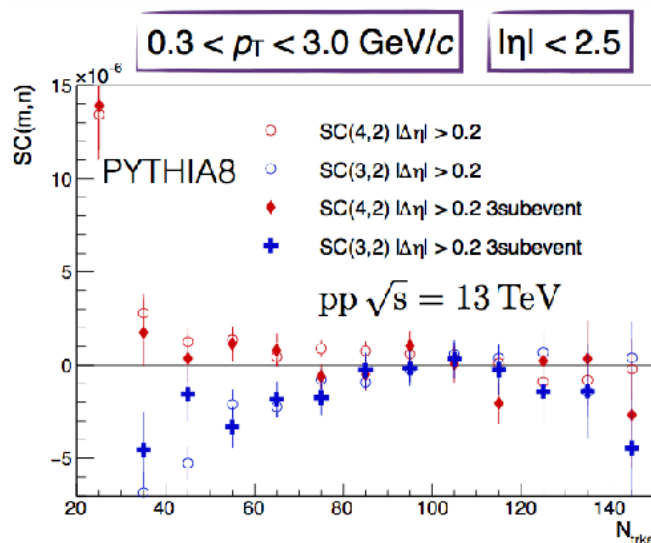
M Guilbaud, K Gajdosova, Y Zhou

(Normalized) Symmetric Cumulants

SC(3,2), SC(4,2) with 3-subevent



$$\begin{aligned}\langle\langle 4 \rangle\rangle_{m,n,-m,-n} &= \langle\langle \cos(m\varphi_1 + n\varphi_2 - m\varphi_3 - n\varphi_4) \rangle\rangle \\ \langle\langle 2 \rangle\rangle_{m,-m} \langle\langle 2 \rangle\rangle_{n,-n} &= \langle\langle \cos m(\varphi_1 - \varphi_3) \rangle\rangle \langle\langle \cos n(\varphi_2 - \varphi_4) \rangle\rangle \\ \langle\langle 4 \rangle\rangle_{m,n,-n,-m} &= \langle\langle \cos(m\varphi_1 + n\varphi_2 - n\varphi_3 - m\varphi_4) \rangle\rangle \\ \langle\langle 2 \rangle\rangle_{n,-n} \langle\langle 2 \rangle\rangle_{m,-m} &= \langle\langle \cos n(\varphi_2 - \varphi_3) \rangle\rangle \langle\langle \cos m(\varphi_1 - \varphi_4) \rangle\rangle \\ SC(m,n)_A &= \langle\langle 4 \rangle\rangle_{m,n,-m,-n} - 2 \cdot \langle\langle 2 \rangle\rangle_{m,-m} \langle\langle 2 \rangle\rangle_{n,-n} \\ SC(m,n)_B &= \langle\langle 4 \rangle\rangle_{m,n,-n,-m} - 2 \cdot \langle\langle 2 \rangle\rangle_{n,-n} \langle\langle 2 \rangle\rangle_{m,-m}\end{aligned}$$



- We calculate SC(m,n) with 3-subevent method
- There is no significant difference between 2- or 3-subevent method

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Katarina Gajdosova

- Sensitive to number of sources (fluctuations)
- **pp (?) pA, AA similar**
 - **pA** sensitive to sub-nucleonic fluctuations
 - **AA** sensitive to nucleons fluctuations
- Why are they similar?
- Residual non flow?

Looking forward to results with subevents + improved theory

M Guilbaud, K Gajdosova, Y Zhou

What do we want to learn?

1. Initial State (CGC) or Final State (Hydro) Correlations?

If hydro: learn about the medium properties

If initial state: learn about saturation

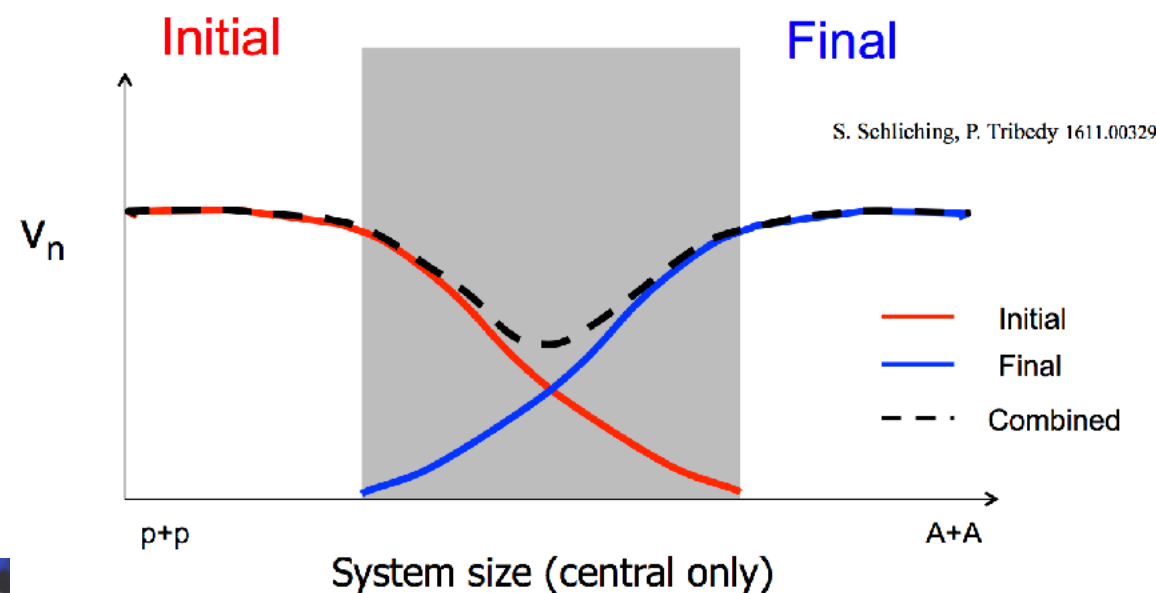
2. **Microscopic processes:** reconcile with “traditional” pp Monte Carlos

Status:

Hydro describes reasonably well **systematics of data** across energies and colliding systems

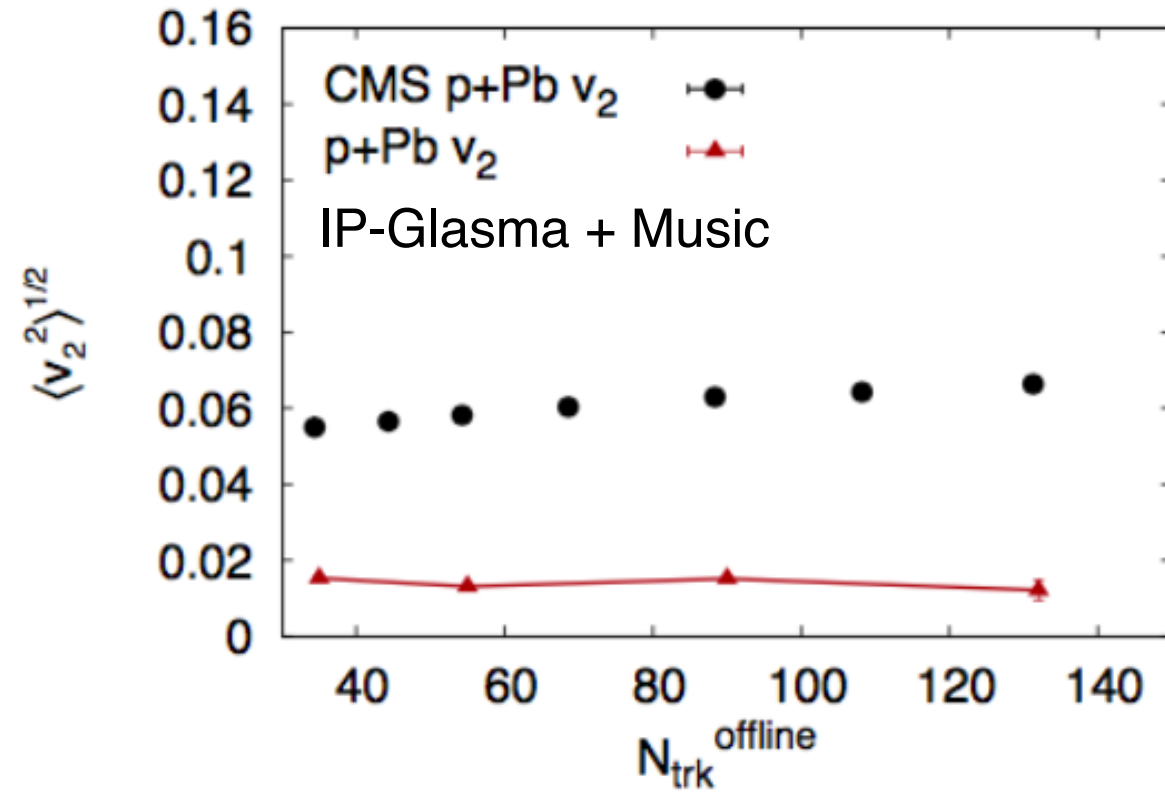
Saturation more “**qualitative**”

(proof of principle mechanisms to describe most observables advocated, but no systematic comparisons)

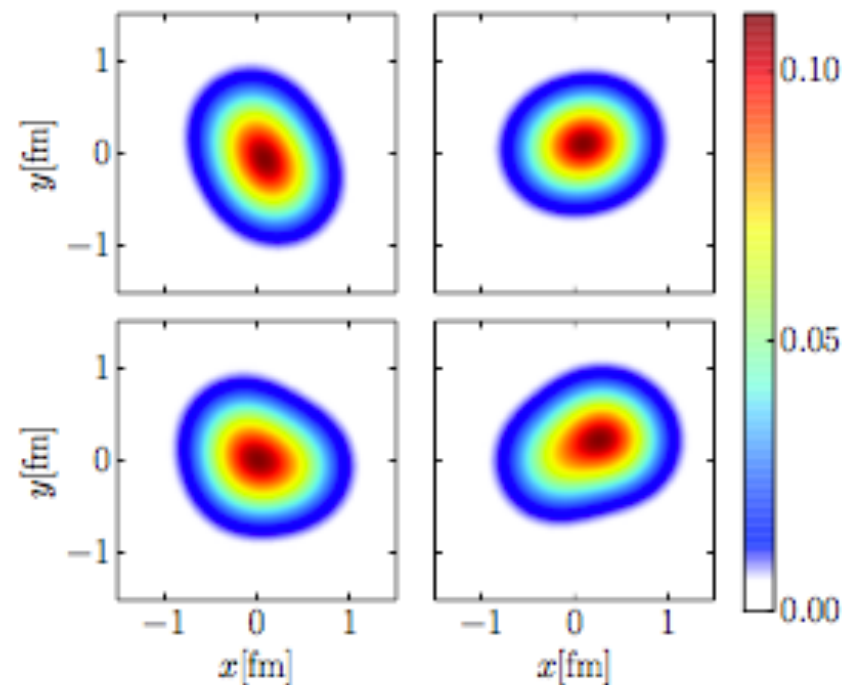


Hydro modeling and nuclear substructure

Describing all systems simultaneously difficult $\rightarrow$ nucleon substructure?

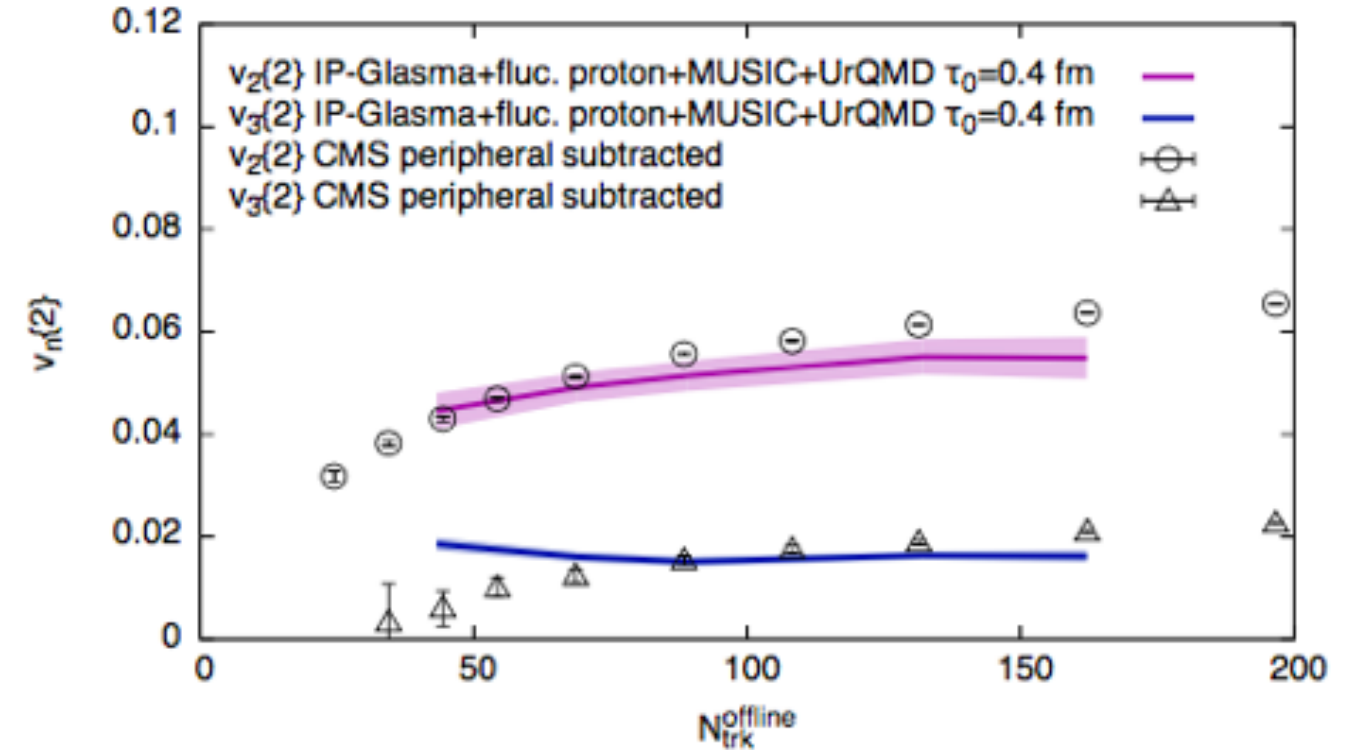
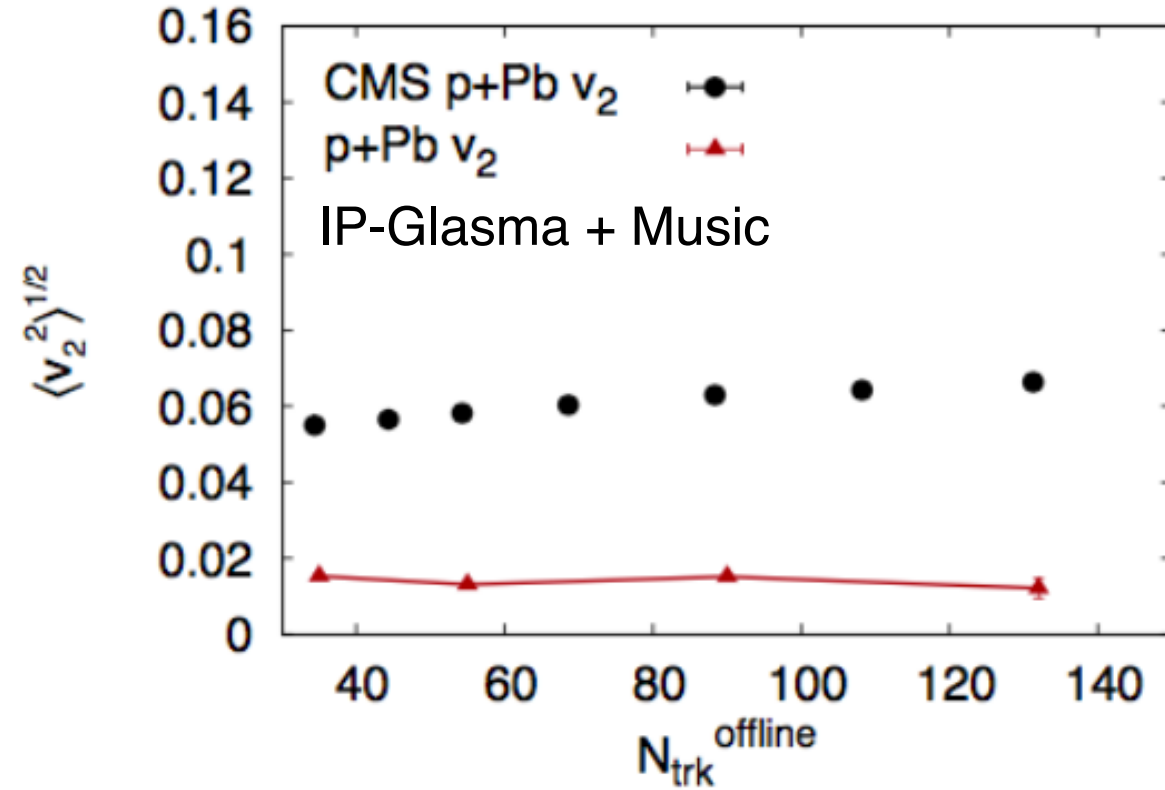


Smooth: $B_{qc} = 1.0, B_q = 3.0$

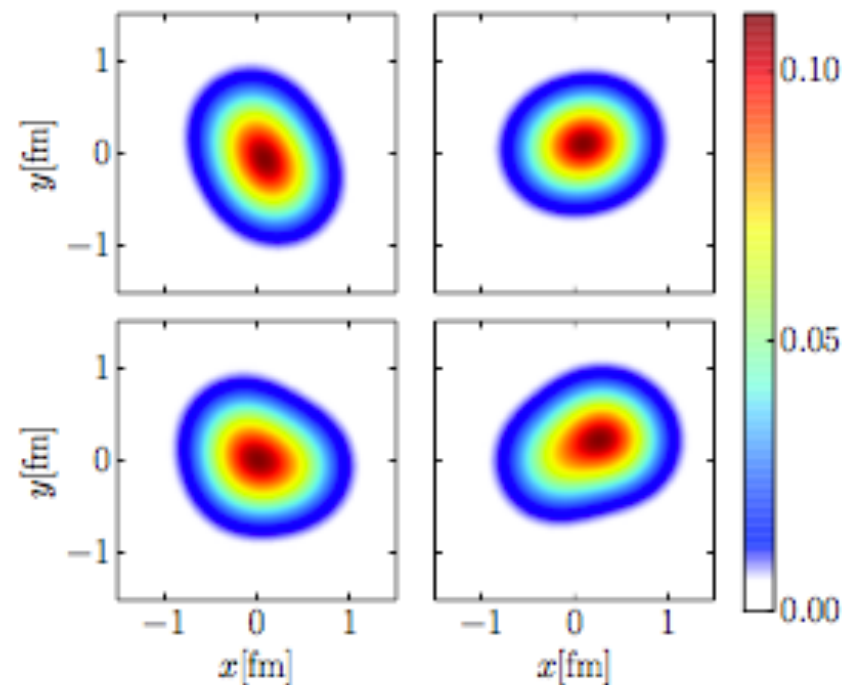


Hydro modeling and nuclear substructure

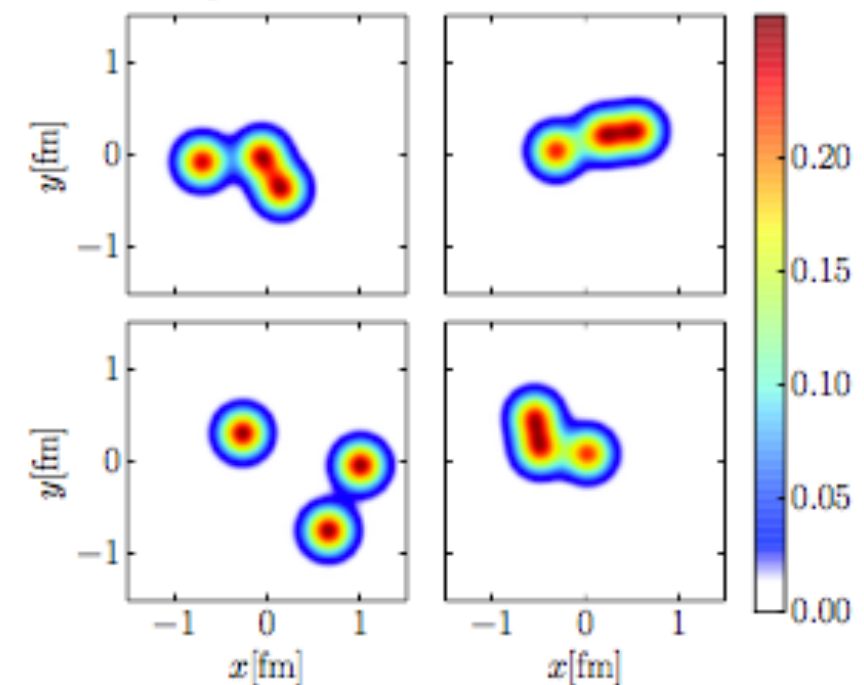
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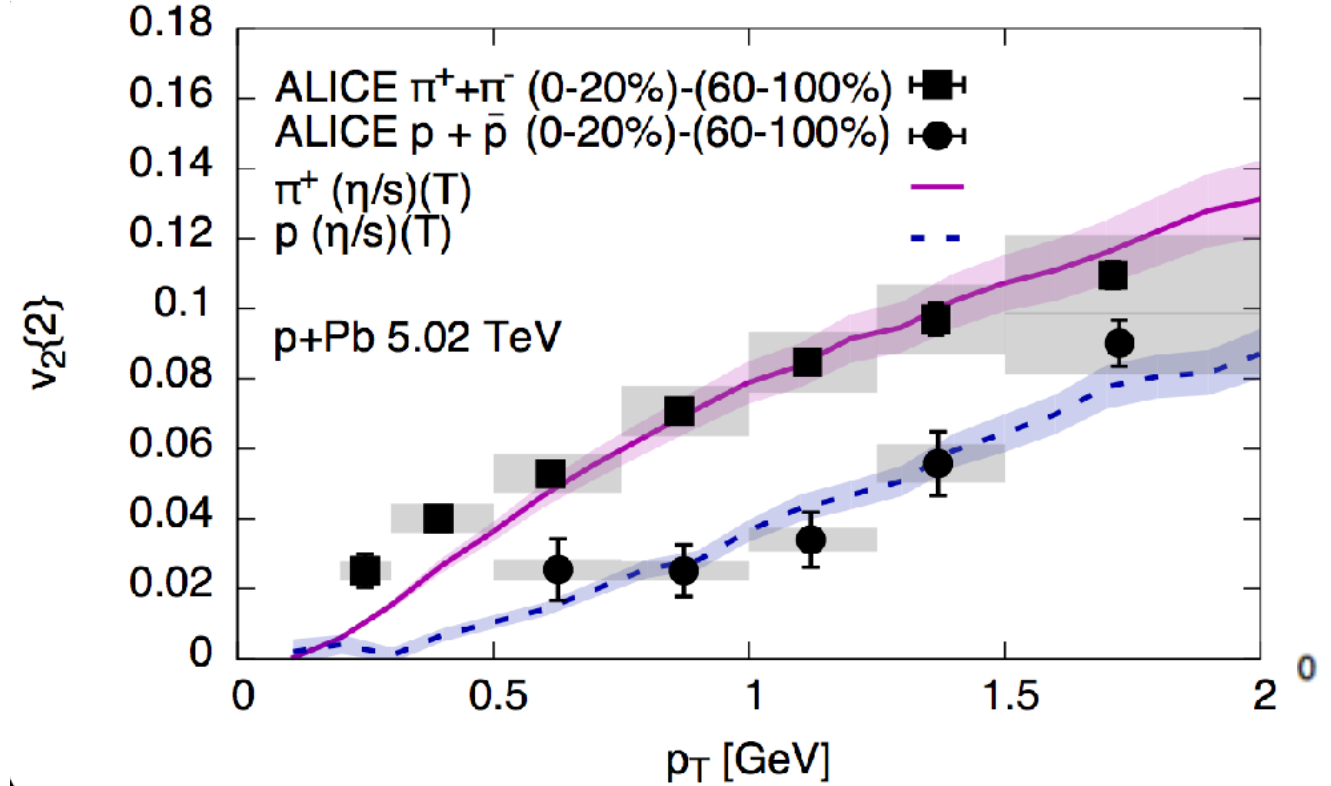
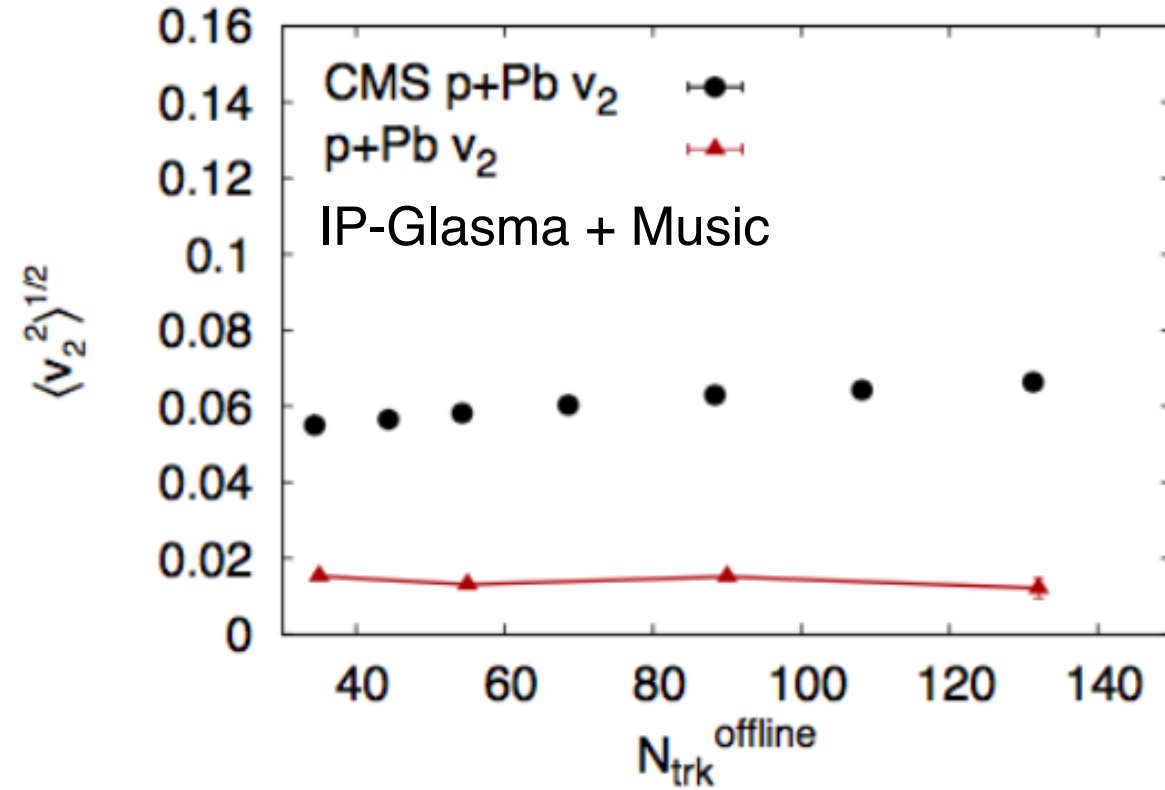
Lumpy: $B_{qc} = 3.3, B_q = 0.7$



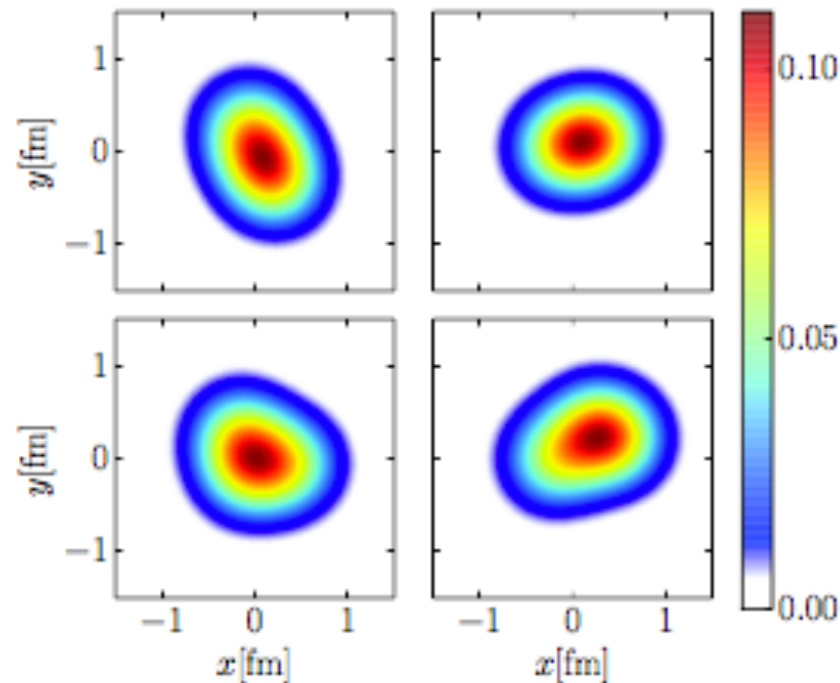
(constrained with diffraction measurements)

Hydro modeling and nuclear substructure

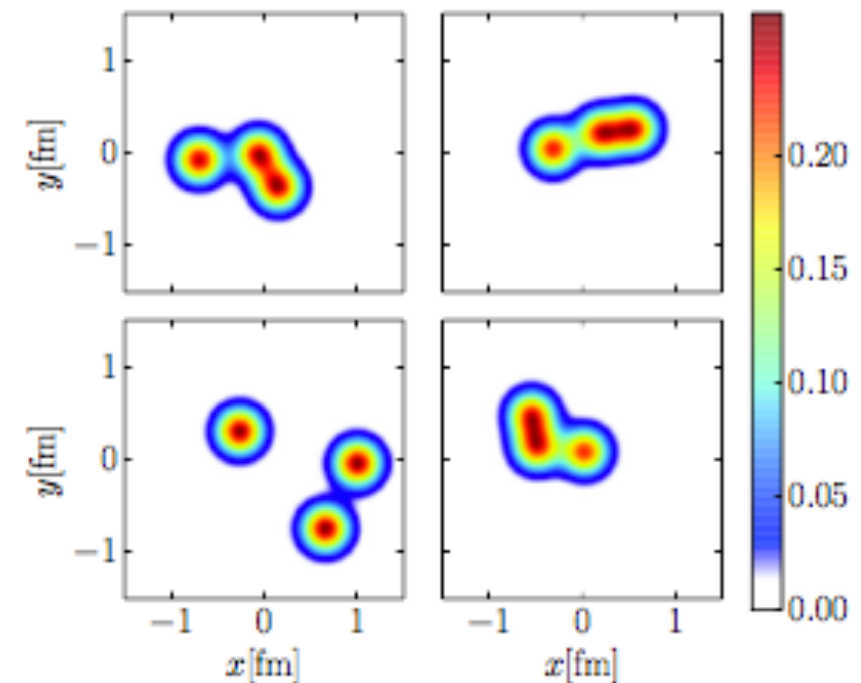
Describing all systems simultaneously difficult $\rightarrow$ nucleon substructure?



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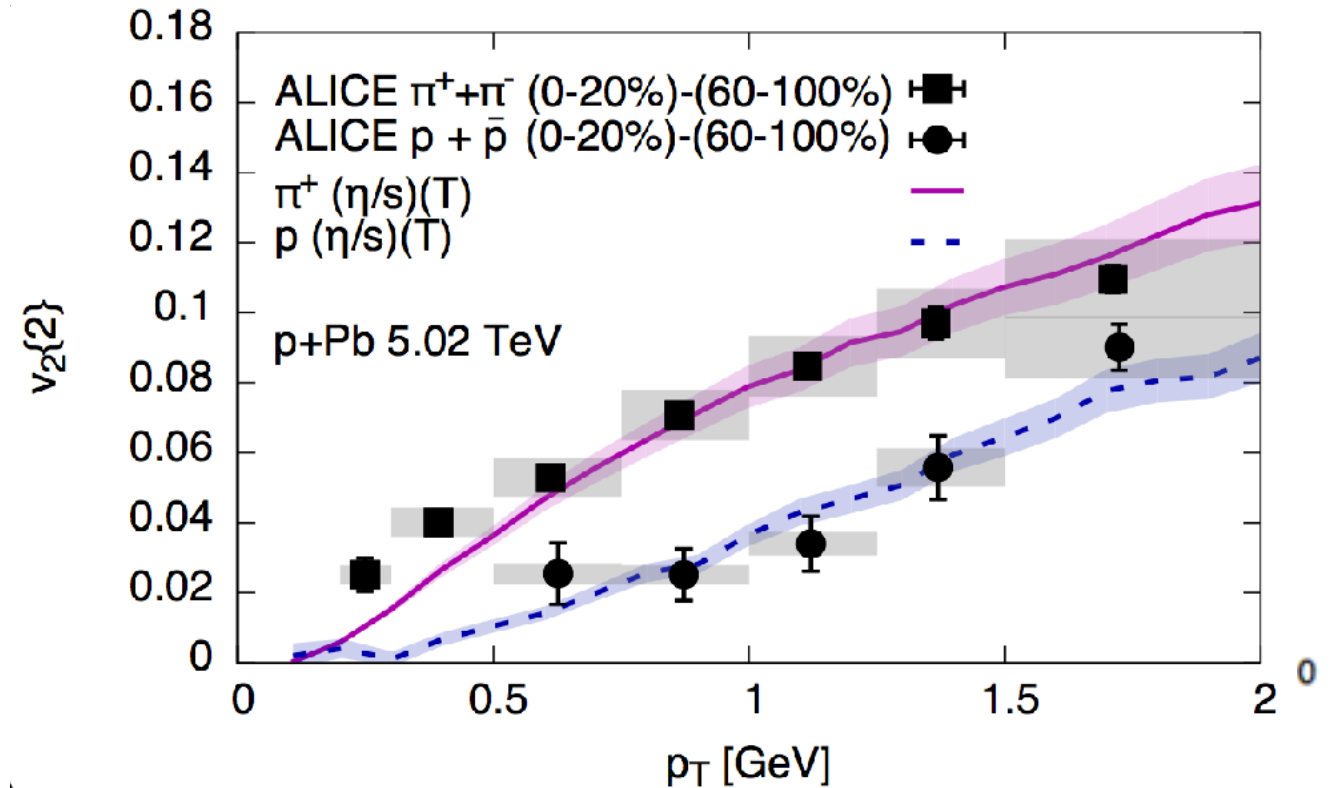
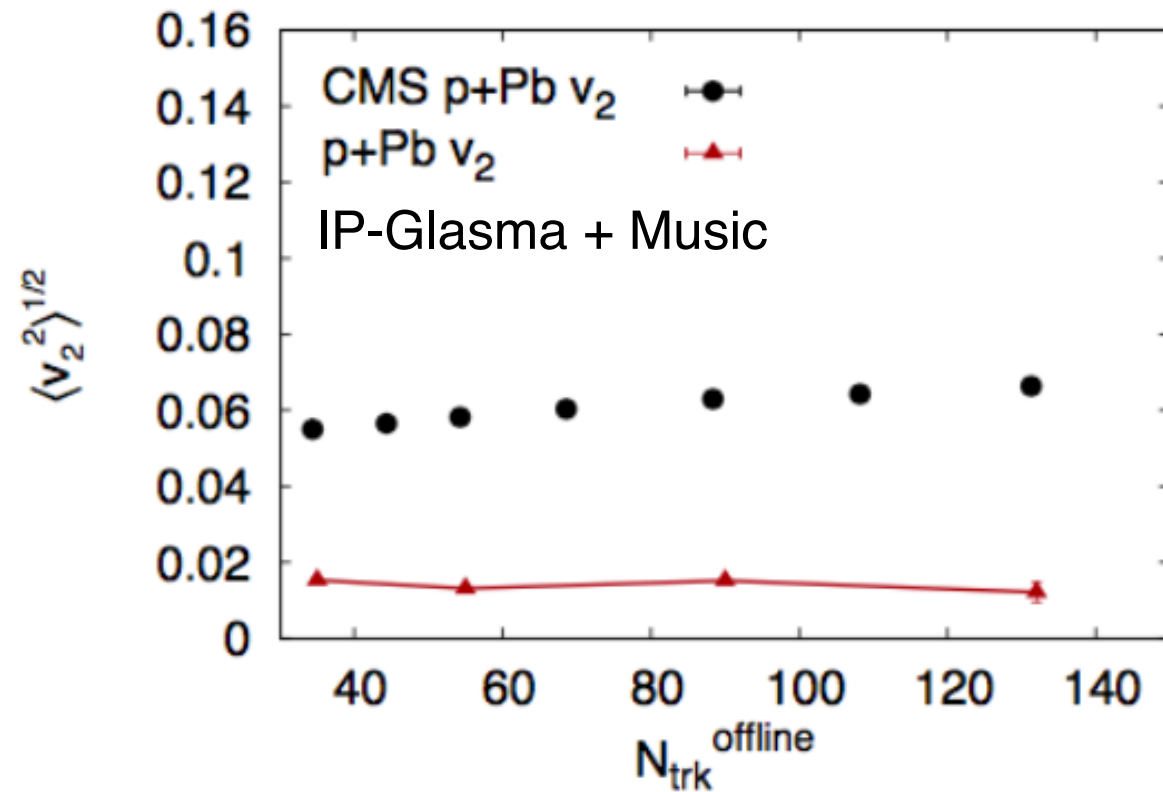
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(constrained with diffraction measurements)

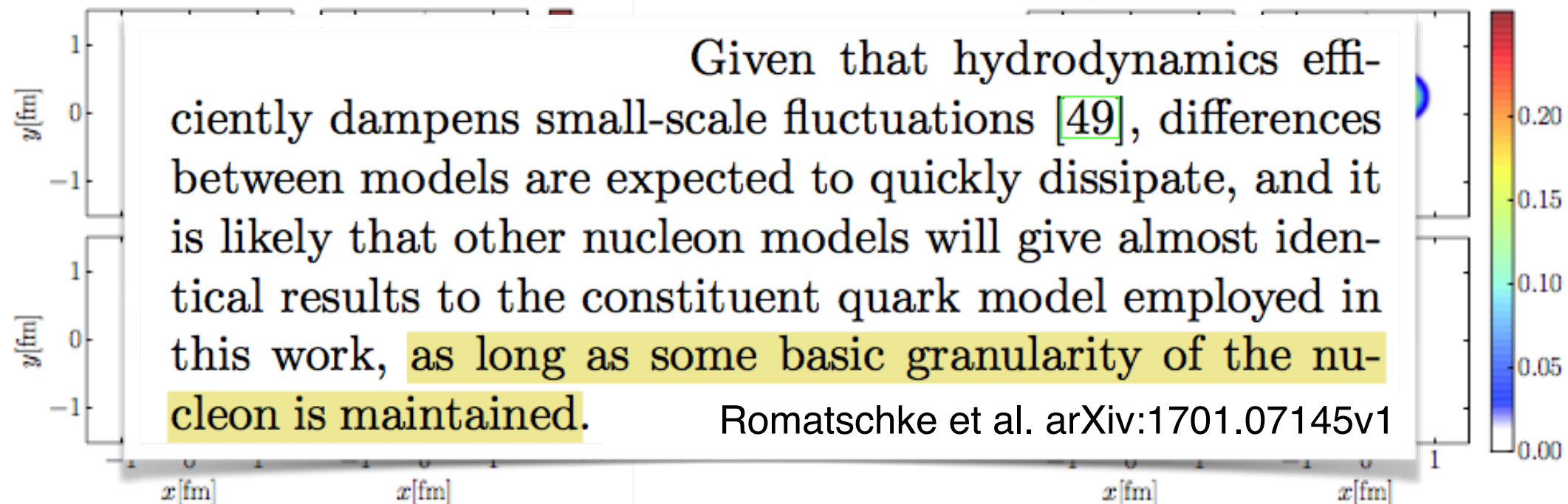
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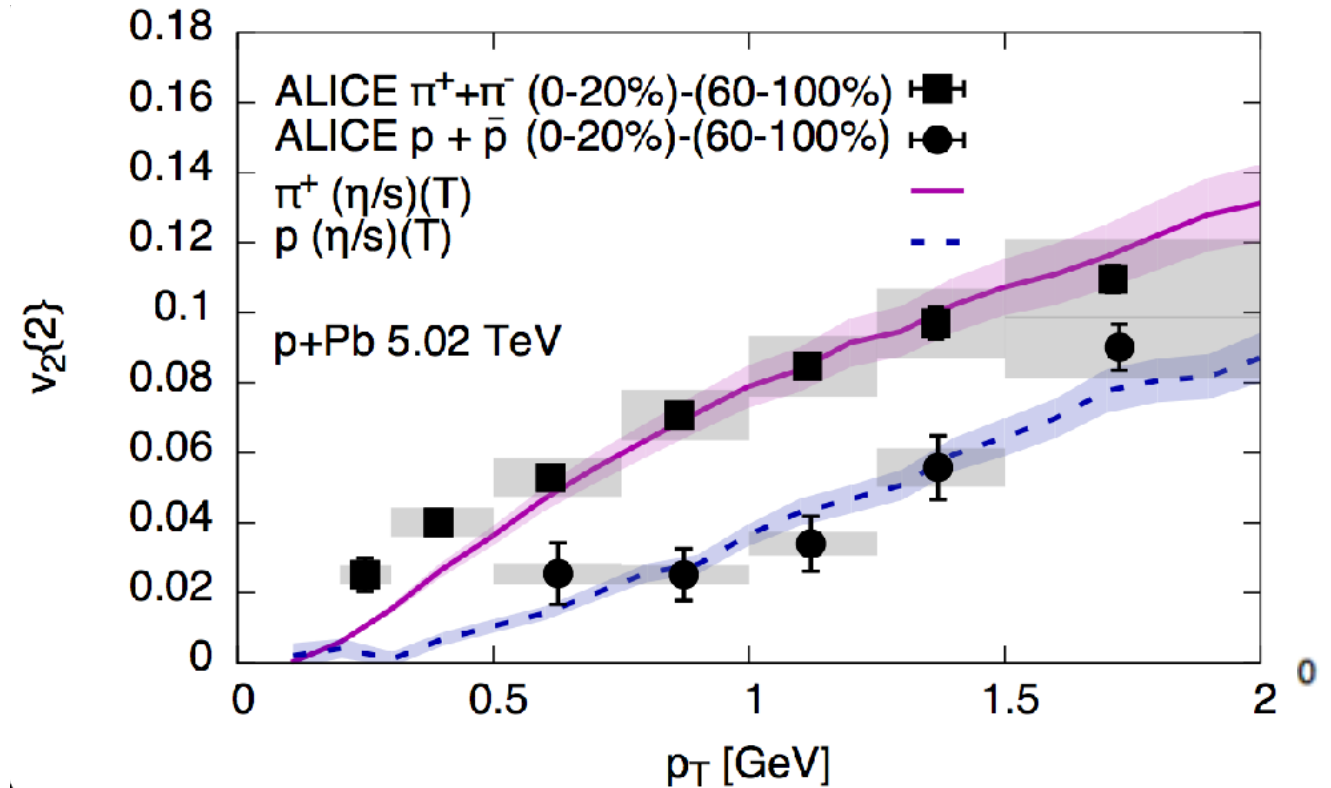
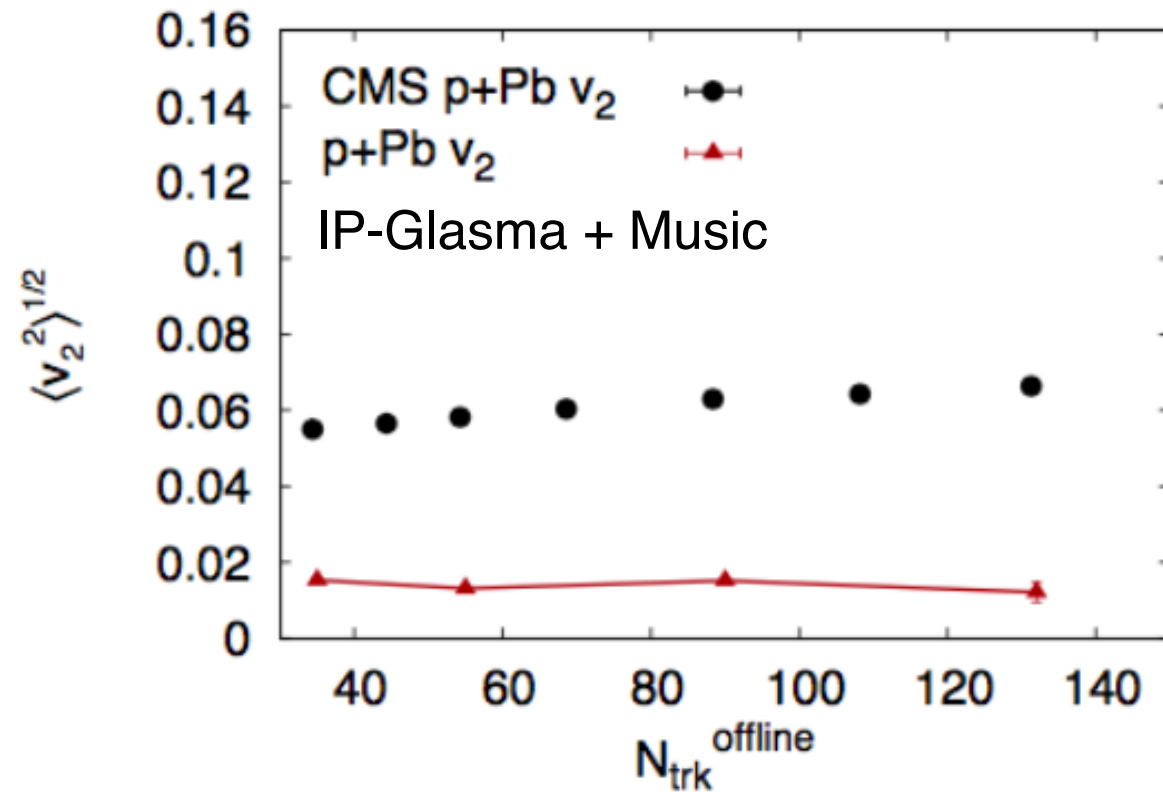
Given that hydrodynamics efficiently dampens small-scale fluctuations [49], differences between models are expected to quickly dissipate, and it is likely that other nucleon models will give almost identical results to the constituent quark model employed in this work, as long as some basic granularity of the nucleon is maintained.

Romatschke et al. arXiv:1701.07145v1

(constrained with diffraction measurements)

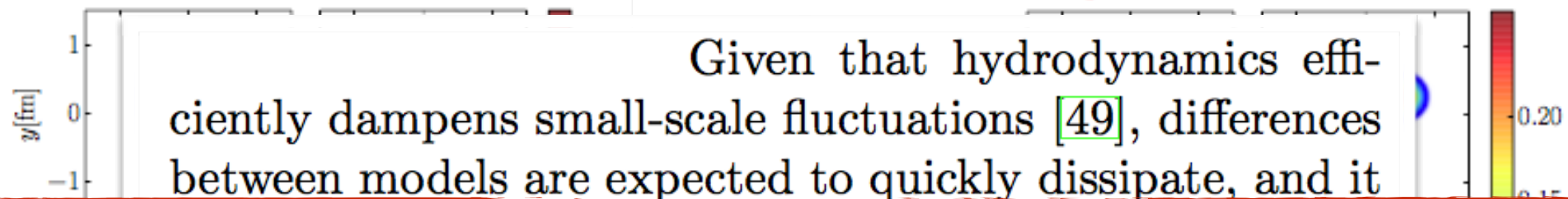
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Given that hydrodynamics efficiently dampens small-scale fluctuations [49], differences between models are expected to quickly dissipate, and it

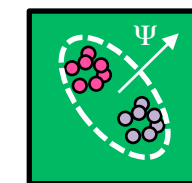
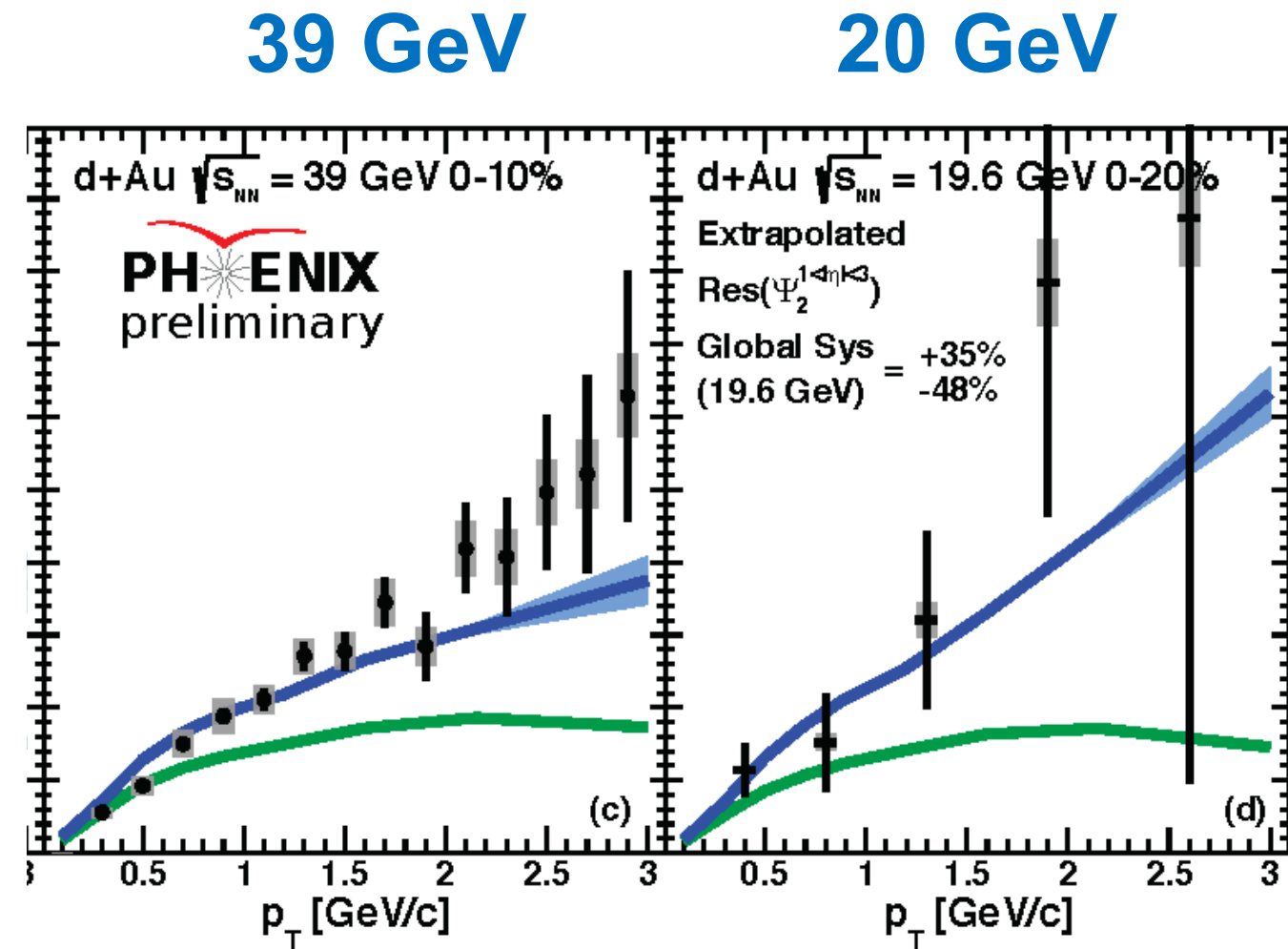
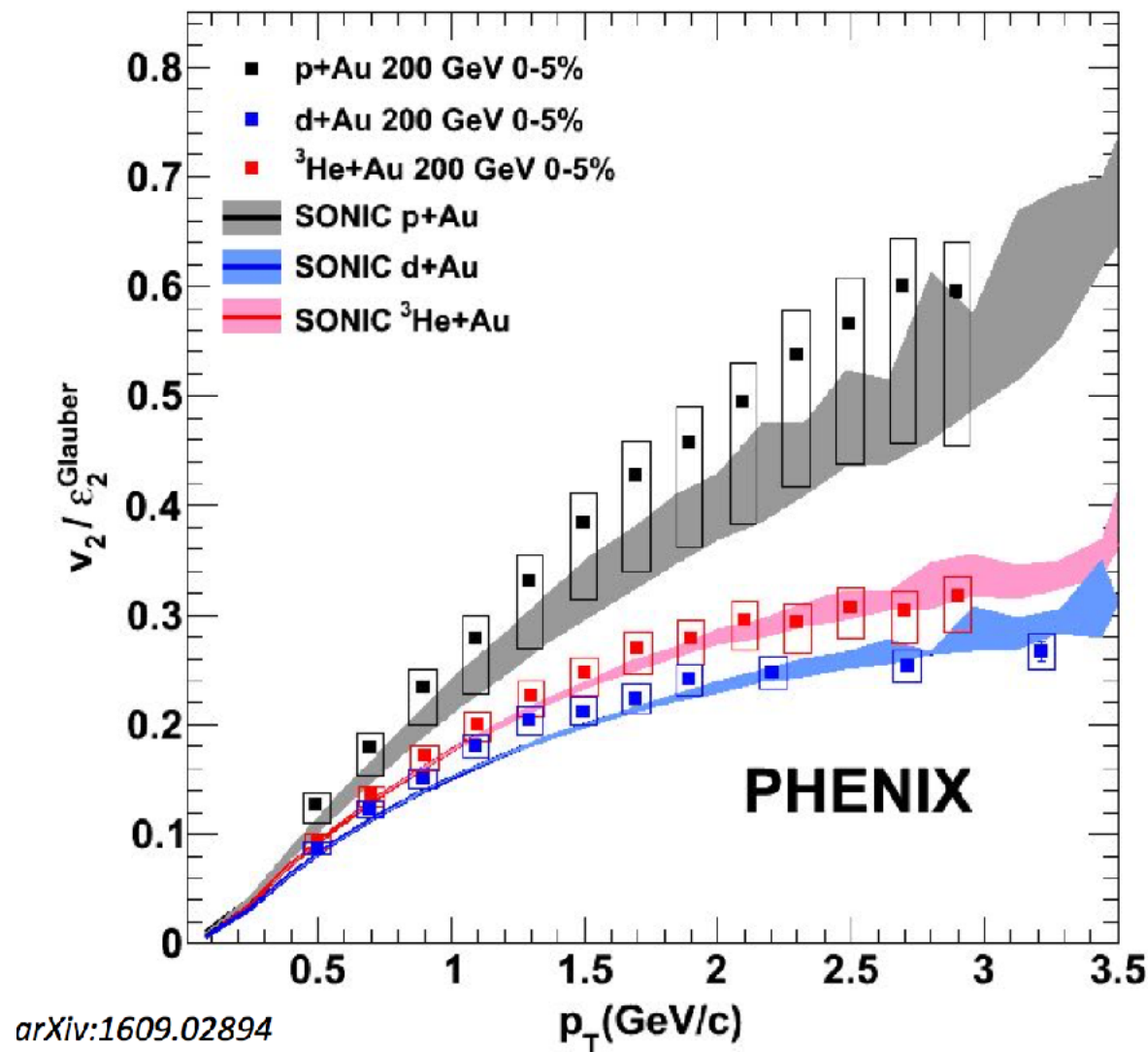
Further constrain this with UPC?
Can we get independent indication of saturation from UPC?

cleon is maintained.

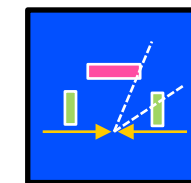
Romatschke et al. arXiv:1701.07145v1

(constrained with diffraction measurements)

Hydro and system size systematics



Pure Flow



With Non-Flow

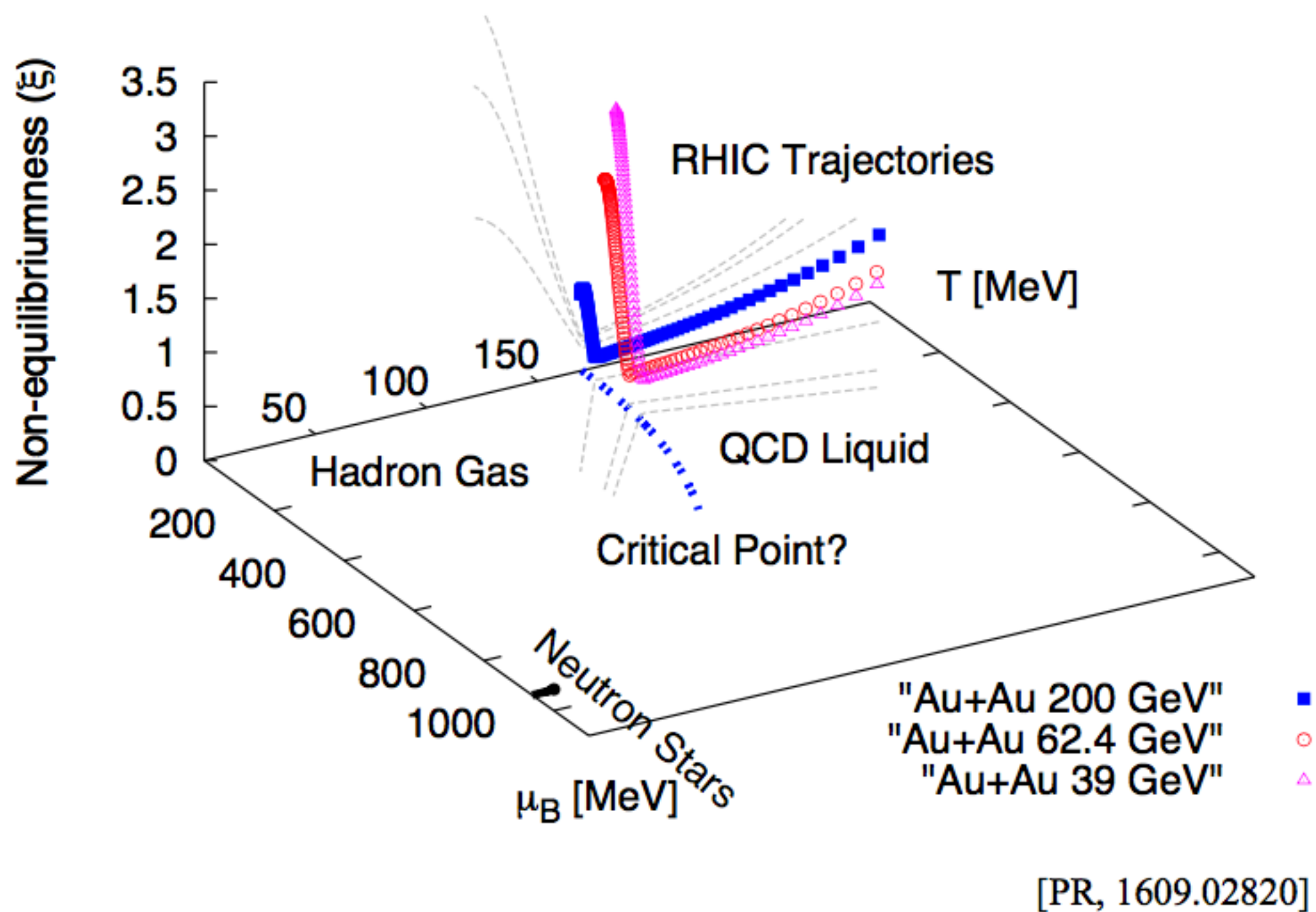
Evidence for collective effects down to **39 GeV**?

Geometry engineering:
Colliding systems control for the initial geometry
Very good agreement with hydro **predictions**

Implications for heavy ions?



Implications for heavy ions?



Hydro $\nRightarrow$ Equilibration!

Do nuclear collisions
equilibrate?

No

What are we actually measuring?

P. Romatschke, arXiv:1704.08699

Hydro as an **effective theory**:

Various microscopic models shown to converge to **attractor solution**,
consistent with viscous hydro far from equilibrium
(for not-too-large gradients)

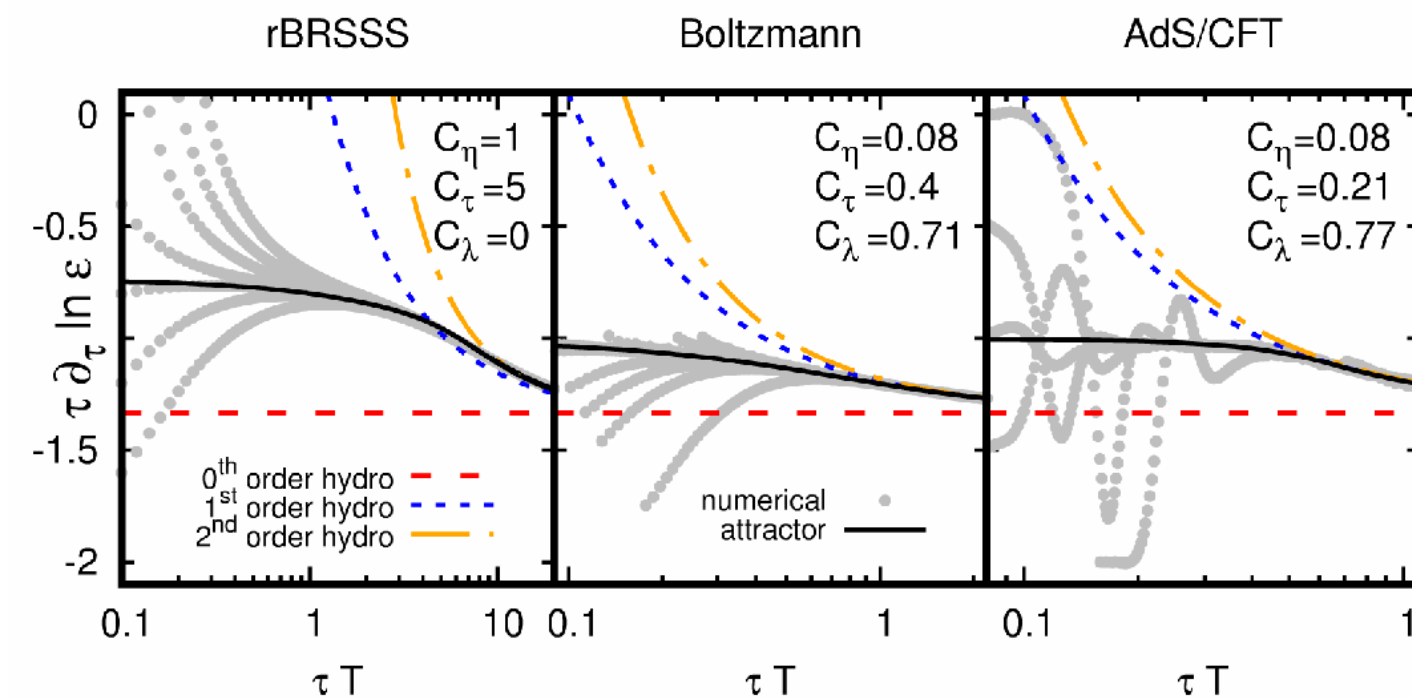


FIG. 1. Numerical results for energy density evolution as a function of inverse gradient strength τT for conformal Bjorken flow in three different microscopic theories. See text for details.

What are we actually measuring?

P. Romatschke, arXiv:1704.08699

Hydro as an **effective theory**:

Various microscopic models shown to converge to **attractor solution**,
consistent with viscous hydro far from equilibrium
(for not-too-large gradients)

Leads to an **effective viscosity η_B** :

→ what are we actually learning about the medium?

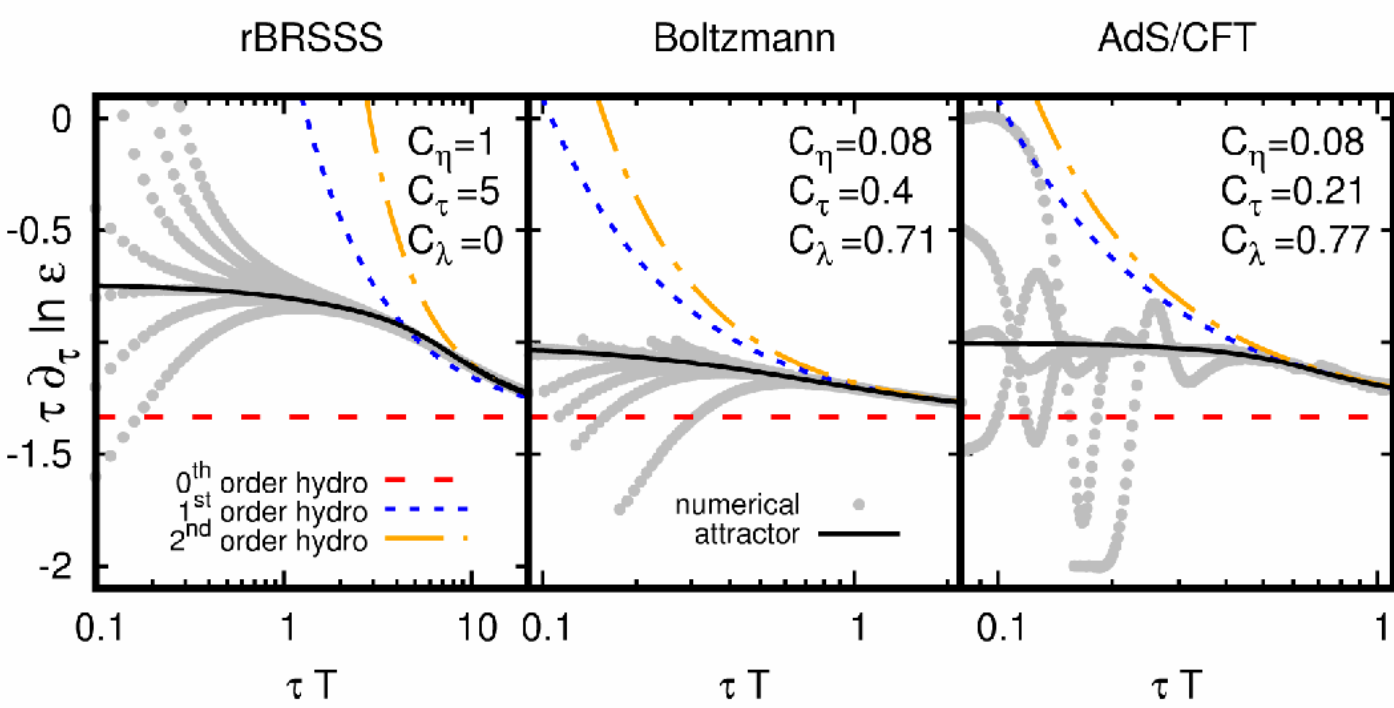
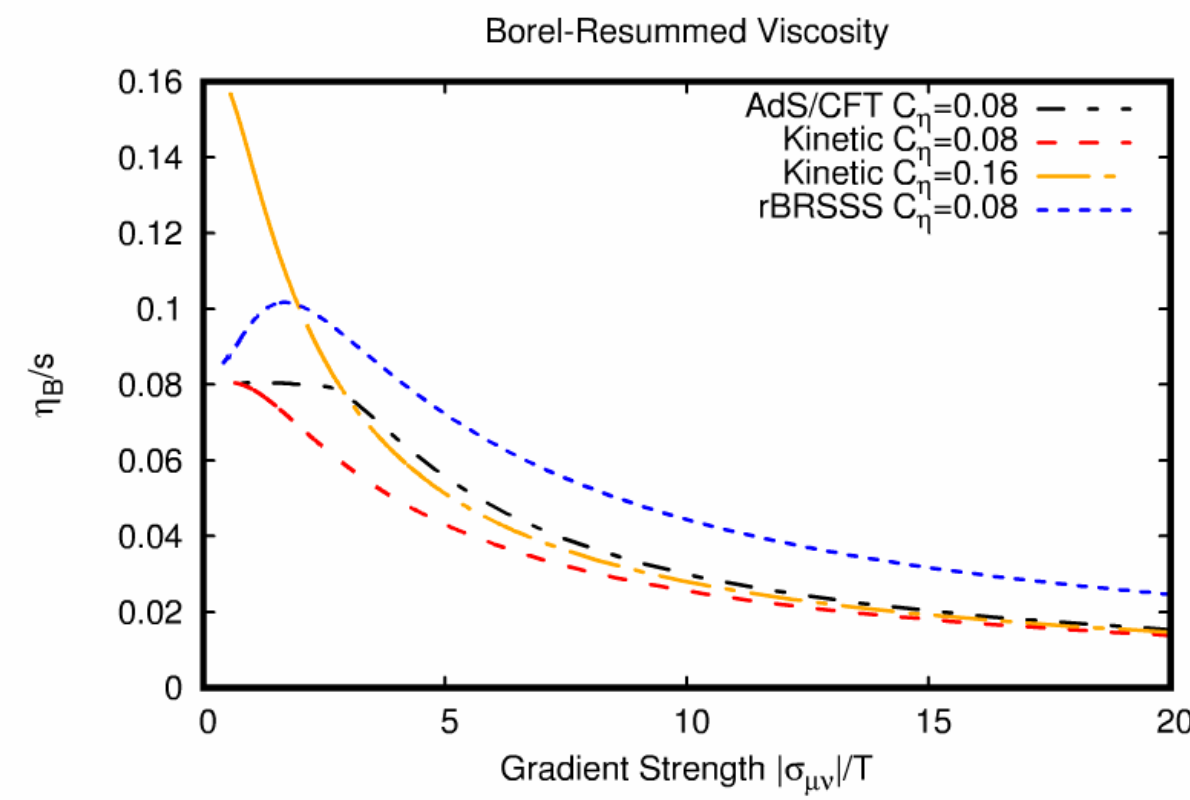


FIG. 1. Numerical results for energy density evolution as a function of inverse gradient strength τT for conformal Bjorken flow in three different microscopic theories. See text for details.



Other measurements and observables

What about **other phenomena** once considered the **hallmark of heavy ions** in small systems?

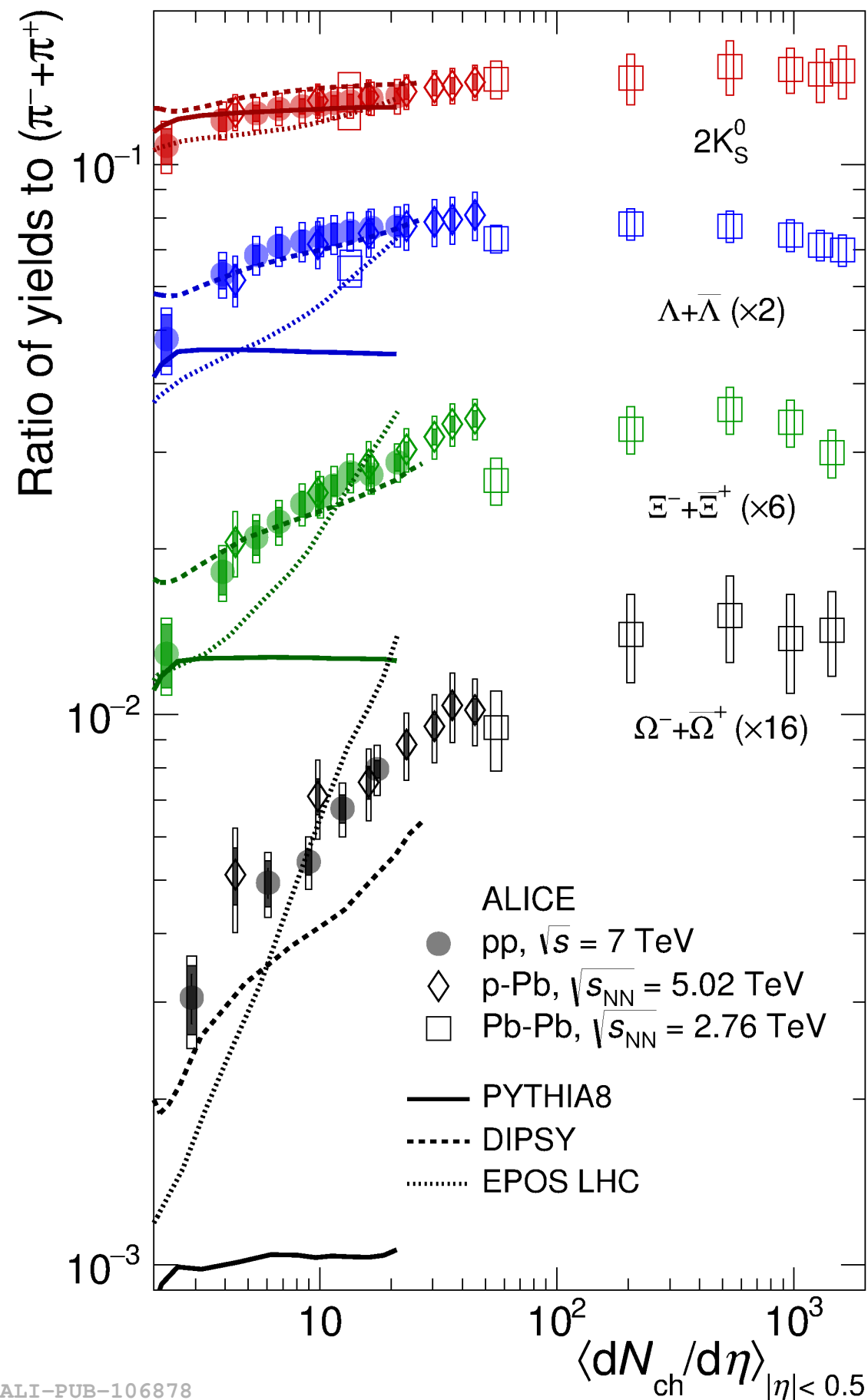
- **Identified particles** -> strangeness enhancement in pp/pA
- **Thermal dileptons/photons** -> not measured, but predicted if interacting medium
- **Energy loss** -> negative measurements so far

Ideally: consistent theoretical framework and unified description

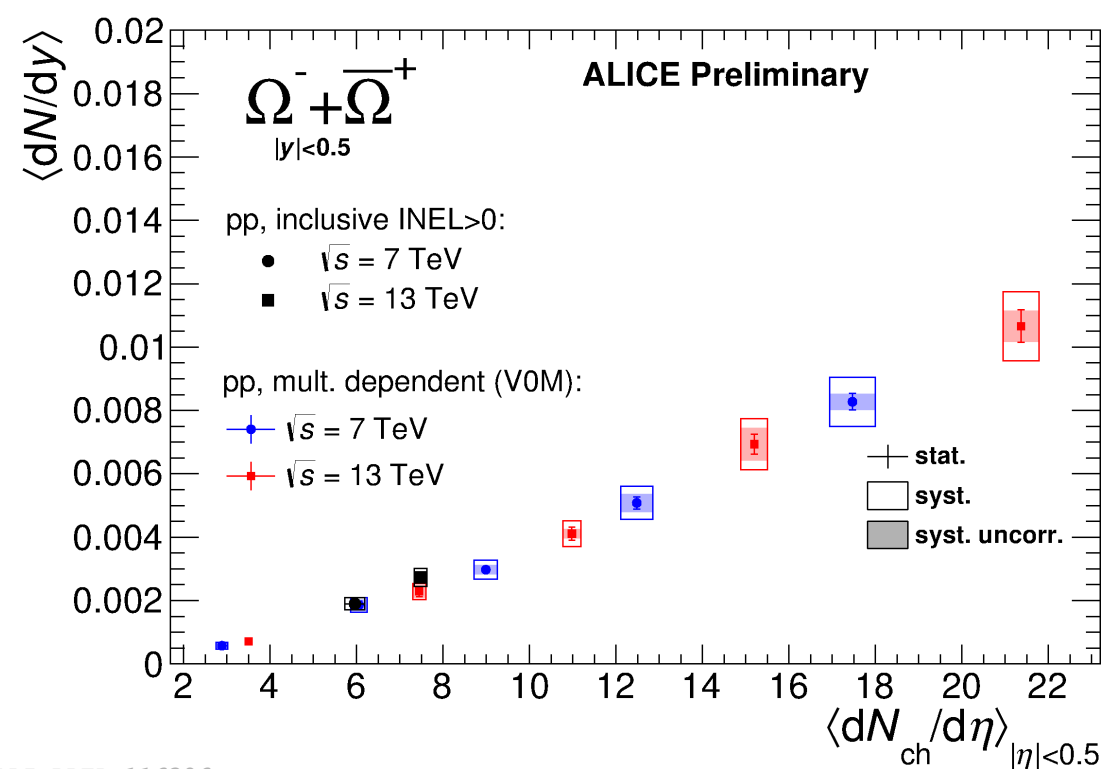


Identified Particles

Ratios vs Multiplicity

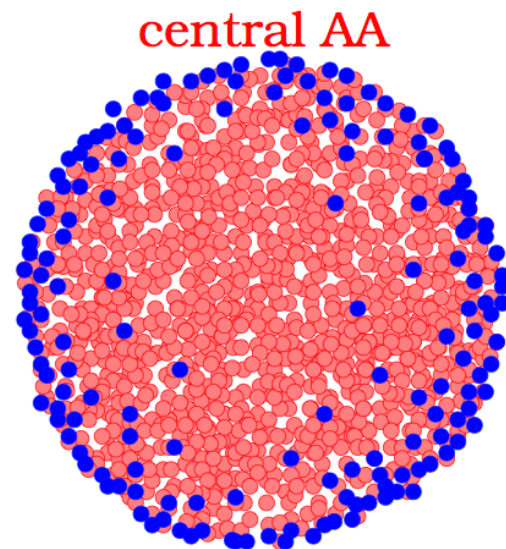


- **Smooth evolution** of particle ratios across different systems
- **Enhancement** of relative **strangeness** content with multiplicity
- Traditional **soft QCD models** (e.g. Pythia) do not reproduce this
 - But EPOS and DIPSY -> dynamics
- **ALICE @ QM17: $\sqrt{s}$ dependence**

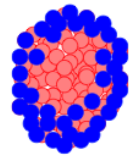


EPOS and Core-Corona

Core-Corona Approach to describe change in hadrochemistry in EPOS



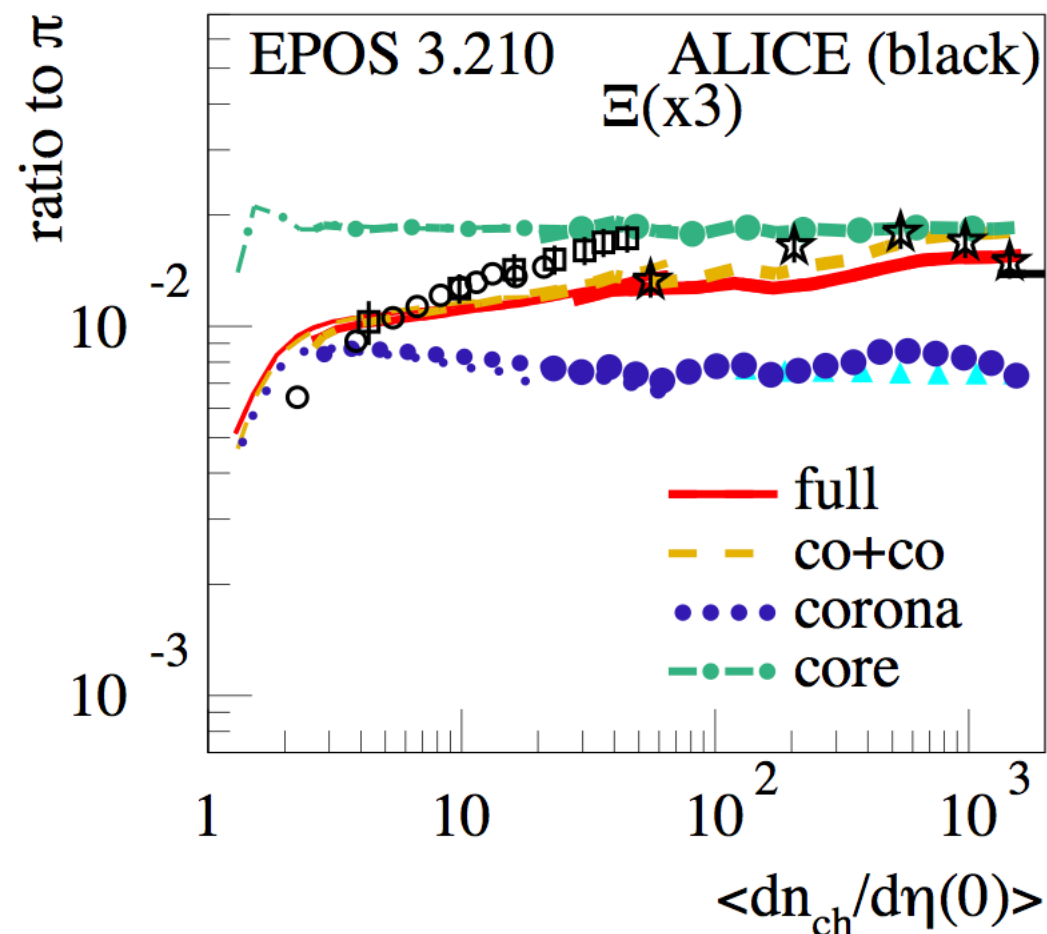
peripheral AA
high mult pp



low mult pp



Core evolves collectively
→ flow



Qualitatively **describes data**
(but not an explanation of the
strangeness enhancement)

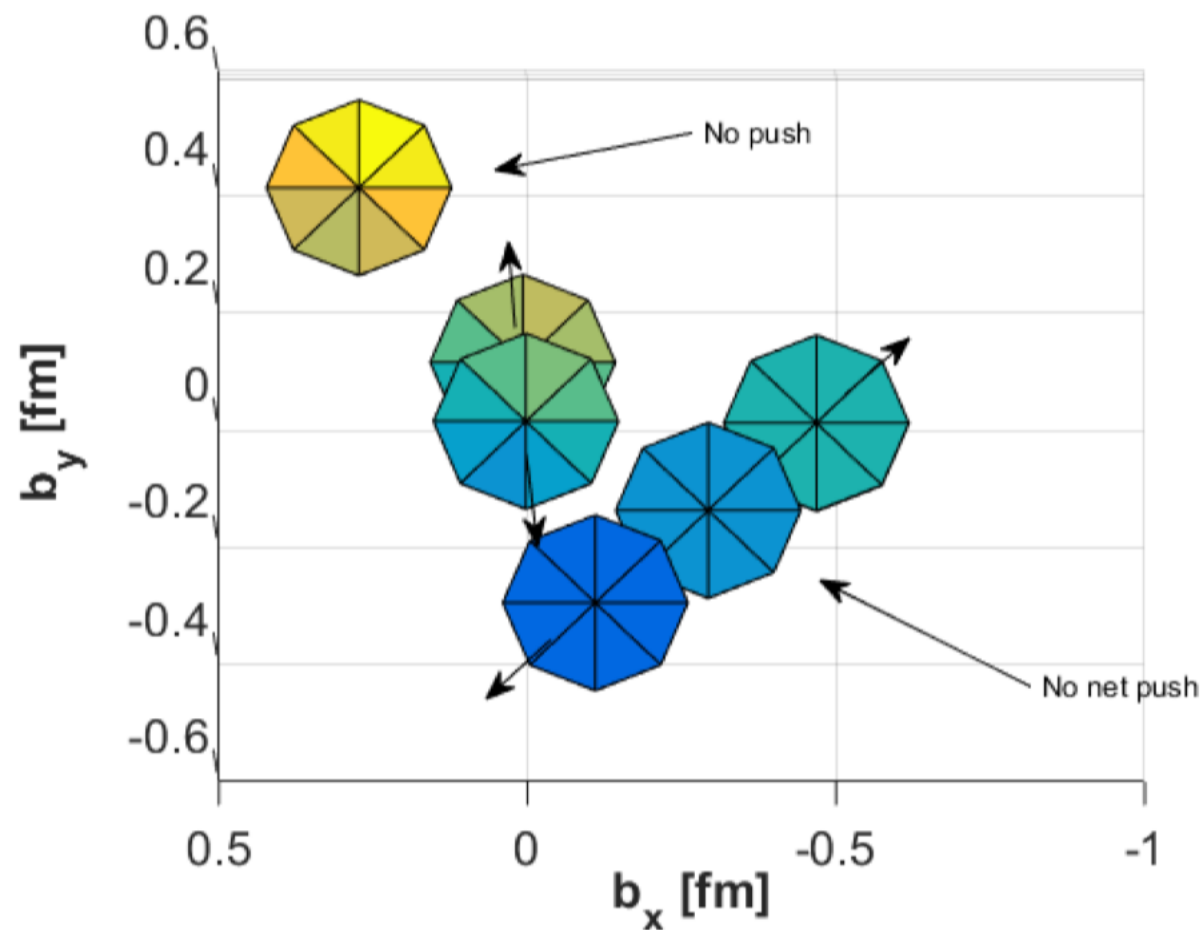
EPOS 3 also describes collective
behavior

DIPSY and Color Ropes

Color Ropes: Overlapping strings $\rightarrow$ excess energy

Ropes increase effective **string tension** $\rightarrow$ strangeness enhancement

String shoving: local transverse pressure $\rightarrow$ **anisotropy**



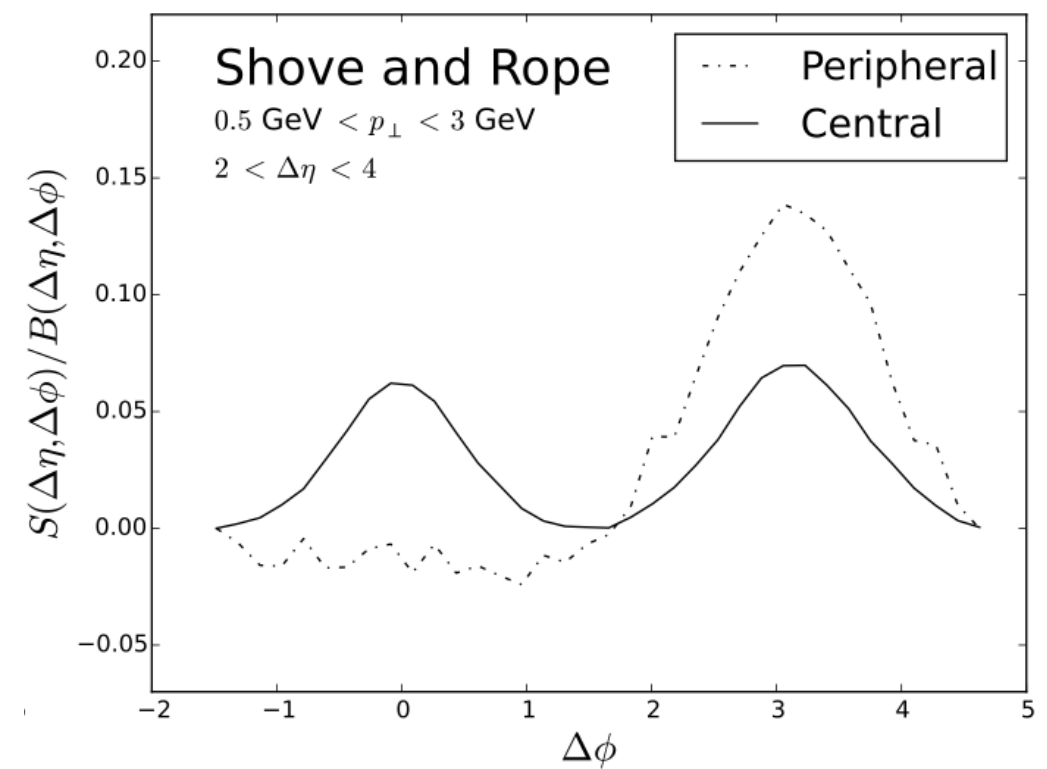
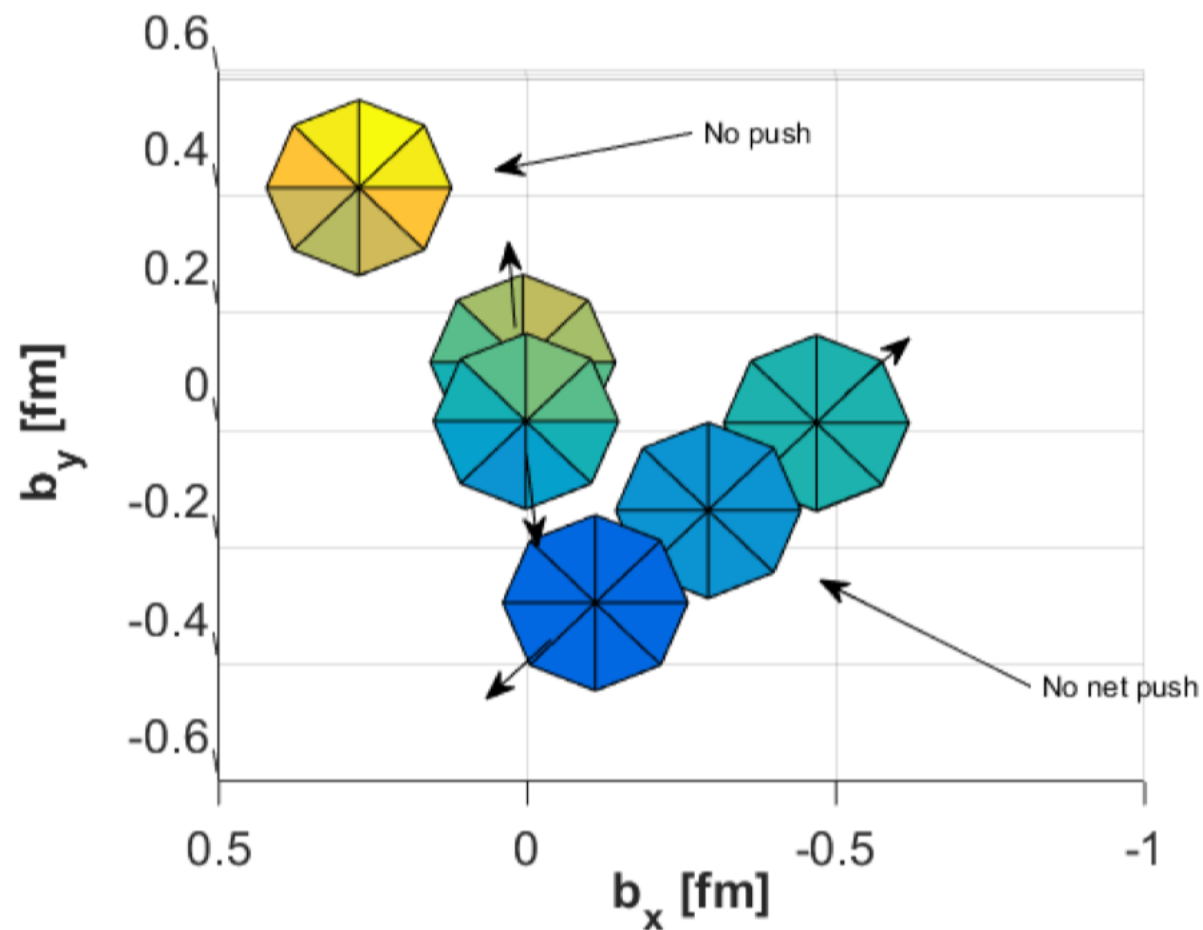
(Is this conceptually similar to core-corona?)

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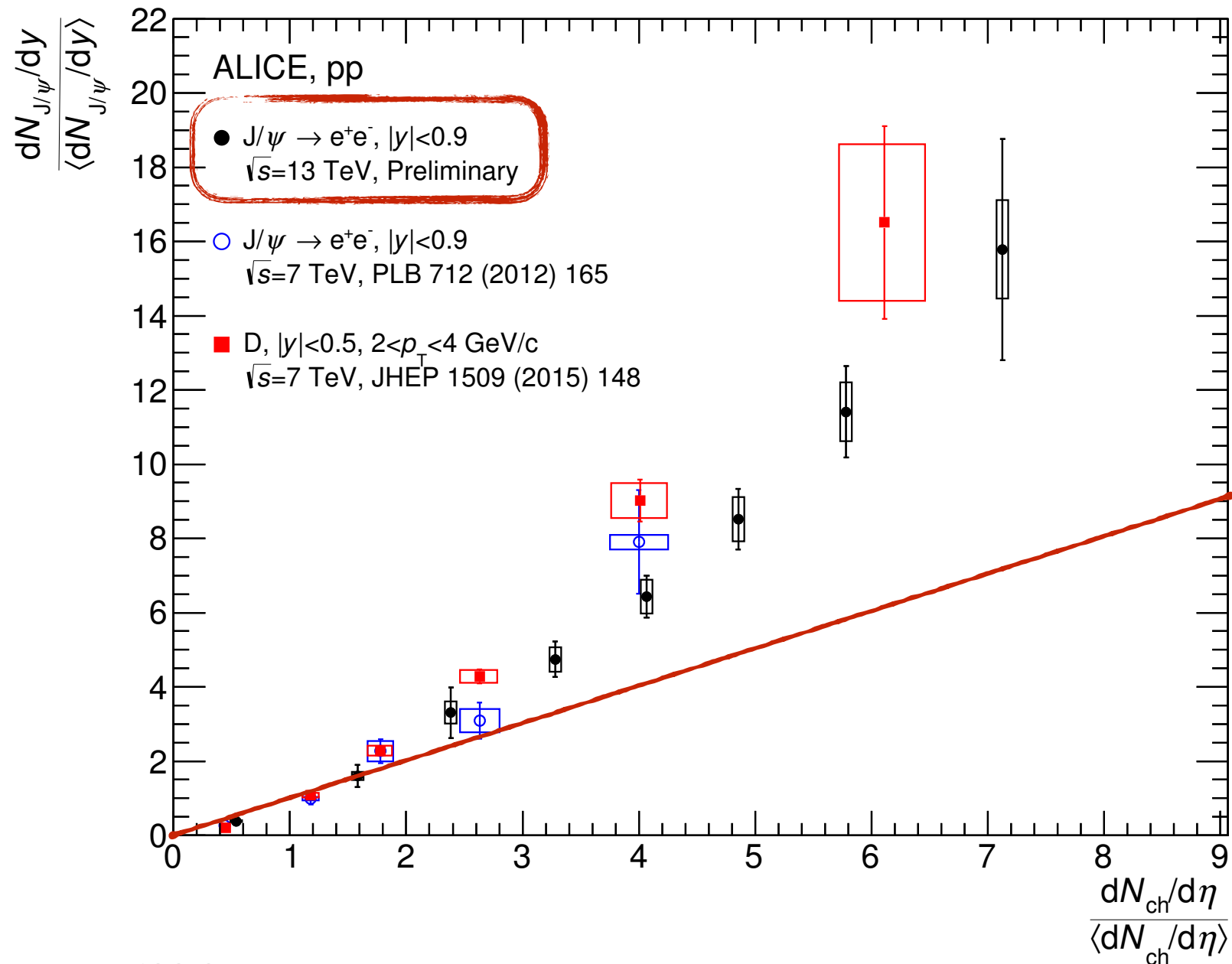
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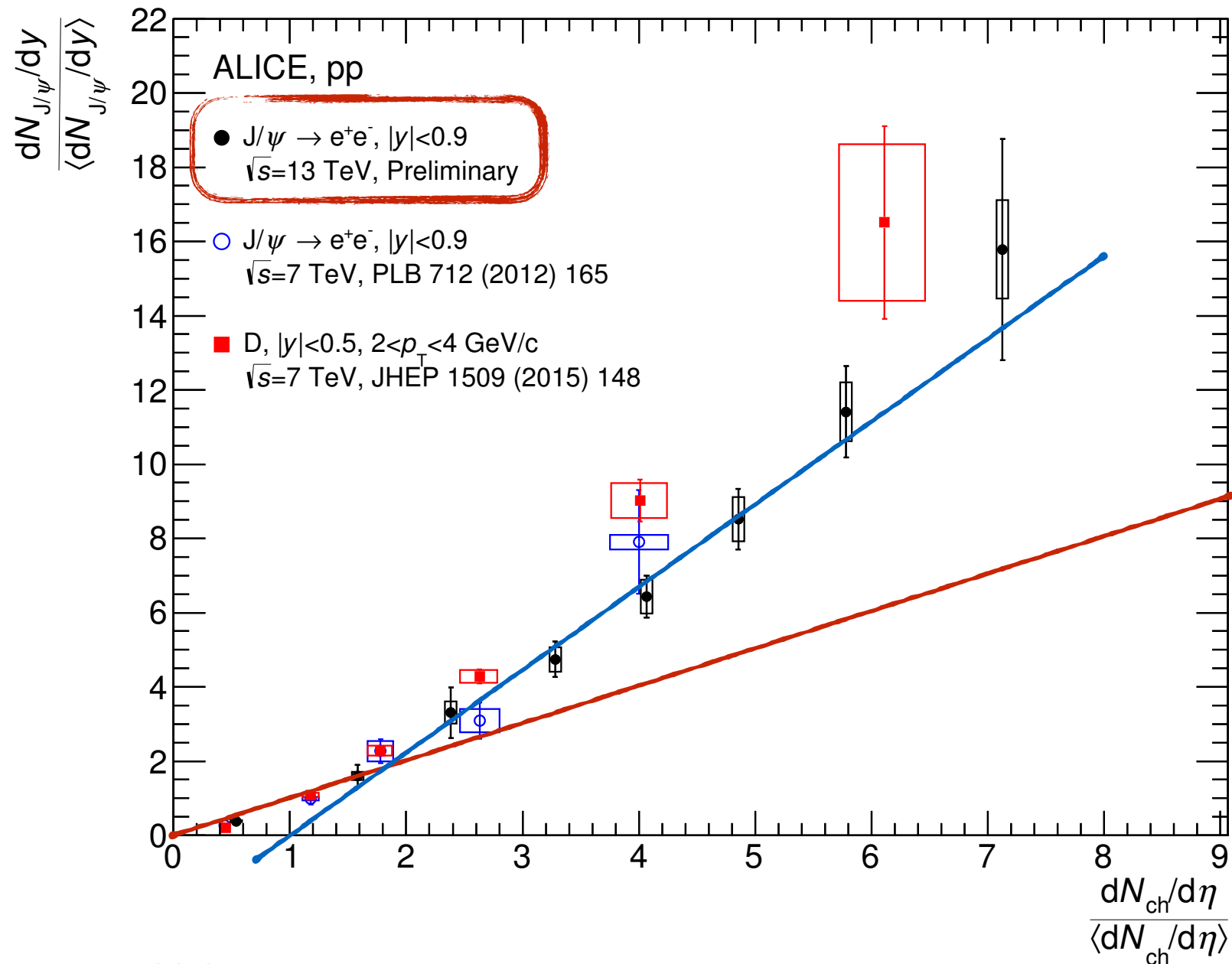


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Similar behavior observed for **high p_T strangeness**
Faster than diagonal! Non linear? Or only linear at high multiplicity?

Constrains MPI vs bulk particle production

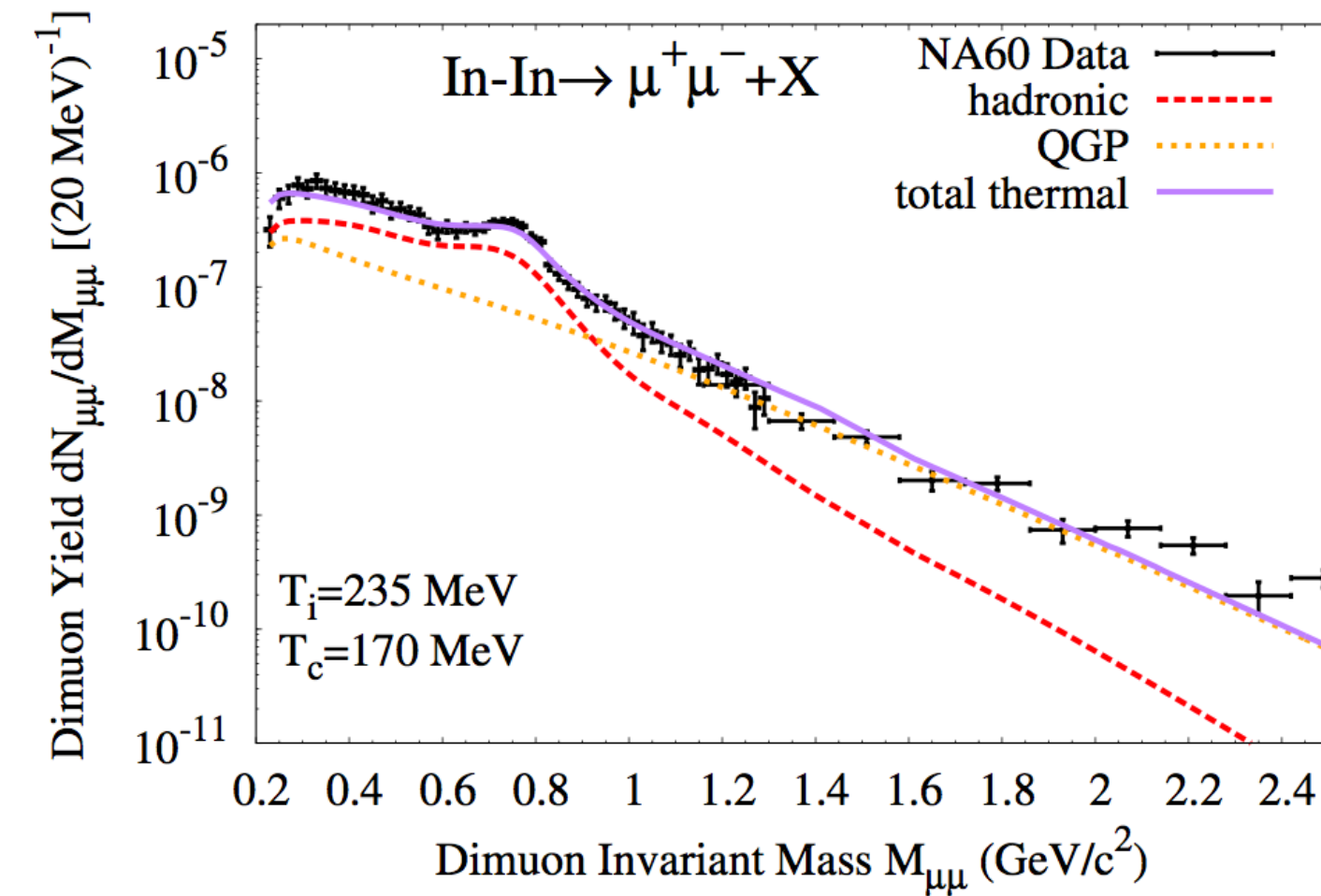


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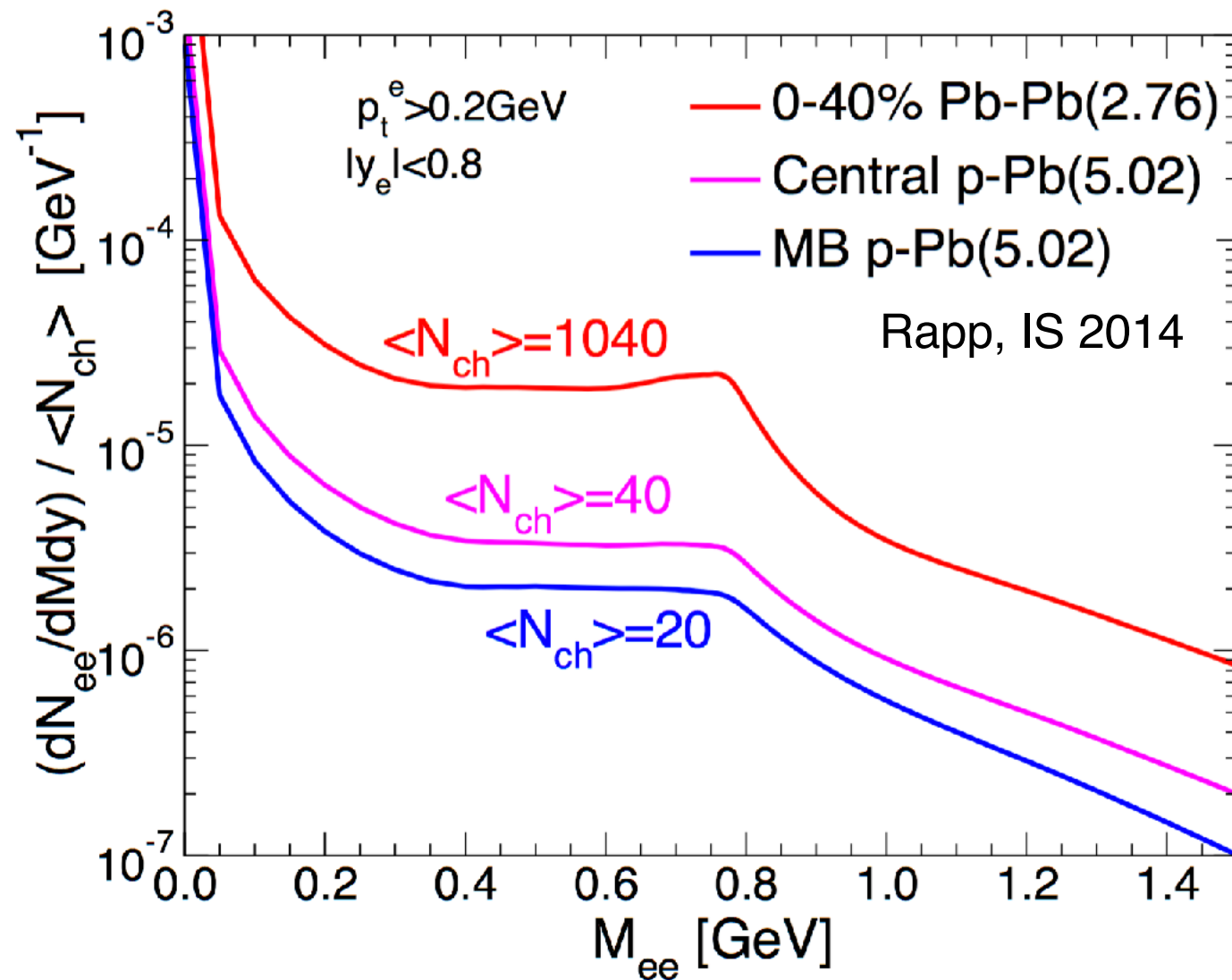
Constrains MPI vs bulk particle production

Thermal Radiation

Rapp et al, PLB 753, 586 (2016)



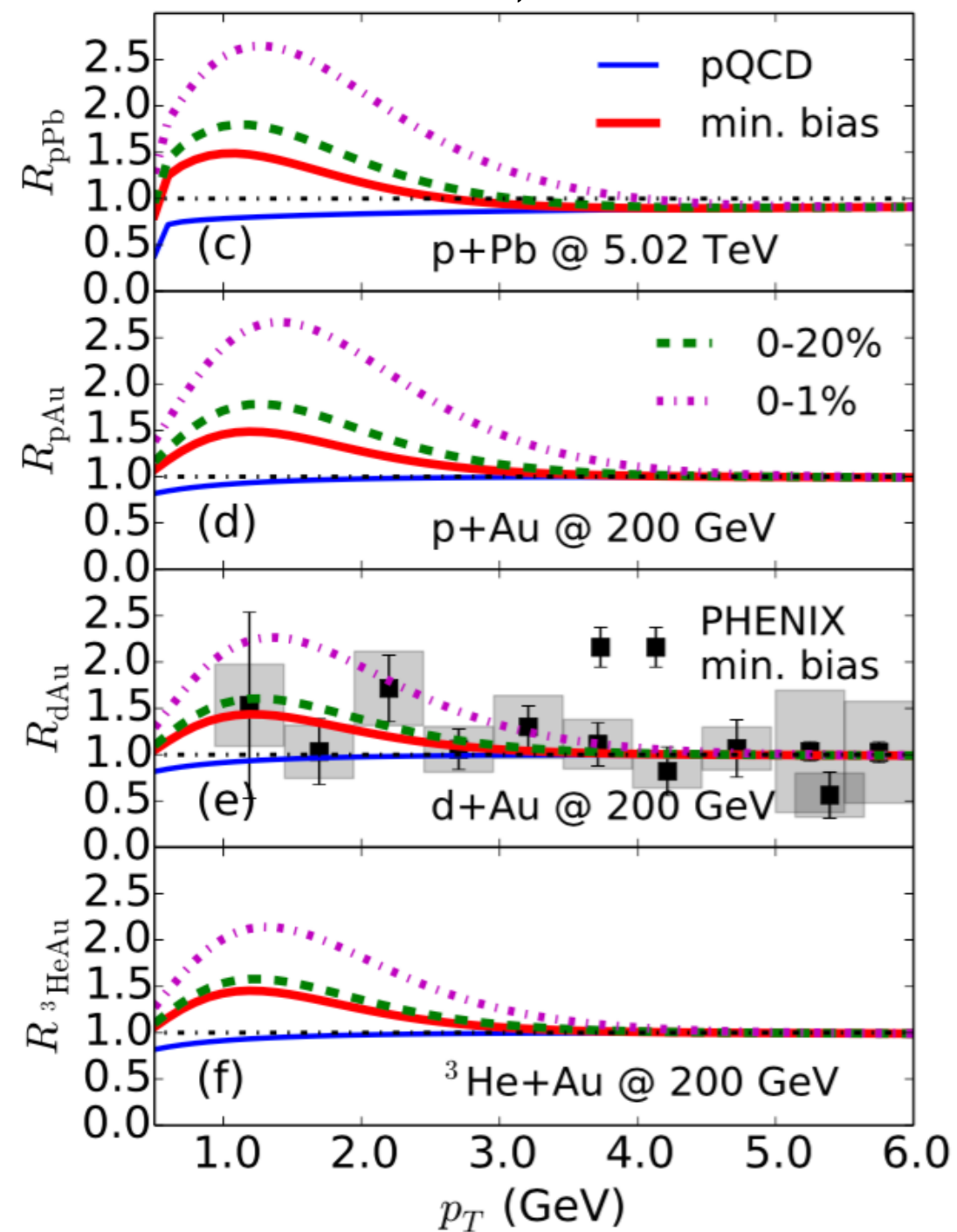
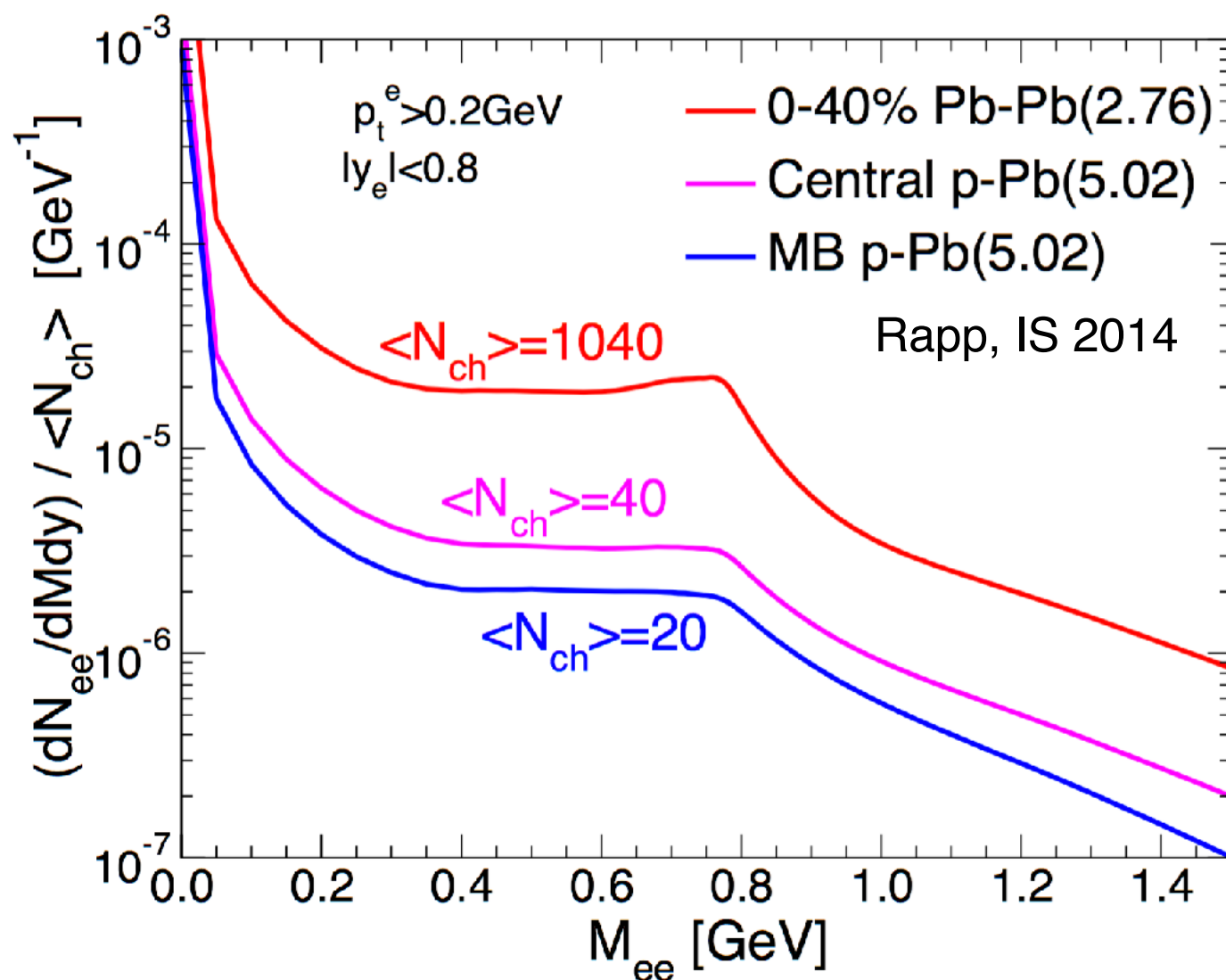
A system close to thermal equilibrium emits **thermal radiation**
 Seen as **excess** in virtual (**dileptons**) and real **photons**



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Thermal radiation

Shen et al, arXiv:1601.03070

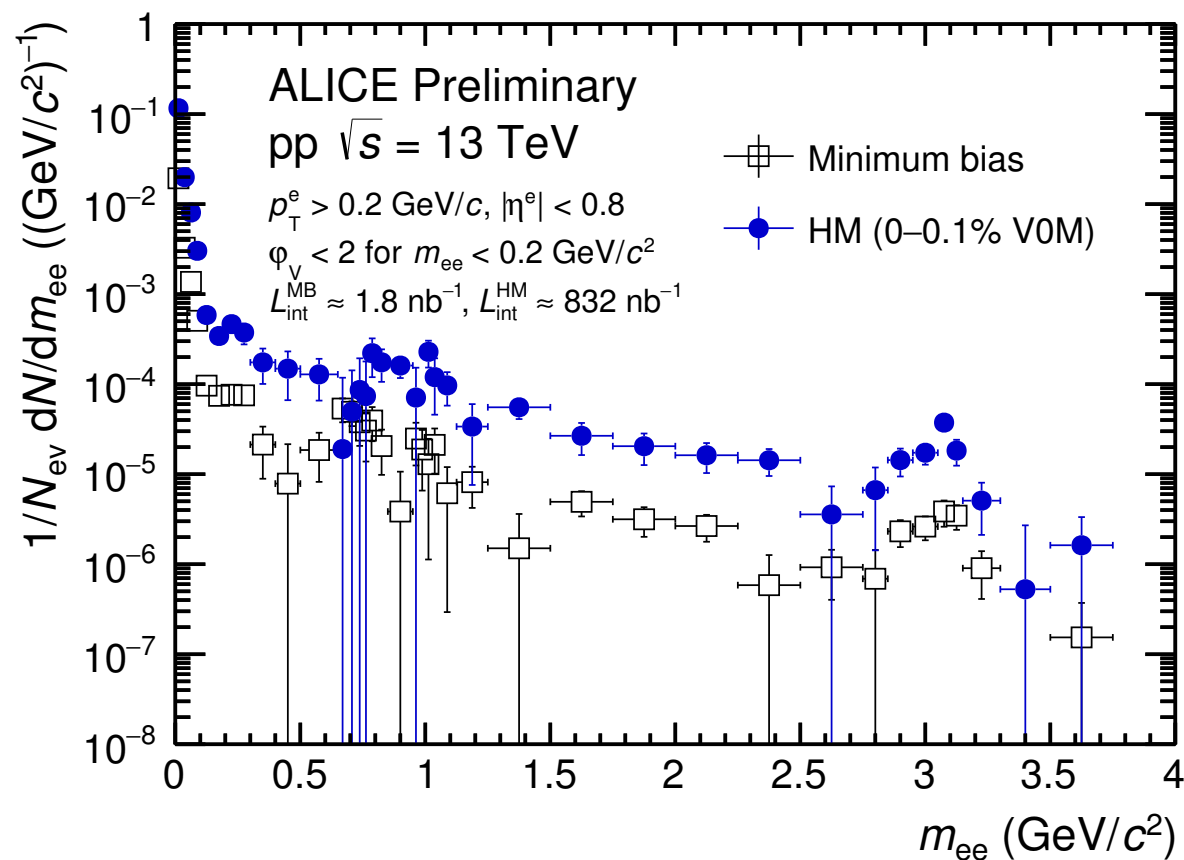


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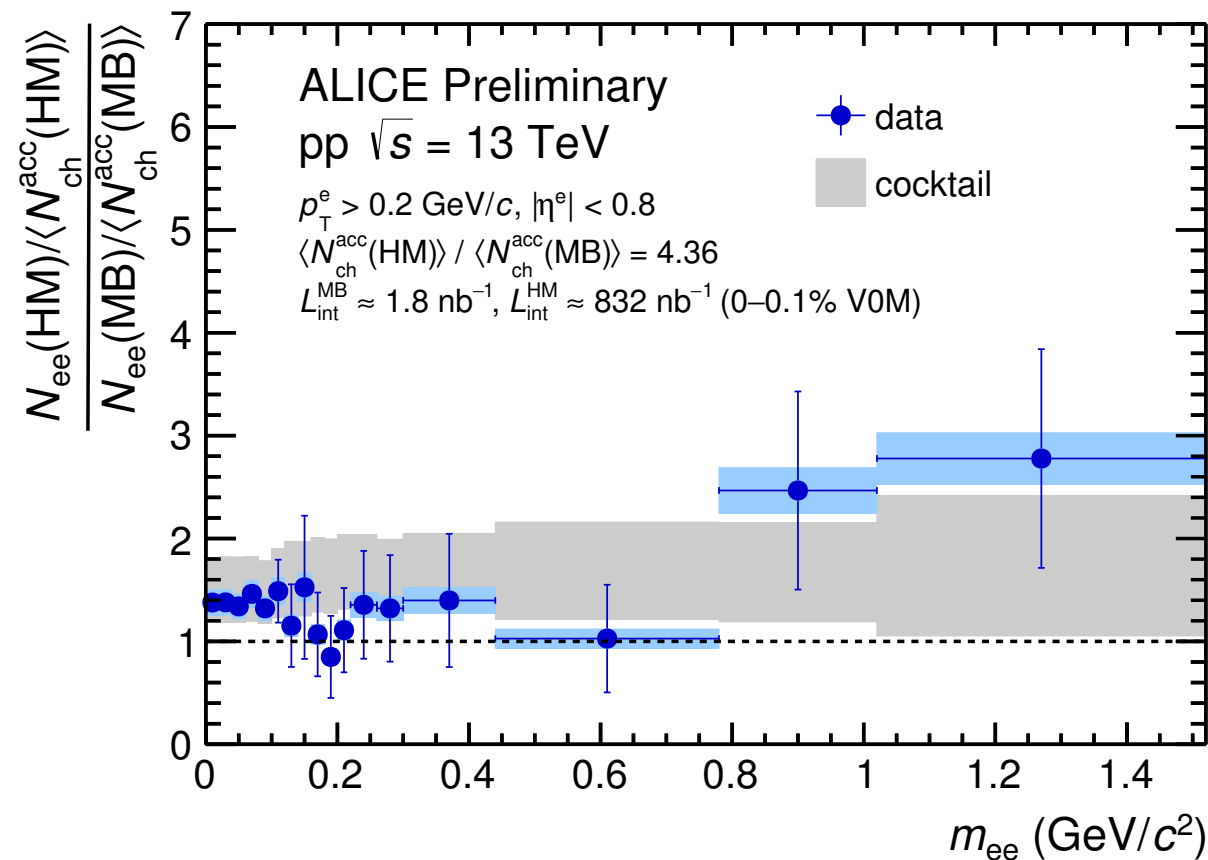
Photon and dilepton measurements

A first attempt to measure dielectrons in HM pp!

Increase in the per-event yield, explained by hadronic sources



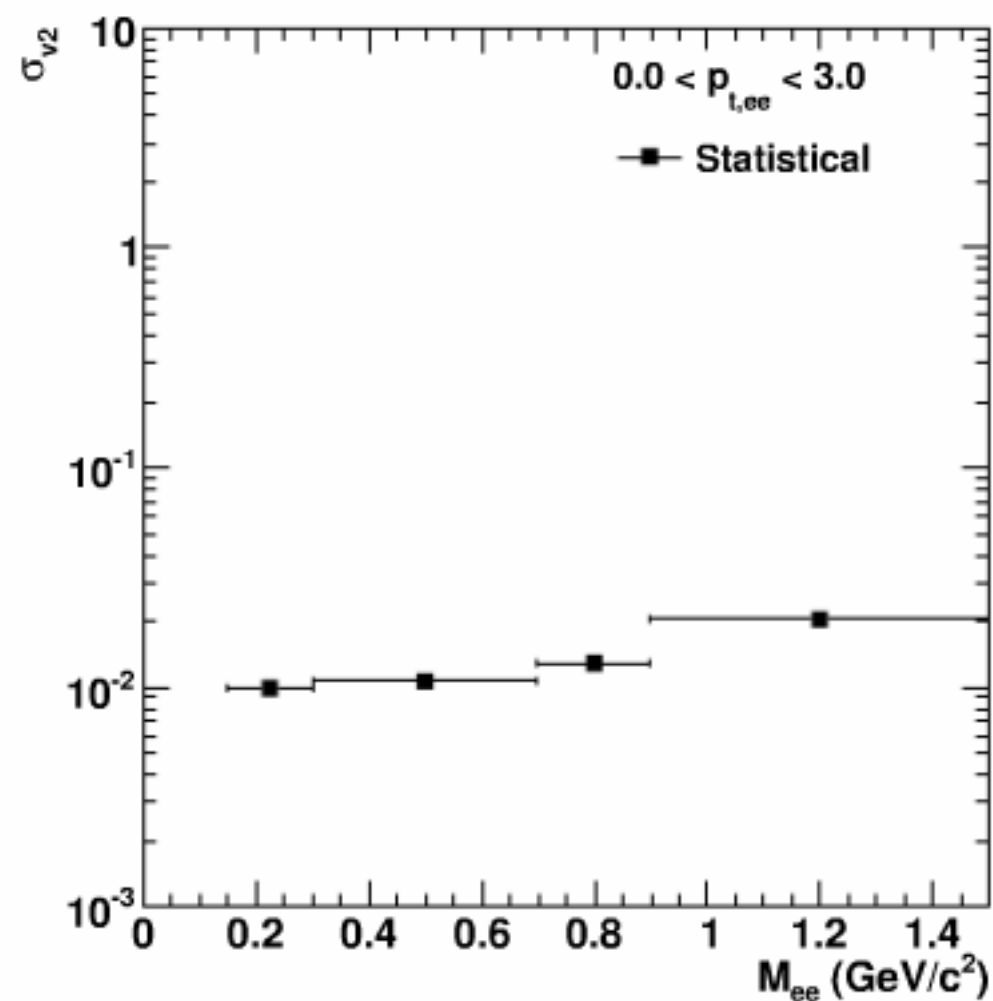
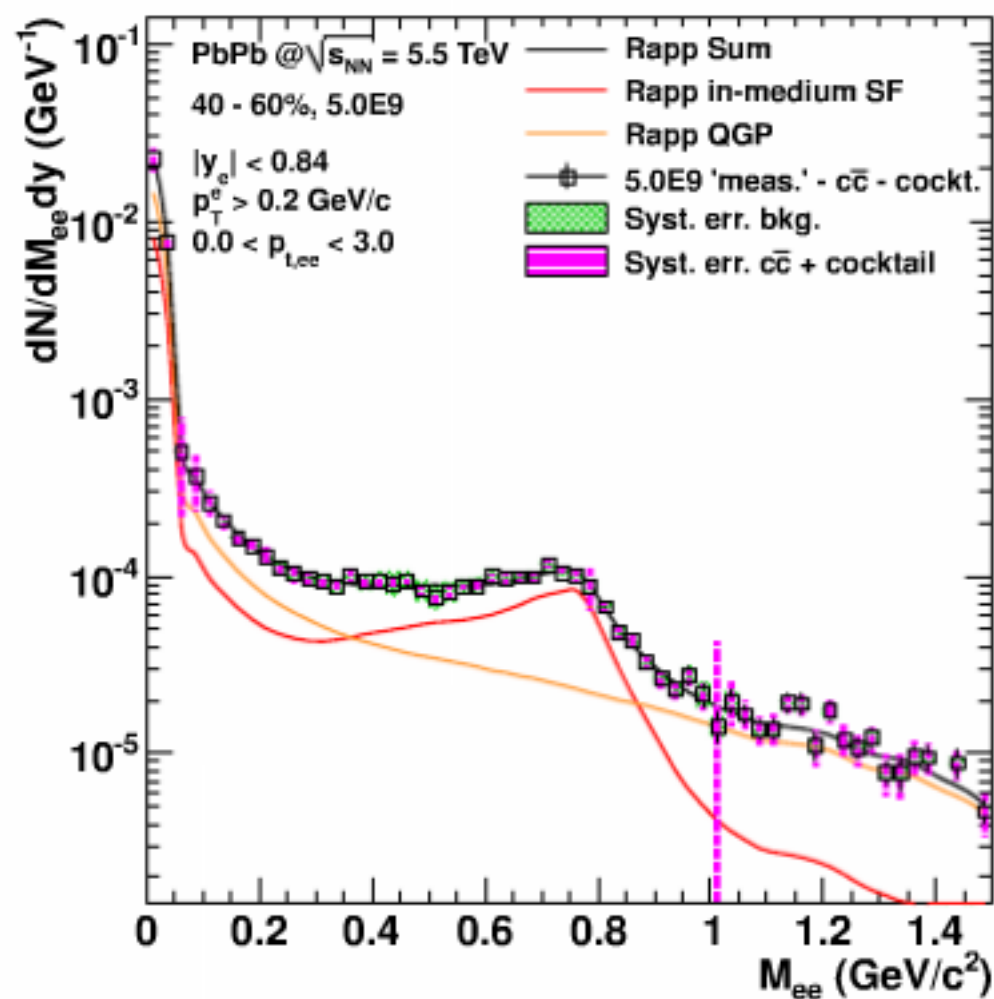
ALI-PREL-119579



ALI-PREL-119684

Needs larger statistics and much reduced cocktail uncertainty
Real photons?

Dileptons Flow



ALICE Upgrade LOI:

$e+e-$ excess spectra in 40–60% Pb–Pb at $\sqrt{s_{NN}} = 5.5$ TeV

Feasibility in pp?

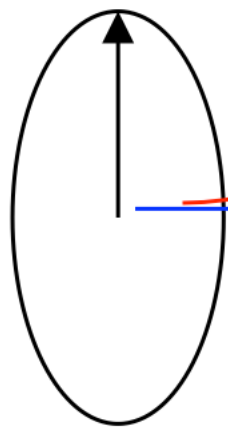
Key measurements, but challenging

Direct photons

Possible differences:

- Direct photon v_2 ?
- Nonlinear mode mixing ($v_4 \sim v_2^2$) ?

Shape evolution: pressure vs free streaming ?



Hydro:

more gradient
more flow
more N_{ch}
more γ ?

Transport:

less matter
less scattering & BS
more N_{ch}
less γ ?

2017 NBI WS J. Schukraft

Distinguish “Hydro” from “Parton escape” with photon v_2 ?
Can be this studied with “direct photons” event-shape engineering?
(correlation between LF v_2 and γv_2)

Energy Loss

Jet Quenching in small systems

M. Spousta (ATLAS)
Tues. 12:10pm

N. Jacazio (ALICE)
Wed. 4:50pm

60-80% Pb+Pb, $R_{AA} = 0.65$

$\langle N_{part} \rangle = 23$ (ATLAS similar)

<1% p+Pb (0-5% in Glauber-Gribov!)

Y.-J. Lee (CMS)
Monday 12:10pm

70-90% Pb+Pb, $R_{AA} = 0.7$

$\langle N_{part} \rangle = 11$

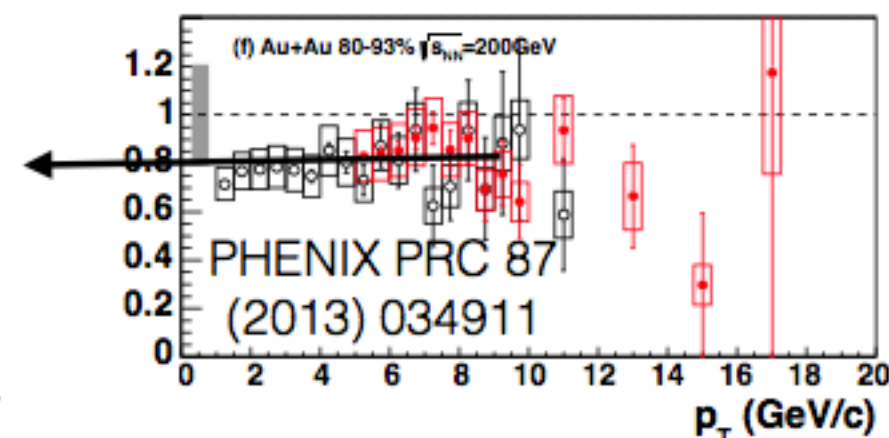
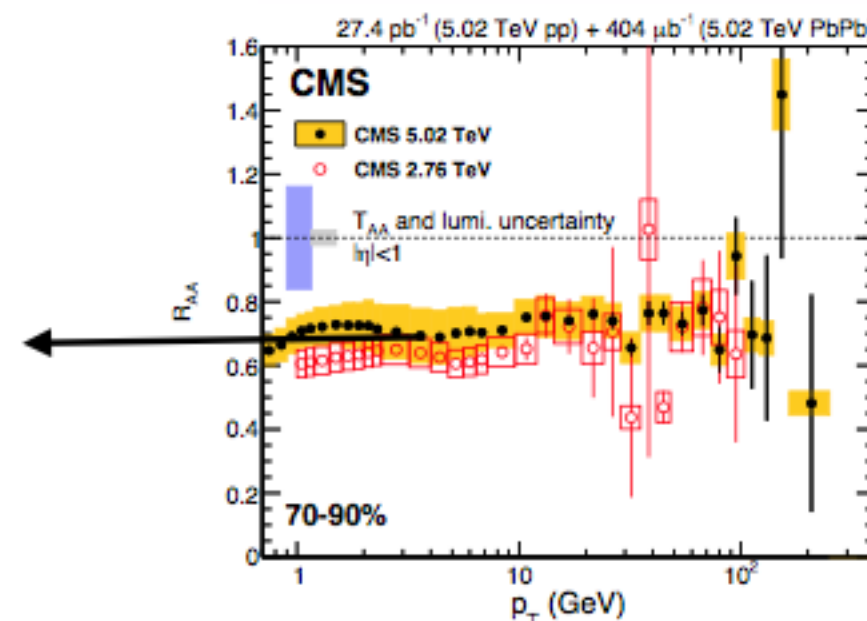
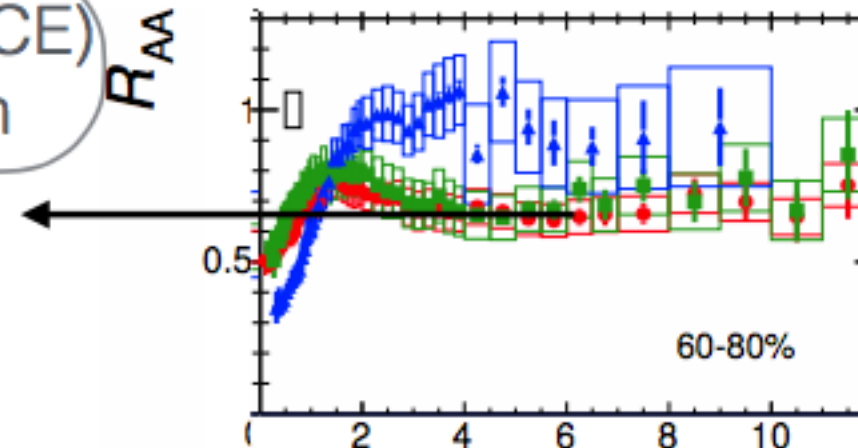
~20-30% p+Pb

S. Zharko (PHENIX)
Wed. 10:40am

80-93% Au+Au, $R_{AA} = 0.8$

$\langle N_{part} \rangle = 5$

~50-70% p+Pb



decreasing N_{part}

Bias in peripheral AA?

14 Model comparison

Hijing:

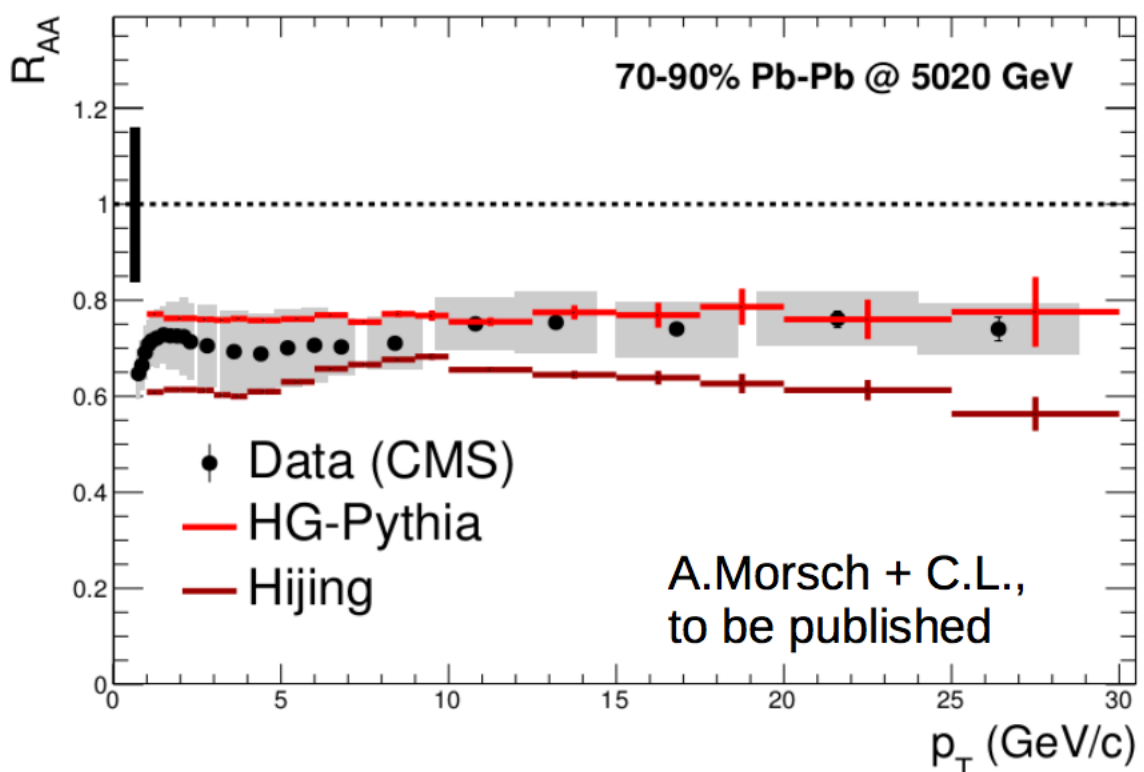
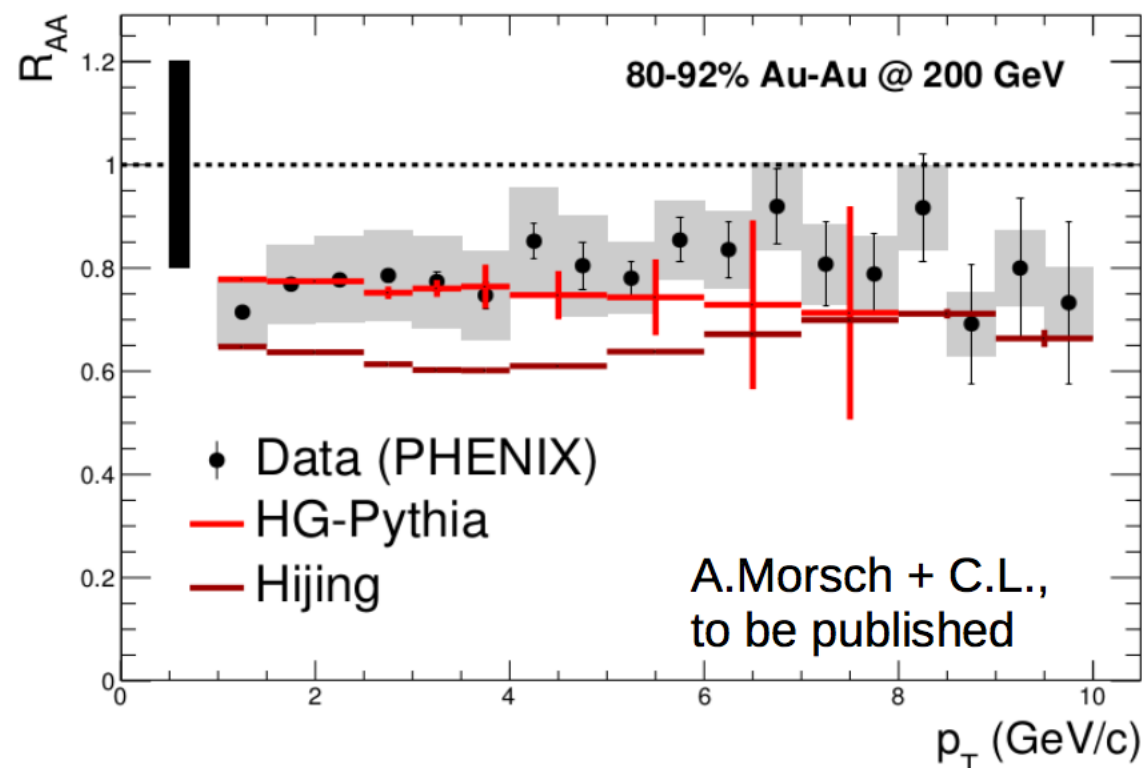
- No quenching, no shadowing, but ad-hoc momentum conservation and multiple scattering
- Does not give $R_{AA} \rightarrow 1$ at high p_T for central collisions

HG-Pythia:

- Use as HIJING nhard distribution as input but just superimpose PYTHIA (Perugia 2011) events
- Does not reproduce multiplicity

Results obtained using event ordering (slicing) for forward multiplicity ($2.5 < |\eta| < 5$)

Multiplicity bias can cause the apparent suppression!



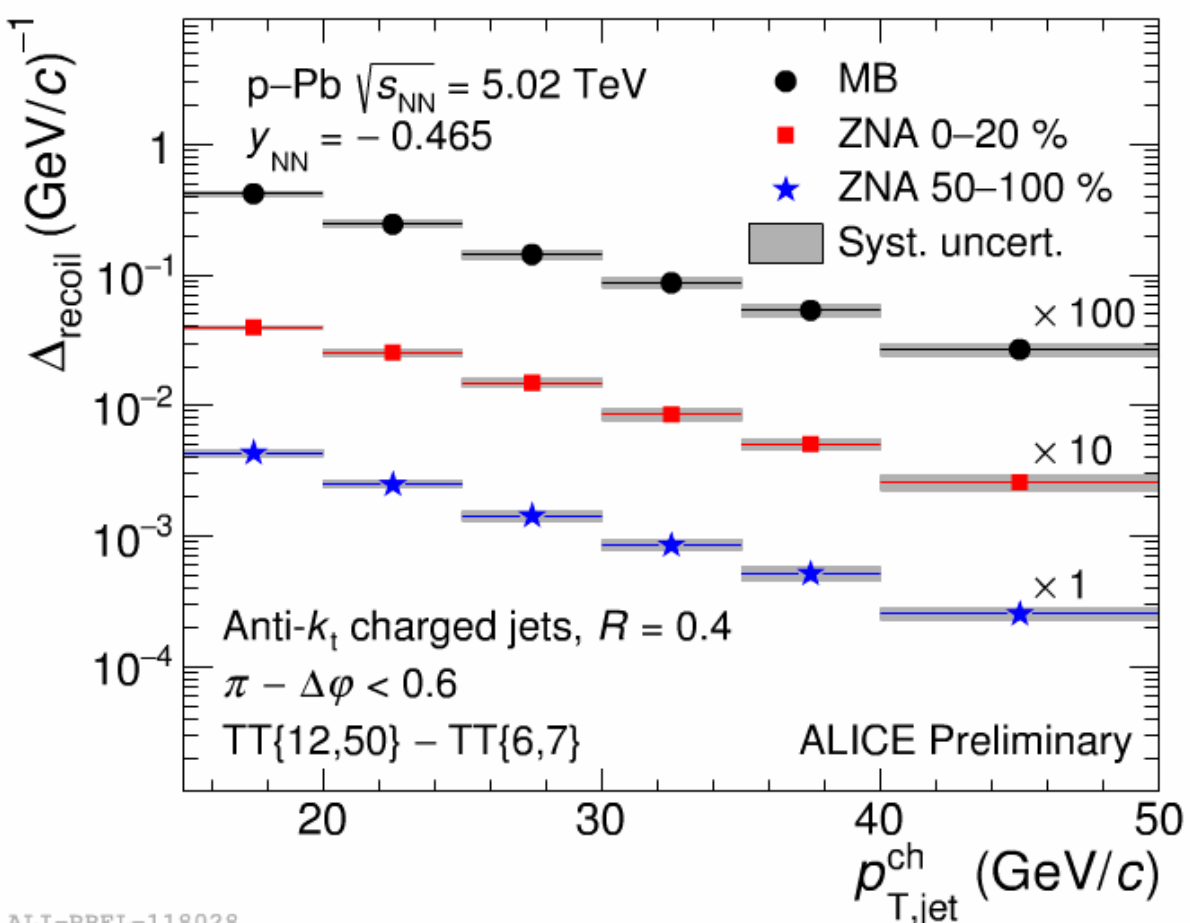
Self normalized measurements of E_{loss}

Direct measurement of RAA difficult:
biases and reliability of glauber for TAA

Δ_{recoil} “self normalized”, directly comparable to theory

$$\Delta_{\text{recoil}} = \frac{1}{N_{\text{trig}}} \frac{d^2 N_{\text{jet}}}{dp_{T,\text{jet}}^{\text{ch}} d\eta} \bigg|_{p_{T,\text{trig}} \in \text{TT}\{20,50\}} - c_{\text{Ref}} \cdot \frac{1}{N_{\text{trig}}} \frac{d^2 N_{\text{jet}}}{dp_{T,\text{jet}}^{\text{ch}} d\eta} \bigg|_{p_{T,\text{trig}} \in \text{TT}\{8,9\}}$$

Fully corrected



Measured in
different p-
Pb mult bins

Ratio

$$\frac{\Delta_{\text{recoil}}|_{0-20\%}}{\Delta_{\text{recoil}}|_{50-100\%}}$$

compatible with unity

Same in peripheral Pb-Pb?

Other Self Normalized approaches?
(High p_T v2?)

ALI-PREL-118028

Why ~~Collectivity~~ High Multiplicity pp?



Observations that we **didn't expect** and we **don't** (fully) **understand!**

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pp physicist

heavy-ion physicist

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Understand
MPIs and their
interactions!



pp physicist



heavy-ion physicist

QGP in small
systems!
Initial conditions vs
transport!

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